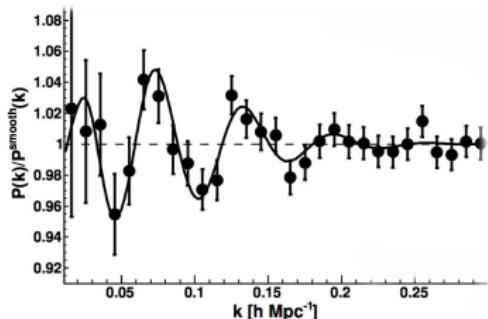


# Cosmology with the Euclid and Dark Energy Spectroscopic Instrument (DESI)

Florian Beutler

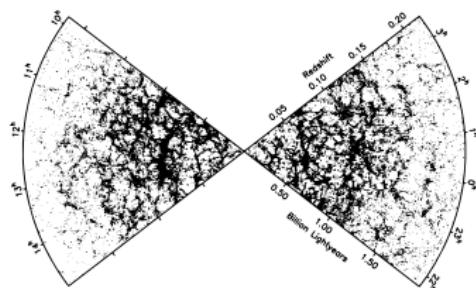
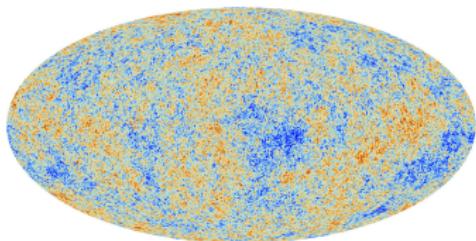


European Research Council  
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Royal Society University Research Fellow

# What is a galaxy redshift survey?

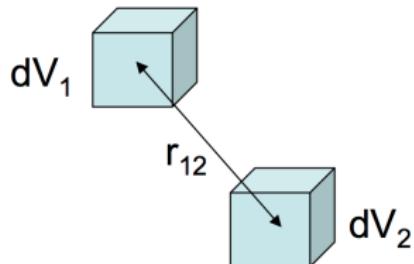


- ① Measure the position of galaxies (RA, DEC + redshift).
- ② The CMB tells us the initial conditions for today's distribution of matter.
- ③ How the initial density fluctuations in the CMB evolved from redshift 1100 to today depends on  $\Omega_m$ ,  $\Omega_\Lambda$ ,  $H_0$  etc.

# From a point distribution to a power spectrum

- Overdensity-field:

$$\delta(\mathbf{x}) = \frac{\rho(\mathbf{x}) - \bar{\rho}}{\bar{\rho}}$$



- Two-point function:

$$\xi(\mathbf{r}) = \langle \delta(\mathbf{x} + \mathbf{r})\delta(\mathbf{x}) \rangle \begin{cases} \text{homogeneity} \\ \text{isotropy} \\ \text{anisotropy} \end{cases} = \xi(r) \\ \xi_\ell(r) = \int_{-1}^1 d\mu \xi(r, \mu) \mathcal{L}_\ell(\mu)$$

- ...and in Fourier-space:

$$P_\ell(k) = 4\pi(-i)^\ell \int r^2 dr \xi_\ell(r) j_\ell(kr)$$

# From a point distribution to a bispectrum

- Overdensity-field:

$$\delta(\mathbf{x}) = \frac{\rho(\mathbf{x}) - \bar{\rho}}{\bar{\rho}}$$

- Three-point function:

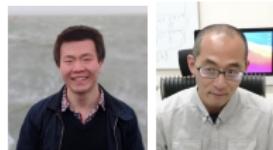
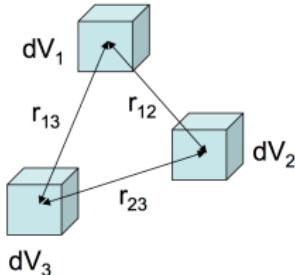
$$\xi(\mathbf{r}_1, \mathbf{r}_2) = \langle \delta(\mathbf{x} + \mathbf{r}_1) \delta(\mathbf{x} + \mathbf{r}_2) \delta(\mathbf{x}) \rangle \begin{cases} \text{homogeneity} & \text{isotropy} \\ & \xrightarrow{\quad} \\ & \text{anisotropy} \end{cases} \begin{array}{l} \xi_L(r_1, r_2) \\ \xi_{\ell_1 \ell_2 L}(r_1, r_2) \end{array}$$

- ...and in Fourier-space:

$$B_{\ell_1 \ell_2 L}(k_1, k_2) = (4\pi)^2 (-i)^{\ell_1 + \ell_2} \int r_1^2 dr_1 \int r_2^2 dr_2 \xi_{\ell_1 \ell_2 L}(r_1, r_2) j_{\ell_1}(k_1 r_1) j_{\ell_2}(k_2 r_2)$$

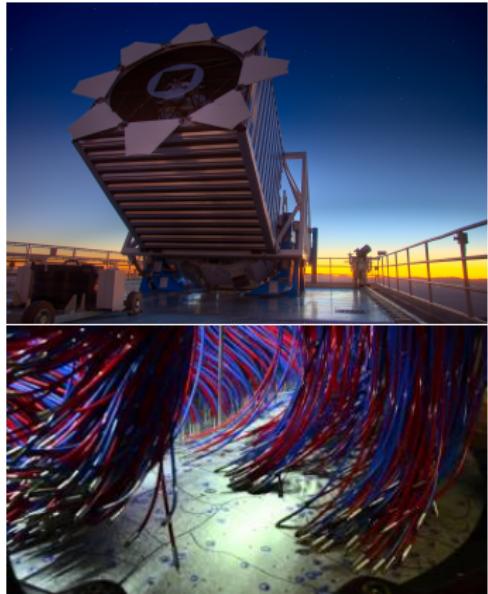
→ **Triumvirate**, arXiv:2304.03643

<https://triumvirate.readthedocs.io/en/latest/>



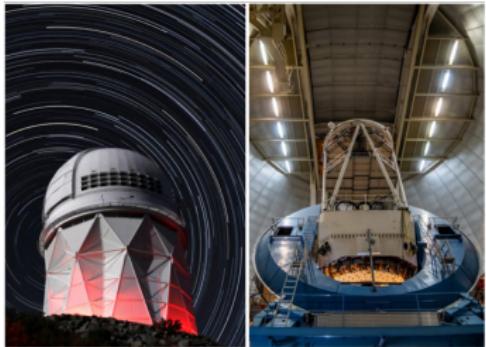
# The BOSS galaxy survey

- Third version of the Sloan Digital Sky Survey (SDSS-III)
- Spectroscopic survey optimized for the measurement of Baryon Acoustic Oscillations (BAO)
- The galaxy sample includes 1 100 000 galaxy redshifts in the range  $0.2 < z < 0.75$
- The effective volume is  $\sim 6 \text{ Gpc}^3$
- 1000 fibres/redshifts per pointing

