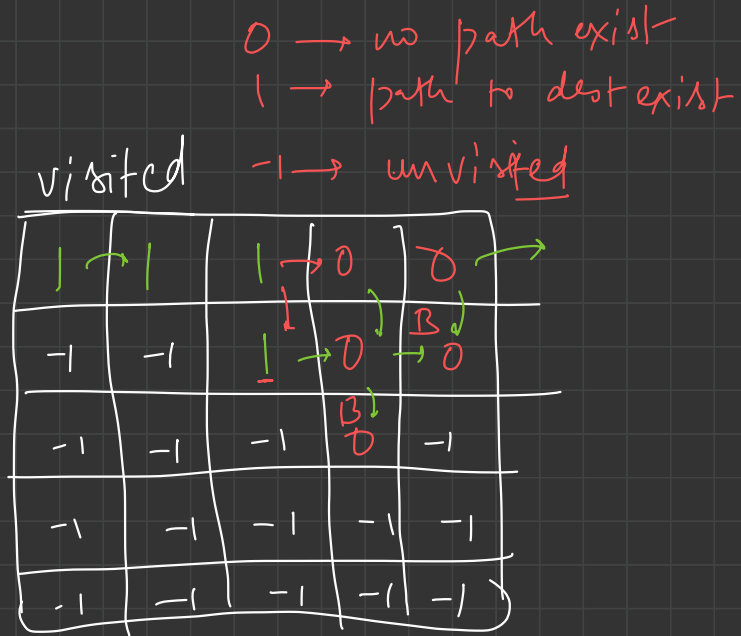
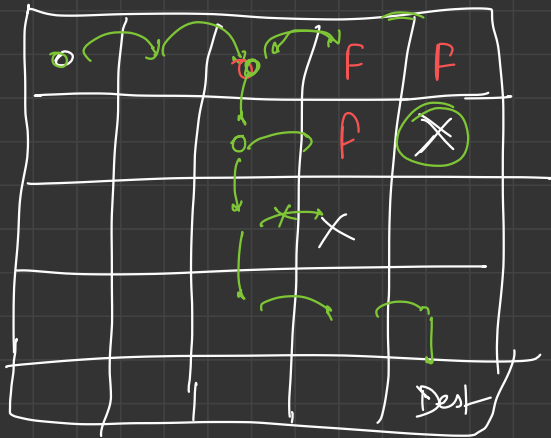
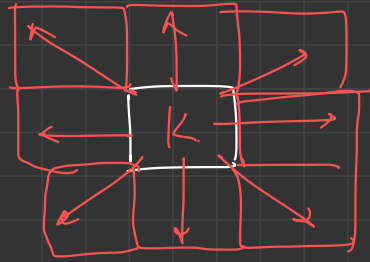
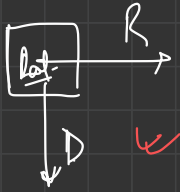


Rat in a maze : rightmost path

① using visited to avoid repeated func. call for same cell.

② printing all possible paths.





