

# Filtering time series of dissolved oxygen for improved estimates of estuary metabolism

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*Running head: Noise in Estuary Metabolism*

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## Abstract

In aquatic ecosystems, time series of dissolved oxygen (DO) can be used to infer {acro:DO} integrated ecosystem processes such as primary production, respiration, and net metabolism. However, continuous monitoring data at estuaries may reflect variation from both biological and physical processes, such that observed data may produce inaccurate or misleading process estimates. Statistical techniques that dynamically quantify variation in DO and tidal changes over time have the potential to isolate biological signals in DO variation. A weighted regression method was developed to filter, or detide, the predicted DO signal to remove the influence of physical advection on ecosystem metabolism estimates. The method was tested using a simulation approach to create multiple DO time series with known additive components of biological and physical variation on different periods. The method was further validated using one year of continuous monitoring data at four water quality stations that are part of the National Estuarine Research Reserve System. We provide a detailed discussion on use of the method for improving certainty in evaluation of DO measurements from sites with strong tidal influences. Moreover, we propose that the method could expand use of the open-water method for estimating ecosystem metabolism in estuaries given that the approach can produce robust estimates of DO that are independent of tidal advection. In particular, this could facilitate the use of shorter deployment periods for water quality monitors or incomplete time series given that known biases related to water movement could be removed.

## Introduction

{intro}

Time series of dissolved oxygen are increasingly used to estimate ecosystem metabolism (Kemp and Testa 2012, Needoba et al. 2012). Integrated measures of metabolism describe the balance between production and respiration processes that create and consume organic matter, respectively. Although metabolic rates vary naturally between systems (Ziegler and Benner 1998, Caffrey 2004, Russell and Montagna 2007), anthropogenic nutrient sources are often contributing factors that increase rates of production (Diaz and Rosenberg 2008). Inputs of limiting nutrients beyond background concentrations may decrease the resilience of an ecosystem such that higher rates of production are coupled with higher biological oxygen demand (Yin et al. 2004, Kemp et al. 2009). Cultural eutrophication is frequently linked to declines in water quality through lower levels of dissolved oxygen, degradation in aquatic vegetation habitat, and increased frequency of harmful algal blooms (Cloern 1996, Short and Wyllie-Echeverria 1996, Rabalais et al. 2002). Reliable estimates of ecosystem metabolism are critical for measuring both background rates of production and potential impacts of human activities on ecosystem condition.

Open-water techniques have been used for decades to infer metabolic rates using *in situ* measurements from continuous monitoring data (Odum 1956). Daily integrated measurements of metabolism represent the balance between daytime production and nighttime respiration. The open-water method uses the diel fluctuation of dissolved oxygen to estimate ecosystem metabolism, after correcting for air-water gas exchange (Kemp and Testa 2012). Originally conceived for streams (Odum 1956), the open-water method has been used with varying success in lakes (Staehr et al. 2010, Coloso et al. 2011, Batt and Carpenter 2012) and estuaries (Caffrey 2004, Hopkinson and Smith 2005, Caffrey et al. 2013). As with any method, the ability to

accurately estimate whole system metabolism depends on the degree to which assumptions of the theory are met. Such assumptions are often only implicitly verified in practice, leading to potential biases. The fundamental assumption is that the time series of dissolved oxygen (DO) describes the same water mass over time (Needoba et al. 2012). Estimates of metabolism from a single location may be inaccurate if substantial variation in water column mixing occurs throughout the period of observation (Russell and Montagna 2007). Application to lakes or estuaries have often assumed that a single sampling station provides sufficient data for estimating metabolism Staehr et al. (2010). While single stations may be valid under specific conditions, numerous studies have shown that application of the open-water method to lakes or estuaries may be inappropriate given the effects of physical mixing (Ziegler and Benner 1998, Caffrey 2003, Coloso et al. 2011, Batt and Carpenter 2012, Nidzieko et al. 2014).

An extensive analysis by Caffrey (2003) applied the open-water method to estimate metabolism at 28 continuous monitoring stations at 14 US estuaries. A significant portion of the estimates were negative for production and positive for respiration, i.e., opposite in sign given the assumptions of the method. These ‘anomalous’ values were attributed to the effects of tidal advection such that water masses with different metabolic histories were sampled at multiple sites. Further, Nidzieko et al. (2014) evaluated the effects of tidal advection on metabolism estimates in a mesotidal estuary. Estimates were strongly correlated with the spring-neap cycle such that net heterotrophy was more common during spring tides and generally balanced during neap tides. These studies provide compelling examples of the importance of quantifying physical advection in metabolism estimates. The increasing availability of large, multi-annual datasets further warrants a need for quantitative methods that improve the accuracy of estimates of biological process rates. Batt and Carpenter (2012) acknowledged this need by applying a

Kalman filter approach ([Harvey 1989](#)) to remove process and observation uncertainty from DO time series in lakes. Similar approaches have not been developed for estuaries, particularly those that account for cyclicity in time series associated with tidal variation in addition to process and observation uncertainty.

This article describes the application of a method for filtering an observed DO time series for estimated tidal effects to more accurately quantify estimates of ecosystem metabolism for estuaries. Specifically, the effects of tidal advection on DO observations are removed to improve estimates of open-water metabolism with continuous water quality data. We use a weighted regression approach developed to resolve trends in pollutant concentrations in streams and rivers ([Hirsch et al. 2010](#)). The weighted regression approach creates dynamic predictions of DO as a function of time and tidal height change, which are then used to filter, or detide, the DO signal. First, we use a simulation approach to create time series of DO observations with known characteristics to evaluate ability of the weighted regression to remove the effects of tidal advection. Second, four case studies were chosen from the National Estuarine Research Reserve System (NERRS, [Wenner et al. 2004](#)) to illustrate the method for adjusting estimates of ecosystem metabolism. Overall, the analysis is meant to better characterize the relative roles of biological and physical processes in estuarine systems.

## ***Materials and Procedures***

### **Weighted regression for modelling and filtering DO time series**

The weighted regression model for filtering DO time series for tidal effects was adapted from the weighted regression on time, discharge, and season (WRTDS) method ([Hirsch et al.](#)

{acro:WRTDS}

96 2010). The functional form of the model is a simple linear regression:

$$DO_{obs} = \beta_0 + \beta_1 t + \beta_2 H \quad (1) \quad \{\text{funform}\}$$

97 where observed DO is a linear function of time  $t$  and tidal height  $H$ . Time is a continuous  
98 variable for the day and time of each observation with time as a proportion of the number of total  
99 observations added to each day. The beginning of each day was considered the nearest thirty  
100 minute observation to sunrise for the location. Our model also differed from the original WRTDS  
101 method that included parameters to estimate variation of the response variable on a sinuisoidal  
102 period. DO variation was not modeled using this approach to avoid constraining parameter  
103 estimates by periodic components.

104 Weighted regression was implemented as a moving window that allowed for estimation of  
105 DO throughout the time series by adapting to variation through time as a function of tide.  
106 Regression models were estimated sequentially for each observation in the time series using  
107 dynamic weight vectors that change with the center of the window. Weight vectors quantified the  
108 relevance of observations to the center of the window in respect to time, hour of the day, and tidal  
109 height. Specifically, weights were assigned to each variable using a tri-cube weighting function  
110 (Tukey 1977, Hirsch et al. 2010):

$$w = \begin{cases} \left(1 - (d/h)^3\right)^3 & \text{if } |d| \leq h \\ 0 & \text{if } |d| > h \end{cases} \quad (2)$$

111 where the weight  $w$  of each observation is inversely proportional to the distance  $d$  from the center  
112 of the window such that observations more similar to the point of reference are given higher

importance in the regression. Weights exceeding the maximum width of the window  $h$  are equal to zero. The tri-cube weighting function is similar to a Gaussian distribution such that weights decrease gradually from the center until the maximum window width is reached. Regressions that use simpler windows (e.g., boxcar approach) are more sensitive to influential observations as they enter or leave the window, whereas the tri-cube function minimizes their effect through gradual weighting of observations from the center ([Hirsch et al. 2010](#)). The final weight vector for each observation is the product of three separate weight vectors for decimal time (day), hour, and tidal height. Windows for time and hour weight observations based on distance (time) from the center of the window. The window for tidal height weights observations based on the difference from the center as a proportion of the total tidal height range. For example, a half-window width of 0.5 means that observations are weighted proportionately within +/- 50% the total range referenced to the tidal height in the center of the window. A low weight is given to an observation if any of the three weighting values were not similar to the center of the window since the final weight vector is the product of three weight vectors for each variable (see the link in the [multimedia](#) section for graphical display of different weights).

The choice of window widths for weight vectors strongly affects the model results. Excessively large or small window widths may respectively under- or over-fit the observed data. Accordingly, appropriate window widths depend on the objective for using the model. The weighted regression approach can be used for both predicting observed DO and filtering the observed time series to remove the variance that coincided with the tidal cycle. Window widths that minimize prediction error or fit to the observed data are typically smaller than the widths for filtering the time series. Similarly, window widths that more effectively filter the DO signal may produce imprecise predictions for the observed data. Evaluations of the weighted regression



method with simulated DO time series, described below, used multiple window widths to evaluate the ability of the model to filter the DO signal. The ability to predict observed DO was not a primary objective such that the window widths were evaluated only in the context of removing tidal variation from the DO time series.

The normalization approach to filter tidal variation from the observed DO time series differs slightly from methods in [Hirsch et al. \(2010\)](#). The previous approach used a two-dimensional grid predicted for stream pollutant concentrations across the time series and the range of discharge values observed in the study system ([Hirsch et al. 2010](#)). Normalized or discharge-independent values for pollutant concentration were obtained by averaging grid predictions across the discharge values that were likely to occur on a given day. Rather than creating a two-dimensional grid of DO related to time and tidal height change, the normalized time series herein were the model predictions conditional on time and constant tidal height set to the mean:

$$DO_{nrm} = f(DO_{obs} | \bar{H}, t) \quad (3) \quad \{do\_nrm\}$$

such that the normalized time series represents DO variation related to biological processes (Fig. 1).