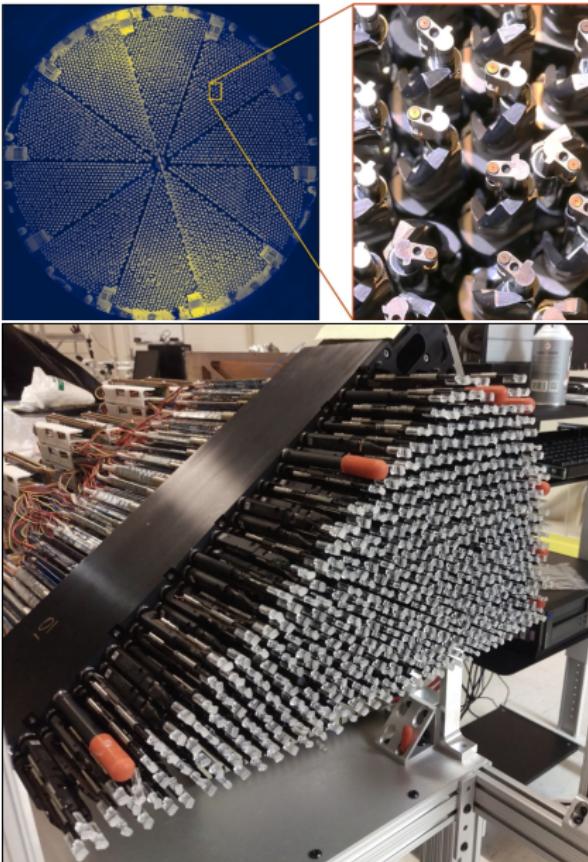


# The DESI galaxy survey

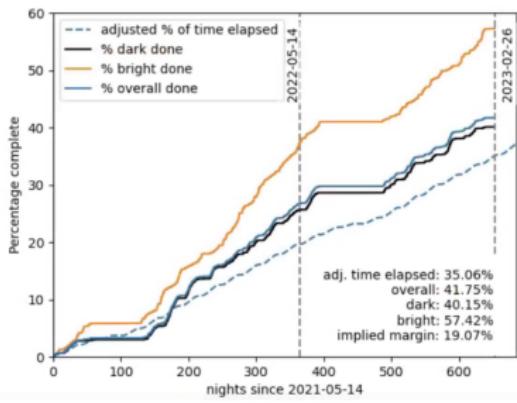
- Mayall 4m telescope at Kitt Peak, Arizona
- 5000 fibres/redshifts per pointing
- 13.6 million flux-limited sample of galaxies at  $z < 0.4$  (BGS)
- 23.7 million color-selected galaxies at  $0.4 < z < 1.5$  (LRGs & ELGs)
- 2.8 million Quasars at  $z > 0.8$
- Ly- $\alpha$  forest at  $2 < z < 3.5$



4m Mayall at Kitt Peak, Arizona. Twin to the Blanco, CTIO



# DESI schedule



# The ESA Euclid mission

- Launched in July 2023 → L2 point
- Space-based weak lensing + gal. clustering survey over 15 000 deg<sup>2</sup>
- 30 million emission line galaxies over the redshift range 0.7 to 2.0
- Slitless spectroscopy (grism)

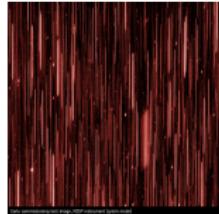
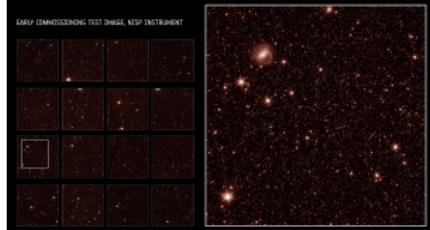
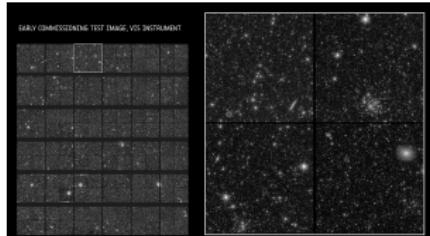


ESA's Euclid mission  
@ESA\_Euclid

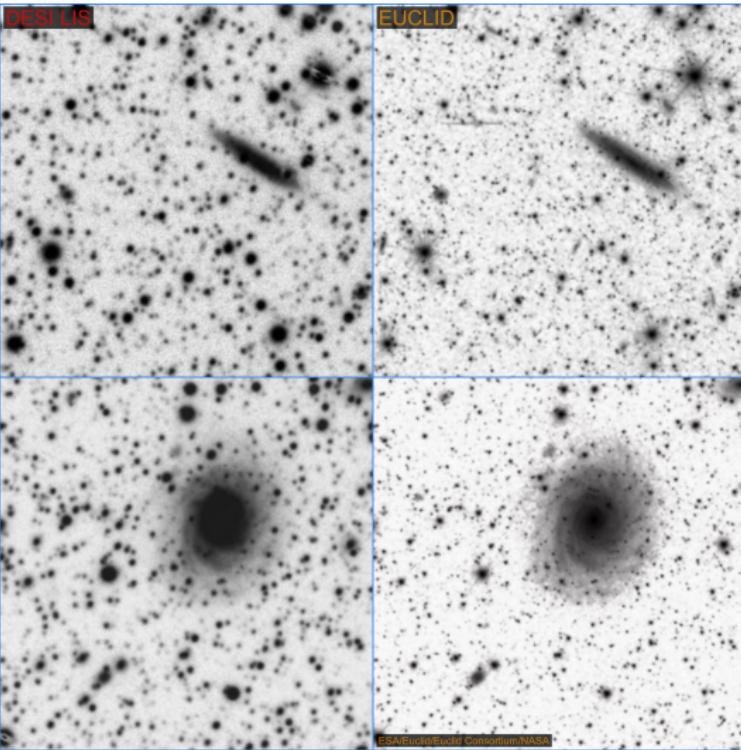
...

Liftoff for the #DarkUniverse 🚀 detective that aims to shed light on the nature of #DarkMatter & #DarkEnergy

