

Generative Adversarial Networks

Why?

➤ 위키피디아에 GAN을 검색해보면?

- 2014년 6월에 Ian Goodfellow와 그의 동료들이 고안한 기계학습 프레임워크

Generative adversarial network

From Wikipedia, the free encyclopedia

Not to be confused with [Adversarial machine learning](#).

A **generative adversarial network** (**GAN**) is a class of [machine learning](#) frameworks designed by [Ian Goodfellow](#) and his colleagues in June 2014.^[1] Two [neural networks](#) contest with each other in the form of a [zero-sum game](#), where one agent's gain is another agent's loss.



What?

➤ Generative Adversarial Nets([Paper](#))

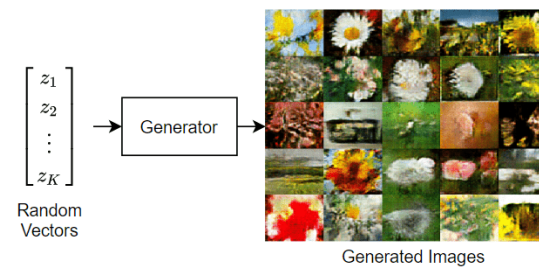
- 생성가능한 적대적 신경망
- Generator(생성자)와 Discriminator(판별자)로 구성

➤ Generator(생성자)

- 입력: 노이즈
- 출력: 가짜 데이터

➤ Discriminator(판별자)

- 입력: 가짜 데이터 또는 진짜 데이터
- 출력: 진위여부



What?

➤ Generative Adversarial Nets([Paper](#))

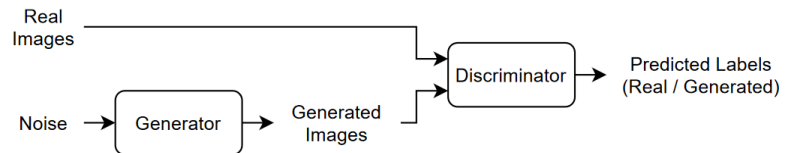
- 생성가능한 적대적 신경망
- Generator(생성자)와 Discriminator(판별자)로 구성

➤ Generator(생성자)

- 입력: 노이즈
- 출력: 가짜 데이터

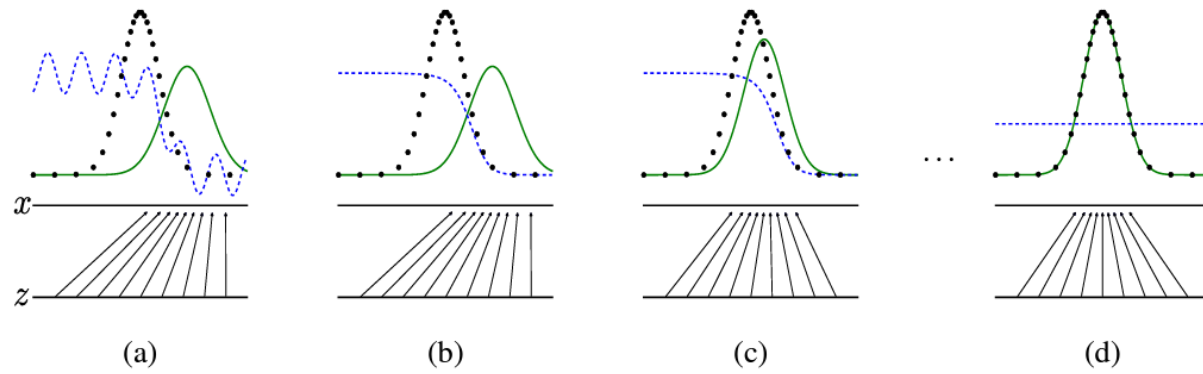
➤ Discriminator(판별자)

- 입력: 가짜 데이터 또는 진짜 데이터
- 출력: 진위여부



What?

