

Equation modification:

Use generalized Lorenz gauge

$$\operatorname{div} \left(\epsilon \vec{A} \right) = i\omega\mu\epsilon^2\phi.$$

To obtain magnetostatic equation in the form

$$\operatorname{rot} \frac{1}{\mu} \operatorname{rot} \vec{A} = \epsilon \nabla \left(\frac{1}{\epsilon^2 \mu} \operatorname{div} \left(\epsilon \vec{A} \right) \right) + \vec{J}_{ext}.$$

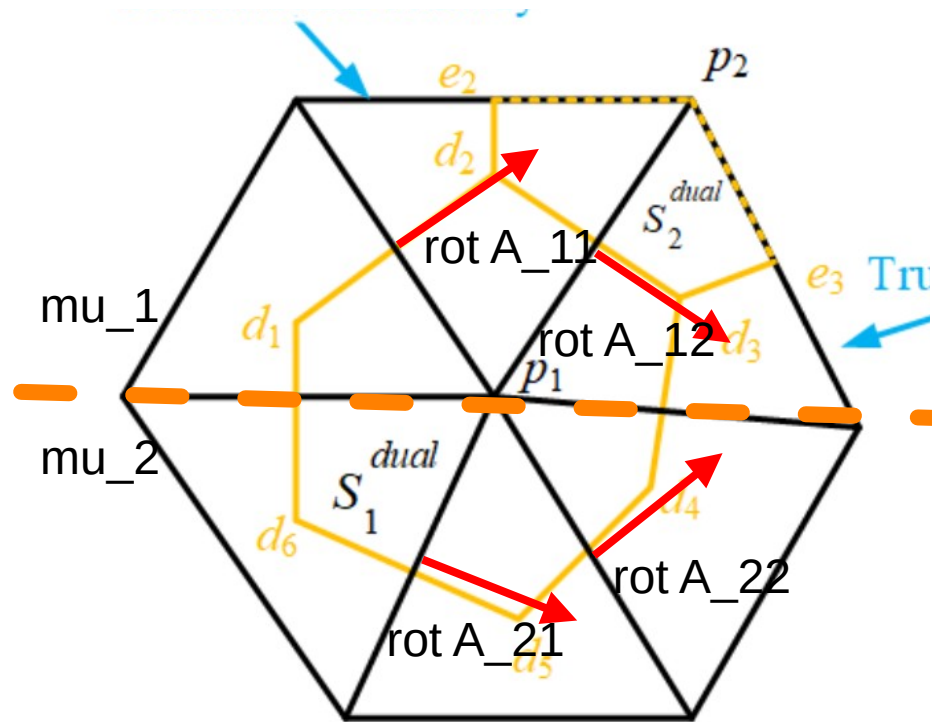


This term should not be dropped off.
Iterative solver is not stable without it!

Boundary conditions for magnetostatics

$$\vec{A}_1 = \vec{A}_2,$$

$$\frac{1}{\mu_1} [\text{rot} \vec{A}_1]_\tau = \frac{1}{\mu_2} [\text{rot} \vec{A}_2]_\tau$$



$\text{rot } A_{11} + \text{rot } A_{12}$ approximately tangential, the same is true for $\text{rot } A_{21} + \text{rot } A_{22}$

Condition for matrix assembly:
 $(\text{rot } A_{11} + \text{rot } A_{12})/\mu_1 - (\text{rot } A_{21} + \text{rot } A_{22})/\mu_2 = 0$

Vector potential A on p_1 -edge on one side is equal to that on the other side

Simple, but not accurate!

