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# REGULARIZED MIXTURE OF EXPERTS FOR GENERALIZED LINEAR MODELS

We introduce 3 packages for the Regularized Mixture of Experts models using the Lasso penalty:

- + Gaussian: RMoE package;
- + Poisson: PoissonRMoE package;
- + Logistic: LogisticRMoE package.

Please open the R project file and press "Ctrl + Shift + B" to install package.

Each package has one main function:

- + RMoE: RMoE(X, Y, K, Lambda, Gamma, option);
- + PoissonRMoE: PoissonRMoE(X, Y, K, Lambda, Gamma,
  option);
- + LogisticRMoE: LogisitcRMoE(X, Y, K, R, Lambda, Gamma, option);

#### where

- + X: matrix of explanatory variables. Each feature should be standardized to have mean 0 and variance 1. One must add the column vector  $(1,1,\ldots,1)$  for the intercept variable;
- + Y: vector of the response variable. For the Gaussian case Y should be standardized. For multi-logistic model Y is numbered from 1 to R (R is the number of labels of Y);
- + K: number of experts (K > 1);
- + R: number of labels of Y, used only for the logistic model.
- + Lambda: penalty value for the experts. In this work, lambda[k] = Lambda, for all k in {1,..,K} (Lambda >= 0);
- + Gamma: penalty value for the gating network. Here, gambda[k] = Lambda, for all k in  $\{1, ... K-1\}$  (Gamma >= 0);
- + option: we use two methods to maximizing the M-step: proximal Newton and proximal Newton-type method.
  - For proximal Newton: option = 0;
  - For proximal Newton-type: option = 1;

Note that, the EM algorithm based on proximal Newton method can be stuck, especially in logistic model. In this case, the proximal Newton-type approach is a suitable choice.

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# RESULTS

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The results are stored in 5 different ".txt" files:

+ Para.txt: contains the parameters for the experts and gating network, where the last (K-1) vectors are vectors of the gating network, the remains are vectors of the experts;

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+ LOG.txt: the penalized log-likelihood value;
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+ BIC.txt: the value of BIC;

+ MAXP.txt: the mixing proportions for each observation;

+ Restore data.txt: contains the input data and the classification class (the last column) for each observation.

+ Sigma.txt: the value of sigma. (For Gaussian model only).

In addition, the figure in "Plots Tab" of RStudio is the array of the penalized log-likelihood value after each iteration.

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### TESTING DATA SETS

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Please find the testing data sets in the folder "Testing Data". + "Gaussian" includes 3 data sets:

"Gaussian Data.txt": one typical simulated data (lambda = 5, gamma = 5, K = 2);

"Housing Data.txt": the housing data set (lambda = 42, gamma = 10 for K = 2 and lambda = 20, gamma = 10 for K = 3);

"RB Data.txt": the residential building data set (lambda = 15, gamma = 15 for K = 3).

+ "Poisson" contains 2 data sets:

"Poisson Data.txt": one typical simulated data (lambda =
20, gamma = 10, K = 2);
 "Cleveland.txt": the Cleveland data set (lambda = 10,

gamma = 4, K = 2).

+ "Logistic" contains 3 data sets:

"Logistic Data.txt": one typical simulated data (lambda =

3, gamma = 3, K = 2, R = 2);

"Ionosphere Data.txt": Ionosphere data (lambda = 3, gamma 3, K = 2, R = 2);

"Musk-1 Data.txt": Musk-1 data (lambda = 5, gamma = 5, K = 2, R = 2).

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## EXAMPLE

We demonstrate one example on how to use these functions. Here, we give a simple R code for the Gaussian Regularized MoE.

-----R code-----

setwd("D:/R code/ProxL-MoEv.1.1") #set the directory
library("RMoE")

Data = read.table("Housing Data.txt")

Data = as.matrix(Data) #using matrix format

dms = dim(Data)[2]

X = Data[,-dms] #including the first column with 1..1

Y = Data[,dms]

K = 2 # number of experts

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Lambda = 42
Gamma = 10
opt = 0 #opt = 0: proximal Newton; opt = 1: proximal Newton-type
RMoE(X, Y, K, Lambda, Gamma, opt)
```

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THANK YOU!