## ***Assessment***

### **Simulation of DO time series**

To test the ability of the weighted regression to filter the DO signal for apparent tide effects, multiple time series with known characteristics were simulated and filtered. A simulation approach was used prior to application with real data given that the true biological signal can be

created as a known component for comparison with the filtered results from weighted regression. The following describes the theoretical basis for developing the simulated time series. Observed DO time series were simulated as the sum of variation from biological processes and physical effects related to tidal advection:

$$DO_{obs} = DO_{bio} + DO_{adv} \quad (4) \quad \{do\_obs\}$$

Biological DO signals are inherently noisy (Batt and Carpenter 2012) and variance can be further described as:

$$DO_{bio} = DO_{die} + DO_{unc} \quad (5) \quad \{do\_bio\}$$

$$DO_{unc} = \epsilon_{obs} + \epsilon_{proc} \quad (6) \quad \{do\_unc\}$$

where the biological DO signal is the sum of diel variation plus uncertainty or noise. Total uncertainty in the biological DO signal is described as variation from observation and process uncertainty (Hilborn and Mangel 1997). Multiple time series at 30 minute time steps over 30 days were created by varying the relative magnitudes of each of the components of observed DO in eqs. (4) to (6) to test the effectiveness of weighted regression under different scenarios. Accordingly, observed DO was generalized as the additive combination of four separate time series (Fig. 2):

$$DO_{obs} = DO_{adv} + DO_{die} + \epsilon_{obs} + \epsilon_{pro} \quad (7) \quad \{do\_obs\_a\}$$

Each component of the simulated time series was created as follows. First, the diel

171 component,  $DO_{die}$ , was estimated (Cryer and Chan 2008):

$$DO_{die} = \alpha + \beta \cos(2\pi ft + \Phi) \quad (8) \quad \{\text{do\_sin}\}$$

172 such that the mean DO ( $\alpha$ ) was 8, amplitude ( $\beta$ ) was 1,  $f$  was 1/48 to represent 30 minute  
173 intervals,  $t$  was the time series vector and  $\Phi$  was the x-axis origin set for an arbitrary sunrise at  
174 630. The diel signal was increasing during the day and decreasing during the night for each 24  
175 hour period and ranged from 7 to 9 mg L<sup>-1</sup>. Uncertainty was added to the diel DO signal as the  
176 sum of observation and process uncertainty:

$$DO_{unc,n} = \epsilon_{obs,n} + \int_{t=1}^n \epsilon_{pro,t} \quad (9) \quad \{\text{do\_unc\_n}\}$$

177 where observation and process uncertainty ( $\epsilon_{obs}$ ,  $\epsilon_{pro}$ ) were simulated as normally distributed  
178 random variables with mean zero and standard deviation varying from zero to an upper limit,  
179 described below. Process uncertainty was estimated as the cumulative sum of  $n$  observations  
180 where the value at time  $t + 1$  was equal to the value at time  $t$  plus random variation. The total  
181 uncertainty,  $DO_{unc}$ , was added to the diel DO time series to create the biological DO time series  
182 (eq. (5) and Fig. 2).

183 A semidiurnal tidal series was simulated with a period of 12.5 hours to represent the  
184 principal lunar component (Foreman and Henry 1989). The amplitude was set to 1 meter and  
185 centered at 4 meters. The tidal time series was added to the biological DO series to simulate DO  
186 changes with advection,  $DO_{adv}$  (eq. (7) and Fig. 2). Conceptually, this vector represents the rate

187 of change in DO as a function of horizontal water movement from tidal advection such that:

$$\frac{\delta DO_{adv}}{\delta t} = \frac{\delta DO}{\delta x} \cdot \frac{\delta x}{\delta t} \quad (10) \quad \{\delta t, \delta x, \delta DO\}$$

188

$$\frac{\delta x}{\delta t} = k \cdot \frac{\delta H}{\delta t} \quad (11) \quad \{\delta t, \delta H, k\}$$

189 where the first derivative of the tidal time series, as change in height over time  $\delta H/\delta t$ , is  
 190 multiplied by a constant  $k$ , to estimate horizontal tidal excursion over time,  $\delta x/\delta t$ . The horizontal  
 191 excursion is assumed to be associated with a horizontal DO change,  $\delta DO/\delta x$ , such that the  
 192 product of the two estimates the DO change at each time step from advection,  $DO_{adv}$ . In practice,  
 193 the simulated tidal signal was used to estimate  $DO_{adv}$ :

$$DO_{adv} \propto H \quad (12) \quad \{DO_{adv}, H\}$$

194

$$DO_{adv} = 2 \cdot a + a \cdot \frac{H - \min H}{\max H - \min H} \quad (13) \quad \{DO_{adv}, H, a\}$$

195 where  $a$  is analogous to  $k$  in eq. (11) and is chosen as the transformation parameter to standardize  
 196 change in DO from tidal height change to desired units. For example,  $a = 1$  will convert  $H$  to a  
 197 scale that simulates changes in DO from tidal advection that range from +/- 1 mg L<sup>-1</sup>. The final  
 198 time series for observed DO was the sum of biological DO and advection DO (eq. (4) and Fig. 2).

## 199 **Evaluation of weighted regression with simulated DO time series**

200 Multiple time series were simulated by varying the conditions in eqs. (4) to (13).

201 Specifically, the simulated data varied in the relative amount of noise in the measurement ( $e_{pro}$ ,  
 202  $e_{obs}$ ), relative amplitude of the diel DO component ( $DO_{die}$ ), and degree of association of the tide

with the DO signal ( $DO_{adv}$ ). Three levels were evaluated for each variable: relative noise as 0, 1, and 2 standard deviations for both process and observation uncertainty, amplitude of diel biological DO as 0, 1, and 2 mg L<sup>-1</sup>, and DO change from tidal advection as 0, 1, and 2 mg L<sup>-1</sup>. A total of 81 time series were created based on the unique combinations of parameters (Fig. 3). Half-window widths (day, hour of day, and tide height) were evaluated for each simulation: decimal time as 1, 3, and 6 days, time of day as 1, 3, and 6 hours, and tidal height as 0.25, 0.5, and 1 as a proportion of the total range given the height at the center of the window. The window widths were chosen based on preliminary assessments that suggested a large range in model performance was described by these values. In total, 27 window width combinations were evaluated for each of 81 simulated time series, producing results for 2187 weighted regressions.

The filtered DO time series were compared to the simulated data to evaluate the ability of weighted regression to characterize the biological DO time series in eq. (4). Results were summarized using Pearson correlation coefficients and the root mean square error (RMSE) between the filtered time series and the biological DO time series as a known component of the observed. Overall, the weighted regressions produced filtered time series that were similar to the ‘true’ biological time series regardless of the simulation parameters (Table 1) or window widths (Table 2, results for each simulation can be viewed using the link in the [multimedia](#) section). The median correlation for all time series and window widths between the filtered and biological values was 0.59, with values ranging from -0.78 to 1.00. Mean error was 1.10, with values ranging from 0 to 2.40. Simulations with very poor performance (e.g., negative correlations) were those that had minimum widths for day windows and maximum widths for hour windows, or were those with the DO signal composed entirely of noise from observation uncertainty. As expected, simulations with no biological or tidal influence had filtered time series that were

{acro:RMSE}

identical to the true time series (e.g., correlation of one, RMSE of zero).

Characteristics of DO time series that contributed to improved model performance were increasing amplitude of the diel DO component ( $DO_{die}$ ) and increasing process error ( $e_{pro}$ ), whereas increasing observation error contributed to decreased performance (Table 1 and Fig. 4). Model performance decreased slightly with increasing tidal effects (i.e., increasing magnitude of  $DO_{adv}$ ). Increasing widths for day and tidal height windows contributed to improved model performance, whereas reduced performance was observed with increasing hour windows (Table 2 and Fig. 5). Graphical summaries of model performance by simulation parameters (Fig. 4) and half window widths (Fig. 5) support the general trends described by Tables 1 and 2.

## Validation of weighted regression with case studies

Continuous monitoring data from the National Estuarine Research Reserve System was used to validate the weighted regression model by evaluating estimates of ecosystem metabolism obtained from observed and filtered DO time series. NERRS is a federally-funded network of 28 protected estuaries established for long-term research, water-quality monitoring, education, and coastal stewardship (Wenner et al. 2004). Continuous water quality data have been collected at NERRS sites since 1994 through the System Wide Monitoring Program (SWMP, CDMO 2014). In addition to providing a basis for trend evaluation, data from SWMP provides an ideal opportunity to evaluate long-term variation in water quality parameters from biological and physical processes. Continuous SWMP data can be used to describe DO variation at sites with different characteristics, including variation from ranges in tidal regime (Sanger et al. 2002) and rates of ecosystem production (Caffrey 2003, 2004). For the purpose of this analysis, we selected sites from the SWMP database that had desirable characteristics for validating weighted

regression. Specifically, four macrotidal sites were chosen based on apparent relationships between DO and tidal changes (Fig. 6 and Table 3): Vierra Mouth station at Elkhorn Slough (California, 36.81°N, 121.78°W), Bayview Channel at Padilla Bay (Washington, 48.50°N 122.50°W), Middle Blackwater River station at Rookery Bay (Florida, 25.93°N 81.60°W), and Dean Creek station at Sapelo Island (Georgia, 31.39°N 81.28°W).

