

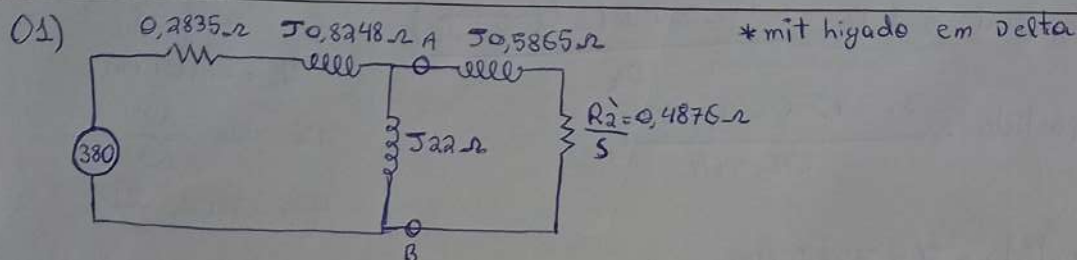
Nome: Pedro Lucas Mendes Araújo

Data: 29/04/2021

P7 eletrotécnica

máquinas Assíncronas

lista 4 - Questão Única



a) $Z_{TH} = (R_1 + jX_1) // jX_m$

$$Z_{TH} = (0,2835 + j0,8248) // j22$$

$$Z_{TH} = 0,8722 \angle 71,0311^\circ // 22 \angle 90^\circ$$

$$Z_{TH} = \frac{0,8722 \angle 71,0311^\circ \times 22 \angle 90^\circ}{0,8722 \angle 71,0311^\circ + 22 \angle 90^\circ}$$

$$Z_{TH} = \frac{19,1884 \angle 161,0311^\circ}{22,8266 \angle 89,2884^\circ}$$

$$Z_{TH} = 0,8406 \angle 71,7421^\circ \Omega = 0,2634 + j0,7983 \Omega$$

$$R_{TH} = 0,2634$$

$$X_{TH} = j0,7983 \Omega$$

$$V_{TH} = \frac{V_F \cdot jX_m}{R_1 + (jX_1 + jX_m)}$$

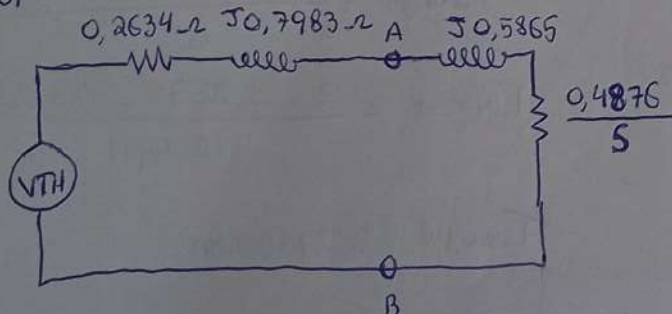
$$V_{TH} = \frac{380 \cdot 22 \angle 90^\circ}{0,2835 + j22,8248}$$

$$V_{TH} = \frac{8360 \angle 90^\circ}{22,8266 \angle 89,2884^\circ}$$

$$V_{TH} = 366,2394 \angle 0,7116^\circ \text{ V}$$

$$|V_{TH}| = 366,2394 \text{ V}$$

b) * momento da Partida



$$S_{Partida} = \frac{3600 - 0}{3600} = 1,0000$$

$$Z_{total} = (R_{TH} + jX_{TH}) + \left(\frac{R_2}{s} \right) + jX_2$$

$$Z_{total} = (0,2634 + j0,7983) + 0,4876 + j0,5865$$

$$Z_{total} = 0,7510 + j1,3848 \Omega$$

$$Z_{total} = 1,5753 \angle 61,5283^\circ \Omega$$

$$|Z_{total}| = 1,5753 \Omega$$

$$I_{a-pantida} = \frac{|V_{TH}|}{|Z_{total}|} = \frac{366,2394}{1,5753} = 232,4887 \text{ A}$$

$$N_s = \frac{120 F}{P}$$

$$conjugado_{-} Pantida = \frac{3 \cdot |I_{a-pantida}|^2 \cdot \left(\frac{R_a'}{S_{-} Pantida}\right)}{\omega_s}$$

$$N_s = \frac{120 \cdot 60}{2}$$

$$N_s = 3600 \text{ RPM}$$

$$T_{-} pantida = \frac{3 \cdot 54050 \cdot 0,4876}{376,9911}$$

$$\omega_s = N_s \cdot \frac{2\pi}{60}$$

$$\omega_s = 3600 \cdot \frac{2\pi}{60}$$

$$T_{-} pantida = 209,7285 \text{ Nm}$$

$$\omega_s = 376,9911 \text{ rad/s}$$

c)
b) Para o momento em Vazio

$$S_{-} vazio = \frac{N_s - N_R}{N_s} = \frac{3600 - 3594,60}{3600} = 0,0015$$

DADOS;

$$Z_{TH} = 0,8406 \angle 71,7421^\circ \Omega$$

$$R_{TH} = 0,2634 \Omega$$

$$X_{TH} = 0,7983 \Omega$$

$$|V_{TH}| = 366,2394 \text{ V}$$

$$I_{a-vazio} = \frac{|V_{TH}|}{|Z_{total}|}$$

$$I_{a-vazio} = \frac{366,2394}{325,3330}$$

$$I_{a-vazio} = 1,1257 \text{ A}$$

$$Z_{Total} = (R_{TH} + jX_{TH}) + \left(\frac{R_a'}{S_{-} vazio}\right) + jX_a'$$

