

UNIVERSITY OF THE YEAR

Categorical and Continuous Variables

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Categorical and Continuous Variables

- Categorical Variables:
- Nominal
- Dichotomous
 - Ordinal
- Continuous Variables:
- Interval
- Ratio



Ordinal (Integer) Encoding

Blood Types

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B+

ф

AB+

AB-

0

Encoding 1 2 3 4 6 7



One-Hot Encoding

0	0	0	0	0	0	0	1
AB-	0	0	0	0	0	1	0
AB+	0	0	0	0	1	0	0
В-	0	0	0	Н	0	0	0
B +	0	0	Н	0	0	0	0
-Ł	0	Н	0	0	0	0	0
A +	1	0	0	0	0	0	0

Blood Types	A +	Α-	B +	&	AB+	AB-	0



Hash encoding

- Hashing converts categorical variables to a high dimensional space of integers
- The distance between two vectors of categorical variables is maintained
- The number of dimensions are significantly less than that of one-hot encoding



Takes into account the 'Target'/Predicted variable

Binary Target:

individual values X; of a high-cardinality categorical attribute X; to a scalar, When the target attribute Y is binary, $Y \in \{0,1\}$, the transformation maps S_i, representing an estimate of the probability of Y=1 given that X=X_i

$$X \rightarrow S_i = P(Y|X = X_i)$$



Target (Mean) Encoding - Formulation

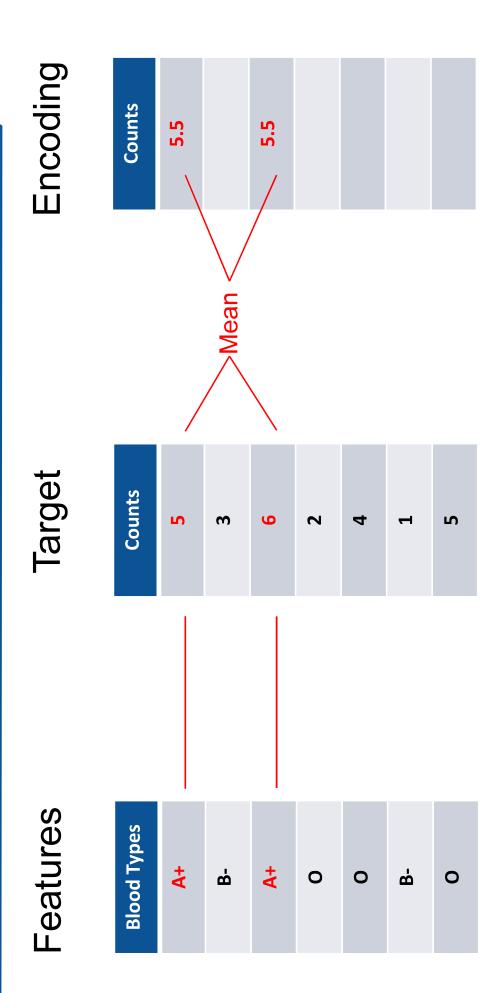
- Split dataset into training set containing n_{TR} records
- Only training samples is taken into account

$$S_{i} = \frac{n_{i}y}{n_{i}}$$

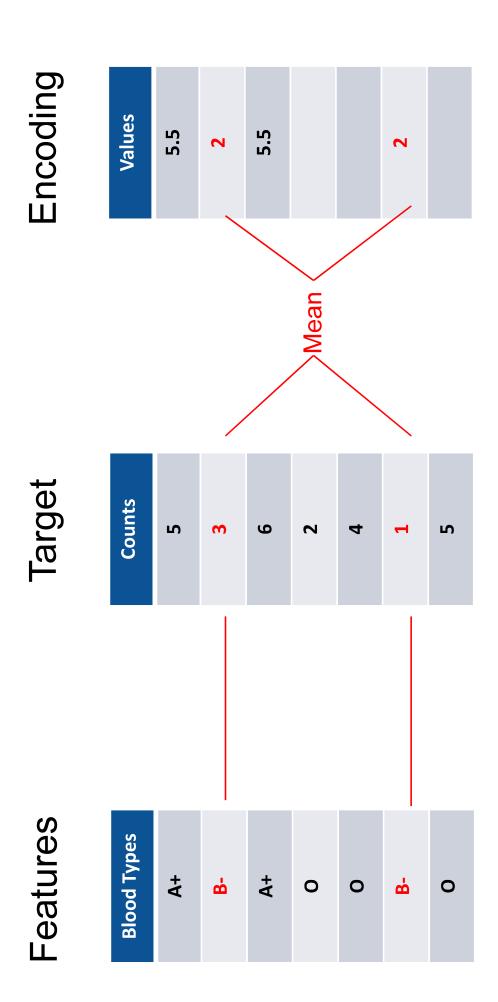
$$S_{i} = \lambda n_{i} \frac{n_{i}y}{n_{i}} + (1 - \lambda(n_{i})) \frac{n_{y}}{n_{TR}}$$

