

WCST analysis

Check data

The size of the raw data table is (number of moves x number of variables):

```
## [1] 1092 11
```

There should be 4 types of rules: c, n, s and spxxxx (x stands for A, B, C or D). If there is more than 4, calculations based on the rules will be wrong!

```
## c n s sp
## 210 181 179 522
```

There should be $24+1=25$ types of source cards if we use unambiguous cards or $64-4+1=61$ types if we use ambiguous cards. The number of source card types:

```
## [1] 100
```

All source cards should have a 4-digit code. The source card codes and frequencies were:

##	sy1	qy2	tb4	cb1	qg4	tr2	cr2	cr4	cy2
##	17	16	16	15	15	15	14	14	14
##	cy4	qb4	qg1	qg2	qg3	sb2	sb3	sb4	sr1
##	14	14	14	14	14	14	14	14	14
##	sr2	tg1	tr3	ty1	ty4	cb2	cg1	cg2	cg3
##	14	14	14	14	14	13	13	13	13
##	cr1	cr3	cy1	cy3	qb3	qr2	qr4	qy1	sb1
##	13	13	13	13	13	13	13	13	13
##	sg1	sy3	tb3	tg2	ty3	cg4	qb2	qr1	qy4
##	13	13	13	13	13	12	12	12	12
##	sg4	sr3	sr4	sy2	tg3	tg4	cb3	qb1	qr3
##	12	12	12	12	12	12	11	11	11
##	sg3	sy4	tb1	tb2	tr4	ty2	hm0	hm1	hm41
##	11	11	11	11	11	11	9	8	7
##	hm42	hm43	hm44	hm45	hm35	hm36	hm37	hm38	hm39
##	7	7	7	7	6	6	6	6	6
##	hm40	hm46	hm47	hm48	hm49	hm50	hm51	hm52	hm53
##	6	6	6	6	6	6	6	6	6
##	hm54	hm55	hm56	hm57	hm58	hm2	hm29	hm3	hm30
##	6	6	6	6	6	5	5	5	5
##	hm31	hm32	hm33	hm34	hm4	hm5	hm6	hm10	hm11
##	5	5	5	5	5	5	5	4	4
##	(Other)								
##	78								

There should be 4 types of target cards, with the codes: tr1A, sg2B, qy3C, cb4D. Target card codes and frequencies were:

```
## cb4 div1 div2 div3 div4 qy3 sg2 tr1
## 216 3 3 6 2 368 262 232
```

Variables

Additional variables per move

From the raw data, I calculated some additional variables, such as:

- Think time: total time between two drop action minus the time spent with drag-and-drop
- Current rule: this is the same as “category”, but recoded with numbers, where s, c, n and sp have the codes: 1, 2, 3 and 4, respectively.
- Applied rule: the rule that the move conforms to. THIS WON'T BE CORRECT UNTIL THE SOURCE CARD CODE DOES NOT INCLUDE THE INDEX FOR THE SPATIAL RULE
- Number of applied rules: integer from 0 to 4 (actually 3, because we excluded the key cards from the deck)
- Random search: this is TRUE if none of the rules applies to the current rule (if the number of applied rules = 1)
- Perseveration error: after a “success”, we check if the participant keeps using the same rule (if the applied rule - or one of the applied rules - is the same as the current rule in the successful step) for any number of moves

