```
In [1]: import scipy.stats as sps
import numpy as np
import matplotlib.pyplot as plt
%pylab inline
```

Populating the interactive namespace from numpy and matplotlib

### Скачаем ирисы

```
In [2]: from sklearn.datasets import load_iris
    data = load_iris()
    data.target[[10, 25, 50]]
    np.array([0, 0, 1])
    list(data.target_names)
    ['setosa', 'versicolor', 'virginica']
Out[2]: ['setosa', 'versicolor', 'virginica']
```

### Преобразуем данные

```
In [3]: type_ = []
    for j in range (3) :
        type_.append(np.array([data.data[i] for i in range (150) if data.target[
        i] == j]))
    type_ = np.array(type_)
```

## Посчитаем векторы средних для каждой компоненты смеси

```
In [4]: types_mean = np.array([type_[0].mean(axis=0), type_[1].mean(axis=0), type_[2].mean(axis=0)])
    print(types_mean)

[[ 5.006    3.418    1.464    0.244]
       [ 5.936    2.77    4.26    1.326]
       [ 6.588    2.974    5.552    2.026]]
```

# Посчитаем матрицу ковариаций каждой компонентыпо данной формуле

# Матрица ковариаций равна $rac{1}{n}X\cdot X^T,$ где $X_{i,j}=X_i^j-\overline{X^j}$

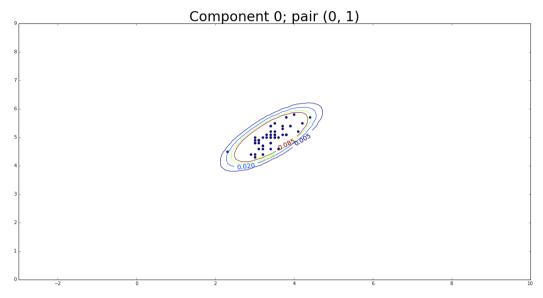
```
In [8]: print(X)
        [[[ 0.121764  0.098292  0.015816  0.010336]
          [ 0.098292
                     0.142276
                               0.011448
                                         0.0112081
          [ 0.015816  0.011448  0.029504  0.005584]
          [ 0.010336  0.011208  0.005584  0.011264]]
         [[ 0.121764  0.098292  0.015816  0.010336]
          [ 0.098292  0.142276  0.011448  0.011208]
          [ 0.015816
                     0.011448
                               0.029504
                                         0.0055841
          [ 0.010336
                     0.011208
                               0.005584
                                         0.011264]]
         [[ 0.121764
                     0.098292 0.015816 0.010336]
          [ 0.098292
                     0.142276
                                0.011448
                                         0.011208]
          [ 0.015816  0.011448  0.029504  0.005584]
          [ 0.010336  0.011208  0.005584  0.011264]]]
```

Напишем функцию которая для заданной компоненты смеси и для заданных пар координат строит график плотности и также наносит соответствующие проекции точек выборки.

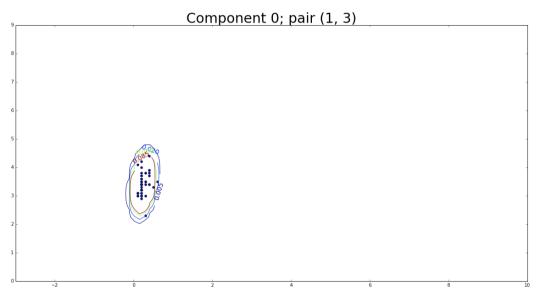
```
In [15]: def density for component(iris number, comp1, comp2) :
              t = type_[iris_number]
              component1 = t.T[comp1]
              component2 = t.T[comp2]
              #needed mean vector
             mean vector = types mean[iris number]
              #needed covariation matrix
              cov_matrix = X[iris_number]
              #my mean vector
             mmv = np.array([mean_vector[comp1],
                              mean vector[comp2]])
              #my cov matrix
             mcm = np.array([[cov_matrix[comp1][comp1], cov_matrix[comp1][comp2]],
                              [cov_matrix[comp2][comp1], cov_matrix[comp2][comp2]]])
              #print(mcm)
             #my random vector
             mrv = sps.multivariate normal(mmv, mcm)
              plt.figure(figsize=(20, 10))
             x = np.linspace(-3, 10, 100)
              y = np.linspace(-3, 10, 100)
              x_grid, y_grid = np.meshgrid(x, y)
              density = np.zeros((100, 100))
              for i in range (100):
                  for j in range (100):
                      density[i][j] = mrv.pdf([x[i], y[j]]);
              plt.figure(figsize=(20, 10))
             plt.title('Component ' + str(iris number) + '; pair (' + str(comp1) + ',
           '+ str(comp2) + ')', fontsize=(30))
              CS = plt.contour(x_grid, y_grid, density, [0.005, 0.02, 0.05, 0.085])
              p = plt.clabel(CS, fontsize=14, inline=1, fmt='%1.3f')
             plt.xlim([-3, 10])
plt.ylim([0, 9])
              p1 = plt.scatter(component2, component1)
              plt.show()
```

```
In [16]: for i in range(3) :
    density_for_component(i, 0, 1)
    density_for_component(i, 1, 3)
    density_for_component(i, 2, 3)
```