$$P(Y|X = X_{i}) \qquad P(Y)$$

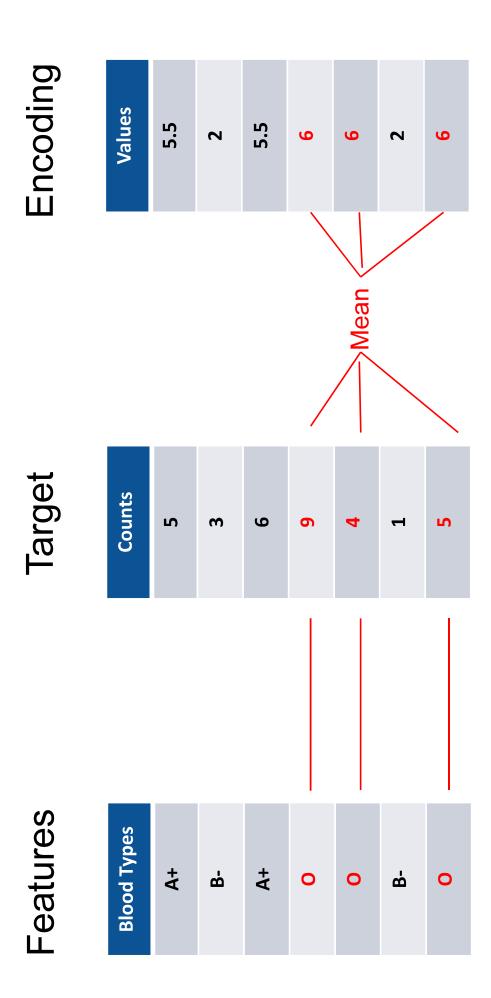












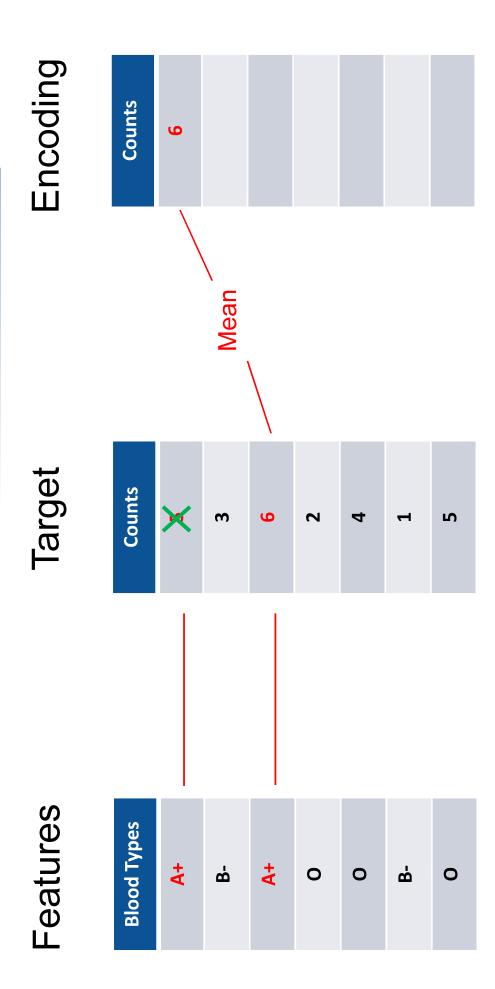


- Missing values can be handled by treating them as any other value
- In multiclass classification categorical variable are encoded with m-1 new variables where m is the number of classes.
- It a more compact representation than one-hot-encoding