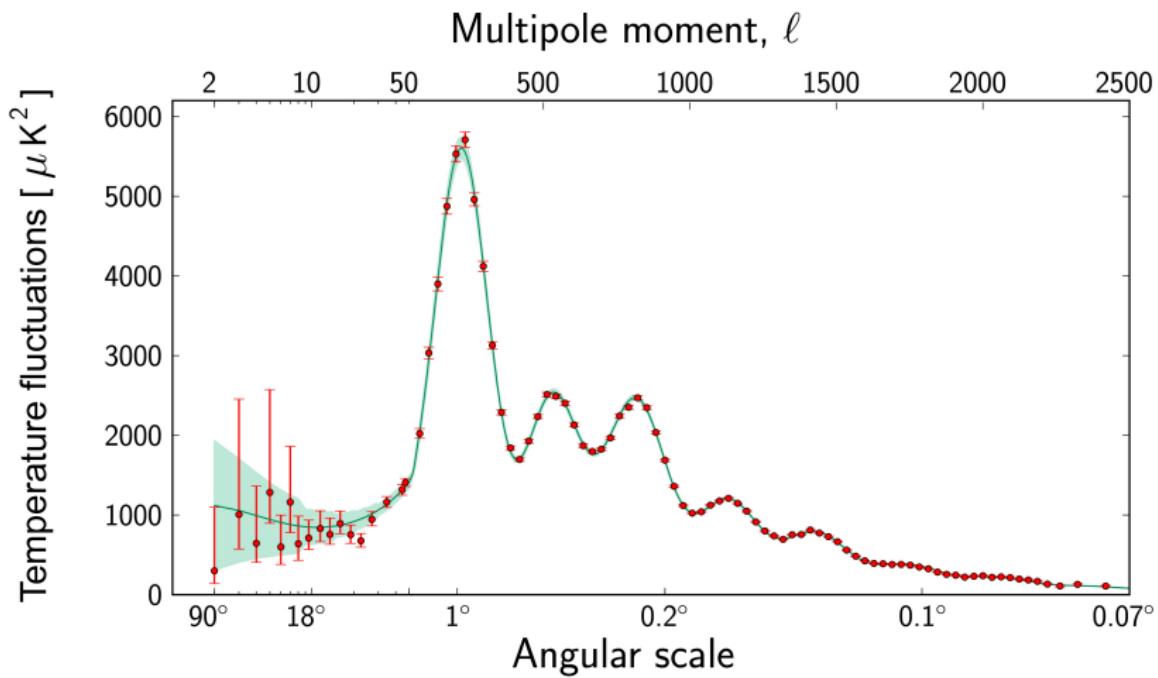
#ESAEuclid



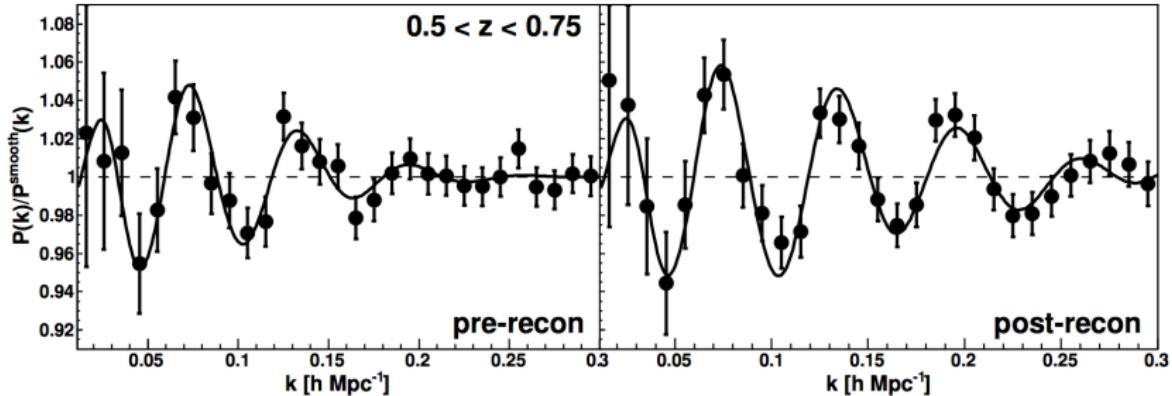
# Euclid first images



# What are Baryon Acoustic Oscillations?



# Baryon Acoustic Oscillations in BOSS

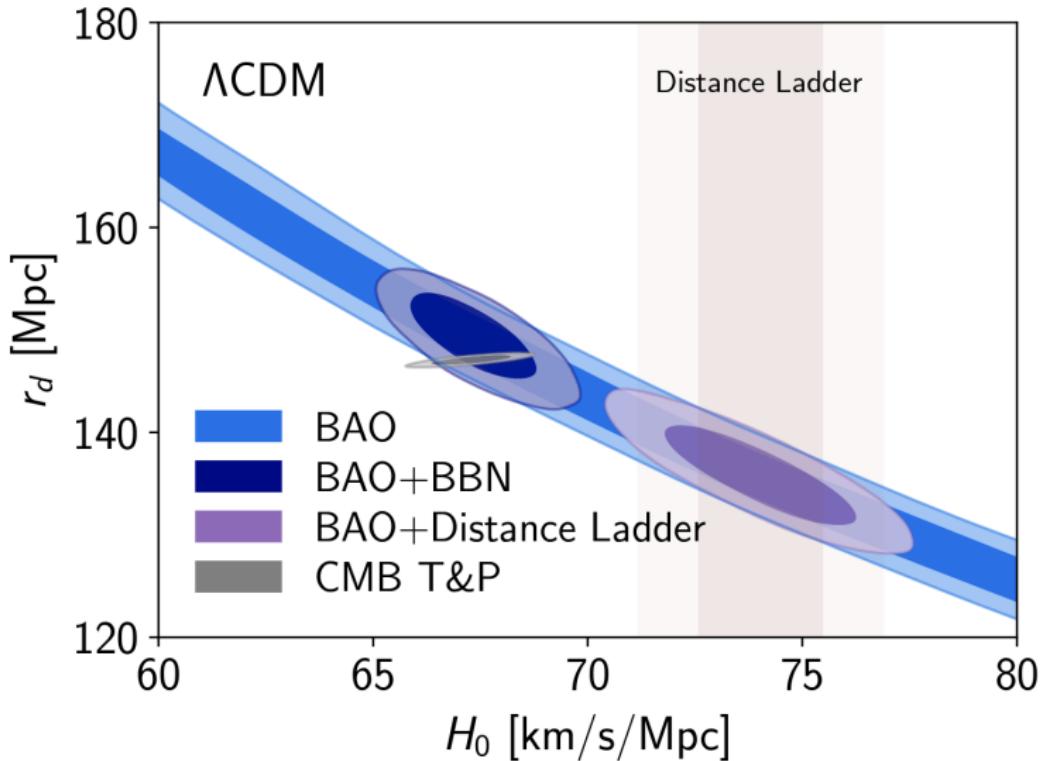


- BAO are the most robust observable we can extract from LSS
- The observables are

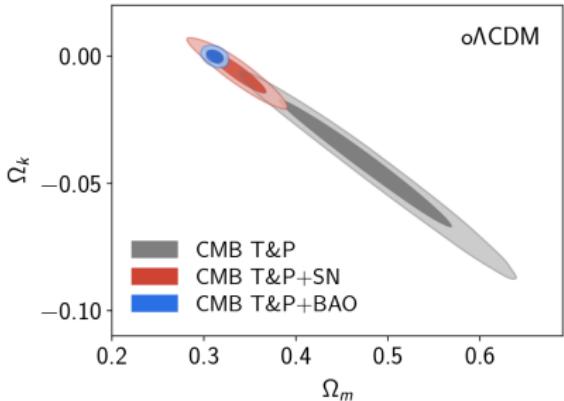
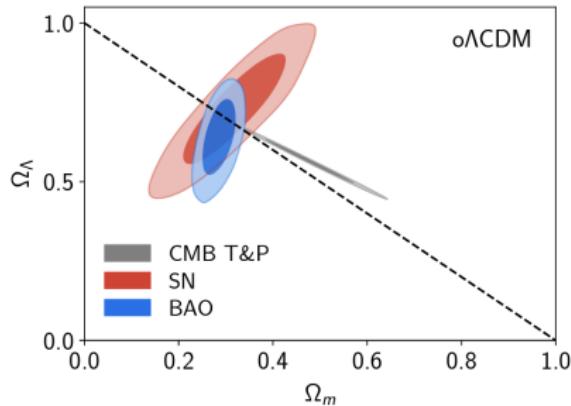
$$(1+z)D_A(z)/r_d = \int_0^z \frac{cdz'}{r_d H(z')}$$
$$H(z)r_d = H_0 r_d \sqrt{\Omega_m(1+z)^3 + \Omega_\Lambda + \Omega_k(1+z)^2}$$

- We require a calibration of the ruler to constrain  $H_0$  (+ cos. model to extrapolate to  $z = 0$ )

