



Software for Autonomous Systems SFfAS-31391:

Learning ROS Transforms (TF), Robot Visualization (RVIZ) and Simulation (Gazebo)

Lecturer, Course Coordinator: Evangelos Boukas—PhD



- Transformations
- TF Package
- Universal Robot Description Format
- Simulating Physical Robots in ROS



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- Simulating Physical Robots in ROS
- And ALL of that Hands on!!!



Transformations Example: Mobile robot in a factory





Transformations High-level approach

- Attach a separate coordinate system, or frame, for each rigid body
- Relate these frames to each other
- Why? It makes everything so much easier!
- If we have all the coordinate systems, and their relations, we can easily transform a pose
 in one frame to any other frame













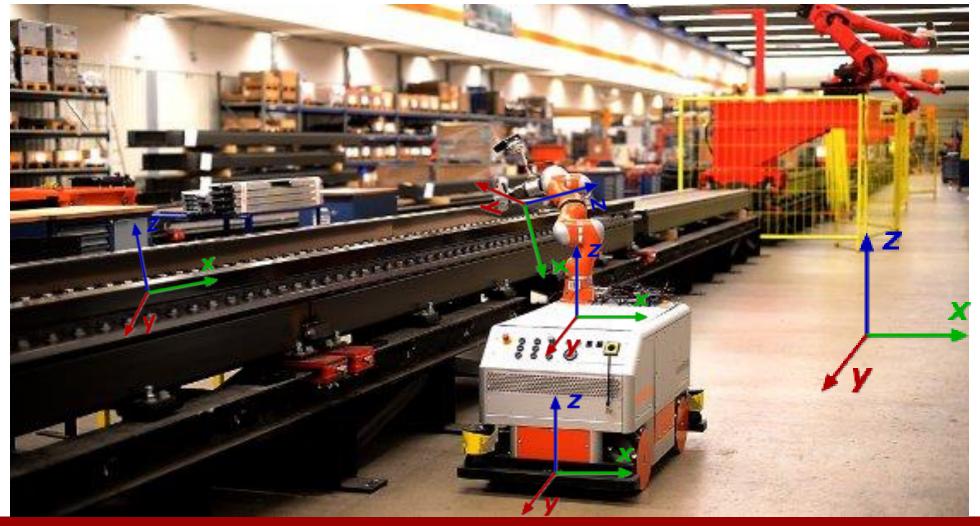








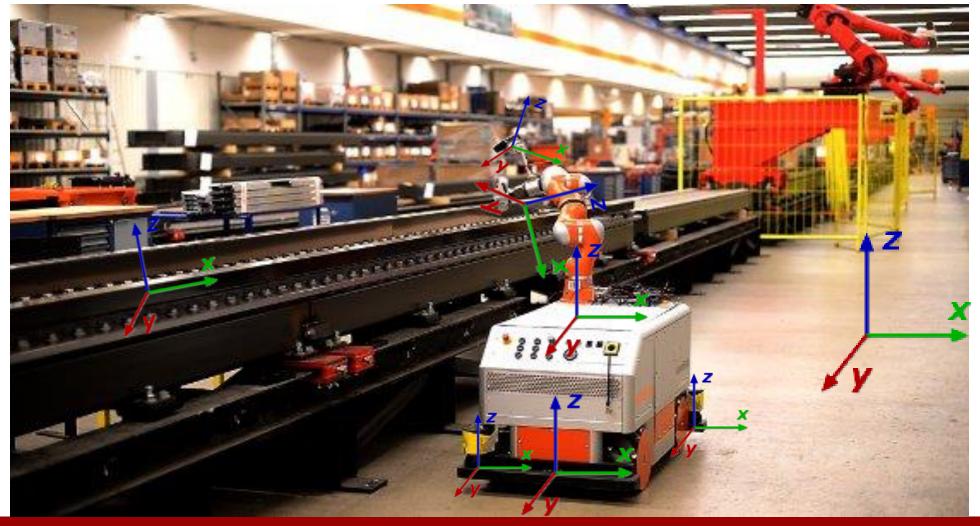








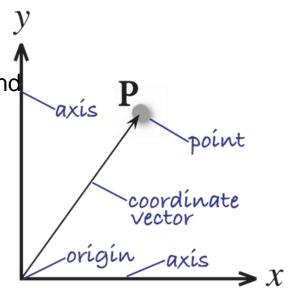


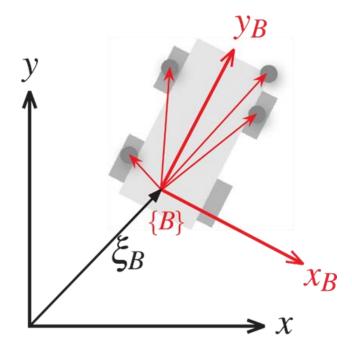




Transformations: Graphical overview

- Point is defined by a vector
 - The <u>frame</u> matters!
- Frame is defined by a changed in pose ξ
 - Describes both translation and rotation

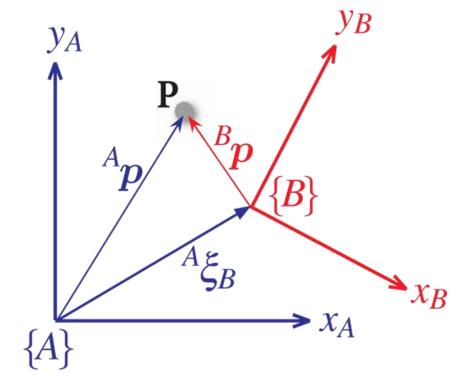






Transformations: Graphical overview

- We use indices to indicate the relevant frames
 - For points, in which frame we have defined the point
 - For transformations, the **pose** of a frame with respect to another
 - Transform: "From A to B"
 - Pose: "B relative to A"



