Aula 07 – janelamento el zero padding

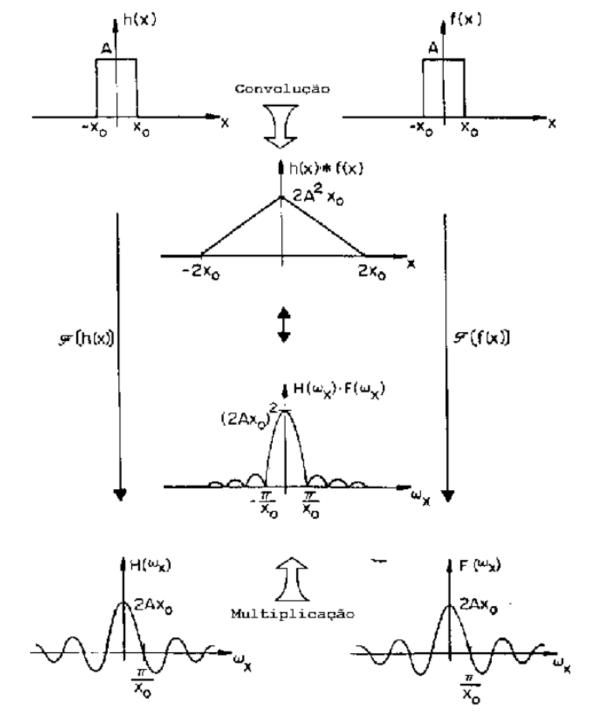
Prof. Dr. Thiago Martini Pereira Processamentos de sinais

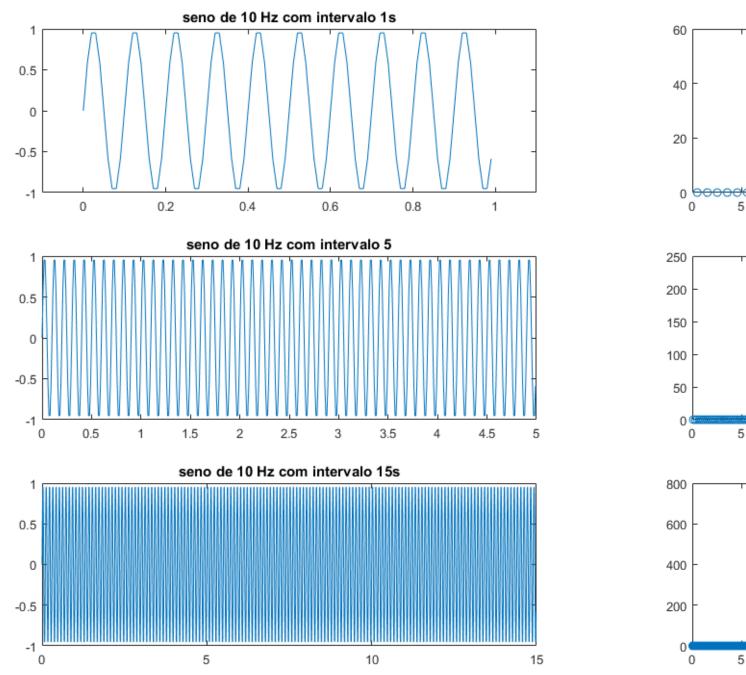
Teorema da convolução

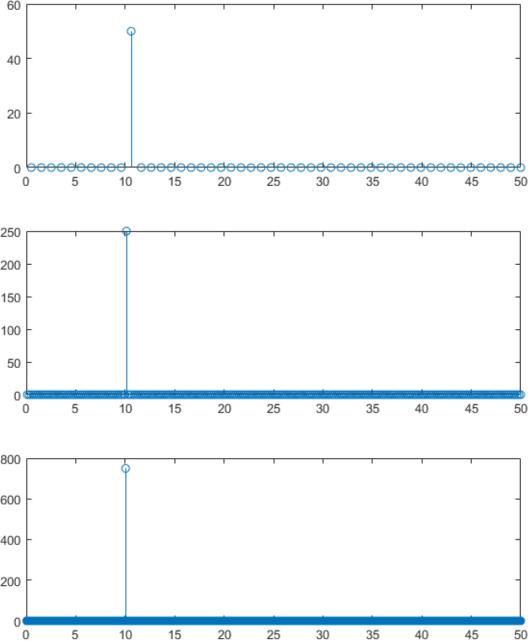
Convolução:

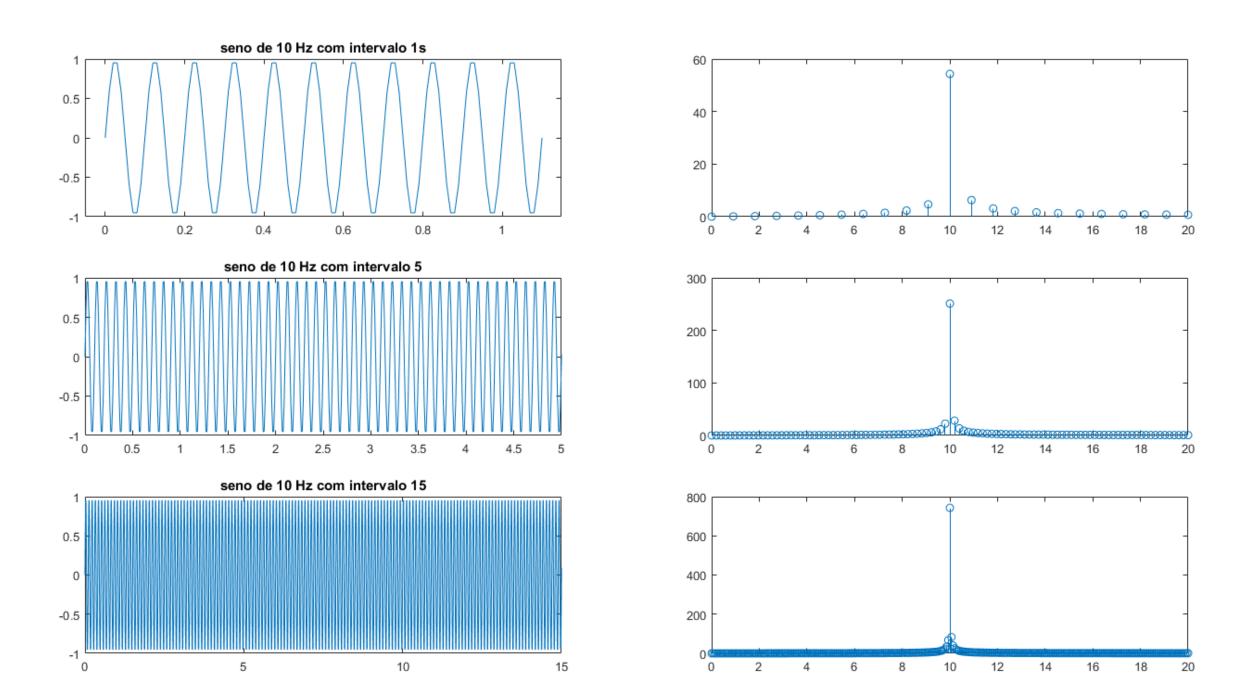
$$s(t) \times h(t) \Leftrightarrow S(\omega) * H(\omega)$$