# BAO and $H_0$

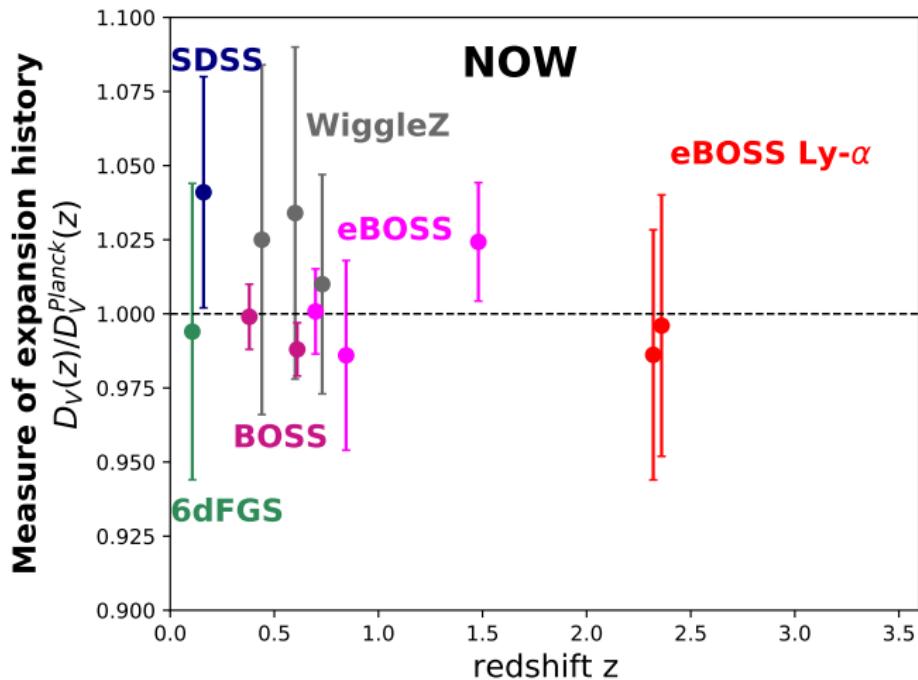


# Baryon Acoustic Oscillations in BOSS/eBOSS



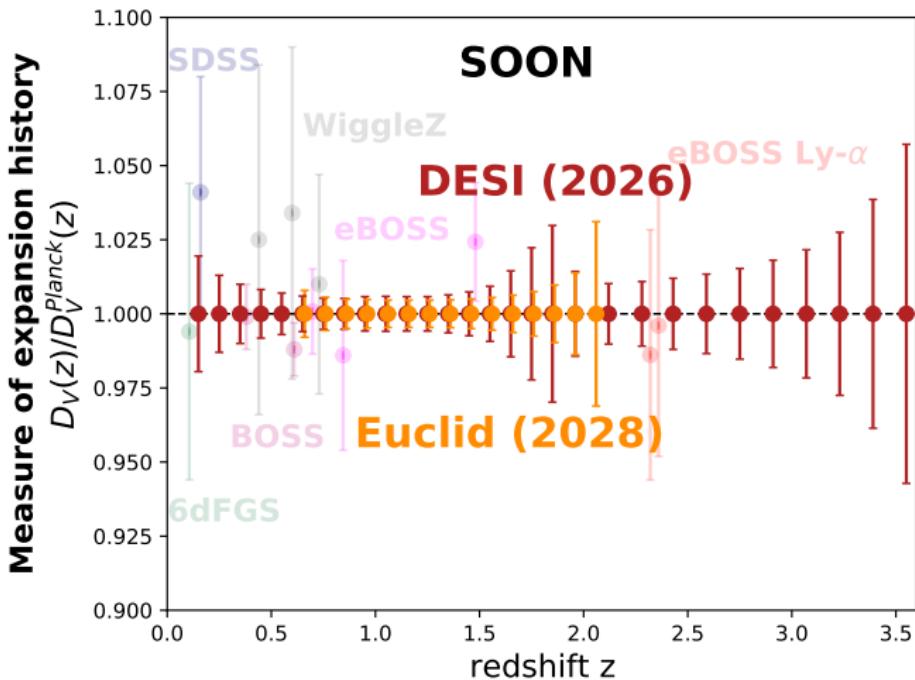
- Planck:  $\Omega_k = -0.044^{+0.019}_{-0.014}$
- Planck+BAO:  $\Omega_k = -0.0001 \pm 0.0018$

# Looking into the (near) future



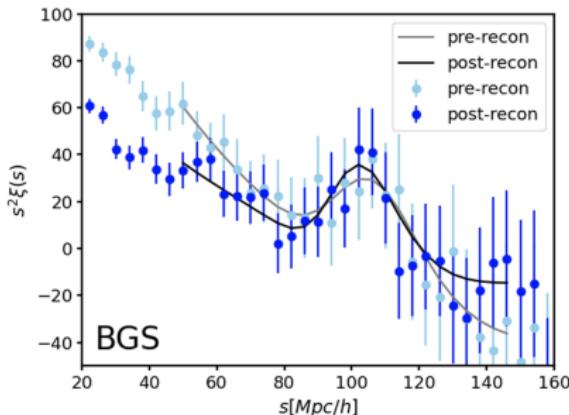
$$D_V(z) = \left[ (1+z)^2 D_A^2(z) \frac{cz}{H(z)} \right]^{1/3}$$

# Looking into the (near) future

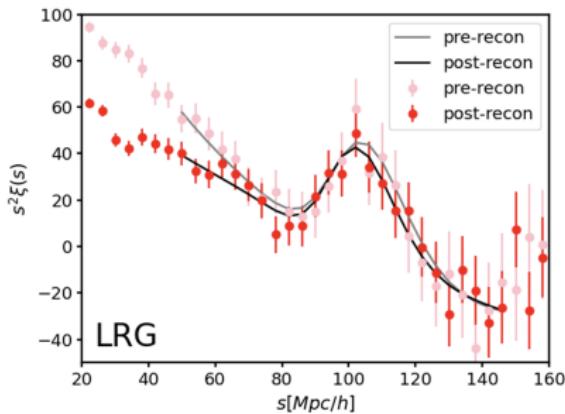


$$D_V(z) = \left[ (1+z)^2 D_A^2(z) \frac{cz}{H(z)} \right]^{1/3}$$

# DESI first results



BGS



LRG

**Table 3.** BAO key fitting results for DESI-M2 LRGs and BGS.

Sample	Reconstruction	BAO Detection Significance	$\alpha + \Delta\alpha$	$\min(\chi^2)/\text{dof}$
DESI-M2 LRG	Pre-recon	5.170	$0.987 \pm 0.016$	15.619 / 20
	Post-recon	5.050	$1.000 \pm 0.017$	13.463 / 20
DESI-M2 BGS	Pre-recon	2.337	$0.980 \pm 0.040$	13.172 / 20
	Post-recon	2.963	$1.001 \pm 0.026$	16.724 / 20

- 2 months of data (unblinded), no cosmological analysis
- 110k galaxies in BGS and 260k in the LRG sample
- Forecasting 0.29% error on the BAO between  $0.4 < z < 1.1$

Moon et al. (2023)

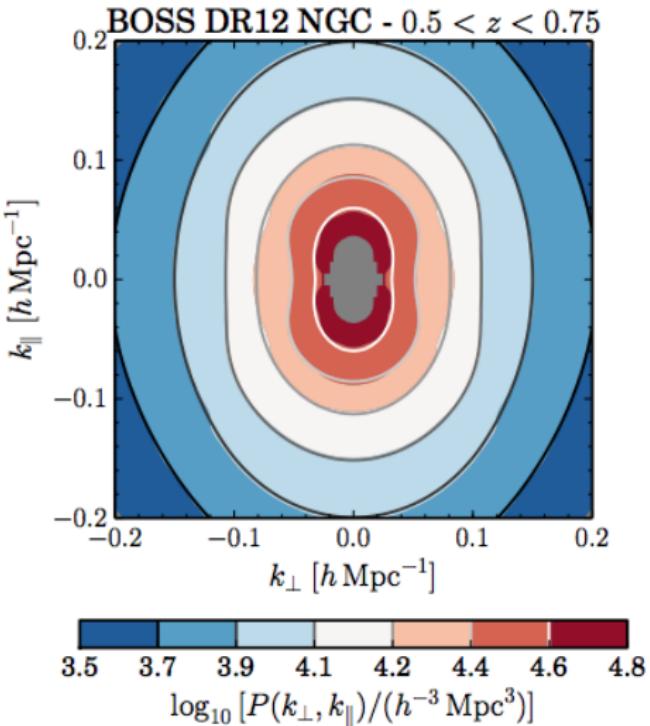
# What are redshift-space distortions?