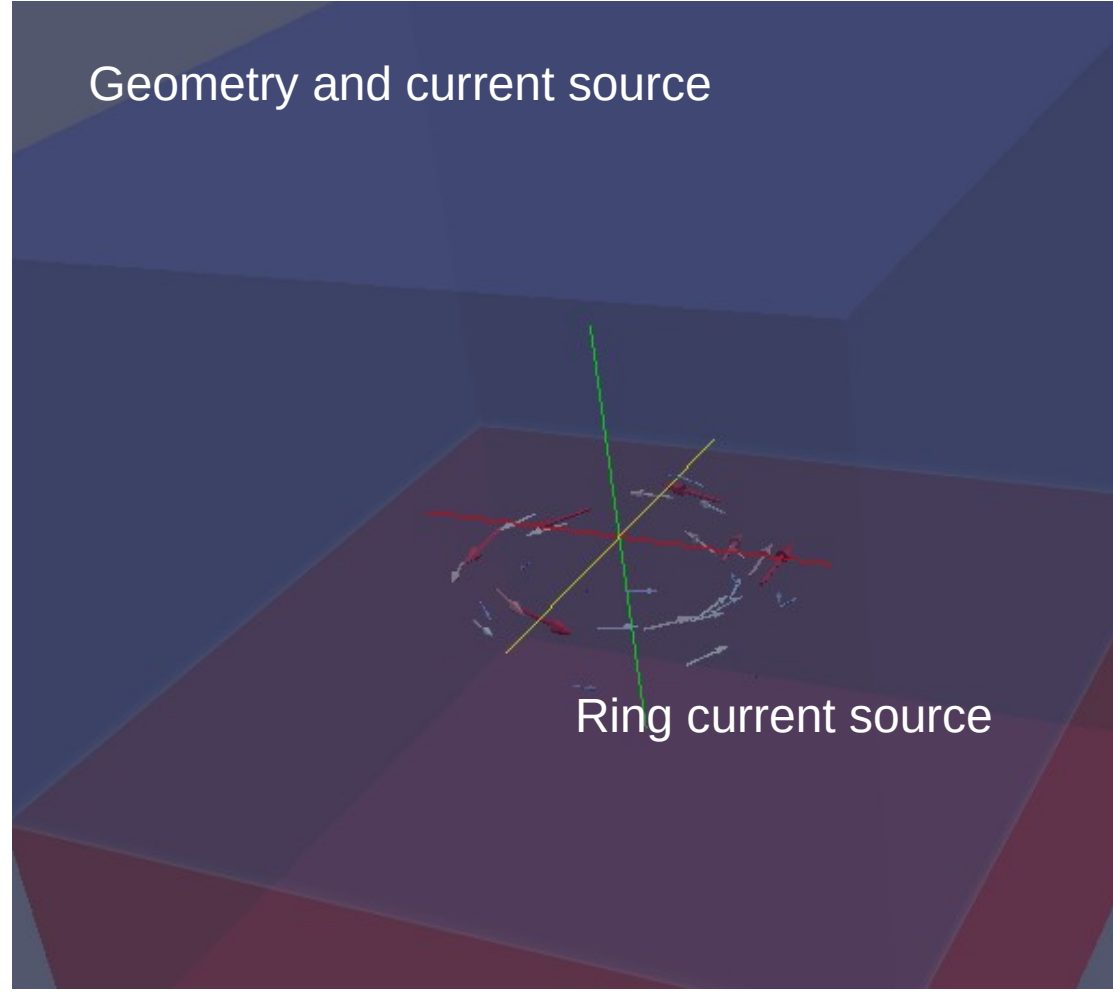
Solver draft: current ring over ferrite surface. Solution takes 800 iterations to converge to $2e-12$. Mesh was not intended to be orthogonal