We analyzed continuous DO time series and water level measurements from January 1<sup>st</sup> to December 31<sup>st</sup> 2012 at the four sites to evaluate the regression model. Tide predictions were obtained for each site using harmonic regression applied to the sonde depth data (`oce` package in R, Foreman and Henry 1989, RDCT 2014). The stations were generally semidiurnal or mixed semidiurnal and net heterotrophic on an annual basis (Table 3). Net heterotrophy (i.e., respiration exceeding production) is typical for shallow water systems at temperate latitudes (Caffrey 2003), although values in Table 3 were from observed DO time series that were strongly correlated with water level height.

## Estimates of ecosystem metabolism before and after filtering

{met\_sec}

The weighted regression method was applied to the time series for each station to obtain a filtered DO time series for estimating metabolism. Ecosystem metabolism was estimated from the DO time series using the open-water technique (Odum 1956) as described in Caffrey et al. (2013). The method is used to infer net ecosystem metabolism using the mass balance equation:

$$\frac{\delta DO}{\delta t} = P - R + D \quad (14) \quad \{\text{metrate}\}$$

where the change in DO concentration ( $\delta DO$ , g O<sub>2</sub> m<sup>-3</sup>) over time ( $\delta t$ , hours) is equal to photosynthetic rate ( $P$ , g O<sub>2</sub> m<sup>-3</sup> hr<sup>-1</sup>) minus respiration rate ( $R$ , g O<sub>2</sub> m<sup>-3</sup> hr<sup>-1</sup>), corrected for

air-sea gas exchange ( $D$ , g O<sub>2</sub> m<sup>-3</sup> hr<sup>-1</sup>) (Caffrey et al. 2013).  $D$  is estimated as the difference between the DO saturation concentration and observed DO concentration, multiplied by a volumetric reaeration coefficient,  $k_a$  (Thébault et al. 2008). The diffusion-corrected DO flux estimates were averaged during day and night for each 24 hour period in the time series, where flux is an hourly rate of DO change. Respiration rates were assumed constant during the night and subtracted from daily net production estimates to yield gross production (Table 3).

Half window widths of six days, one hour, and a tidal proportion of one half were used to filter the observed DO time series. Unlike the simulated data, the true biological DO signal was unknown for the case studies. Accordingly, the regression results were evaluated using correlations of DO and metabolism estimates with tidal height before and after application of the model. Daily metabolism estimates before and after filtering were compared to the mean rate of tidal height change (i.e., first derivative of the predicted tidal height) for each day during separate solar periods. Production rates were compared to mean rates of tidal height change during the day, respiration rates were compared to mean rates of change during the night, and net metabolism rates were compared to mean rates of change for the total 24 hour period each day. Results were also evaluated based on the occurrence of ‘anomalous’ daily production or respiration estimates, where anomalous was defined as negative production during the day and positive respiration estimates during the night. Anomalous values have been previously attributed to the effects of physical processes on DO time series (Caffrey 2003). We hypothesized that metabolism estimates using the filtered signal would contain less ‘anomalous’ values than those from the observed DO time series. Although anomalies could be caused by processes other than tidal advection, e.g., abiotic dark oxygen production (Pamatmat 1997), we assume that physical processes are the dominant sources of these values given the tidal characteristics at each site.



Finally, means and standard errors of metabolism estimates were evaluated before and after filtering to determine if annual aggregations were significantly different.

Filtering had significant effects on the correlations between water level changes, DO time series, and daily integrated metabolism estimates (Table 4, see the link in the [multimedia](#) section for graphical results of each case study). Correlations of observed DO time series with predicted tidal height were highly significant and positive at all sites, except Padilla Bay where increases in water level were associated with decreases in DO concentration. The filtered DO time series had greatly reduced correlations with tidal height, although relationships were still significant after filtering likely because of the large sample size for each site ( $n \approx 17,500$ ). Comparison of metabolic rates to tidal changes before and after filtering produced inconsistent results (Table 4). Correlations for Elkhorn Slough and Sapelo Island showed consistent reductions in all three metabolims estimates after filtering. Correlations for Padilla Bay and Rookery Bay were of opposite sign and greater magnitude after filtering for production and respiration, although net metabolism estimates had reduced correlations.

The proportion of daily integrated metabolism estimates that were anomalous (negative production, positive respiration) were significantly reduced for most sites after filtering (Table 5), perhaps indicating the relative effects of water movement. Before filtering, anomalous values ranged from 0.09 (Rookery Bay) to 0.22 (Padilla Bay) for production and 0.08 (Rookery Bay) to 0.21 (Elkhorn Slough) for respiration. Anomalous values were reduced to near zero for Rookery Bay and Sapelo Island, by approximately half for Padilla Bay (0.13 for production, 0.13 for respiration), and only slightly reduced for Elkhorn Slough (0.17 for production, 0.17 for respiration). Metabolism estimates using filtered DO time series had decreased mean production (-55.5 %) and respiration (-55.2 %) for Elkhorn Slough, increased mean production (74.0 %) and

respiration (74.8 %) for Padilla Bay, and generally unchanged mean production and respiration for Rookery Bay and Sapelo Island (Table 5). Mean net ecosystem metabolism was unchanged for all sites. Decreases in the standard error for all metabolism estimates (production, respiration, and net) were observed for all cases after filtering.

An example from Sapelo Island illustrates the effects of weighted regression on DO and metabolism estimates (Figs. 7 to 9). A two-week period in February showed when the tidal cycles were both in and out of phase with the diel cycling, where phasing describes synchronicity between maximum tide heights and day/night periods. That is, maximum tide heights were generally out of phase with the diel cycle during the first week when low tides were observed during the middle of the night and the middle of the day (Fig. 8), whereas tide heights were in phase during the second week when the maximum tide height occurred during the day and night (Fig. 8). The effects of tidal height change on the observed DO time series are visually apparent in the plots. The first week illustrates a strong negative bias (less respiration, less production) in the observed DO signal from low tides at mid-day and mid-night, whereas the second example illustrates a strong positive bias (more respiration, more production) in the observed DO from high tides. These biases are apparent in the metabolism estimates using the observed data (Fig. 9). Anomalous estimates occur when low tides are in phase with the solar cycle, whereas metabolism estimates are likely over-estimated when high tides are in phase with the solar cycle. The filtered time series shows noticeable changes given the direction of bias from the phasing between tidal height and diel period. DO values were higher after filtering when low tides occurred during night and day periods, whereas DO values were lower after filtering when high tides occurred during day and night periods (Figs. 7 and 8). Changes in metabolism estimates after filtering were also apparent, such that the anomalous values were removed during the first week and the positive bias

in the second week is decreased. filtering had similar effects for the remaining sites, particularly when tidal changes were strongly in or out of phase with diel periods.

### **Effects of aggregation and importance of filtering**

A point of concern is the period of observation within which observed DO is affected by tidal height changes and the extent to which this affects the interpretation of ecosystem metabolism. The effects of tidal variation on daily estimates may not be relevant if seasonal or annual aggregations remove this potential bias. The example from Sapelo Island in the previous section highlights this point given that mean production and respiration estimates before and after filtering were generally unchanged for the two-week period. Table 5 also indicated that mean annual estimates of production and respiration were unchanged for Rookery Bay and Sapelo Island. However, annual averages of production and respiration estimates were significantly different for Elkhorn Slough and Padilla Bay. Given these results, tidal variation may have effects on metabolism estimates on time scales much longer than 24 hours depending on the location. Therefore, an evaluation of the weighted regression analysis to filter the effects of tidal variation on ecosystem metabolism for different periods of observation is critical for its application. Specifically, when should filtering be applied if aggregation of observed data on longer time periods removes potential bias? A comparison of observed and filtered estimates that are aggregated over different periods of observation (e.g., annual, seasonal, monthly) could help address this question.

The observed and filtered daily estimates were averaged by month and season (Fall, Spring, Summer, and Winter) for each case study to evaluate effects of aggregation on mean production and respiration estimates. Mean annual estimates in Table 5 also provided a basis of

comparison with monthly and seasonal aggregation. Significant variation in aggregated production and respiration estimates for month and season was observed for each case study (Figs. 10 and 11). filtered production and respiration estimates for Padilla Bay and Rookery Bay exhibited seasonal and monthly variation that was more characteristic of expected trends with increases in metabolism during warmer months. Specifically, production estimates based on observed DO were substantially muted for both Padilla Bay (Fig. 10) and Rookery Bay (Fig. 11) during summer months, whereas values were significantly higher based on the filtered data. Results for Sapelo Island suggested that winter and summer months were under- and over-estimated, respectively, based on the observed data. Results for Elkhorn Slough varied significantly such that production and respiration were significantly reduced after filtering regardless of the aggregation period. Overall, these trends emphasize the importance of considering different aggregation periods for interpreting metabolism estimates. Each case study showed differences in observed and filtered values at monthly and seasonal aggregations, whereas only two of the four case studies had mean aggregated estimates that were substantially different (Elkhorn Slough and Padilla Bay, Table 5). Periods of observation as long as one year may include significant sources of bias from tidal advection, suggesting the need for applying weighted regression given careful consideration of appropriate window widths.

## ***Discussion***

The weighted regression approach was developed to improve estimates of ecosystem metabolism by removing variation associated with tidal change in observed DO time series. The application to simulated DO time series with known characteristics and extension to continuous monitoring data from selected NERRS sites suggested the approach can isolate and remove

variation in observed DO from tidal change. Further, aggregation of metabolism estimates using the filtered DO time series were significantly different than those using the observed data, particularly for relatively long periods of observation. These results suggest that previous estimates of annual means may not accurately reflect true metabolic signals if the effects of tidal variation confound biological signals in observed DO time series. Additionally, variation of aggregated metabolism estimates were substantially reduced after filtering, suggesting greater confidence in interpreting estimates even if the mean values are similar. Monitoring data for periods of observation up to one year may also produce significantly different metabolism estimates if observed data are not filtered.