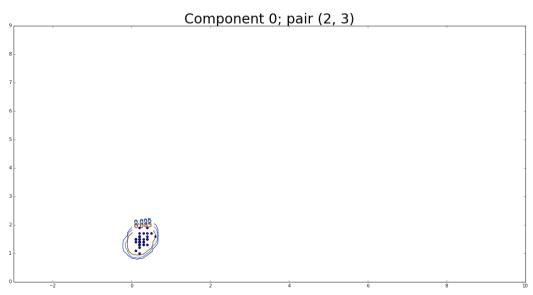
<matplotlib.figure.Figure at 0x7fb12d7c2780>



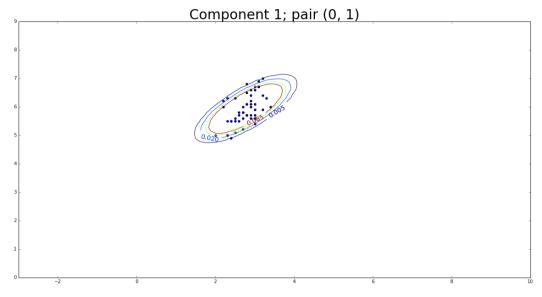
<matplotlib.figure.Figure at 0x7fb12d86df60>



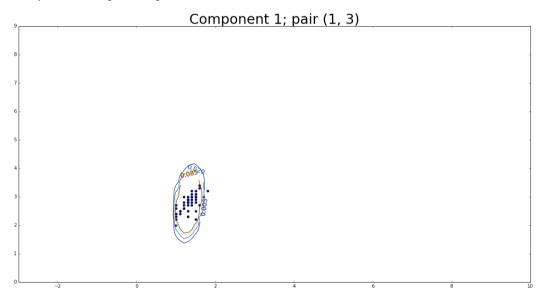
<matplotlib.figure.Figure at 0x7fb137571908>



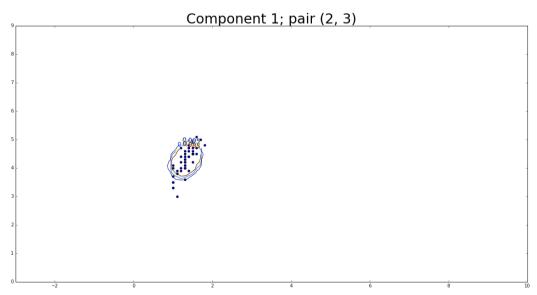
<matplotlib.figure.Figure at 0x7fb1375aaeb8>



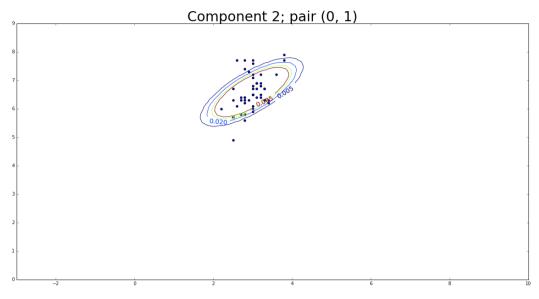
<matplotlib.figure.Figure at 0x7fb14008d518>



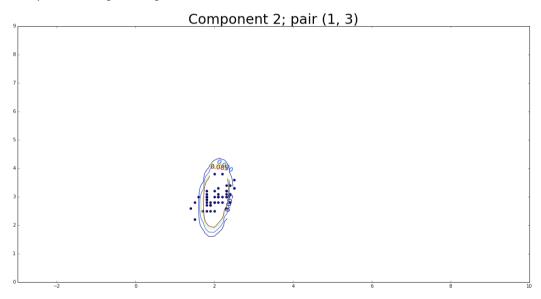
<matplotlib.figure.Figure at 0x7fb13757e9e8>



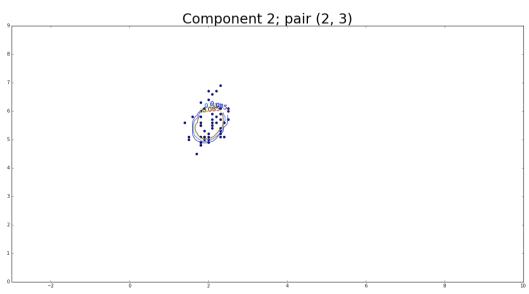
<matplotlib.figure.Figure at 0x7fb12d888f98>



<matplotlib.figure.Figure at 0x7fb14014a898>



<matplotlib.figure.Figure at 0x7fb1400aefd0>



Все смеси равновероятны - очевидно, т.к. кол-во векторов в каждой смеси одинаково.

# Далее вторая часть задания.

### Посчитали условные матожидания

```
E(X|T \neq 0)
```

$$E(X|T \neq 1)$$

$$E(X|T \neq 2)$$

#### выведем ниже.

```
In [222]: print(cond_mean)

[[ 6.262  2.872  4.906  1.676]
       [ 5.797  3.196  3.508  1.135]
       [ 5.471  3.094  2.862  0.785]]
```

Дальше пересчитаем матрицу ковариаций и точно также построим графики.

ну и так далее...:)