8 possible steps explore

↖

	1	2	3	4	5	6	7	8
1	Q							
2					Q			
3								Q
4						Q		
5			Q					
6							Q	
7		Q						
8				Q				

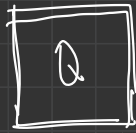
row ✓

col ✓



no queens attack each other

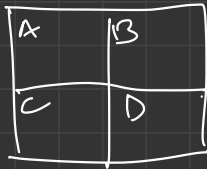
$n=1$



→ 1 sol

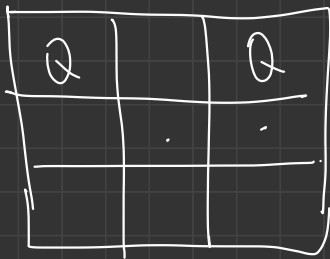
$n \times n$ → n queens place

$n=2$



→ no solⁿ

$n=3$



3-queens place

→ no solⁿ

n=4

	Q		
			Q
Q			
		Q	

✓

0	1	2	3	
	Q			0 ✓
			Q	1 ✓
Q				2
		Q		3

row → 0

→

cols ~~X~~, ~~X~~, 2, 3 ✓

row → 1

→

cols ~~X~~ * ~~X~~ ~~X~~ 3

row → 2

→

cols 0 * ~~X~~ ~~X~~ ~~X~~

row → 3

→

col

→

row $\rightarrow 4$ \rightarrow all rows filled successfully

a solution \rightarrow count++

$n=4$

diag 1

7

col - row + 3

cell 23

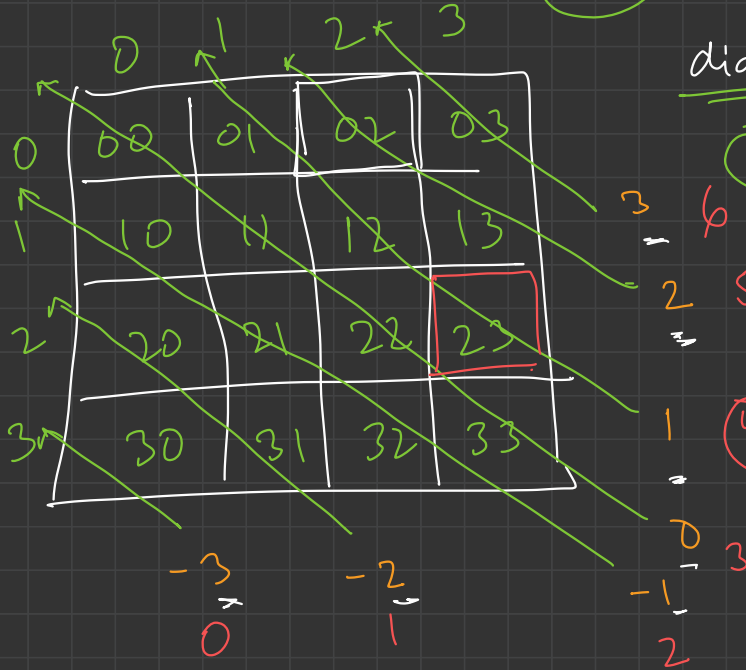
col - row

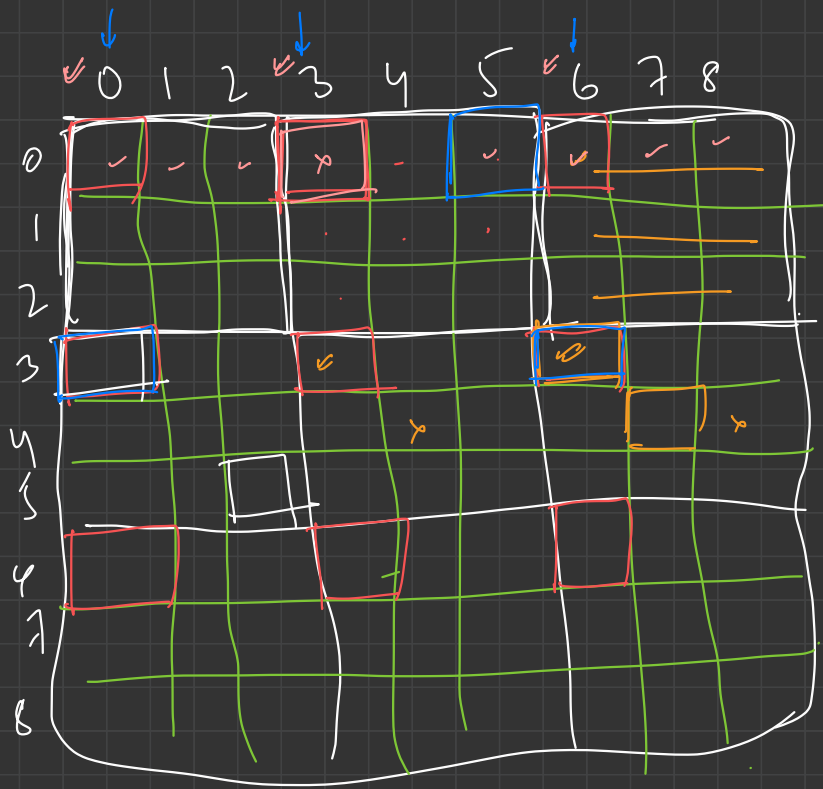
$$3 - 2 = 1$$

cell 02

col - row

$$2 - 0 = 2$$





$(i, j) \rightarrow \text{digit}$

①

find the sub-grid of (i, j)

↳ top-left cell of that

sub-grid

$\boxed{5 \% 3}$

↳ dist from last multiple of 3

② once, you have (subrow, subcol)

check 3×3 matrix starting from that index

$7 \% 3$

↳ dist of 7

from last multiple of 3

\boxed{i}

:

subgrid_start_row = $i - (i \% 3)$

subgrid_start_col = $j - (j \% 3)$

$$(4, 7) : \text{startRow} = 4 - 4 \cdot 3 \\ = 4 - 1 = 3$$