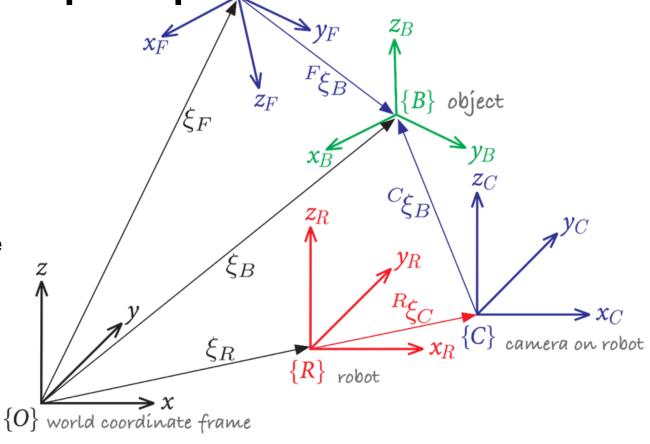


Transformations: Basic principles fixed camera

The strategy is to follow the arrows!

 Pose transformations can be applied sequentially ("compounded" in the book)

• They can even be reversed, by taking the inverse $\xi_{\rho} = \xi_f \oplus {}^F \xi_f = \xi_R \oplus {}^R \xi_C \oplus {}^C \xi_B$





Transformations in a 3D

- We can make rotation matrices from the different rotation representations (See later...)
- We we need to be careful when defining the rotation matrix):

$$\begin{pmatrix} {}^{A}P_{\chi} \\ {}^{A}P_{y} \\ {}^{A}P_{z} \\ 1 \end{pmatrix} = \begin{pmatrix} {}^{A}R_{B} & {}^{A}t_{B} \\ {}^{O}_{1x3} & 1 \end{pmatrix} * \begin{pmatrix} {}^{B}P_{\chi} \\ {}^{B}P_{y} \\ {}^{B}P_{z} \\ 1 \end{pmatrix}$$



Transformations: Rotation around one axis

Rotation around X axis

Rotation around X axis

Rotation around X axis

Translation X,Y,Z axis

$$R_{\phi}^{x} = \begin{bmatrix} 1 & 0 & 0 & 0 \\ 0 & \cos\phi & \sin\phi & 0 \\ 0 & -\sin\phi & \cos\phi & 0 \\ 0 & 0 & 0 & 1 \end{bmatrix}$$

$$R_{\theta}^{y} = \begin{bmatrix} \cos \theta & 0 & -\sin \theta & 0 \\ 0 & 1 & 0 & 0 \\ \sin \theta & 0 & \cos \theta & 0 \\ 0 & 0 & 0 & 1 \end{bmatrix}$$

$$R_{\psi}^{z} = \begin{bmatrix} \cos & \sin \psi & 0 & 0 \\ -\sin \psi & \cos \psi & 0 & 0 \\ 0 & 0 & 1 & 0 \\ 0 & 0 & 0 & 1 \end{bmatrix}$$

$$T = \begin{bmatrix} 1 & 0 & 0 & x \\ 0 & 1 & 0 & y \\ 0 & 0 & 1 & z \\ 0 & 0 & 0 & 1 \end{bmatrix}$$