Comparisons between filtered and biological DO time series from the simulations indicated that weighted regression can reduce the effects of tidal variation for a range of characteristics of DO time series. An examination of scenarios that produced abnormal results can provide additional insight into factors that affect the performance of weighted regression. For example, poor performance was observed when the observation uncertainty ( $\epsilon_{obs}$ ) was high and both process uncertainty ( $\epsilon_{pro}$ ) and tidal advection ( $DO_{adv}$ ) were low. These examples represent time series with excessive random variation, no auto-correlation, and no tidal influence. Poor performance is expected because the weighted regression models a non-existent tidal signal in a very noisy DO time series. These results were observed even for time series with a large diel component of the biological DO signal, suggesting that the model will produce random results in microtidal systems with high noise and no serial correlation. From a practical perspective, weighted regression should not be applied to noisy time series if there is not sufficient evidence to suggest the variation is related to tidal changes. Similarly, results with perfect or near-perfect correlations between filtered and biological DO time series were observed when observation

uncertainty and tidal effects were not components of the simulated time series. Although there is no logical basis for applying weighted regression to time series with no apparent tidal influences, the results will be as expected, as was true for cases with low tidal advection, high observation uncertainty, and low process uncertainty. We emphasize that the weighted regression should only be applied to time series for which specific conditions apply, as described below.

Correlations of metabolism estimates with tidal height changes after filtering were generally reduced, although trends were not always consistent as correlations were reduced in some cases (Sapelo Island) or reversed in others (Padilla Bay). However, correlations of net metabolism estimates were reduced in all cases. An additional indication of the effectiveness of weighted regression was the reduction in proportion of anomalous metabolism estimates after filtering for all case studies. Negative production and positive respiration estimates suggest assumptions of the open-water method are violated (Needoba et al. 2012), although ‘normal’ estimates (positive production and negative respiration) may still include a significant source of bias from physical advection by providing over-estimates of true values. For example, Nidzieko et al. (2014) observed that net metabolism at Elkhorn Slough was strongly heterotrophic during spring tides that occurred at nighttime such that inundation of salt marshes during the night following by draining with low tide during the day lead to inflated respiration values. Synchrony between solar and tidal cycles is a critical concern for interpreting metabolism estimates, although a broader discussion regarding whether or not this represents an actual bias in metabolism from physical advection may be needed.

The weighted regression approach makes no assumptions as to the relationships between DO and tidal variation over time. Although the functional form of the model is a simple linear regression with only two explanatory variables (eq. (1)), the moving window approach combined

with the adaptive weighting scheme allows for quantification of complex tidal effects that may not be possible using alternative approaches. For example, [Batt and Carpenter \(2012\)](#) described the use of a moving window or Kalman filter to improve estimates of ecosystem metabolism in lakes. The approach minimizes uncertainty in observed DO using a filter that combines information about the data generation process and the manner in which the data are observed ([Harvey 1989](#)). Although a similar approach could be used for estuaries, it may not be effective given that the effects of tidal advection are not related to process or observation uncertainty. Additionally, results from the case studies illustrated the ability of the weighted regression approach to model changes over time in the relationships between tidal change and DO. Results for Padilla Bay and Rookery Bay suggested that filtering had the largest effect during the summer, whereas the results for cooler months were not significantly different from the observed. The weighted regression method produced filtered time series that accommodated seasonal variation in DO conditional on tidal height change, whereas moving window filters or standard regression techniques would likely not have characterized these dynamic relationships.

## ***Comments and recommendations***

Results from the simulations and case studies suggested that weighted regression can be a practical approach for filtering DO time series to remove the effects of physical advection on estimates of ecosystem metabolism. However, application of the method may only be appropriate under specific situations. The case studies were chosen based on the relatively high proportion of metabolism estimates that were anomalous and the strength of correlation between the observed DO time series and tidal height. Despite these similarities among the case studies, filtering had variable effects on metabolism estimates. The results for Elkhorn Slough and Padilla Bay are of

particular concern given that mean annual estimates were substantially different compared to those from the observed DO time series. Although the correlation of DO and tidal height was reduced for both cases, in addition to a reduction of anomalous estimates, the relative change in mean metabolism before and after filtering suggests a more careful evaluation of the method is needed. In particular, alternative window widths should be evaluated for the ability to remove tidal effects while preserving the biological signal. The window widths in the above analysis may have removed variation in the DO signal from both of these sources.

Although the above analyses suggest the approach has merit, the case studies emphasize a critical challenge in applying weighted regression to monitoring data. Specifically, the true biological signal is not known and the relative contribution of horizontal advection to bias is not accurately quantified with the available data. Comparative analyses between systems with varying tidal influence or within-system evaluations of multiple sites at fixed distances are necessary to further validate the performance of weighted regression. In the absence of additional validation, we propose a precautionary approach for application of the weighted regression to monitoring data. Weighted regression may be most effective at macrotidal sites with strong evidence of the effects of tidal advection on biological signals. A weight-of-evidence approach should be used such that the occurrence of anomalous metabolism estimates, strong correlations between observed DO and tide height, and clear visual patterns of tide change on DO would suggest filtering is appropriate. The choice of window widths may also produce varying results. Window widths that produce large changes in mean annual estimates should be interpreted with caution. In general, a pragmatic approach is emphasized such that results should be evaluated based on the preservation of diel variation from production while exhibiting minimal changes with the tide. Such an approach, combined with further validation, will support informed management



decisions through more accurate estimates of ecosystem metabolism.

## References

- Batt RD, Carpenter SR. 2012. Free-water lake metabolism: Addressing noisy time series with a Kalman filter. *Limnology and Oceanography: Methods*, 10:20–30.
- Caffrey JM. 2003. Production, respiration and net ecosystem metabolism in U.S. estuaries. *Environmental Monitoring and Assessment*, 81(1-3):207–219.
- Caffrey JM. 2004. Factors controlling net ecosystem metabolism in U.S. estuaries. *Estuaries*, 27(1):90–101.
- Caffrey JM, Murrell MC, Amacker KS, Harper J, Phipps S, Woodrey M. 2013. Seasonal and inter-annual patterns in primary production, respiration and net ecosystem metabolism in 3 estuaries in the northeast Gulf of Mexico. *Estuaries and Coasts*.
- CDMO (Centralized Data Management Office). 2014. National Estuarine Research Reserve System. <http://cdmo.baruch.sc.edu/>. (Accessed January, 2014).
- Cloern JE. 1996. Phytoplankton bloom dynamics in coastal ecosystems: A review with some general lessons from sustained investigation of San Francisco Bay, California. *Review of Geophysics*, 34(2):127–168.
- Coloso JJ, Cole JJ, Pace ML. 2011. Difficulty in discerning drivers of lake ecosystem metabolism with high-frequency data. *Ecosystems*, 14(6):935–948.
- Cryer JD, Chan KS. 2008. *Time Series Analysis with Applications in R*. Springer, New York, New York, second edition.
- Diaz RJ, Rosenberg R. 2008. Spreading dead zones and consequences for marine ecosystems. *Science*, 321:926–929.
- Foreman MGG, Henry RF. 1989. The harmonic analysis of tidal model time series. *Advances in Water Resources*, 12(3):109–120.
- Harvey AC. 1989. *Forecasting, Structural Time Series Models and the Kalman Filter*. Cambridge University Press, Cambridge, United Kingdom.
- Hilborn R, Mangel M. 1997. *The Ecological Detective: Confronting Models with Data*. Princeton University Press, Princeton, New Jersey.
- Hirsch RM, Moyer DL, Archfield SA. 2010. Weighted regressions on time, discharge, and season (WRTDS), with an application to Chesapeake Bay river inputs. *Journal of the American Water Resources Association*, 46(5):857–880.

- Hopkinson CS, Smith EM. 2005. Estuarine respiration: an overview of benthic, pelagic, and whole system respiration. In: Giorgio PAD, Williams P, editors, *Respiration in Aquatic Ecosystems*, pages 122–146. Oxford Press, Oxford, United Kingdom.
- Kemp WM, Testa JM. 2012. Metabolic balance between ecosystem production and consumption. In: Wolanski E, McLusky DS, editors, *Treatise on Estuarine and Coastal Science*, pages 83–118. Academic Press, New York.
- Kemp WM, Testa JM, Conley DJ, Gilbert D, Hagy JD. 2009. Temporal responses of coastal hypoxia to nutrient loading and physical controls. *Biogeosciences*, 6(12):2985–3008.
- Needoba JA, Peterson TD, Johnson KS. 2012. Method for the quantification of aquatic primary production and net ecosystem metabolism using in situ dissolved oxygen sensors. In: Tiquia-Arashiro SM, editor, *Molecular Biological Technologies for Ocean Sensing*, pages 73–101. Springer, New York.
- Nidzieko NJ, Needoba JA, Monismith SG, Johnson KS. 2014. Fortnightly tidal modulations affect net community production in a mesotidal estuary. *Estuaries and Coasts*.
- Odum HT. 1956. Primary production in flowing waters. *Limnology and Oceanography*, 1(2):102–117.
- Pamatmat MM. 1997. Non-photosynthetic oxygen production and non-respiratory oxygen uptake in the dark: A theory of oxygen dynamics in plankton communities. *Marine Biology*, 129(4):735–746.
- Rabalais NN, Turner RE, Scavia D. 2002. Beyond science into policy: Gulf of Mexico hypoxia and the Mississippi river. *BioScience*, 52(2):129–142.
- RDCT (R Development Core Team). 2014. R: A language and environment for statistical computing, v3.1.0. R Foundation for Statistical Computing, Vienna, Austria.  
<http://www.R-project.org>.
- Russell MJ, Montagna PA. 2007. Spatial and tepmoral variability and drivers of net ecosystem metabolism in western Gulf of Mexico estuaries. *Estuaries and Coasts*, 30(1):137–153.
- Sanger DM, Arendt MD, Chen Y, Wenner EL, Holland AF, Edwards D, Caffrey J. 2002. A synthesis of water quality data: National estuarine research reserve system-wide monitoring program (1995-2000). Technical report, National Estuarine Research Reserve Technical Report Series 2002:3. South Carolina Department of Natural Resources, Marine Resources Division Contribution No. 500, Charleston, South Carolina.
- Short FT, Wyllie-Echeverria S. 1996. Natural and human-induced disturbance of seagrasses. *Environmental Conservation*, 23(1):17–27.
- Staehr PA, Bade D, de Bogert MCV, Koch GR, Williamson C, Hanson P, Cole JJ, Kratz T. 2010. Lake metabolism and the diel oxygen technique: State of the science. *Limnology and Oceanography: Methods*, 8:628–644.