Model mesh

$\mu = 1000$

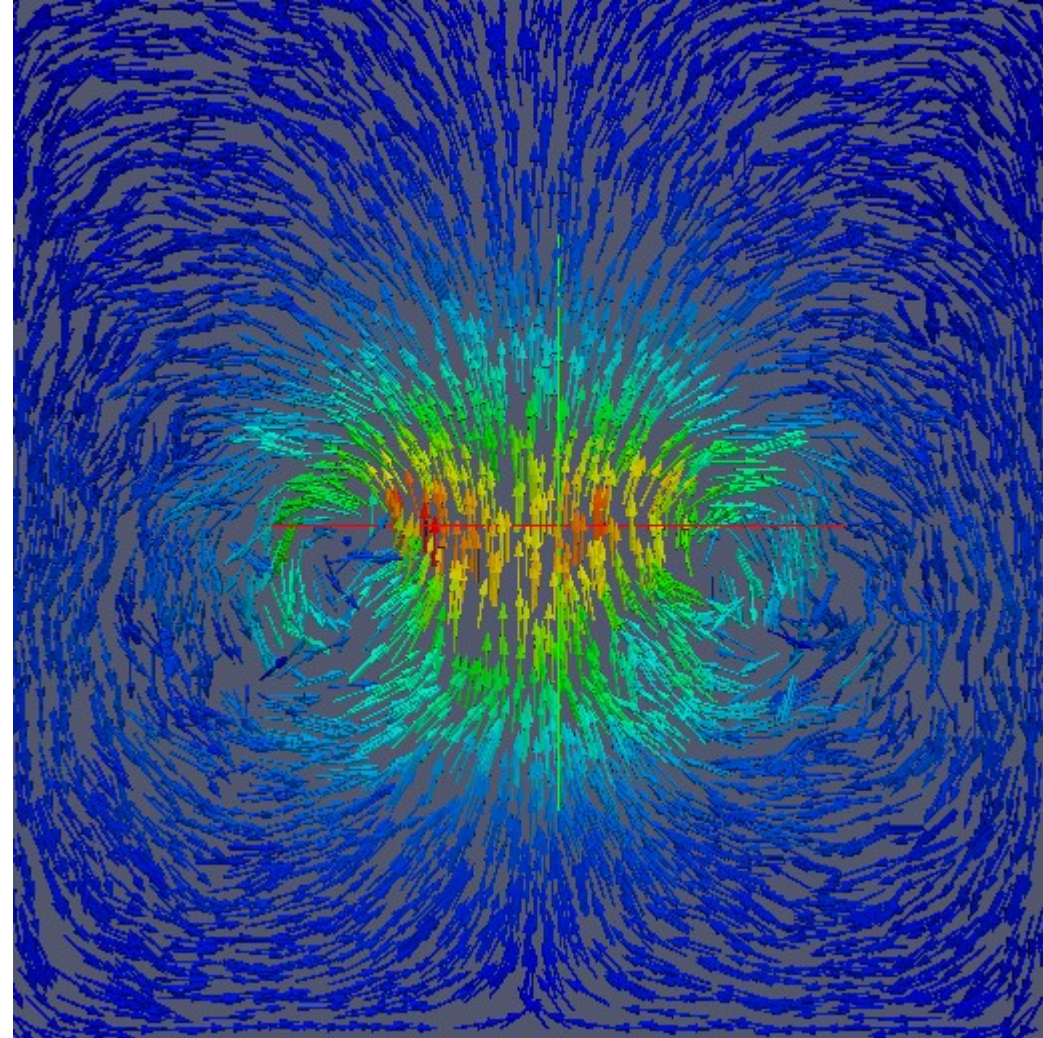
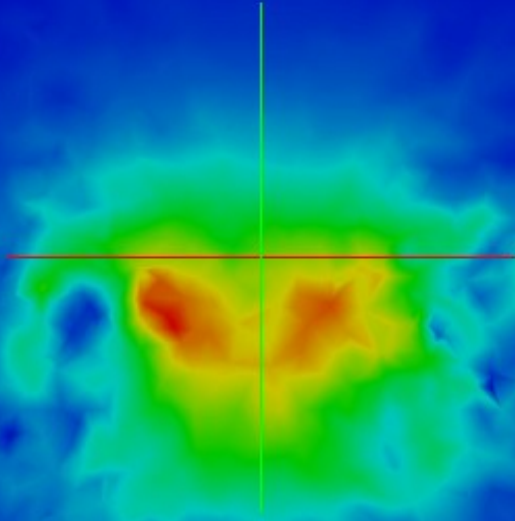
Geometry and current source

Ring current source



Solver draft: current ring over ferrite surface. B-field magnitude and vector

Not accurate interpolation from
edges to nodes and bad use of
Paraview



Ansys Maxwell 3D: Ring wire over ferrite surface