The densities along the line-of-sight are enhanced due to the velocity field

$$\begin{aligned}\delta_g(k) &= b_1 \delta_m(k) - \mu^2 \nabla \cdot \mathbf{v} \\ &= \delta_m(k)(b_1 + f\mu^2)\end{aligned}$$

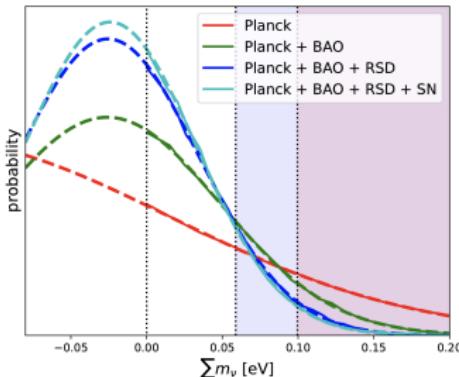
- Introduces a quadrupole
- Sensitive to cosmology since

$$f = \frac{\partial \ln D}{\partial \ln a} \approx \Omega_m^{0.55}$$



Alam et al. (2017)

# Constraining the neutrino mass with BAO & RSD



$$|\Delta m_{31}^2| \approx 2.56 \times 10^{-3} \text{ eV}^2$$

$$\Delta m_{21}^2 \approx 7.37 \times 10^{-5} \text{ eV}^2$$

$$0.06 \text{ eV}$$

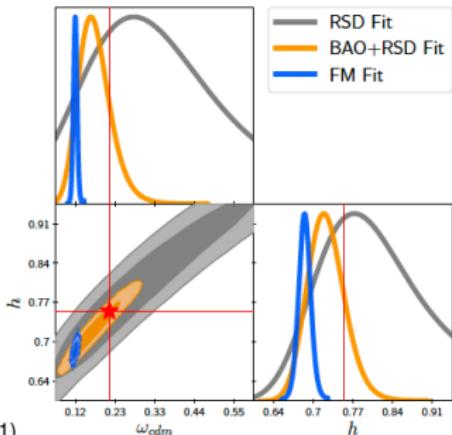
$$\lesssim \text{Planck} \left( \Lambda \text{CDM} + \sum m_\nu \right) + \text{BOSS/eBOSS} + \text{SN} < 0.099 \text{ eV}$$

- Neutrino mass hierarchy  $\begin{cases} m_{\nu_1} < m_{\nu_2} \ll m_{\nu_3} \rightarrow \min(\sum m_\nu) \approx 0.06 \text{ eV} \\ m_{\nu_3} \ll m_{\nu_1} < m_{\nu_2} \rightarrow \min(\sum m_\nu) \approx 0.1 \text{ eV} \end{cases}$
- **Planck + DESI will yield**  $\sigma_{\sum m_\nu} = 0.017 \text{ eV}$
- Tritium  $\beta$ -decay (Troitzk):  $m_{\bar{\nu}_e} < 2.05 \text{ eV}$
- KATRIN forecast:  $m_{\bar{\nu}_e} \sim 0.2 \text{ eV}$  ( $\sum m_\nu \approx 0.6 \text{ eV}$ )

Alam (2020), PDG (2018), Font-Ribera++ (2014), Wolf (2008)

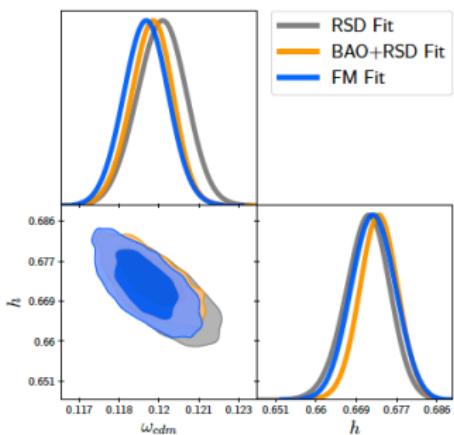
# How to extract this information

BOSS DR12



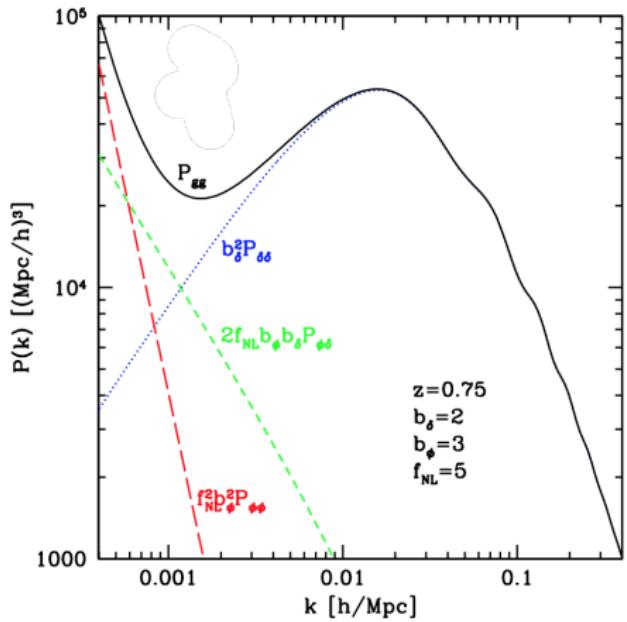
Brieden et al. (2021)

Planck 2018 + BOSS DR12



- The original BOSS analysis extracted BAO and RSD information ( $f\sigma_8$ ,  $D_A(z)/r_d$ ,  $H(z)r_d$ )
- Recently there was a push for fits to the full-shape power spectrum using EFTofLSS to extract additional information from the slope
- Such information can be extracted from template fits by an extension of 1 or 2 parameters (*ShapeFit*, Brieden et al. 2021)
- How to combine post-recon BAO with a full-shape analysis (Chen et al. 2022)

# Testing inflation through primordial non-Gaussianity

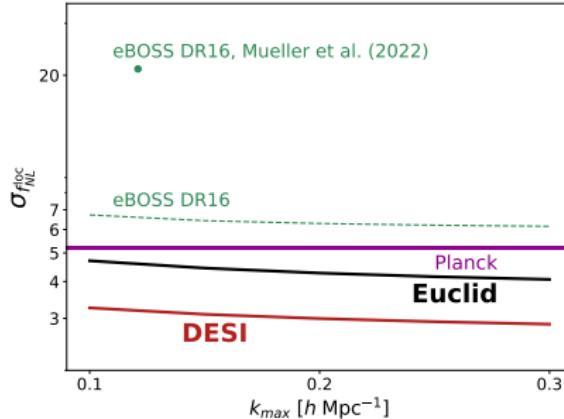


$$\phi_P(x) = \phi_G(x) + f_{NL}^{\text{loc}}(\phi_G^2(x) - \langle \phi_G^2(x) \rangle)$$

$$\delta_g(k) = \delta_m(k) \left( b_1 + f \mu^2 + \frac{b_\phi f_{NL}^{\text{loc}} \alpha}{k^2} \right) \rightarrow P_g \propto \frac{b_\phi f_{NL}^{\text{loc}}}{k^2}$$