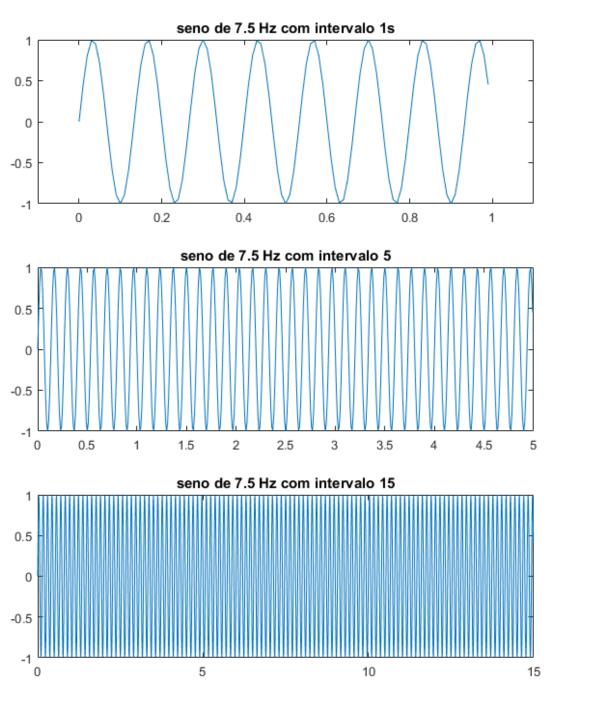
$$S(\omega) \times H(\omega) \iff s(t) * h(t)$$