$$Z_{total} = (0,2634 + j0,7983) + \left(\frac{0,4876}{0,0015}\right) + j0,5865$$

$$Z_{Total} = 325,3301 + j1,3848$$

$$Z_{total} = 325,3330 \angle 0,2439^\circ \Omega$$

$$|Z_{total}| = 325,3330 \Omega$$

$$T_{-} vazio = \frac{3 \cdot |I_{a-vazio}|^2 \cdot \left(\frac{R_a'}{S_{-} vazio}\right)}{\omega_s}$$

$$T_{-} vazio = \frac{3 \cdot 1,2672 \cdot 325,0667}{376,9911}$$

$$T_{-} vazio = 3,2780 \text{ Nm}$$

d)

$$\text{DADOS: } Z_{TH} = 0,8406 \angle 71,7421^\circ$$

$$R_{TH} = 0,2634 \, \Omega$$

$$X_{TH} = 0,7983 \, \Omega$$

$$|V_{TH}| = 366,2394 \, \text{V}$$

$$\omega_s = 376,9911 \, \text{rad/s}$$

* Para o momento de velocidade nominal

$$S_{\text{nominal}} = \frac{n_s - n_r}{n_s} = \frac{3600 - 3456}{3600} = 0,0400$$

$$Z_{\text{total}} = (R_{TH} + jX_{TH}) + \left(\frac{R_2'}{S_{\text{nominal}}} \right) + jX_2'$$

$$Z_{\text{total}} = (0,2634 + j0,7983) + \left(\frac{0,4876}{0,0400} \right) + j0,5865$$

$$Z_{\text{total}} = 12,4534 + j1,3848$$

$$Z_{\text{total}} = 12,5302 \angle 6,3451^\circ \, \Omega$$

$$|Z_{\text{total}}| = 12,5302 \, \Omega$$

$$I_{2\text{-nominal}} = \frac{|V_{TH}|}{|Z_{\text{total}}|} = \frac{366,2394}{12,5302} = 29,2285 \, \text{A}$$

$$T_{\text{nominal}} = \frac{3 \cdot |I_{2\text{-nominal}}|^2 \cdot \left(\frac{R_2'}{S_{\text{nominal}}} \right)}{\omega_s}$$

$$T_{\text{nominal}} = \frac{3 \cdot 854,3073 \cdot 12,1900}{376,9911}$$

$$T_{\text{nominal}} = 82,8720 \, \text{Nm}$$

$$e) S_{T_{\max}} = \frac{R_2'}{\sqrt{R_{TH}^2 + (X_{TH} + X_2')^2}}$$

$$S_{T_{\max}} = \frac{0,4876}{\sqrt{0,2634^2 + (1,3848)^2}}$$

$$S_{T_{\max}} = \frac{0,4876}{\sqrt{0,0694 + 1,9177}}$$

$$S_{T_{\max}} = \frac{0,4876}{1,4096} = 0,3459$$

$$f) T_{\max} = \left(\frac{1}{W_B} \right) \cdot \left\{ \frac{1,5 \cdot |V_{TH}|^2}{R_{TH} \cdot \sqrt{R_{TH}^2 + (X_{TH} + X_2')^2}} \right\}$$

1,5 \cdot (366,2

$$b) T_{\text{máx}} = \left(\frac{1}{\omega_b} \right) \cdot \left\{ \frac{1,5 \cdot |V_{TH}|^2}{R_{TH} + \sqrt{R_{TH}^2 + (X_{TH} + X_2')^2}} \right\}$$

$$T_{\text{máx}} = \left(\frac{1}{376,9911} \right) \cdot \left\{ \frac{1,5 \cdot (366,2394)^2}{0,2634 + \sqrt{0,2634^2 + (0,7983 + 0,5865)^2}} \right\}$$

$$T_{\text{máx}} = 0,0027 \cdot \left\{ \frac{201196,9472}{0,2634 + 1,4096} \right\}$$

$$T_{\text{máx}} = 0,0027 \cdot \left(\frac{201196,9472}{1,6730} \right)$$

$$T_{\text{máx}} = 0,0027 \cdot 120261,1759$$

$$T_{\text{máx}} = 324,7052 \text{ Nm}$$

g)

$$S_{Tm\acute{a}x} = 0,3459$$

$$Z_{-Tm\acute{a}x} = \left(R_{TH} + \frac{R_a'}{S_{Tm\acute{a}x}} \right) + (jX_{TH} + jX_a')$$

$$Z_{-Tm\acute{a}x} = (0,2634 + 1,4097) + (0,7983j + 0,5865j)$$

$$Z_{-Tm\acute{a}x} = 1,6731 + j1,3848 = 2,1719 \angle 39,6141^\circ \Omega$$

$$|Z_{-Tm\acute{a}x}| = 2,1719 \Omega$$

$$|I_{2-Tm\acute{a}x}| = \frac{|V_{TH}|}{|Z_{-Tm\acute{a}x}|} = \frac{366,2394}{2,1719} = 168,6263 \text{ A}$$

$$T_{m\acute{a}x} = \frac{3 \cdot |I_{2-Tm\acute{a}x}|^2 \cdot \left(\frac{R_a'}{S_{Tm\acute{a}x}} \right)}{\text{Wb}}$$

$$T_{m\acute{a}x} = \frac{3 \cdot 28434,8291 \cdot 1,4097}{376,9911}$$

$$T_{m\acute{a}x} = 318,9830 \text{ Nm}$$

h)

$$\frac{I_p}{I_n} = \frac{232,4887}{29,2285} = 7,9542 //$$