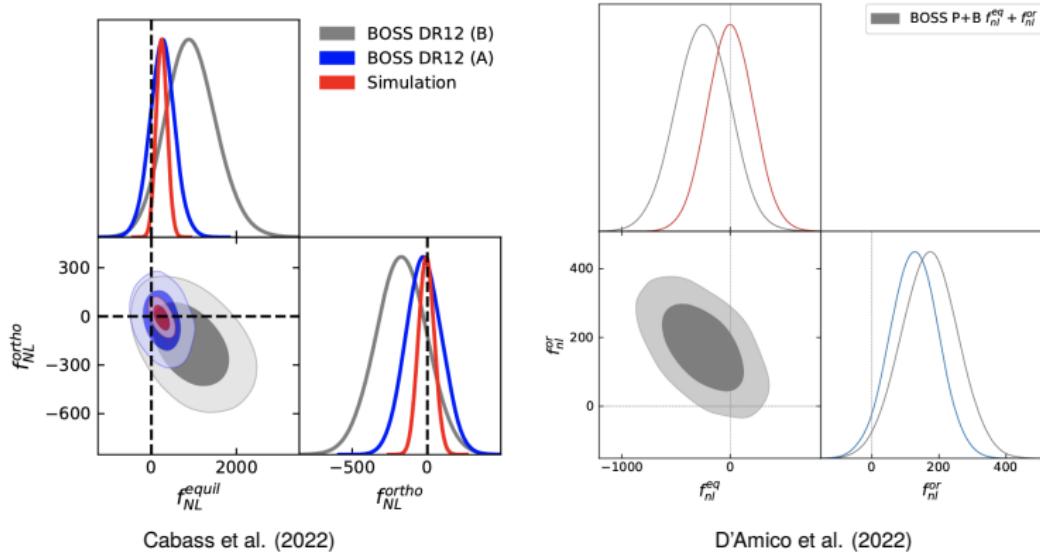
Dalal et al (2008), McDonald (2008)

# Primordial non-Gaussianity with LSS



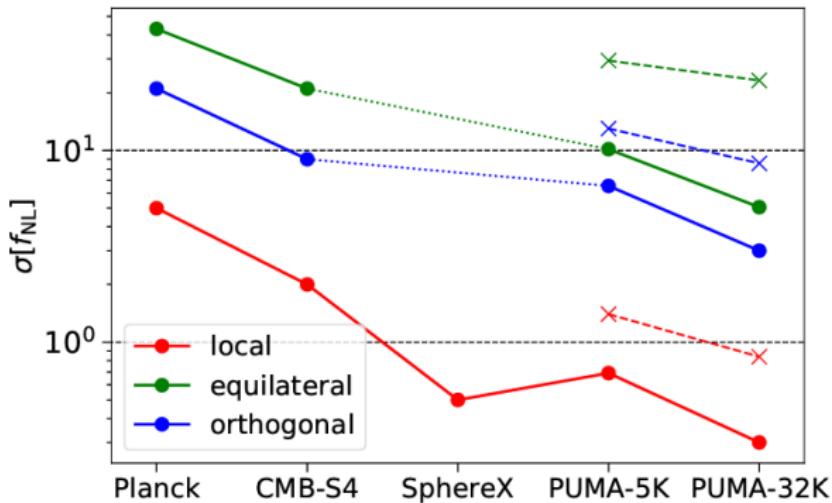
- eBOSS DR16 QSOs:  $f_{NL}^{\text{loc}} = 12 \pm 21$  (68 C.L.) excluding small  $k$  modes and QSOs above  $z > 2.2$  (Mueller et al. 2022)
- Theoretical systematics e.g.  $b_\phi f_{NL}^{\text{loc}}$  degeneracy (Barreira 2022), rel. effects (Castorina & di Dio 2022)
- **SPHEREx** forecasts  $\rightarrow \sigma_{f_{NL}^{\text{loc}}} < 0.87$  (with bispectrum 0.23) (Dore et al. 2015)
- Single-field models generally predict  $f_{NL}^{\text{loc}} \sim O(\epsilon) \ll 1$  (Maldacena 2003, Creminelli & Zaldarriaga 2004)

# Non local PNG from the BOSS bispectrum



- Planck 2018:  $f_{NL}^{eq} = -26 \pm 47$ ;  $f_{NL}^{ortho} = -38 \pm 24$
- Not yet competitive with the CMB but proof of principle
- These non-Gaussian templates arise in e.g. the EFT of inflation and test the slow-roll nature of inflation

# How far can we go?

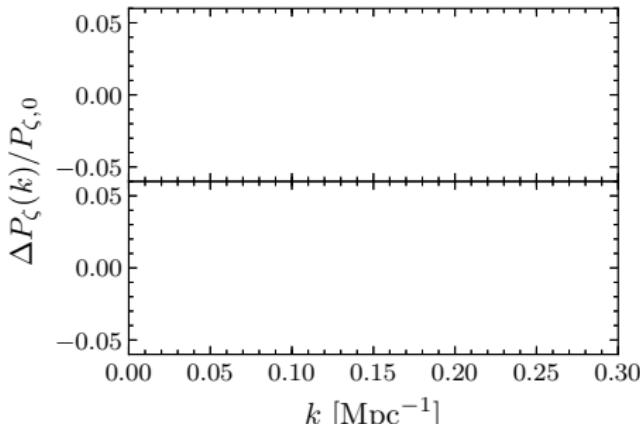
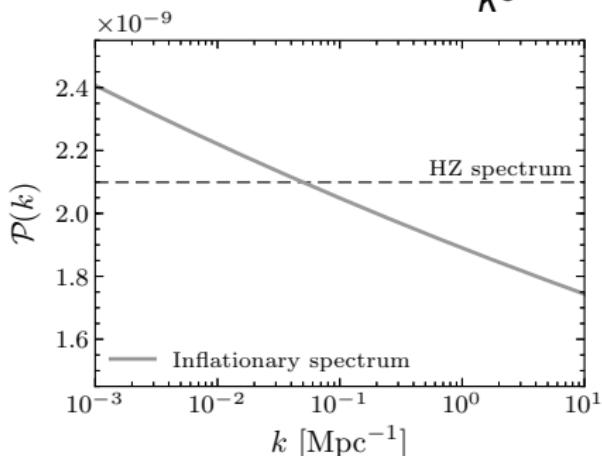


Castorina et al. (2020)

	$\sigma_{f_{NL}^{loc}}$	$\sigma_{f_{NL}^{eq}}$	$\sigma_{f_{NL}^{forth}}$	
<b>SPHEREx</b>	0.23 - 0.87	7	?	(Dore et al. 2015)
<b>DESI</b>	1.7 - 3.5	21 - 114	11 - 30	(Braganca et al. 2023)
<b>MegaMapper</b>	0.11 - 0.27	3.6 - 18	1.5 - 4.6	(Braganca et al. 2023)