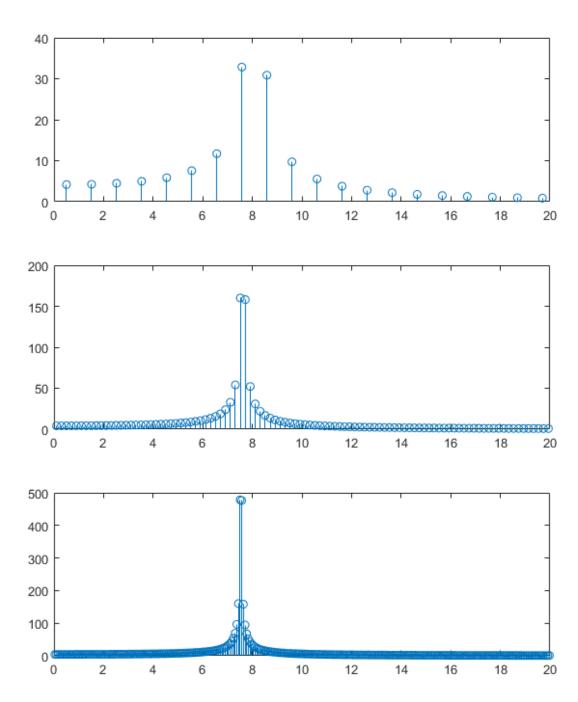


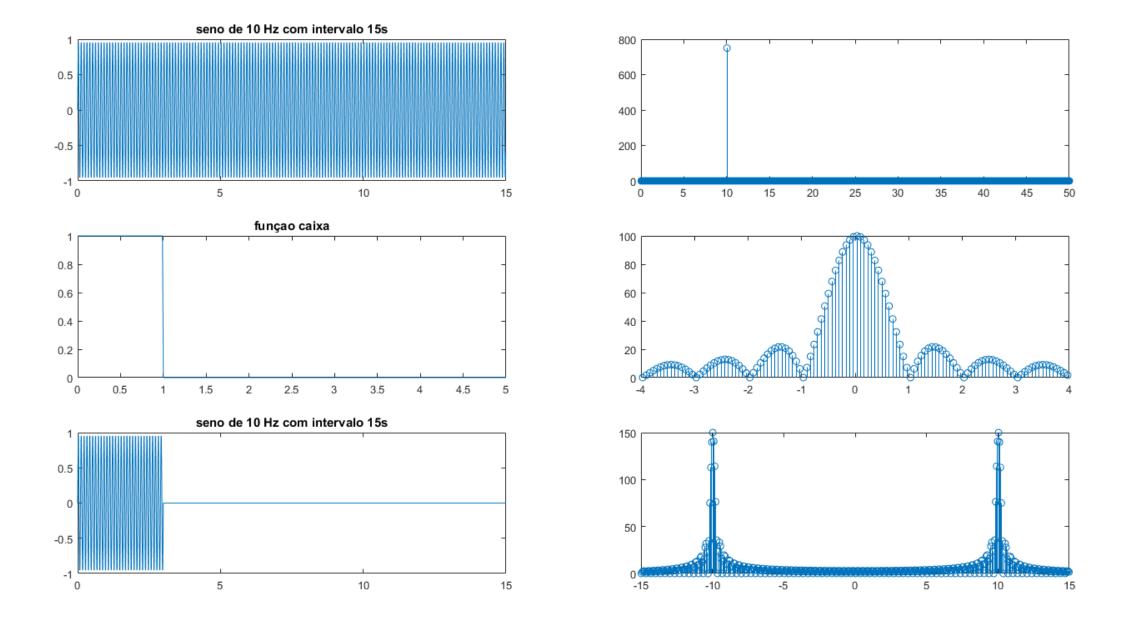


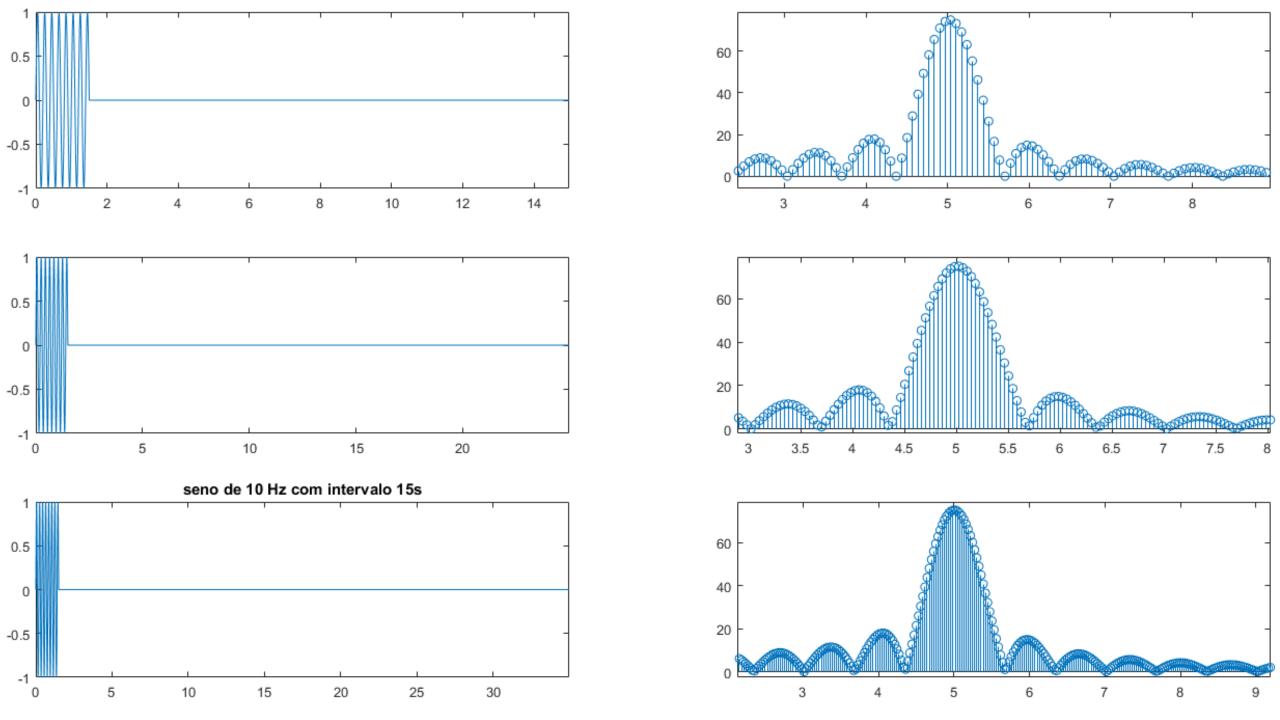


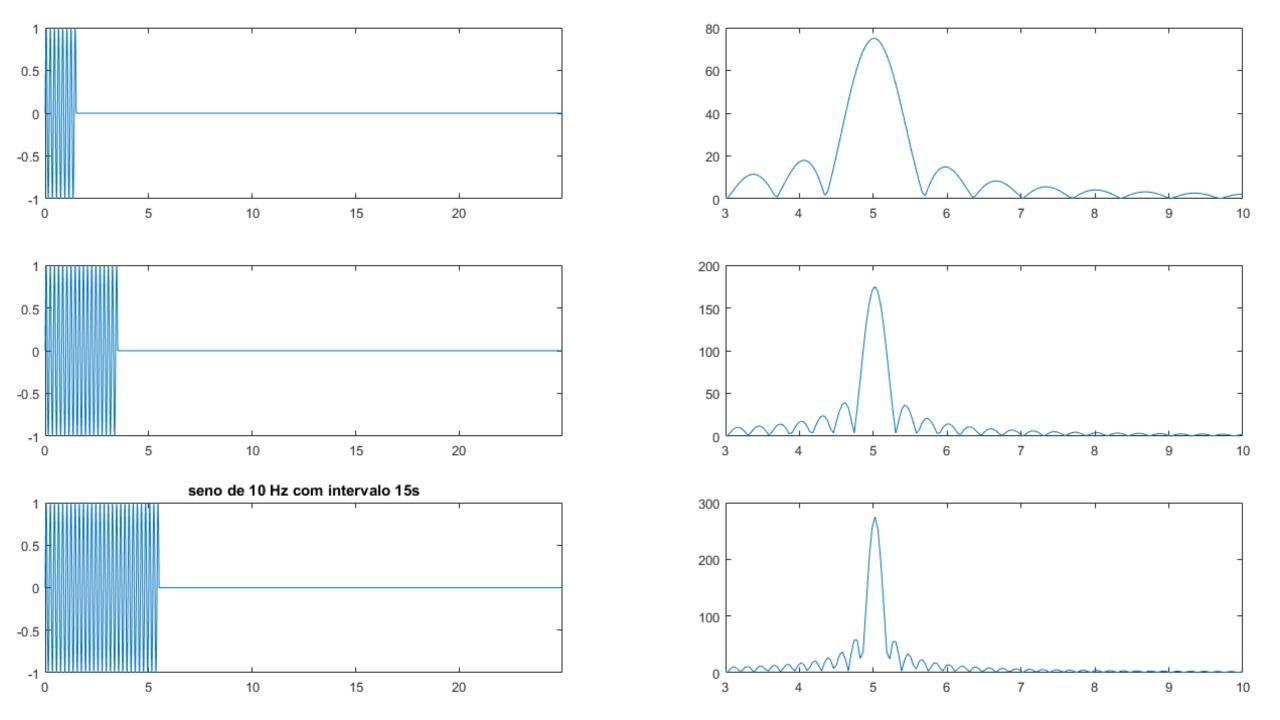


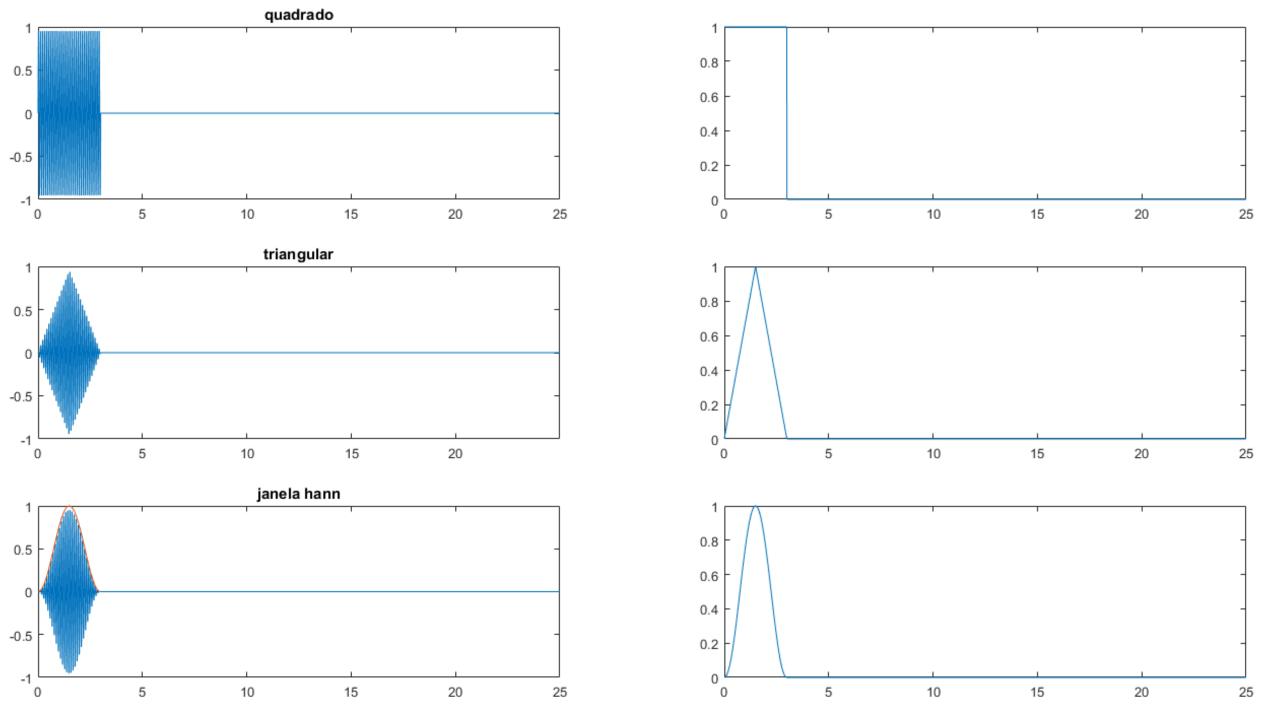


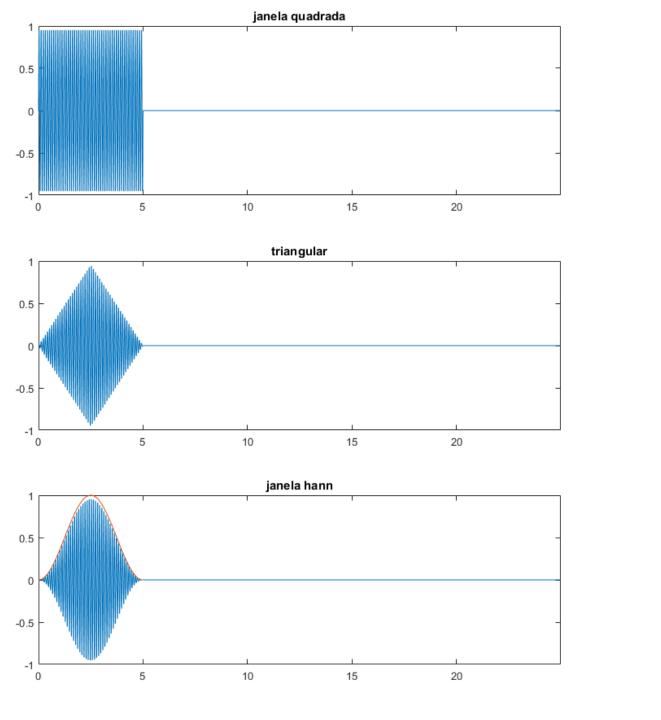


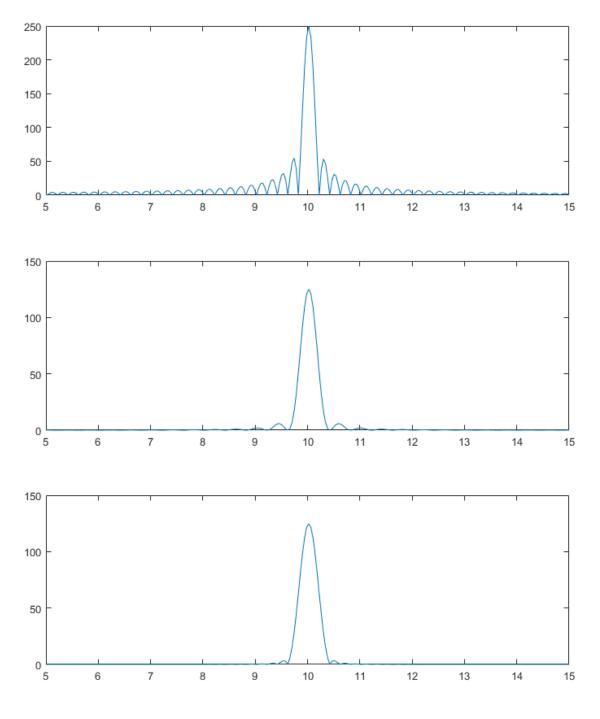










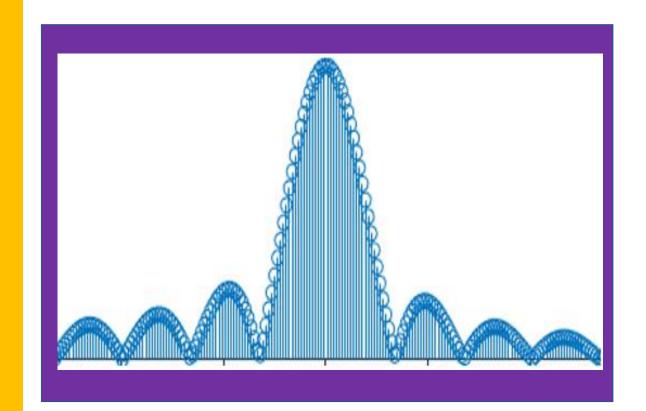


Caracteristicas das janelas