Transformations: Euler

• 12 possible representations

| xyz | yzx | zxy |
|-----|-----|-----|
| xzy | yxz | zyx |
| xyx | yzy | ZXZ |
| XZX | yxy | zyz |

• The most popular is the roll, pitch, yaw one:

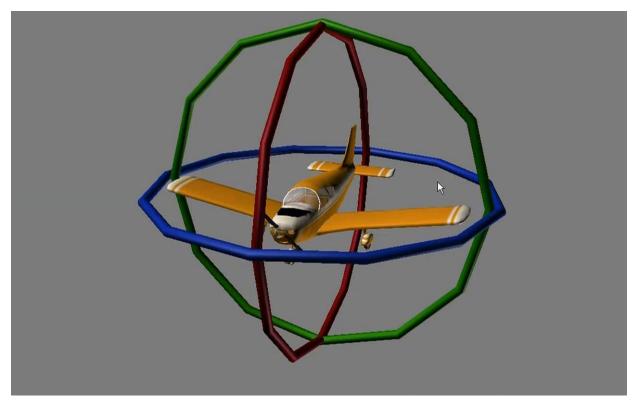
$$R = R_{\phi}^{x} R_{\theta}^{y} R_{\psi}^{z}$$

$$= \begin{bmatrix} 1 & 0 & 0 \\ 0 & \cos \phi & \sin \phi \\ 0 & -\sin \phi & \cos \phi \end{bmatrix} \begin{bmatrix} \cos \theta & 0 & -\sin \theta \\ 0 & 1 & 0 \\ \sin \theta & 0 & \cos \theta \end{bmatrix} \begin{bmatrix} \cos \psi & \sin \psi & 0 \\ -\sin \psi & \cos \psi & 0 \\ 0 & 0 & 1 \end{bmatrix}$$



Transformations: Euler

• A major problem is the Gimbal lock:





Transformations: Euler

• A major problem is the Gimbal lock:

```
[ cos(g), -sin(g), 0]
            [1, 0, 0] [0.0000 0 1.0000]
                                                                         Rz = [\sin(g), \cos(g), 0]
         Rx = [0, cos(a), -sin(a)] Ry = [0, cos(a), -sin(a)]
            [ 0, sin(a), cos(a)] [-1.0000
                                                   0 0.00001
                                     cos(b)*cos(g),
                                                                      -cos(b) *sin(g),
 R = R_X * R_V * R_Z = [\cos(a) * \sin(g) + \cos(g) * \sin(a) * \sin(b), \cos(a) * \cos(g) - \sin(a) * \sin(b) * \sin(g), -\cos(b) * \sin(a)]
             [\sin(a)*\sin(g) - \cos(a)*\cos(g)*\sin(b), \cos(g)*\sin(a) + \cos(a)*\sin(b)*\sin(g), \cos(a)*\cos(b)]
         b = pi/2
           [ 0.0000
                         0 1.0000]
        Ry = [ 0 1.0000
            [-1.0000
                          0 0.00001
 R=Rx*Ry*Rz = [\cos(a)*\sin(g) + \cos(g)*\sin(a), \cos(a)*\cos(g) - \sin(a)*\sin(g), 0]
             [\sin(a)*\sin(g) - \cos(a)*\cos(g), \cos(a)*\sin(g) + \cos(g)*\sin(a), 0]
                       0, 0, 1]
simplifv(R) = [sin(a + g), cos(a + g), 0]
            [-\cos(a+g), \sin(a+g), 0]
```



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- Invented by Hamilton in 1843



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- The governing rule is:

$$\mathbf{i}^2 = \mathbf{j}^2 = \mathbf{k}^2 = \mathbf{i} \, \mathbf{j} \, \mathbf{k} = -1$$