# Testing inflation through primordial features

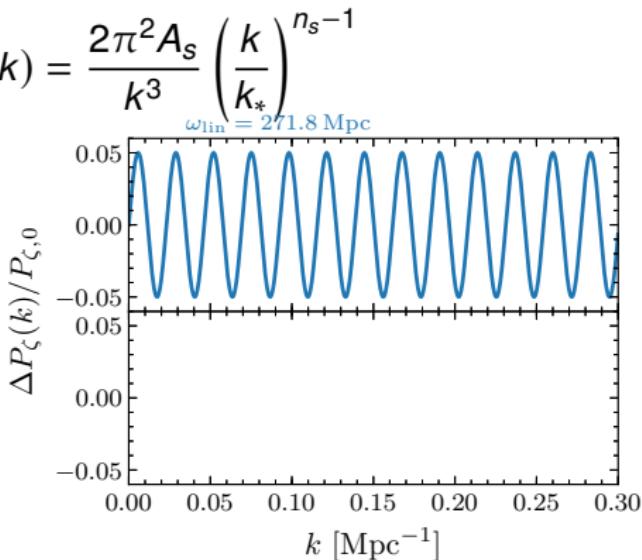
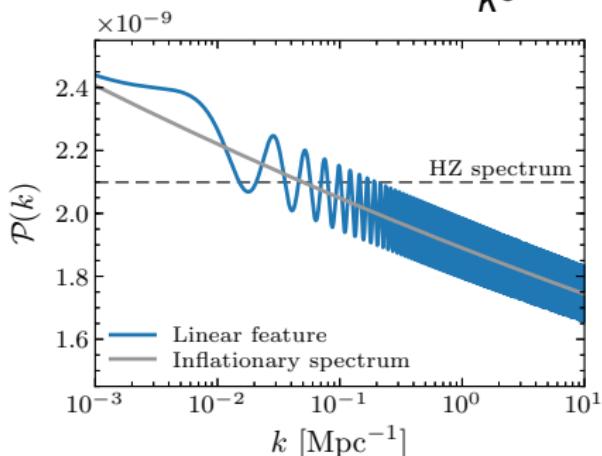
$$P_{\zeta,0}(k) = \frac{2\pi^2}{k^3} \mathcal{P}_{\zeta,0}(k) = \frac{2\pi^2 A_s}{k^3} \left(\frac{k}{k_*}\right)^{n_s-1}$$



- Feature(s) in the inflationary potential can introduce features in the primordial power spectrum, which might still be detectable today.
- Sharp features can lead to linear oscillations, while periodic features lead to log-oscillations.
- Such features are predicted by many popular inflationary models like monodromy inflation, brane inflation, axion inflation etc.

# Testing inflation through primordial features

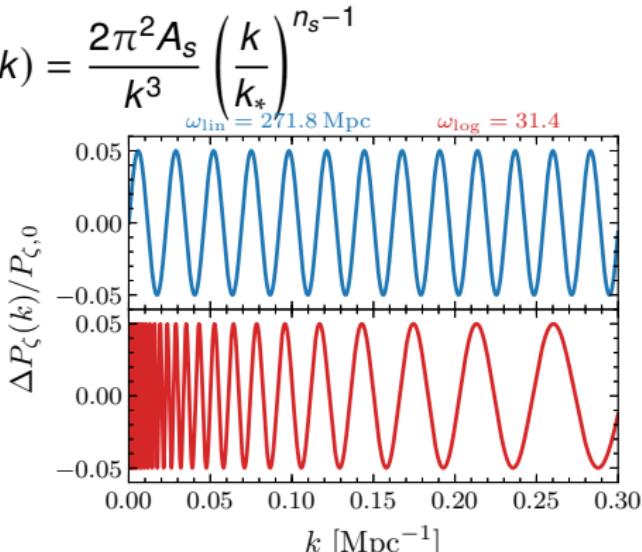
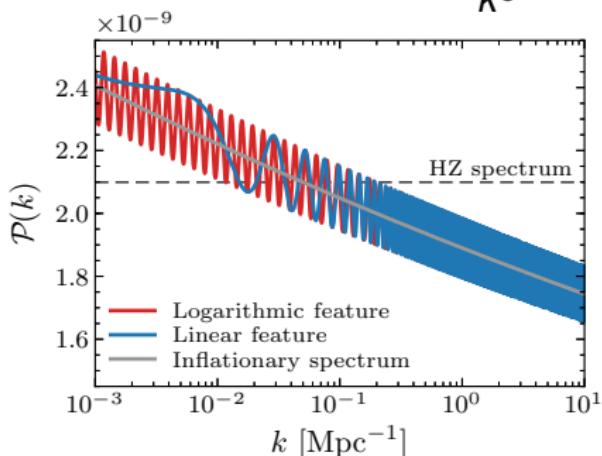
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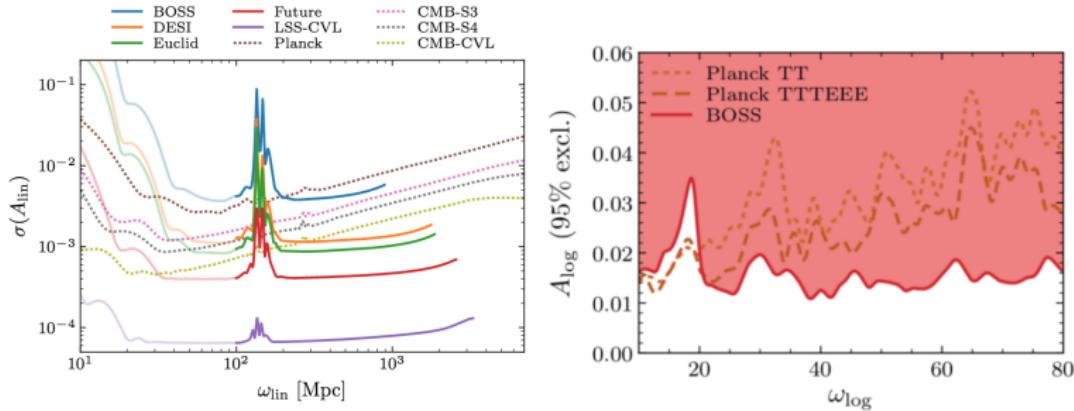
# Testing inflation through primordial features

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- Sharp features can lead to linear oscillations, while periodic features lead to log-oscillations.
- Such features are predicted by many popular inflationary models like monodromy inflation, brane inflation, axion inflation etc.

# Testing inflation through primordial features



- Here we use a model-independent approach based on

$$\frac{\Delta P_\zeta}{P_\zeta} = \begin{cases} A^{\cos} \cos \left[ \omega_{\log} \log \left( \frac{k}{0.05} \right) \right] + A^{\sin} \sin \left[ \omega_{\log} \log \left( \frac{k}{0.05} \right) \right], \\ A^{\cos} \cos [\omega_{\text{lin}} k] + A^{\sin} \sin [\omega_{\text{lin}} k] \end{cases}$$

- LSS is more powerful than the CMB on small frequencies, while the CMB can access much higher frequencies
- DESI is going to provide constraints which cannot be accessed even by a CVL CMB experiment

# Further linear corrections

$$\delta_g(k) = \delta_m(k) (b_1 + f\mu^2)$$

- Detecting some of these terms can test theories which modify the Euler equation ( $\frac{1}{\mathcal{H}}\partial_r\Psi = \frac{1}{\mathcal{H}}\dot{\nu}_{||} + \nu_{||}$ ) (Bonvin & Fleury 2018)
- Most of these terms are strongly suppressed in the std. 2-pt correlators (e.g.  $(\mathcal{H}/k)^2 \sim 10^{-5}$  at  $k = 0.1h/\text{Mpc}$  in the power spectrum)

