

# 02393 C++ Programming Exercises

## Assignment 3

To be handed in via CodeJudge — <https://dtu.codejudge.net/02393-e21/assignments>

### 1 Fun with bags

This assignment is about processing a sequence of commands that query and update a bag of numbers. Your program has to read a sequence of commands from `cin` and provide some reply to `cout`. The commands are:

**add**  $x$ : add number  $x$  to the bag. Do not produce any output;  
**del**  $x$ : if  $x$  is in the bag, remove it; otherwise, do nothing. Do not produce any output;  
**qry**  $x$ : if  $x$  is in the bag then output T, otherwise output F;  
**quit**: end the program.

The goal of the two exercises below is always the same (reply to the input, assuming an initially empty bag) but the nature of the bag varies.

**Fun with bags 1.** Here you have to consider that the bag is a set of `int` values between 0 and 1000 (included).

Example:

input: add 1 add 2 add 1 del 1 qry 1 qry 2 quit

output: FT

**Fun with bags 2.** Here you have to consider that the bag is a *multiset* of `int` values between 0 and 1000 (included). The main difference with respect to the previous exercise is that now repetitions are allowed. This means, for example, that deleting  $x$  just removes one occurrence of  $x$  from the multiset.

Example:

input: add 1 add 2 add 1 del 1 qry 1 qry 2 quit

output: TT

**Hints.** You can solve both exercises using arrays, maybe reusing ideas from Assignment 2...

If you want, you can also use **C++ containers**. We will see containers later in the course, but you may already try to use them to get a first feeling of how convenient they are with respect to array-based structures. In particular, you could consider these two classes of containers:

- <http://en.cppreference.com/w/cpp/container/set>
- <http://en.cppreference.com/w/cpp/container/multiset>

For every command of the exercise, there is a method/function that does (almost) what you need.

## 2 Histogram

A *histogram* represents the distribution of a dataset into discrete intervals. Consider for instance the data set given by the integer numbers 100 95 47 88 86 92 75 89 81 70 55 80; suppose we want build a histogram with 11 intervals  $[0 - 10)$ ,  $[10 - 20)$ ,  $\dots$ ,  $[100 - 110)$  to be textually represented as follows: (*meaning: there are 0 numbers in the interval  $[0 - 10)$ , and 5 numbers in  $[80 - 90)$ , etc.*)

```
0: 0
10: 0
20: 0
30: 0
40: 1
50: 1
60: 0
70: 2
80: 5
90: 2
100: 1
```

Write a program that reads the following values (in this order) from the standard input (`cin`):

- the number  $\ell$  of intervals (e.g. 11 in the example above)
- the size  $n$  of the data set (e.g. 12 in the example above)
- and  $n$  non-negative integers

and then outputs the histogram in the above format.

**Hints.** Let each interval have integer size  $k = \lceil \frac{m}{\ell} \rceil$ , where  $m$  is the maximum number in the data set. That is, interval  $i$  should be  $[(i - 1) \times k \dots i \times k)$ . The function  $\lceil \cdot \rceil$  is implemented as function `ceil()` in the library `math.h`

As an example, the input for the histogram above (11 intervals, 12 values) is:

```
11 12 100 95 47 88 86 92 75 89 81 70 55 80
```

hence, we have  $k = \lceil \frac{100}{11} \rceil = \lceil 9,0909\dots \rceil = 10$ , and thus the  $i$ -th interval starts at  $(i - 1) \times 10$ . E.g., the last interval (11-th) starts at  $(11 - 1) \times 10 = 100$ . You can see it in the output above.

Another example: with the same data above but interval size  $\ell = 7$  we have the input:

```
7 12 100 95 47 88 86 92 75 89 81 70 55 80
```

hence the intervals size is  $\lceil \frac{100}{7} \rceil = \lceil 14,2857\dots \rceil = 15$ , and the resulting output is:

```
0: 0
15: 0
30: 0
45: 2
60: 1
75: 6
90: 3
```

**Special case.** Consider the input: 2 4 8 6 3 1. Here the maximum number  $m = 8$  in the dataset can be divided by the number of intervals  $l = 2$ . Technically, the second (and last) interval should be  $[4, 8)$ , thus excluding 8 from the histogram. To solve this problem, we need to check for a special condition: if  $m$  can be divided by  $l$ , then we include  $m$  in the last interval. This way, for the input 2 4 8 6 3 1 we obtain the histogram:

```
0: 2      rather than: 0: 2
4: 2      4: 1
```