An example: Data for participant 242040

##	tar_card	src_card	match	current_rule	applied_rule	randsearch	persev
## 1	sg2	qg4	false	1	2	FALSE	FALSE
## 2	qy3	qr4	true	1	1	FALSE	FALSE
## 3	cb4	cy3	true	1	1	FALSE	FALSE
## 4	sg2	sb2	true	1	1, 3	FALSE	FALSE
## 5	cb4	cr2	true	1	1	FALSE	FALSE
## 6	qy3	qr2	true	1	1	FALSE	FALSE
## 7	sg2	sy1	true	1	1	FALSE	FALSE
## 8	tr1	ty2	true	1	1	FALSE	FALSE
## 9	sg2	sg3	true	1	1, 2	FALSE	FALSE
## 10	tr1	ty4	true	1	1	FALSE	FALSE
## 11	tr1	tr2	true	2	1, 2	FALSE	TRUE
## 12	tr1	tr3	true	2	1, 2	FALSE	TRUE
## 13	tr1	tr4	true	2	1, 2	FALSE	TRUE
## 14	sg2	sy2	false	2	1, 3	FALSE	TRUE
## 15	tr1	tb2	false	2	1	FALSE	TRUE
## 16	sg2	qg3	true	2	2	FALSE	FALSE
## 17	cb4	cb3	true	2	1, 2	FALSE	FALSE
## 18	qy3	sy3	true	2	2, 3	FALSE	FALSE
## 19	sg2	sg1	true	2	1, 2	FALSE	FALSE
## 20	sg2	tg3	true	2	2	FALSE	FALSE
## 21	cb4	qb1	true	2	2	FALSE	FALSE
## 22	sg2	cg3	true	2	2	FALSE	FALSE
## 23	sg2	tg2	true	3	2, 3	FALSE	TRUE
## 24	qy3	ty1	false	3	2	FALSE	TRUE
## 25	cb4	tb3	false	3	2	FALSE	TRUE
## 26	cb4	tg4	true	3	3	FALSE	FALSE
## 27	cb4	sb4	true	3	2, 3	FALSE	FALSE
## 28	cb4	sg4	true	3	3	FALSE	FALSE
## 29	tr1	tb1	true	3	1, 3	FALSE	FALSE
## 30	qy3	qr3	true	3	1, 3	FALSE	FALSE
## 31	tr1	tg1	true	3	1, 3	FALSE	FALSE

## 32	sg2	qg2	true	3	2, 3	FALSE	FALSE
## 33	cb4	cy4	true	3	1, 3	FALSE	FALSE
## 34	cb4	qy4	false	4	3	FALSE	TRUE
## 35	tr1	cy1	false	4	3	FALSE	TRUE
## 36	cb4	cr3	false	4	1	FALSE	FALSE
## 37	qy3	qy2	true	4	1, 2	FALSE	FALSE
## 38	tr1	sr2	true	4	2	FALSE	FALSE
## 39	qy3	qy1	false	4	1, 2	FALSE	FALSE
## 40	tr1	cr1	false	4	2, 3	FALSE	FALSE
## 41	sg2	sb1	false	4	1	FALSE	FALSE
## 42	sg2	cy2	false	4	3	FALSE	FALSE
## 43	qy3	sr1	true	4	0	TRUE	FALSE
## 44	sg2	qb3	false	4	0	TRUE	FALSE
## 45	sg2	ty3	false	4	0	TRUE	FALSE
## 46	tr1	qb4	false	4	0	TRUE	FALSE
## 47	cb4	tb4	false	4	2, 3	FALSE	FALSE
## 48	cb4	sy4	false	4	3	FALSE	FALSE
## 49	qy3	qr1	true	4	1	FALSE	FALSE
## 50	qy3	cr4	false	4	0	TRUE	FALSE
## 51	sg2	sb3	false	4	1	FALSE	FALSE
## 52	tr1	cg1	false	4	3	FALSE	FALSE
## 53	sg2	cg2	false	4	2, 3	FALSE	FALSE
## 54	sg2	sr3	false	4	1	FALSE	FALSE
## 55	cb4	cg4	false	4	1, 3	FALSE	FALSE
## 56	cb4	cb1	false	4	1, 2	FALSE	FALSE
## 57	qy3	qg1	true	4	1	FALSE	FALSE
## 58	qy3	qb2	false	4	1	FALSE	FALSE
## 59	tr1	sr4	false	4	2	FALSE	FALSE
## 60	tr1	tr2	false	4	1, 2	FALSE	FALSE
## 61	tr1	sb4	false	4	0	TRUE	FALSE
## 62	tr1	qb3	false	4	0	TRUE	FALSE
## 63	tr1	tb4	false	4	1	FALSE	FALSE
## 64	tr1	tg1	false	4	1, 3	FALSE	FALSE

Variables per participant

From the per-move variables, I calculated averaged and summed values for each participant, separately for each rule:

