d_1, d_2, d_3 positive integer. $\Omega \subset \mathbb{R}^{d_1}$, $m(\Omega) < \infty$ y $f : \Omega \times \mathbb{R}^{d_2} \to \mathbb{R}^{d_3}$.

For Orlicz Spaces we will use the Orlicz norm.

Nemitski operator

$$\boldsymbol{f}u(x) = f(x, u(x)$$

maps $\mathbb{R}^{d_2}$-valued functions defined on $\Omega \subset \mathbb{R}^{d_1}$ into $\mathbb{R}^{d_3}$-valued funcitions defined on $\Omega \subset \mathbb{R}^{d_1}$. Measurability seems follows the same lines that [2, p. 349].???

Let $\Phi_1 : \mathbb{R}^{d_2} \to \mathbb{R}$ and $\Phi_2 : \mathbb{R}^{d_3} \to \mathbb{R}$ be anisotropic N-functions.

Poner enunciado Theorem similar to [1, Lemma 17.1]

Let $u \in \Pi(E^{\Phi}_{d_2}, r)$ be. Adapting the [3, Prop. 3, p. 92-93] to $\mathbb{R}^d$-valued functions (see also [] By [4, Th. 5.5]) (???) we obtain a set $A \subset \Omega$ such that $\|u - \chi_A u\|_{L^\Phi(\Omega, \mathbb{R}^{d_2})}$

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