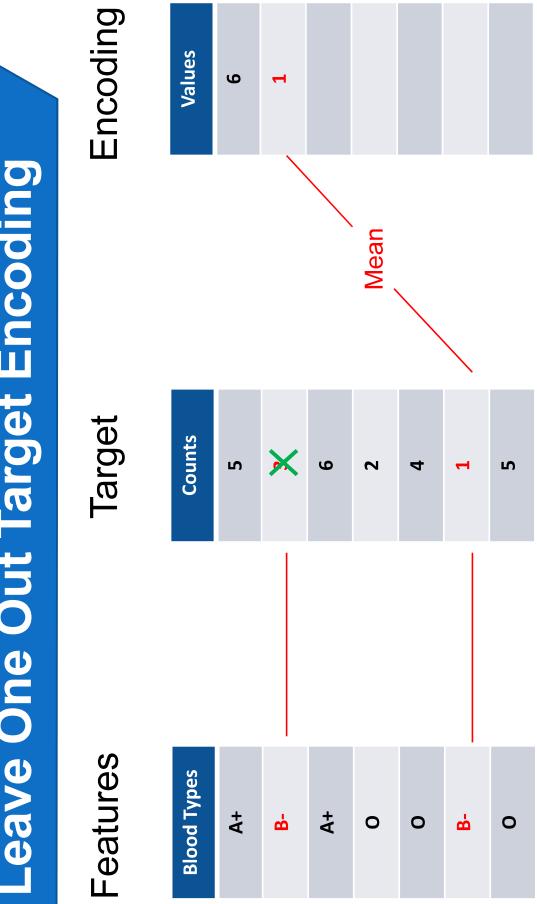
Target (Mean) Encoding - Limitations

- It is very sensitive to the target variable
- Tends to overfit because it associates every category's value with the same numerical value.
- Few training examples and the average value can get extreme values.
- It does not extract information from intra-category target variable distribution.

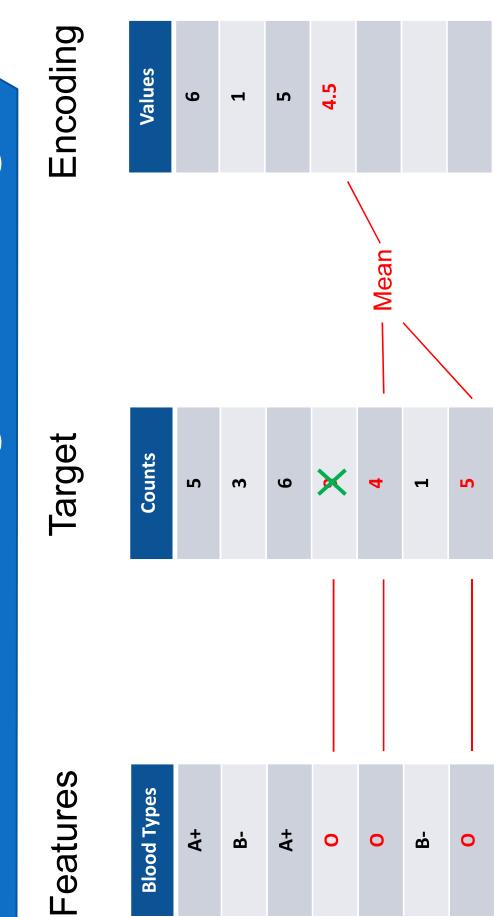












Let u is the targetencoded value for all samples having category C

Nc is the number of samples having category C

'j belongs to C'

$$v = \frac{1}{N_c} \sum_{j \in c} y_j$$

$$S_c = \sum_{j \in c} y_j$$

$$v_i = \frac{S_c - y_i}{N_c - 1}$$



Similar to Target (Mean) Encoding

Mean response over all rows for this category, excluding the row itself

Avoids direct response leakage

Reduce the effect of outliers

Computational efficient



Target Encoding

- Number of Categories
- Effects of Category Imbalance
- Interaction between variables

Summary

- One-hot-encoding treats all values of categorical variables equally
- Target (Mean) Encoding encodes categorical variables with conditional
- Takes into account the 'Target'/Predicted variable Categorical Variables
- Binary problems
- Multi-class problems
- Prediction Problems
- Leave-One-Out Target encoding reduces overfit
- Interactions often common in EHR might be difficult to be captured with Target Encodings.

References

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