Yoo et al. (2010), Bonvin & Durrer (2011), Challinor & Lewis (2011)

# Further linear corrections

$$\delta_g(k) = \delta_m(k) (b_1 + f\mu^2) - \overbrace{\int_0^r dr' \frac{r-r'}{rr'} \Delta_\Omega(\Phi + \Psi)}^{\text{Lensing}} \\ + \underbrace{\left(1 - \frac{\dot{\mathcal{H}}}{\mathcal{H}^2} - \frac{2}{r\mathcal{H}}\right) v_{\parallel} + \frac{1}{\mathcal{H}} \dot{v}_{\parallel}}_{\text{Doppler}} + \underbrace{\frac{1}{\mathcal{H}} \partial_r \Psi}_{\text{grav. redshift}} \\ + \underbrace{\left(\frac{\dot{\mathcal{H}}}{\mathcal{H}^2} + \frac{2}{r\mathcal{H}}\right) \left[\Psi + \int_0^r dr' (\dot{\Phi} + \dot{\Psi})\right]}_{\text{Potential}}$$

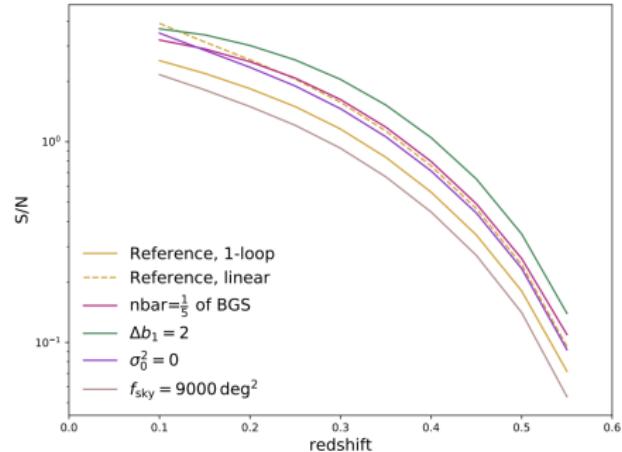
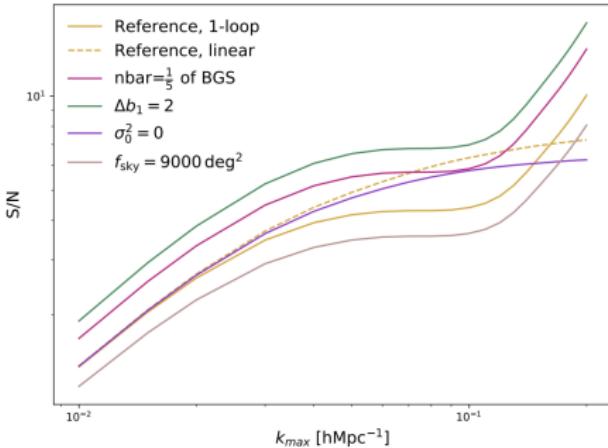
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Yoo et al. (2010), Bonvin & Durrer (2011), Challinor & Lewis (2011)

# DESI-BGS forecasts for relativistic effects

$$P_1(k, z) \stackrel{(\mathcal{R}^X = \mathcal{R}^Y)}{=} i\Delta b_1 \frac{\mathcal{H}}{k} \left( f\mathcal{R} + \frac{3}{2}\Omega_m \right) D^2 P(k),$$

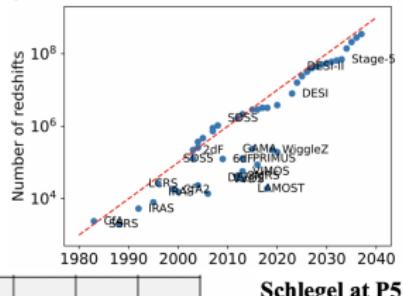
$$\mathcal{R} = 1 - b_e - f - \mathcal{H}^{-1} \partial_t \ln f - (2 - 5s_m) \left( 1 - \frac{1}{\mathcal{H}r} \right)$$



$$\left( \frac{S}{N} \right)^2 = \frac{1}{4\pi^2} \sum_i^{z_{\text{bins}}} V(z_i) \int_{k_{\min}}^{k_{\max}} dk k^2 \frac{|P_1^{XY}(k, z_i)|^2}{\sigma_{P_1}^2(k, z_i)}$$

# Spectroscopic surveys in the next decade

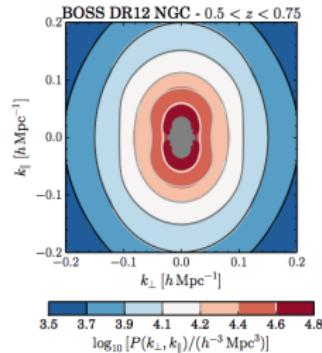
- **Dark Energy Spectroscopic Instrument (DESI; primarily  $z < 1.5$ )**
  - Baryon Acoustic Oscillations (BAO) and Redshift Space Distortions (RSD)
- **DESI-II (primarily  $z > 2$ )**
  - As powerful as DESI, but at  $z > 2$
  - Early dark energy and growth of structure in matter-dominated regime
  - Synergies with other Cosmic Frontier experiments
- **Spec-S5**
  - Primordial physics (more constraining than the CMB in key areas)



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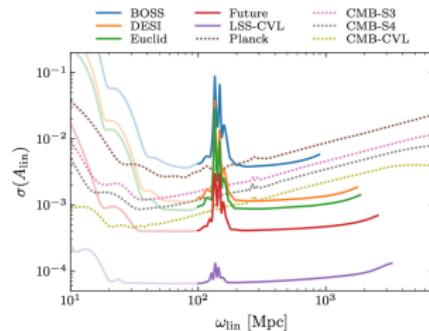
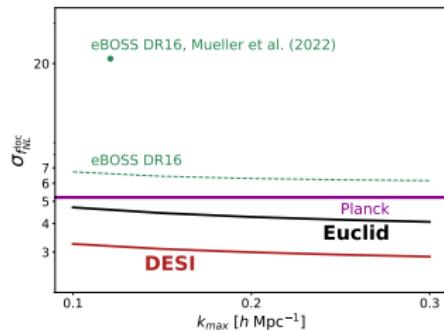
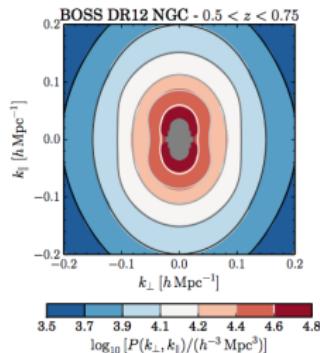
Spec-S5 (MegaMapper) → 6.5m aperture, 20k fibres

# Summary



- ➊ DESI and Euclid are the first stage 4 experiments to take data and the first DESI data release is expected in 2024
- ➋ Galaxy surveys offer many observational signatures (BAO, RSD, rel. effects) which offer powerful test for LCDM

# Summary



- ① DESI and Euclid are the first stage 4 experiments to take data and the first DESI data release is expected in 2024
- ② Galaxy surveys offer many observational signatures (BAO, RSD, rel. effects) which offer powerful test for LCDM
- ③ DESI and Euclid have the potential to compete with the CMB on several tests of inflation (PNG, primordial features)

# Euclid timeline