- 검정색 : 실제 데이터의 분포
- 초록색 : 생성자가 생성한 데이터의 분포
- 파란색 : 판별자가 판단하는 값



What?

➤ GAN이 생성한 이미지

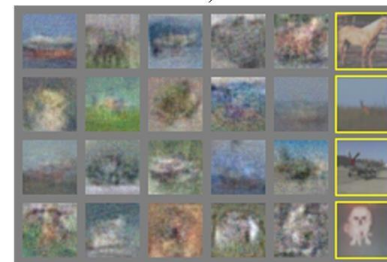
- a : MNIST
- b: TFT(Toronto Face Database)
- c, d: CIFAR10



a)



b)



c)



d)

How?

➤ D and G play the following two-player minimax game with value function $V(G, D)$

$$\min_G \max_D V(D, G) = \mathbb{E}_{\mathbf{x} \sim p_{\text{data}}(\mathbf{x})} [\log D(\mathbf{x})] + \mathbb{E}_{\mathbf{z} \sim p_{\mathbf{z}}(\mathbf{z})} [\log(1 - D(G(\mathbf{z})))]$$

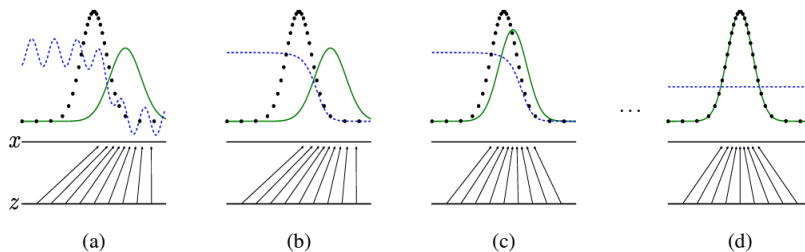
How?

➤ D and G play the following two-player minimax game with value function $V(G, D)$

$$\min_G \max_D V(D, G) = \mathbb{E}_{\mathbf{x} \sim p_{\text{data}}(\mathbf{x})} [\log D(\mathbf{x})] + \mathbb{E}_{\mathbf{z} \sim p_{\mathbf{z}}(\mathbf{z})} [\log(1 - D(G(\mathbf{z})))]$$

실제 데이터에 대한 확
률분포에서 샘플링한
데이터

임의의 노이즈*에서
샘플링한 데이터
* : 일반적으로 가우시안 노이즈 사용



How?

➤ D and G play the following two-player minimax game with value function $V(G, D)$

$$\min_G \max_D V(D, G) = \mathbb{E}_{\mathbf{x} \sim p_{\text{data}}(\mathbf{x})} [\log D(\mathbf{x})] + \mathbb{E}_{\mathbf{z} \sim p_{\mathbf{z}}(\mathbf{z})} [\log(1 - D(G(\mathbf{z})))]$$

실제 데이터가 진짜라고 판단할 경우 1, 가짜라고 판단할 경우 0을 출력

가짜 데이터가 진짜라고 판단할 경우 1, 가짜라고 판단할 경우 0을 출력

How?

➤ D and G play the following two-player minimax game with value function $V(G, D)$

$$\min_G \max_D V(D, G) = \mathbb{E}_{\mathbf{x} \sim p_{\text{data}}(\mathbf{x})} [\log D(\mathbf{x})] + \mathbb{E}_{\mathbf{z} \sim p_{\mathbf{z}}(\mathbf{z})} [\log(1 - D(G(\mathbf{z})))]$$