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A quaternion is defined as:

$$q = q_0 + \mathbf{q} = q_0 + \mathbf{i}q_1 + \mathbf{j}q_2 + \mathbf{k}q_3$$

,where q0 is the scalar and q is called the vector part. i,j,z is the common orthonormal bases of R^3



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Quaternions solve all the problems with euler angles



Transformations (Rotations): Overall

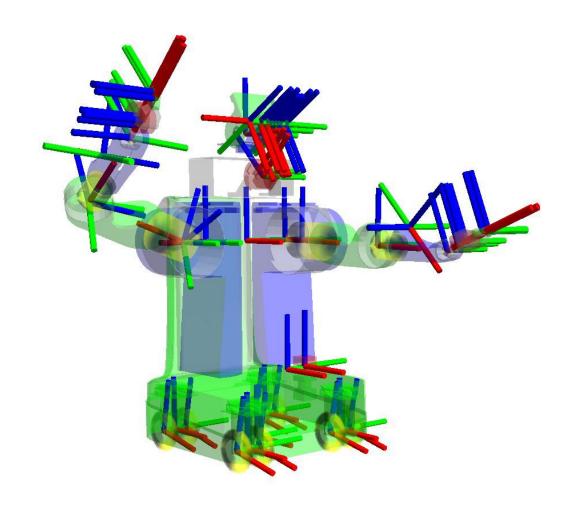
| Task/Property | Matrix | Euler Angles | Quaternion |
|----------------------|----------------------|------------------------|-------------------------|
| Rotating points | Possible | Impossible (must con- | Impossible (must con- |
| between coordinate | | vert to matrix) | vert to matrix) |
| spaces (object and | | | |
| internal) | | | |
| Concatenation or in- | Possible but usually | Impossible | Possible, and usually |
| cremental rotation | slower than quater- | | faster than matrix form |
| | nion form | | |
| Interpolation | Basically impossible | Possible, but aliasing | Provides smooth inter- |
| | | causes Gimbal lock | polation |
| | | and other problems | |
| Human interpretation | Difficult | Easy | Difficult |
| Storing in memory | Nine numbers | Three numbers | Four numbers |
| Representation is | Yes | No - an infinite num- | Exactly two distinct |
| unique for a given | | ber of Euler angle | representations for any |
| orientation | | triples alias to the | orientation |
| | | same orientation | |
| Possible to become | Can be invalid | Any three numbers | Can be invalid |
| invalid | | form a valid orienta- | |
| | | tion | |



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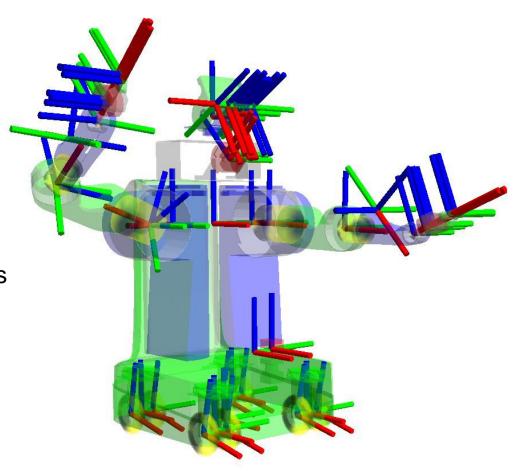
tf Package





tf Package

- The tf package allows the tracking over time of coordinate systems tree(s)
- Allows the easily creation of new frames (static or dynamic)
- Eases the process of transforming points, vectors, etc.
- Distributed system no centralized storage
- Caches the past information on the transforms



