# Fibonacci in assembler

Recursion and register allocation

### Recall register allocation rules

- Leaf functions have free use of parameter registers, r10, and r11 (all caller saved) and should use them preferentially
- ▶ Functions that call other functions, particularly those that have more than one call, tend towards callee-saved registers (rbx, r12-r15)
- All functions tend to use rbp and rsp for their stack frame
- All functions tend to use rax for their return value

#### **Fibonacci**

- The general case computation is:
  - $\circ$  F(n) = F(n-1) + F(n-2)
- This puts pressure on rax: both recursive calls will set it and the function itself needs to set it.
- This puts pressure on rdi:
  - The function doesn't use rdi directly in the general case
  - The first recursive call (n−1) will trash rdi
  - $\circ$  We need the value in rdi to set the parameter of the second recursive call (n-2)

# Recursion in general

- Recursive methods typically cannot rely on the parameter and caller saved registers because their recursive child instances will also rely on those very same registers – it's the same code!
- So we need to selectively use callee-saved registers

# Back to Fibonacci - general case

#### ▶ RAX:

- We need to save 1 partial result
- We can add the saved partial result to the second result to get the function's return value

#### RDI:

- We don't need n in the general case, but we do need n−1 and n−2
- Save n-1 before we make the first recursive call
- Decrement and use to make the second recursive call

#### Fibonacci - end case

- If n is less than 2, we return n
- No need to save anything at all

## Fibonacci in C with assembler leanings

```
unsigned long f(unsigned long n)
unsigned long rv;
rv = n;
if(n \ge 2)
        unsigned long partial, param;
        param = n-1;
        partial = f(param);
        param -=1;
        rv = f(param);
        rv += partial;
return rv;
```