\downarrow max \downarrow max

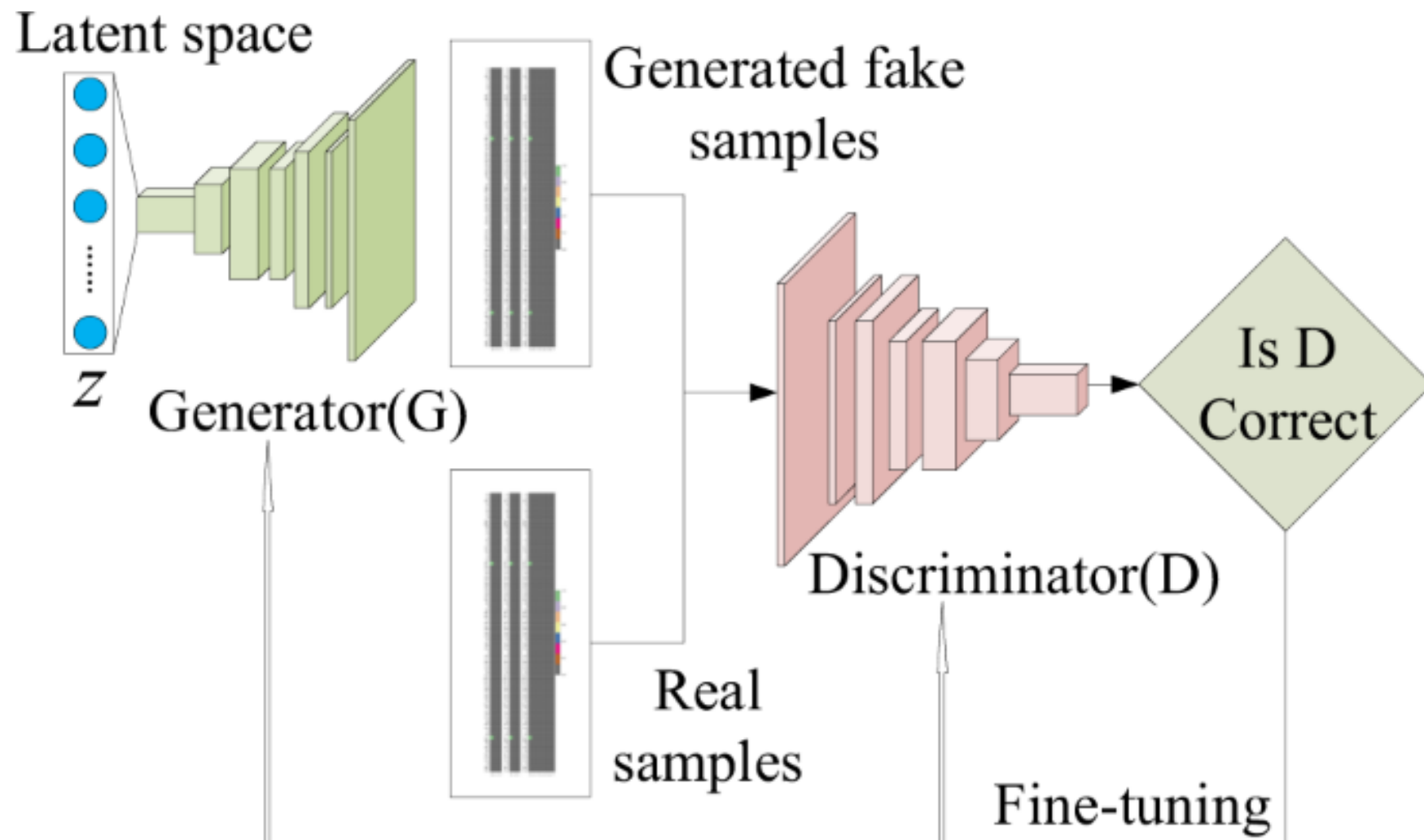
\downarrow $D(x) = 1$ \downarrow $D(G(z)) = 0$

\downarrow 실제 데이터를 진짜라고 판단 \downarrow 가짜 데이터를 가짜라고 판단

$$\min_G \max_D V(D, G) = E_{x \sim p_{\text{data}}(x)} [\log D(x)] + E_{z \sim p_z(z)} [\log(1 - D(G(z)))]$$

x: 실제 데이터
z: 노이즈

$$\min_{\text{생성}} \max_{\text{판별}} V(\text{판별}, \text{생성}) = [\log \text{판별}(x)] + [\log(1 - \text{판별}(\text{생성}(z)))]$$



How?