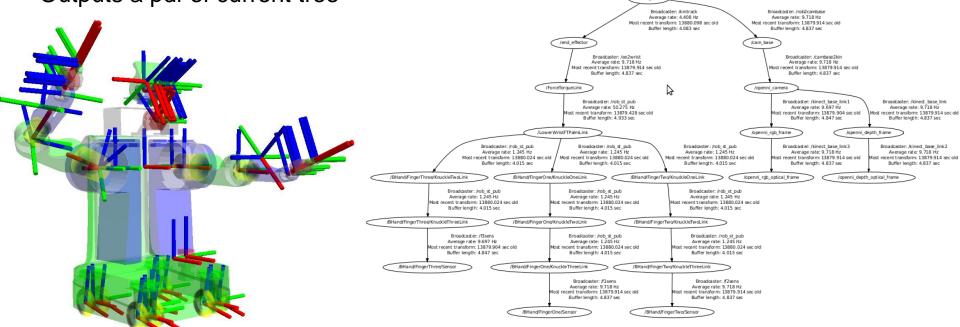


The *tf* coordinate frame tree

• A tree of the current coordinate frame can be generated using the

command: rosrun tf view_frames

Outputs a pdf of current tree



Recorded at time: 1349482424.082



tf Package | Terminal commands

- rosrun tf tf_echo
- rosrun tf tf_monitor
- rosrun tf static_transform_publisher:
 - Usage: rosrun tf static_transform_publisher x y z yaw pitch roll frame_id child_frame_id period(milliseconds)

OR

Usage: rosrun tf static_transform_publisher x y z qx qy qz qw frame_id child_frame_id period(milliseconds)



tf Package | Python code

• Transform Broadcasting:

```
br = tf.TransformBroadcaster()
br.sendTransform(x,y,z,rot,Time," frame1", " frame2")
```

• Listening a transform:

```
listener = tf.TransformListener()
(trans,rot)=listener.lookupTransform('/frame1','/frame2', rospy.Time(0))
```



tf Package | time

- Check whether the transform is up..
- Get a transform in the past

```
try:
    now = rospy.Time.now()
    past = now - rospy.Duration(5.0)
    listener.waitForTransformFull("/frame2", now, "/frame1", past, "/transform",
rospy.Duration(1.0))
    (trans, rot) = listener.lookupTransformFull("/ frame2", now, "/ frame1", past, "/transform")
```



tf Package

• Let me show you with some hands on...

You'll do something similar during Lab time



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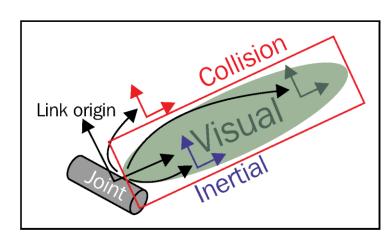
Robot Modeling

- Mechanical design of Robot parts in CAD
 - AutoCAD, Blender
- Virtual Robot Model
 - Universal Robot Description Format
 - XML



- Links:
 - Represents a link of a robot and includes the properties:
 - Size, Shape, Color or maybe include the 3D Mesh
 - Inertial Matrix, Collision info
 - The syntax is as follows:

```
<link name="<name of the link>">
<inertial>.....</inertial>
    <visual> ....</visual>
    <collision>....</collision>
</link>
```

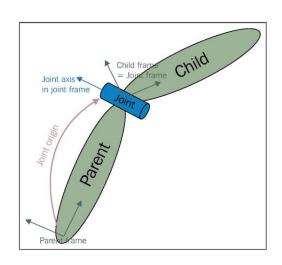




- Joints:
 - Represents a joint of a robot and includes the properties:
 - Kinematics, Dynamics, limits of the joints
 - Different type: "revolute, continuous, prismatic, fixed, floating, planar"
 - The syntax is as follows:

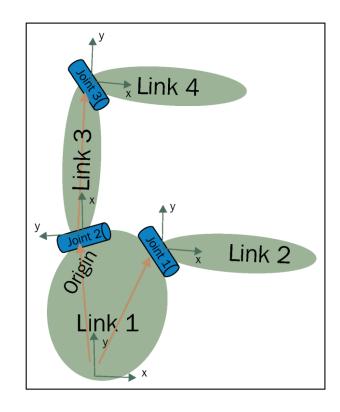
```
<joint name="<name of the joint>">
    <parent link="link1"/>
        <child link="link2"/>

        <calibration .... />
        <dynamics damping ..../>
        alimit effort .... />
        </joint>
```





- Robot:
 - This includes the whole model (and other tags):
 - Name, links, joints
 - The syntax is as follows:





- Gazebo:
 - This includes the simulation specific parameters:
 - Gazebo plugins, Gazebo materials, etc..
 - The syntax is as follows:

```
<gazebo reference="link_1">
     <material>Gazebo/Black</material>
</gazebo>
```