- 539 Thébault J, Schraga TS, Cloern JE, Dunlavy EG. 2008. Primary production and carrying  
540 capacity of former salt ponds after reconnection to San Francisco Bay. *Wetlands*,  
541 28(3):841–851.
- 542 Tukey JW. 1977. *Exploratory Data Analysis*. Addison-Wesley, Reading, Massachusetts.
- 543 Wenner E, Sanger D, Arendt M, Holland AF, Chen Y. 2004. Variability in dissolved oxygen and  
544 other water-quality variables within the National Estuarine Research Reserve System. *Journal*  
545 *of Coastal Research*, 45(SI):17–38.
- 546 Yin KD, Lin ZF, Ke ZY. 2004. Temporal and spatial distribution of dissolved oxygen in the Pearl  
547 River Estuary and adjacent coastal waters. *Continental Shelf Research*, 24(16):1935–1948.
- 548 Ziegler S, Benner R. 1998. Ecosystem metabolism in a subtropical, seagrass-dominated lagoon.  
549 *Marine Ecology Progress Series*, 173:1–12.

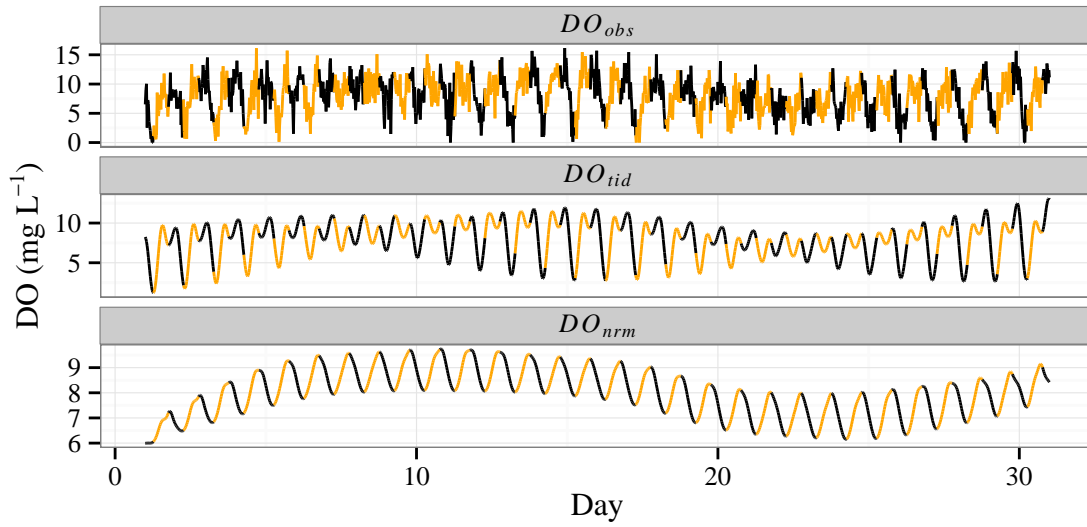


Fig. 1: Example of detiding a simulated DO time series.  $DO_{obs}$  represents an additive time series as in eq. (7),  $DO_{tid}$  represents the predicted values of DO conditional on tidal height and time (??), and  $DO_{nrm}$  represents the detided values of DO conditional on constant tidal height and time (eq. (3)). Yellow indicates daylight periods. fig:do\_dtd

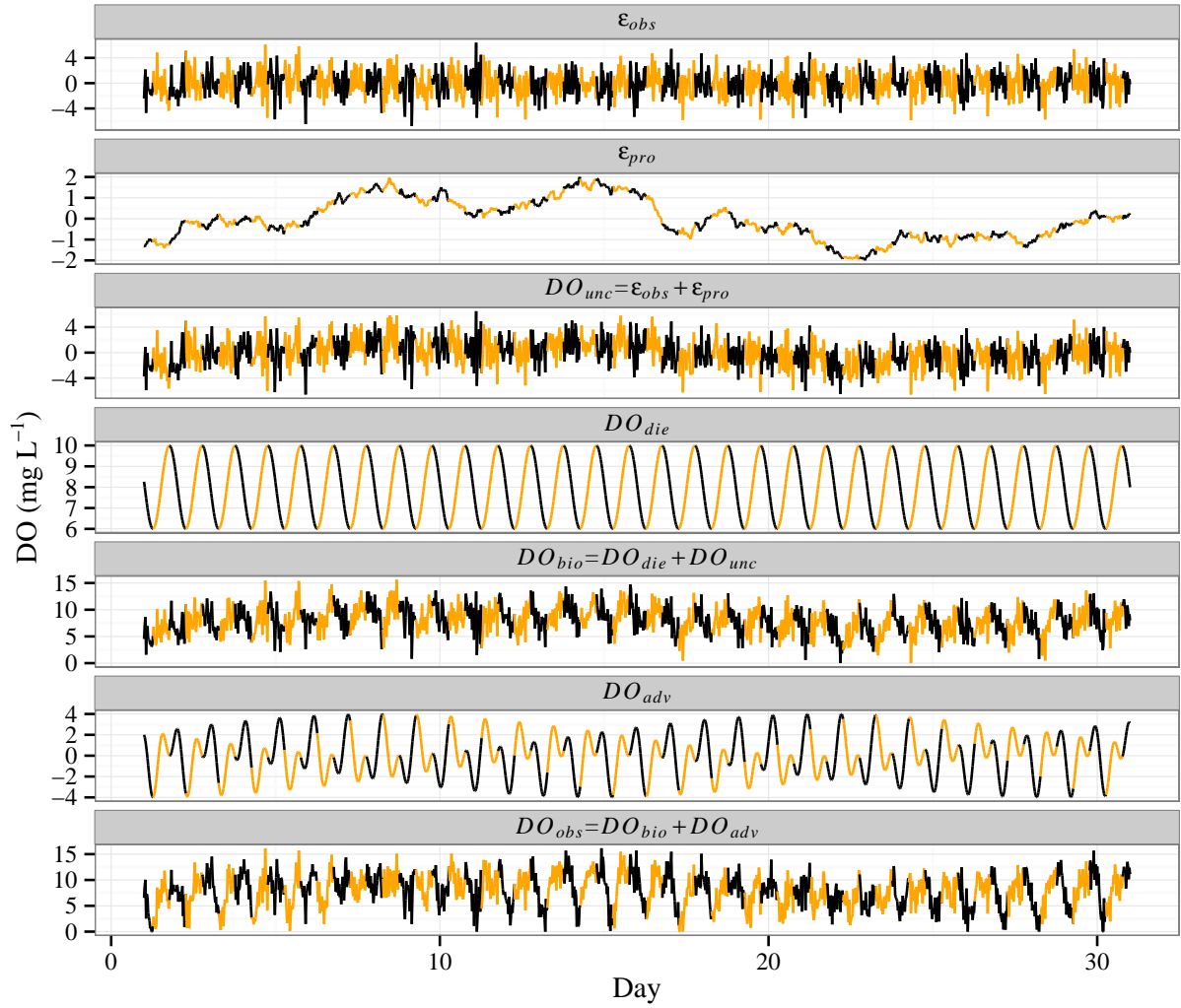


Fig. 2: Example of each component of a simulated DO time series for testing weighted regression. The time series were created using eqs. (4) to (13). Yellow indicates daylight periods. fig:do\_sim

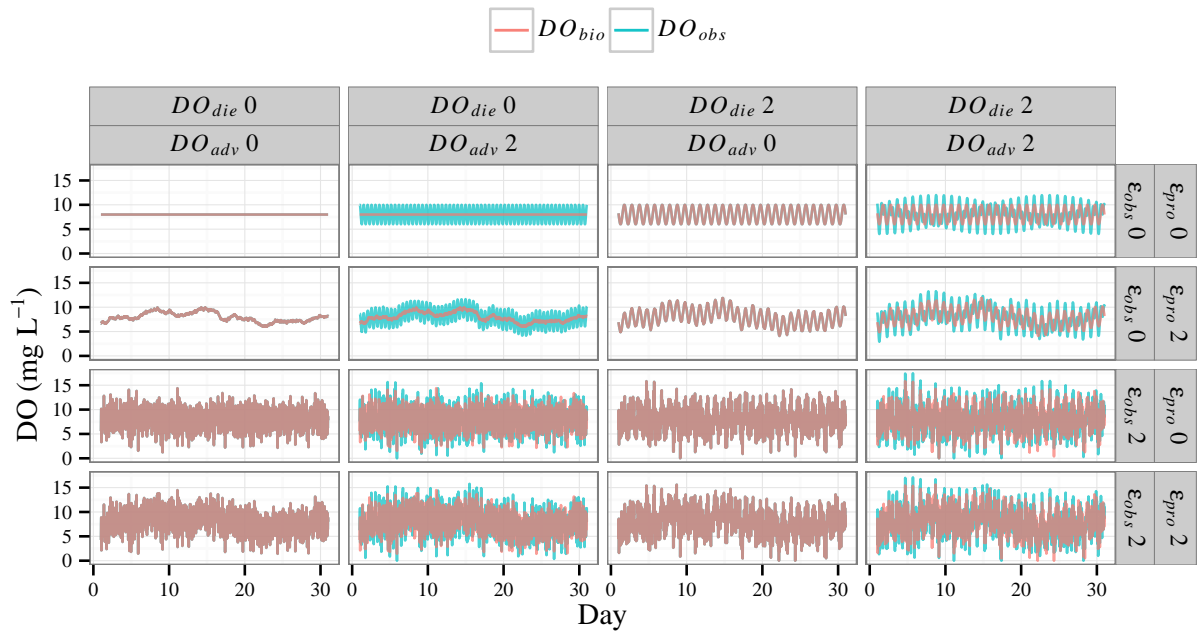


Fig. 3: Representative examples of simulated time series of observed DO ( $DO_{obs}$ ) and biological DO ( $DO_{bio}$ , as a component of observed) created by varying each of four parameters: strength of tidal association with DO signal ( $DO_{adv}$ ), amount of process uncertainty ( $\epsilon_{pro}$ ), amount of observation observation uncertainty ( $\epsilon_{obs}$ ), and strength of diel DO component ( $DO_{die}$ ). Parameter values represent the minimum and maximum used in the simulations as mg L<sup>-1</sup> of DO. fig:sim\_ex