- success
- failure
- number of moves
- number of correct moves
- number of incorrect moves
- average time between two drop actions
- average move time
- average think time
- time spent with the task (sec)

```
## Source: local data frame [48 x 6]
## Groups: condition, part [12]
##
##   condition  part category success_bin failure_bin moves_nb
```

```
##      (fctr) (int) (fctr)      (int)      (int)      (dbl)
## 1      wcst 242040      c      1      0      12
## 2      wcst 242040      n      1      0      11
## 3      wcst 242040      s      1      0      10
## 4      wcst 242040      sp     0      1      31
## 5      wcst 329422      c      1      0      11
## 6      wcst 329422      n      1      0      7
## 7      wcst 329422      s      1      0      10
## 8      wcst 329422      sp     0      1      31
## 9      wcst 757143      c      1      0      28
## 10     wcst 757143      n      1      0      10
## ..      ...      ...      ...      ...      ...

## Source: local data frame [48 x 6]
##
##      correctmoves_nb incorrectmoves_nb totaltime_avg movetime_avg
##      (int)              (int)              (dbl)          (dbl)
## 1              10              2      2540.750      923.3333
## 2              9              2      2324.455      866.4545
## 3              9              1      2554.300      769.9000
## 4              5             26      3609.935     1062.7419
## 5              9              2      3217.455     1143.3636
## 6              7              0      3132.857     1128.7143
## 7              8              2      2977.000     1097.1000
## 8              4             27      3167.323     1057.5806
## 9             13             15      4169.107      772.3214
## 10             7              3      2629.300      751.5000
## ..      ...      ...      ...      ...
## Variables not shown: thinktime_avg (dbl), time_spent (dbl)
```

- *Would perseveration be interesting? Do we need it?*
- *Distribution of rules used?*

Variables per condition

I coded the following variables, separately for each rule:

- Number of participants
- Number of solvers
- Number of nonsolvers
- Percentage of solvers
- Average number of moves
- Average time spent with the task

Other ideas?

```
## Source: local data frame [16 x 6]
## Groups: condition [4]
##
##      condition category partic_nb solvers_nb nonsolvers_nb solvers_perc
##      (fctr)      (fctr)      (int)      (int)      (int)      (dbl)
## 1      wcst      c          3          3          0          100
```

## 2	wcst	n	3	3	0	100
## 3	wcst	s	3	3	0	100
## 4	wcst	sp	3	0	3	0
## 5	wcstc	c	4	3	1	75
## 6	wcstc	n	4	3	1	75
## 7	wcstc	s	4	4	0	100
## 8	wcstc	sp	4	0	4	0
## 9	wcstf	c	2	0	2	0
## 10	wcstf	n	2	2	0	100
## 11	wcstf	s	2	1	1	50
## 12	wcstf	sp	2	0	2	0
## 13	wcstfc	c	2	2	0	100
## 14	wcstfc	n	3	3	0	100
## 15	wcstfc	s	3	3	0	100
## 16	wcstfc	sp	3	0	3	0

Source: local data frame [16 x 2]

##	nbofmoves_avg	timespsent_avg
##	(dbl)	(dbl)
## 1	17.000000	60.87200
## 2	9.333333	24.59733
## 3	12.666667	39.26733
## 4	31.000000	109.60800
## 5	16.750000	49.53475
## 6	17.750000	62.58600
## 7	10.000000	38.44975
## 8	31.000000	95.50650
## 9	31.000000	113.39450
## 10	18.500000	56.42500
## 11	26.000000	83.37750
## 12	61.000000	212.45800
## 13	10.333333	19.73167
## 14	15.000000	28.49167
## 15	16.333333	33.23867
## 16	61.000000	117.22267

Hypotheses

In our plans we had the following testable hypotheses:

1. Going through the standard rules first makes the task of finding the index rule harder
 - a) Condition 1 (WCST) will be more difficult than condition 2 (WCSTF)
 - b) Condition 3 (WCSTC) will be more difficult than condition 4 (WCSTFC)
 - c) Condition 1 (WCST) will be more difficult than condition 4 (WCSTFC)
2. Using the standard cards for the index rule makes the task of finding the index rule harder
 - a) Condition 1 (WCST) will be more difficult than condition 3 (WCSTC)
 - b) Condition 2 (WCSTF) will be more difficult than condition 4 (WCSTFC)
 - c) Condition 1 (WCST) will be more difficult than condition 4 (WCSTFC)
3. Some participants will report having an Heureka! moment, so this task can be categorized as an insight task

4. Is impasse associated with inactivity in this task? Is the average move time longer for the spatial task than for the other tasks?