➤ D and G play the following two-player minimax game with value function $V(G, D)$

Algorithm 1 Minibatch stochastic gradient descent training of generative adversarial nets. The number of steps to apply to the discriminator, k , is a hyperparameter. We used $k = 1$, the least expensive option, in our experiments.

for number of training iterations **do**

for k steps **do**

- Sample minibatch of m noise samples $\{z^{(1)}, \dots, z^{(m)}\}$ from noise prior $p_g(z)$.
- Sample minibatch of m examples $\{x^{(1)}, \dots, x^{(m)}\}$ from data generating distribution $p_{\text{data}}(x)$.
- Update the discriminator by ascending its stochastic gradient:

$$\nabla_{\theta_d} \frac{1}{m} \sum_{i=1}^m \left[\log D(x^{(i)}) + \log \left(1 - D(G(z^{(i)})) \right) \right].$$

end for

- Sample minibatch of m noise samples $\{z^{(1)}, \dots, z^{(m)}\}$ from noise prior $p_g(z)$.
- Update the generator by descending its stochastic gradient:

$$\nabla_{\theta_g} \frac{1}{m} \sum_{i=1}^m \log \left(1 - D(G(z^{(i)})) \right).$$

end for

The gradient-based updates can use any standard gradient-based learning rule. We used momentum in our experiments.

How?

➤ D and G play the following two-player minimax game with value function $V(G, D)$

Algorithm 1 Minibatch stochastic gradient descent training of generative adversarial nets. The number of steps to apply to the discriminator, k , is a hyperparameter. We used $k = 1$, the least expensive option, in our experiments.

for number of training iterations **do**

for k steps **do**

- Sample minibatch of m noise samples $\{z^{(1)}, \dots, z^{(m)}\}$ from noise prior $p_g(z)$.
- Sample minibatch of m examples $\{x^{(1)}, \dots, x^{(m)}\}$ from data generating distribution $p_{\text{data}}(x)$.
- Update the discriminator by ascending its stochastic gradient:

$$\nabla_{\theta_d} \frac{1}{m} \sum_{i=1}^m \left[\log D(x^{(i)}) + \log \left(1 - D(G(z^{(i)})) \right) \right].$$

end for

- Sample minibatch of m noise samples $\{z^{(1)}, \dots, z^{(m)}\}$ from noise prior $p_g(z)$.
- Update the generator by descending its stochastic gradient:

$$\nabla_{\theta_g} \frac{1}{m} \sum_{i=1}^m \log \left(1 - D(G(z^{(i)})) \right).$$

end for

The gradient-based updates can use any standard gradient-based learning rule. We used momentum in our experiments.

How?

➤ D and G play the following two-player minimax game with value function $V(G, D)$

Algorithm 1 Minibatch stochastic gradient descent training of generative adversarial nets. The number of steps to apply to the discriminator, k , is a hyperparameter. We used $k = 1$, the least expensive option, in our experiments.

for number of training iterations **do**

for k steps **do**

- Sample minibatch of m noise samples $\{z^{(1)}, \dots, z^{(m)}\}$ from noise prior $p_g(z)$.
- Sample minibatch of m examples $\{x^{(1)}, \dots, x^{(m)}\}$ from data generating distribution $p_{\text{data}}(x)$.
- Update the discriminator by ascending its stochastic gradient:

$$\nabla_{\theta_d} \frac{1}{m} \sum_{i=1}^m \left[\log D(x^{(i)}) + \log \left(1 - D(G(z^{(i)})) \right) \right].$$

end for

- Sample minibatch of m noise samples $\{z^{(1)}, \dots, z^{(m)}\}$ from noise prior $p_g(z)$.
- Update the generator by descending its stochastic gradient:

$$\nabla_{\theta_g} \frac{1}{m} \sum_{i=1}^m \log \left(1 - D(G(z^{(i)})) \right).$$

end for

The gradient-based updates can use any standard gradient-based learning rule. We used momentum in our experiments.