- Retangular;
- Triangular;
- Hanning;
- Hamming;
- Kaiser-Bessel;
- Flattop;
- Blackman.

Principais tipos de janelas

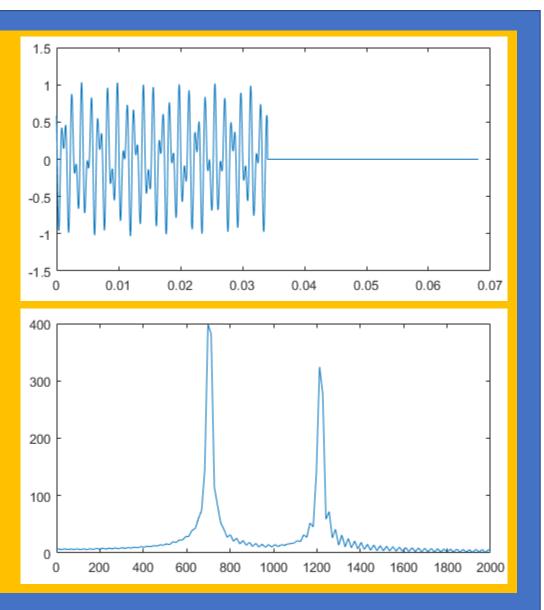
- Resolução: capacidade de distinção das diferentes frequências inversamente proporcional á largura do lóbulo principal;
- Pico nível de lóbulo lateral: resposta máxima fora do lóbulo principal determina se os sinais pequenos são escondidos, pelos vizinhos mais fortes
- Decaimento dos lóbulos laterais: decaimento dos lóbulos laterais por década



Dados reais

Dados reais

```
ysel = y(2.83e5:2.845e5);
ysel = [ysel' zeros(1, numel(ysel))]
t = (0:numel(ysel)-1).*1/Fs;
%subplot(3,2,3);
figure;
plot(t, ysel)
yy = fft(ysel);
n = numel(yy);
freq = linspace(-n/2, n/2, n).*Fs/n;
yy = fftshift(yy);
%subplot(3,2,4);
figure;
plot(freq, abs(yy)); xlim([0 2000])
```



Dados reais

```
clear ysel;
ysel = y(2.83e5:2.845e5);
ysel = ysel.*hann(numel(ysel));
ysel = [ysel' zeros(1, numel(ysel))]
t = (0:numel(ysel)-1).*1/Fs;
figure;
plot(t, ysel)
yy = fft(ysel);
n = numel(yy);
freq = linspace(-n/2, n/2, n).*Fs/n;
yy = fftshift(yy);
%subplot(3,2,4);
figure;
plot(freq, abs(yy)); xlim([0 2000])
```