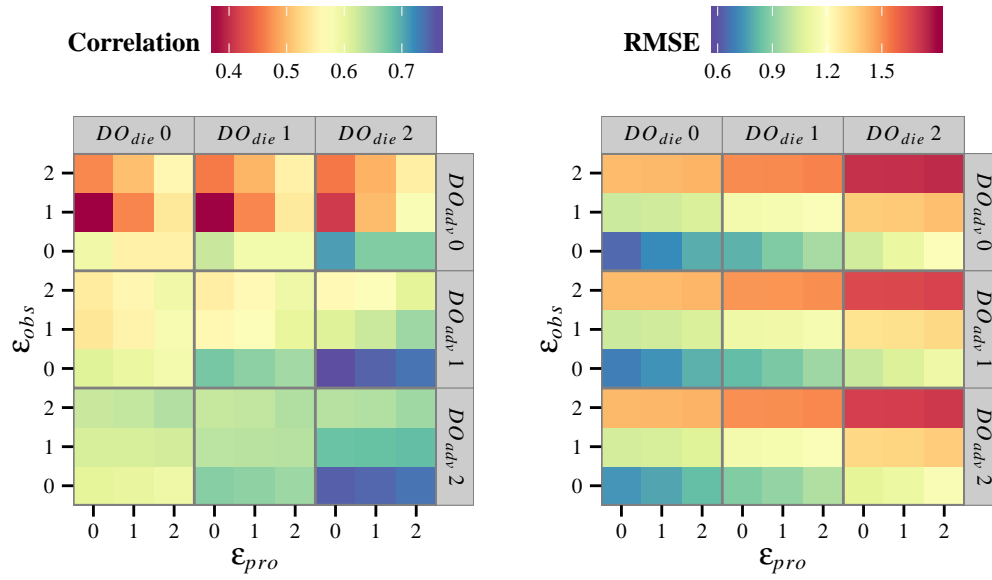


Fig. 4: Correlations and errors (RMSE) for deduced DO time series ( $DO_{dtd}$ ) from weighted regression with ‘true’ biological DO ( $DO_{bio}$ ) for varying simulation parameters: strength of tidal association with DO signal ( $DO_{adv}$ ), amount of process uncertainty ( $\epsilon_{pro}$ ), amount of observation uncertainty ( $\epsilon_{obs}$ ), and strength of diel DO component ( $DO_{die}$ ). Each tile represents the correlation or error from results for a given combination of simulation parameters averaged for all window widths (Fig. 5).<sup>fig:err\_surfl</sup>

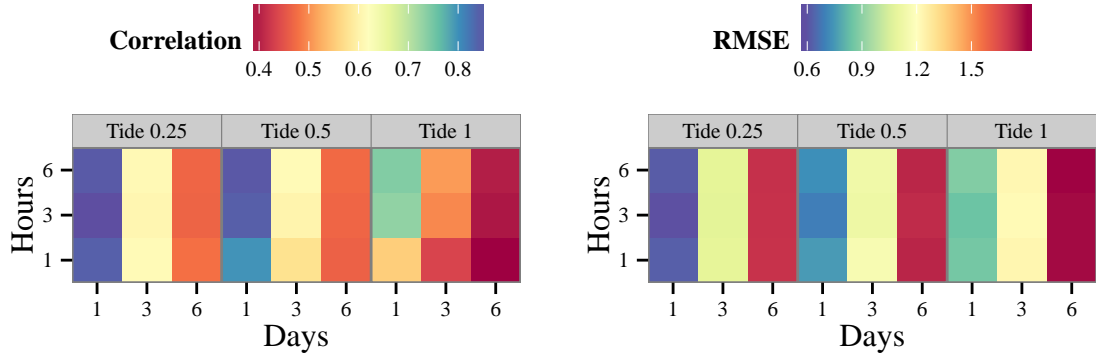


Fig. 5: Correlations and errors (RMSE) for detided DO time series ( $DO_{dtd}$ ) from weighted regression with ‘true’ biological DO ( $DO_{bio}$ ) for varying half window widths: days, hour of day, and proportion of tidal range. Each tile represents the correlation or error from results for a given combination of window widths averaged for all simulation parameters (Fig. 5).  
fig:err\_surf2



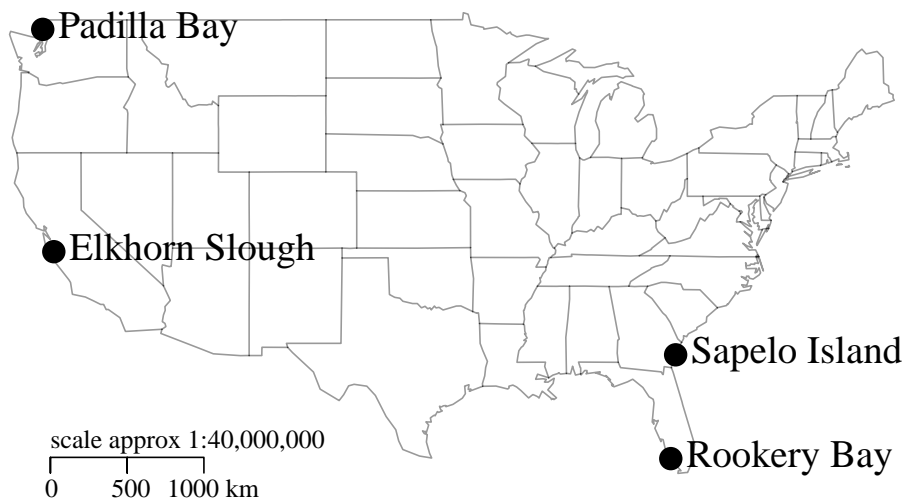


Fig. 6: Locations of NERRS sites used as case studies to validate weighted regression. Stations at each reserve are ELKVM (Vierra Mouth at Elkhorn Slough), PDBBY (Bayview Channel at Padilla Bay), RKBMB (Middle Blackwater River at Rookery Bay), and SAPDC (Dean Creek at Sapelo Island).

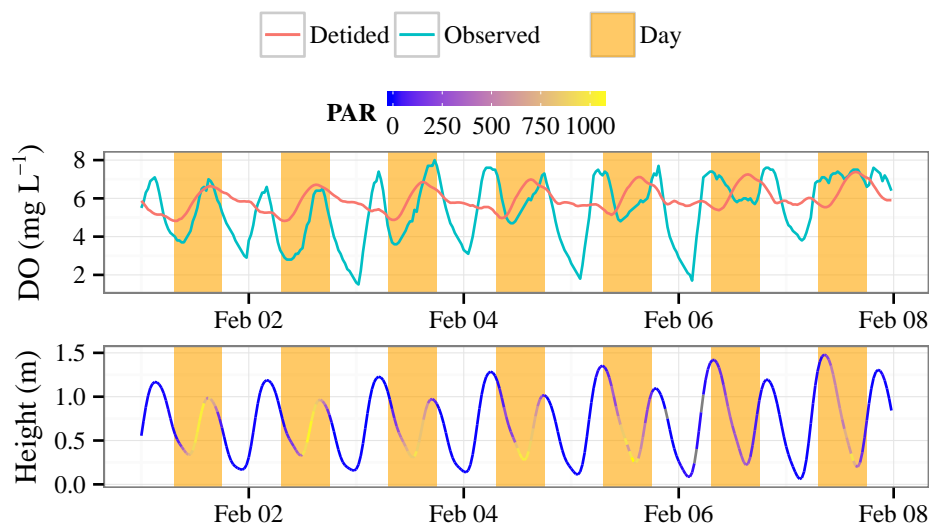


Fig. 7: Continuous DO time series before (observed) and after (detided) detiding with weighted regression (top) and tidal height colored by total photosynthetically active radiation (bottom,  $\text{mmol m}^{-2}$ ). Results are for the Sapelo Island station for a seven day period when high tide events were out of phase with diel periods, creating lower than expected observed DO during night and day periods. Detided values are based on a weighted regression with half window widths of six days, one hour within each day, and tidal height proportion of one half.  
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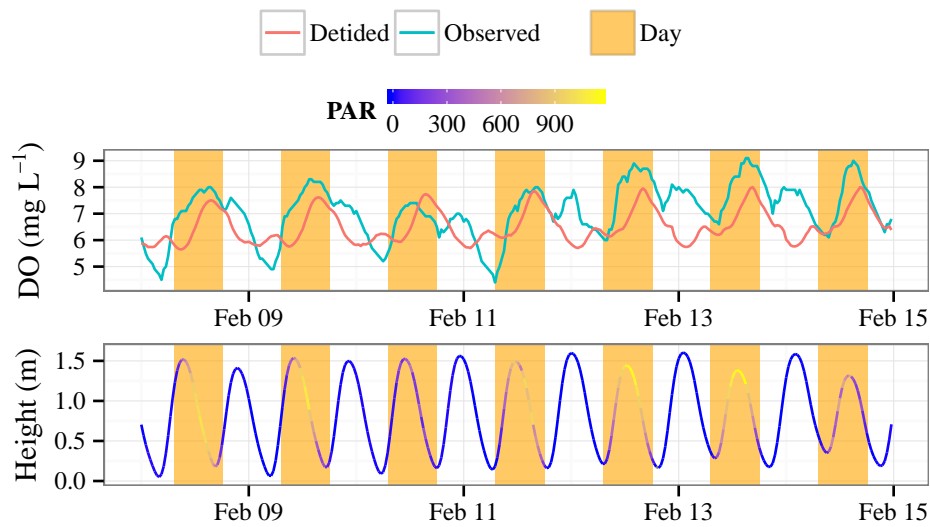