Would you like to add something else? Can we justify Hypothesis 1/c and 2/c?

Analyses

Exclusion of participants

What exclusion criteria do we want to use?

- Exclude participants who did not finish the experiment?
- Exclude participants who did not find out the standard rules?
- Exclude participants who stay inactive for more than a certain amount of time?
- Exclude participants who respond too quickly?

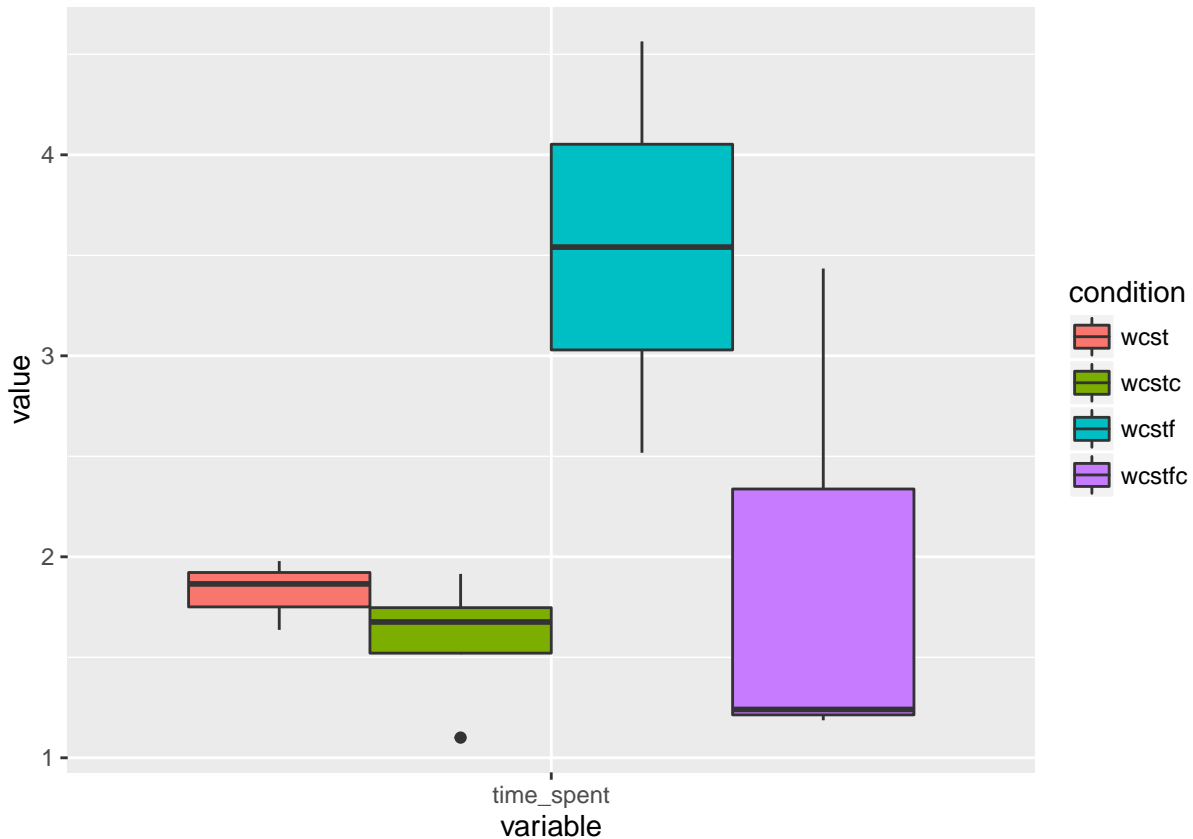
Statistical tests

For deciding whether solving the task in one condition is more difficult than solving it in another, we can use two variables: solution rates and solution times. As for the solution rates, we can construct a four-by-two contingency table (number of solvers and non-solvers in the four conditions). Analyzing a larger than two-by-two contingency table is possible with a Chi-square test, but it is only useful if the categories defining the rows are arranged in a natural order with equal spacing between rows. This is not true in our case, so we will have to analyze two-by-two contingency tables instead, separately for Hypothesis 1 and Hypothesis 2. We chose Fisher's exact test, which is supposed to be more exact than the Chi-square test, especially if the cells in the contingency table contain small values.