Conclusion

➤ GAN의 한계

- 학습시키는 것이 어렵다
 - 생성자와 판별자의 실력이 비슷한 경우에 두 모델이 균형있게 학습이 진행되는데, 그렇지 않은 경우 학습이 잘 진행되지 않음
- 사용된 생성자의 결과물 형태가 어떠한 과정을 통해 나왔는지 알 수 없다
- 새롭게 만들어진 데이터가 얼마나 정확한지 객관적으로 판단하기 어렵다
 - 주관적인 판단 필요

DCGAN

- Paper: Unsupervised Representation Learning with Deep Convolutional Generative Adversarial Networks, Alec Radford, Luke Metz, Soumith Chintala, ICLR 2016

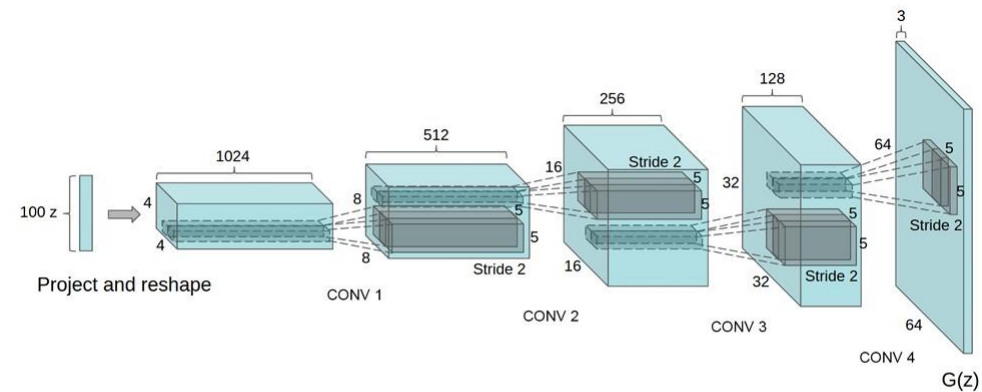
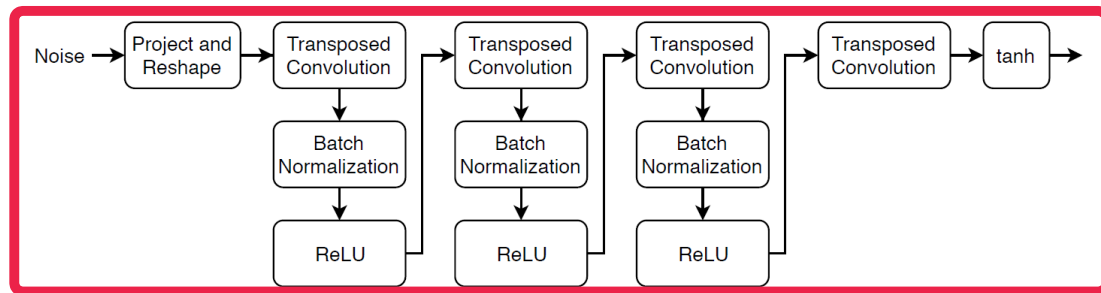
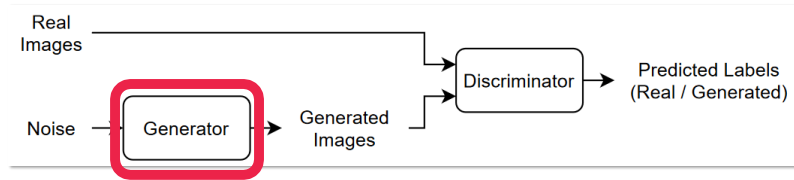


Figure 1: DCGAN generator used for LSUN scene modeling. A 100 dimensional uniform distribution Z is projected to a small spatial extent convolutional representation with many feature maps. A series of four fractionally-strided convolutions (in some recent papers, these are wrongly called deconvolutions) then convert this high level representation into a 64×64 pixel image. Notably, no fully connected or pooling layers are used.