$$\text{startCol} = 7 - 7 \cdot 3 \\ = 7 - 1 = \underline{6}$$

(3, 6) → subgrid start cell

$$(5, 2) : \text{startRow} = 5 - 5 \cdot 3 \\ = 5 - 2 = 3$$

$$\text{startCol} = 2 - 2 \cdot 3 \\ = 2 - 2 = 0$$

(3, 0) → start of subgrid

pair

✓	5	2	6	1
	✓	✓	✓	✓
	2	1	1	0
	✓	✓	✓	✓

⇒ (4) → output

find no. of pairs $(a[i], a[j])$ such that-

$i < j$ and ✓
 $a[i] > a[j]$ ✓

✓	(5, 2)	
✓	(5, 1)	
✓	(6, 1)	
✓	(6, 1)	

✓ (4)

\rightarrow 1 2 5 6 } 1 1 2 3
 sorted sorted

sorted array \Rightarrow no. of inversions $\therefore = \underline{0}$

$2 \rightarrow \underline{1 1}$
 $5 \rightarrow \underline{1 1 2 3}$
 $6 \rightarrow \underline{1 1 2 3}$

10 pairs

merge

left

~~x~~ ~~x~~ ~~x~~ ~~x~~
 0 1 2 3

right

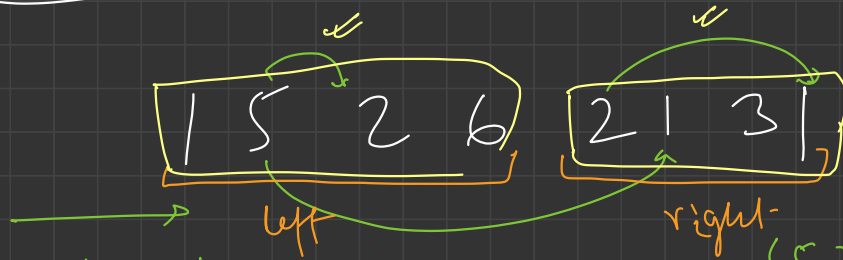
~~x~~ ~~x~~ ~~x~~ ~~x~~
 0 1 2 3

$i = 2$
 $j = 4$



$j \rightarrow 2 \quad 4 \quad 4 \Rightarrow 10$

$arr \rightarrow 5 \ 2 \ 6 \ 1$
 $sortarr \rightarrow 1 \ 2 \ 6 \ 5$



have to count all
 such inverted pairs:

$$a[i] > a[j]$$

$$\text{for } \underline{i < j}$$

① no. of IP in left {5, 2}

② no of IP in right {2, 1}

③ no of IP such that

{5, 1} first element is in left &

prob.
 no. of inverted
pairs

second element is in right

✓ ① and ② are sub-problems: solve recursively

③ can be found using merge by sorting ① and ②

total answer = ① + ② + ③