Solution rates in the four conditions:

```
## Source: local data frame [4 x 3]
## Groups: condition [4]
##
##   condition solvers_nb nonsolvers_nb
##   (fctr)      (int)      (int)
## 1    wcst         0         3
## 2   wcstc         0         4
## 3   wcstf         0         2
## 4  wcstfc         0         3
```

Solution time is calculated for each participant as the time spent with trying to solve the sequence rule (in minutes). We analyzed the solution time with a two-way ANOVA. Median solution times for the four conditions are shown by the box plots in the following figure:



Number of solvers

Does the order of rules influence the difficulty of finding the sequence rule?

We analyzed the contingency table containing the number of solvers and non-solvers in condition WCST and WCSTF and then separately, for condition WCSTC and WCSTFC. A $p < 0.05$ means that the row/column association is statistically significant.

```
##
## Fisher's Exact Test for Count Data
##
## data:  SR1234[c(1, 3), c(2, 3)]
## p-value = 1
## alternative hypothesis: true odds ratio is not equal to 1
## 95 percent confidence interval:
##      0 Inf
## sample estimates:
## odds ratio
##          0
```

```
##
## Fisher's Exact Test for Count Data
##
## data:  SR1234[c(2, 4), c(2, 3)]
## p-value = 1
```

```
## alternative hypothesis: true odds ratio is not equal to 1
## 95 percent confidence interval:
##      0 Inf
## sample estimates:
## odds ratio
##          0
```

Does the order of rules influence the difficulty of finding the sequence rule?

We analyzed the contingency table containing the number of solvers and non-solvers in condition WCST and WCSTC and then separately, for condition WCSTF and WCSTFC. A $p < 0.05$ means that the row/column association is statistically significant.

```
##
## Fisher's Exact Test for Count Data
##
## data:  SR1234[c(1, 2), c(2, 3)]
## p-value = 1
## alternative hypothesis: true odds ratio is not equal to 1
## 95 percent confidence interval:
##      0 Inf
## sample estimates:
## odds ratio
##          0
```

```
##
## Fisher's Exact Test for Count Data
##
## data:  SR1234[c(3, 4), c(2, 3)]
## p-value = 1
## alternative hypothesis: true odds ratio is not equal to 1
## 95 percent confidence interval:
##      0 Inf
## sample estimates:
## odds ratio
##          0
```

Solution time

We checked whether the data was normally distributed with Kolmogorov-Smirnov test:

```
##
## One-sample Kolmogorov-Smirnov test
##
## data:  ST1
## D = 1, p-value < 2.2e-16
## alternative hypothesis: two-sided

##
## One-sample Kolmogorov-Smirnov test
##
## data:  ST2
## D = 1, p-value < 2.2e-16
## alternative hypothesis: two-sided
```



```
##
## One-sample Kolmogorov-Smirnov test
##
## data: ST3
## D = 1, p-value < 2.2e-16
## alternative hypothesis: two-sided
```

```
##
## One-sample Kolmogorov-Smirnov test
##
## data: ST4
## D = 1, p-value < 2.2e-16
## alternative hypothesis: two-sided
```

If the data is normally distributed, we use ANOVA, if it is not, we use Wilcoxon.

```
## Warning in wilcox.test.default(ST1, ST2, alternative = "two.sided", paired
## = FALSE, : Requested conf.level not achievable
```

```
##
## Wilcoxon rank sum test
##
## data: ST1 and ST2
## W = 0, p-value = 0.2
## alternative hypothesis: true location shift is not equal to 0
## 80 percent confidence interval:
## -716421 -18957
## sample estimates:
## difference in location
## -490369
```