URDF main functions

Check URDF:

check_urdf pan_tilt.urdf

- In launch File:
 - Loading the description and main parameters:

```
<arg name="model" />
<param name="robot_description" textfile="urdf/pan_tilt.urdf" />
<param name="use_gui" value="true"/>
```



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– Defining the joint states "joint_state_publisher":

```
<node name="joint_state_publisher" pkg="joint_state_publisher" type="joint_state_publisher" />
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– Defining the joint states "joint_state_publisher":

```
<node name="joint_state_publisher" pkg="joint_state_publisher" type="joint_state_publisher" />
```

– Loading the TF of the robot "robot_state_publisher":

```
<node name="robot state publisher" pkg="robot state publisher" type="state publisher" />
```



URDF

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Gazebo Implementation

Robot Modelling is cool and all but...

...robots are much more sophisticated than this!



Gazebo Implementation

Robot Modelling is cool and all but...

...robots are much more sophisticated than this!

- Where is the mass?
- Where is the actuation power?
- Where is the inertia?
- Where is the collision?



Gazebo Implementation

Gazebo is able to provide all this and more using a Physics engine! However, we need to provide this information:

- Collision
- Inertia
- Transmission: <transmission name="tran0"> <type>transmission_interface/SimpleTransmission</type> <joint name="hip"> <hardwareInterface>PositionJointInterface/hardwareInterface> </joint> <actuator name="motor0"> <hardwareInterface>PositionJointInterface/hardwareInterface> <mechanicalReduction>1</mechanicalReduction> </actuator> </transmission>
- Control plugin:

```
<gazebo>
 <plugin name="control" filename="libgazebo_ros_control.so"/>
</gazebo>
```

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Gazebo

• Let me show you with some hands on...

You'll do something similar during Lab time



Ok now we're more realistic...

... however, still autonomous robots are more complex than this



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- ... however, still autonomous robots are more complex than this
- The robots have to autonomously find their way through...



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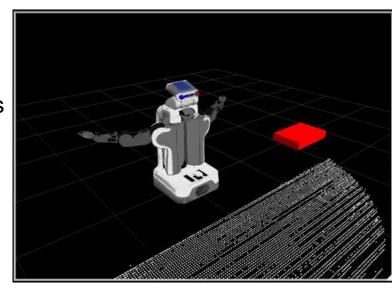
- ... however, still autonomous robots are more complex than this
- The robots have to autonomously find their way through...
 - Robotic Manipulators need:
 - To solve the inverse kinematics and dynamics problems
 - Find the correct trajectories to avoid obstacles

• ...



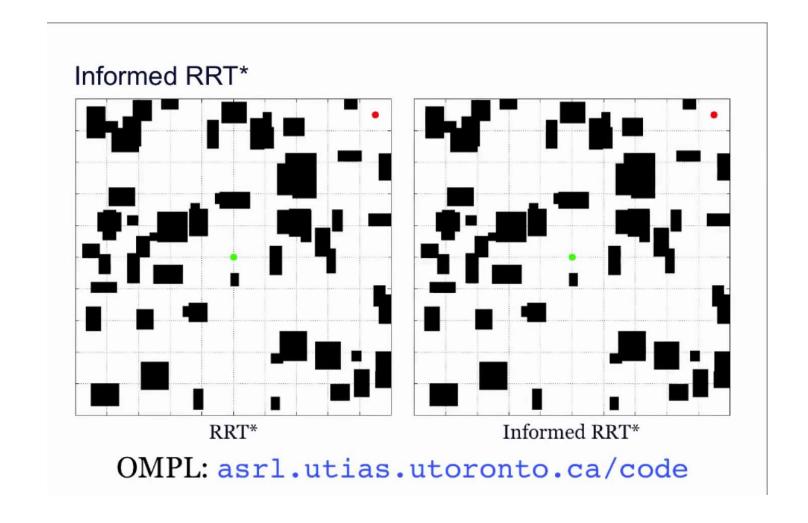
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- The robots have to autonomously find their way through...
 - Robotic Manipulators need:
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 - ...
 - Mobile Robots need to use path planning to navigate the environment





Robot Planning examples





- We learned about Transformations and their meaning, as well as how to implement it in ROS
- We learned how to model, implement and control a robot from scratch!
 - Modeling URDF
 - Simulation Gazebo
 - Intro to Robot Planning!



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