Fig. 8: Continuous DO time series before (observed) and after (detided) detiding with weighted regression (top) and tidal height colored by total photosynthetically active radiation (bottom,  $\text{mmol m}^{-2}$ ). Results are for the Sapelo Island station for a seven day period when high tide events were in phase with diel periods, creating higher than expected observed DO during night and day periods. Detided values are based on a weighted regression with half window widths of six days, one hour within each day, and tidal height proportion of one half. <sup>fig:phase\_in</sup>

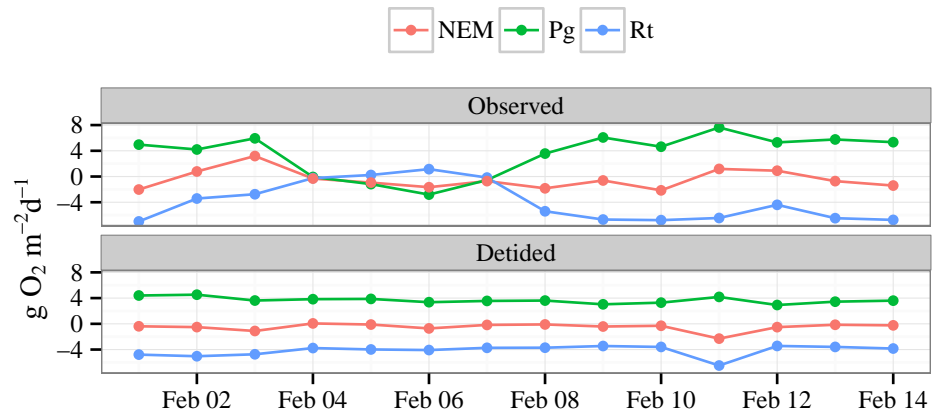


Fig. 9: Example of daily mean metabolism (net ecosystem metabolism, gross production, and total respiration) before (observed) and after (detided) detiding with weighted regression. Results are for the Sapelo Island station for a two week period in February, 2012 when high tide was out of phase with the diel cycle during the first week (Fig. 7) and in phase during the second week (Fig. 8).<sup>fig:case\_ex</sup>

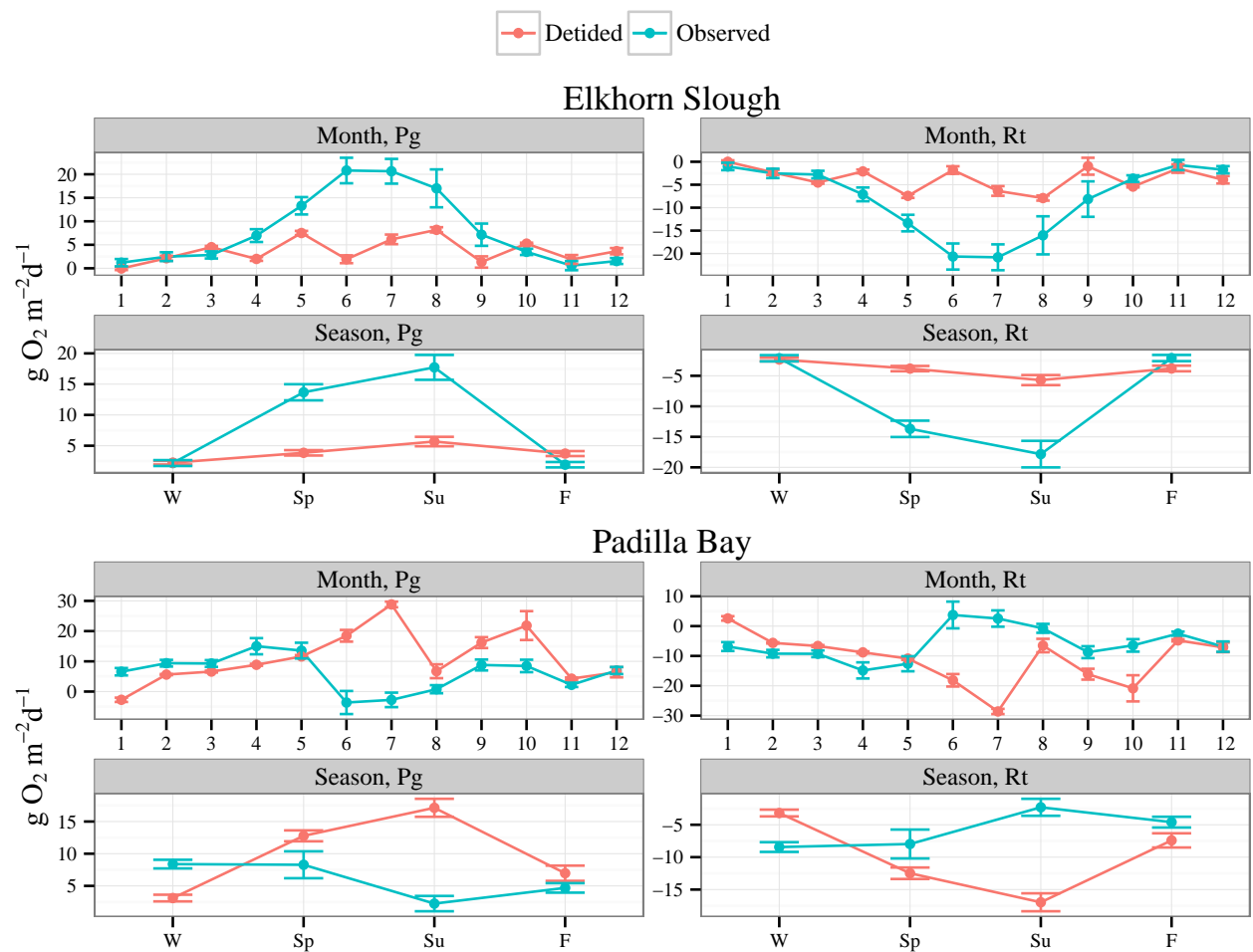


Fig. 10: Means and standard errors of daily metabolism estimates (gross production, total respiration) aggregated by month and season. Aggregated estimates are for Elkhorn Slough and Padilla Bay from observed and detided DO time series. fig:metab\_sum1

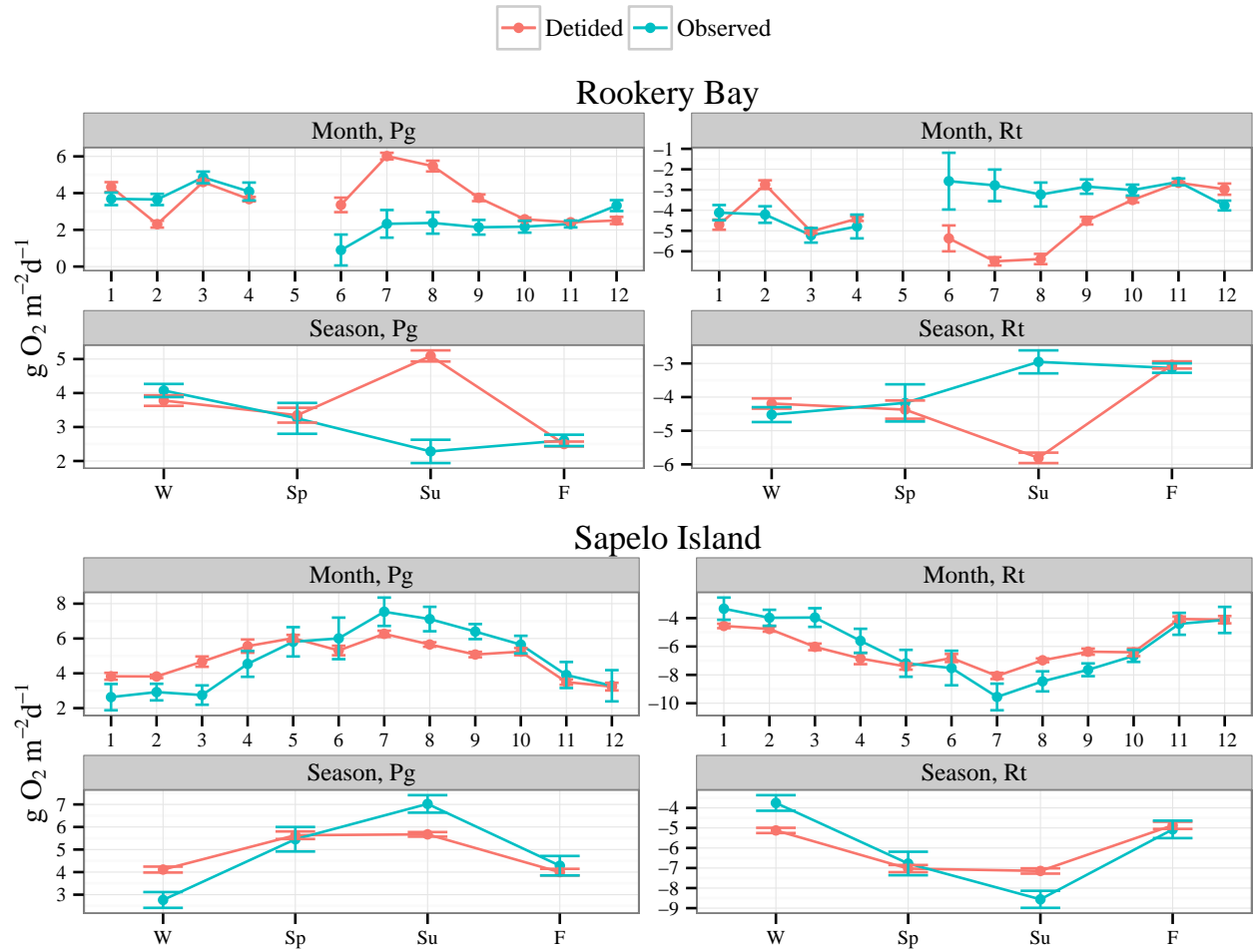


Fig. 11: Means and standard errors of daily metabolism estimates (gross production, total respiration) aggregated by month and season. Aggregated estimates are for Rookery Bay and Sapelo Island from observed and detided DQ time series. May was removed from Rookery Bay because of incomplete data. fig:metab\_sum2