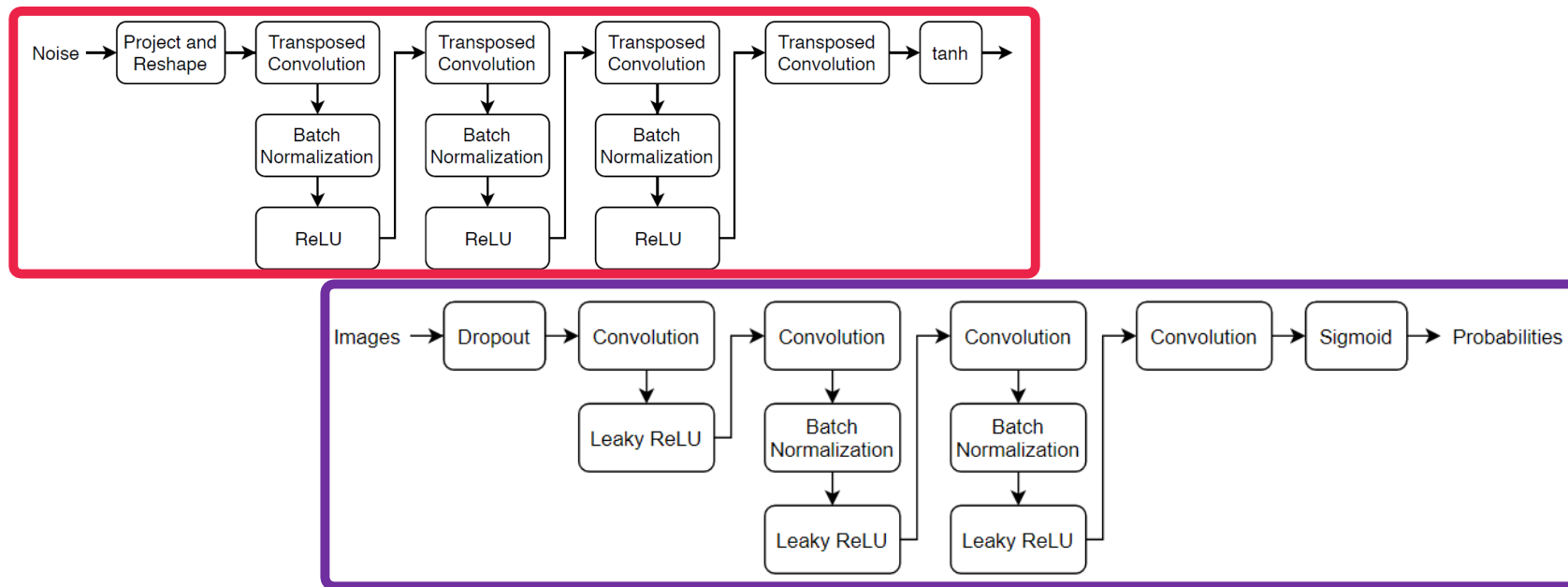
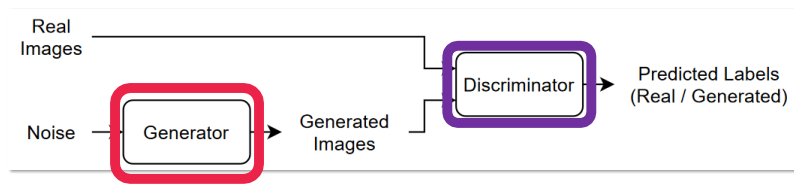
DCGAN

➤ Architecture



DCGAN

➤ Architecture



[출처] <https://www.mathworks.com/help/deeplearning/ug/train-generative-adversarial-network.html>