Table 1: Summary (range, median, quartiles) of correlations and error estimates comparing detided and biological DO time series for different simulation parameters ( $DO_{die}$ ,  $DO_{adv}$ ,  $\epsilon_{pro}$ ,  $\epsilon_{obs}$ ). Values represent averages from multiple simulations with common parameters (e.g., row one is a summary of all simulations for which diel DO component was zero).

Parameter	Correlation					RMSE				
	Min	25 <sup>th</sup>	Median	75 <sup>th</sup>	Max	Min	25 <sup>th</sup>	Median	75 <sup>th</sup>	Max
$DO_{die}$										
0	-0.78	0.30	0.51	0.82	1.00	0.00	0.68	1.10	1.97	2.39
1	-0.28	0.38	0.59	0.88	1.00	0.00	0.59	1.07	1.96	2.40
2	-0.39	0.46	0.63	0.90	1.00	0.00	0.62	1.10	1.97	2.40
$DO_{adv}$										
0	0.00	0.27	0.58	0.93	1.00	0.00	0.34	1.00	1.96	2.12
1	-0.78	0.37	0.58	0.83	1.00	0.00	0.63	1.09	1.98	2.12
2	-0.78	0.47	0.61	0.82	1.00	0.00	0.98	1.34	1.99	2.40
$\epsilon_{pro}$										
0	-0.78	0.34	0.57	0.86	1.00	0.00	0.63	1.06	1.96	2.40
1	-0.78	0.37	0.59	0.85	1.00	0.00	0.63	1.06	1.97	2.40
2	-0.78	0.41	0.61	0.85	1.00	0.00	0.63	1.11	1.98	2.40
$\epsilon_{obs}$										
0	-0.78	0.31	0.82	0.98	1.00	0.00	0.29	0.76	1.50	2.40
1	0.05	0.37	0.58	0.81	0.99	0.07	0.98	1.05	1.49	2.39
2	0.05	0.40	0.58	0.70	0.99	0.15	1.06	1.96	2.01	2.40

Table 2: Summary (range, median, quartiles) of correlations and error estimates comparing detided and biological DO time series for simulations using different half window widths in the weighted regressions (days, hours, and proportion of tidal range). Values represent averages from multiple simulations with common window values (e.g., row one is a summary of all simulations for which the half window width was one day).<sup>tab:dtd\_perf2</sup>

Window	Correlation					RMSE				
	Min	25 <sup>th</sup>	Median	75 <sup>th</sup>	Max	Min	25 <sup>th</sup>	Median	75 <sup>th</sup>	Max
<b>Days</b>										
1	-0.78	0.63	0.89	0.97	1.00	0.00	0.28	0.59	1.04	2.12
3	-0.07	0.40	0.59	0.75	1.00	0.00	0.99	1.08	1.28	2.08
6	0.00	0.26	0.40	0.58	1.00	0.00	1.95	1.98	2.05	2.40
<b>Hours</b>										
1	-0.78	0.36	0.58	0.82	1.00	0.00	0.63	1.11	1.96	2.40
3	0.00	0.40	0.60	0.87	1.00	0.00	0.58	1.07	1.97	2.36
6	0.03	0.37	0.59	0.85	1.00	0.00	0.64	1.10	1.98	2.40
<b>Tide</b>										
0.25	0.00	0.42	0.63	0.91	1.00	0.00	0.51	1.04	1.97	2.21
0.5	0.06	0.43	0.62	0.88	1.00	0.00	0.61	1.09	1.97	2.27
1	-0.78	0.30	0.51	0.79	1.00	0.00	0.73	1.20	1.97	2.40

Table 3: Summary statistics of tidal component amplitudes (m), selected water quality parameters (DO mg L<sup>-1</sup>, chlorophyll-a  $\mu$ g L<sup>-1</sup>, salinity psu, water temperature °C) and metabolism estimates (gross production, respiration, and net ecosystem metabolism as g m<sup>-2</sup> d<sup>-1</sup>) for each case study. Tidal components are principal lunar semidiurnal (O1, frequency 25.82 hours), solar diurnal (P1, 24.07 hours), lunar semidiurnal (M2, 12.42 hours), and solar semidiurnal (S2, 12 hours) estimated from harmonic regressions of tidal height (oce package in R, [Foreman and Henry 1989](#), [RDCT 2014](#)). Water quality data are averages for the entire period of record (30 minute observations) for each site. Metabolism estimates are means of daily integrated values.<sup>tab:case\_att</sup>

Site	Tidal amplitude				Water quality				Metabolism <sup>a</sup>		
	O1	P1	M2	S2	DO	Chl	Sal	Temp	Pg	Rt	NEM
ELKVM	0.24	0.12	0.48	0.13	7.87	3.87	32.43	13.78	8.14	-8.19	-0.05
PDBBY	0.46	0.23	0.63	0.15	8.97	2.24	29.17	10.44	5.95	-5.90	0.05
RKBMB	0.13	0.04	0.36	0.10	4.48	4.50	30.53	25.85	3.02	-3.62	-0.60
SAPDC	0.10	0.02	0.54	0.07	4.96	5.98	27.30	21.77	4.89	-6.04	-1.16

<sup>a</sup>Pg: gross production, Rt: respiration, NEM: net ecosystem metabolism



Table 4: Correlations of tidal changes at each site with continuous DO observations and metabolism estimates (gross production, respiration, and net metabolism) before (observed) and after (detided) detiding with weighted regression. DO values are correlated with predicted tidal height at each observation, whereas metabolism estimates are correlated with mean tidal height change between observations during day, night, or total day periods for production, respiration, and net metabolism, respectively. <sup>tab:cor\_res</sup>

Site	DO	Pg <sup>a</sup>	Rt	NEM
<b>ELKVM</b>				
Observed	0.47***	0.60***	0.73***	0.35***
Detided	0.02*	0.19***	0.13*	0.06
<b>PDBBY</b>				
Observed	-0.45***	-0.33***	-0.46***	-0.25***
Detided	0.07***	0.48***	0.47***	-0.21***
<b>RKBMB</b>				
Observed	0.28***	0.34***	0.39***	0.24***
Detided	-0.02**	-0.31***	-0.36***	0.12*
<b>SAPDC</b>				
Observed	0.48***	0.54***	0.71***	0.41***
Detided	-0.03***	0.16**	0.18***	-0.05

\* $p < 0.05$ ; \*\* $p < 0.01$ ; \*\*\* $p < 0.001$

<sup>a</sup>Pg: gross production, Rt: respiration, NEM: net ecosystem metabolism

Table 5: Summary of metabolism estimates (gross production, respiration, and net metabolism) for case studies using DO time series before (observed) and after (detided) detiding with weighted regression. Means and standard errors are based on daily integrated metabolism estimates. Anomalous values are the proportion of metabolism estimates that were negative for gross production and positive for respiration. Results are for weighted regressions with half window widths of six days, one hour within each day, and a tidal height proportion of one half.<sup>tab:case\_res</sup>

Site	<b>Pg<sup>a</sup></b>			<b>Rt</b>			<b>NEM</b>	
	Mean	Std. Err.	Anom	Mean	Std. Err.	Anom	Mean	Std. Err.
<b>ELKVM</b>								
Observed	8.14	0.67	0.19	-8.19	0.69	0.21	-0.05	0.16
Detided	3.63	0.23	0.17	-3.67	0.24	0.17	-0.04	0.05
<b>PDBBY</b>								
Observed	5.95	0.69	0.22	-5.90	0.74	0.19	0.05	0.22
Detided	10.36	0.63	0.13	-10.32	0.63	0.13	0.04	0.08
<b>RKBMB</b>								
Observed	3.02	0.14	0.09	-3.62	0.15	0.08	-0.60	0.06
Detided	3.73	0.09	0.01	-4.35	0.10	0.00	-0.62	0.04
<b>SAPDC</b>								
Observed	4.89	0.23	0.13	-6.04	0.25	0.11	-1.16	0.09
Detided	4.85	0.08	0.00	-6.04	0.10	0.00	-1.19	0.05

<sup>a</sup>Pg: gross production, Rt: respiration, NEM: net ecosystem metabolism

## *Multimedia*

{multi}

The supporting information for this manuscript includes a graphical illustration of the weighting scheme described in the material and procedures section ([http://spark.rstudio.com/beckmw/weights\\_widget](http://spark.rstudio.com/beckmw/weights_widget)), results for each simulation ([http://spark.rstudio.com/beckmw/detiding\\_sims](http://spark.rstudio.com/beckmw/detiding_sims)), and results for each case study ([http://spark.rstudio.com/beckmw/detiding\\_cases](http://spark.rstudio.com/beckmw/detiding_cases)). Each link is a graphical summary of data based on interactive inputs to support the results in the manuscript.