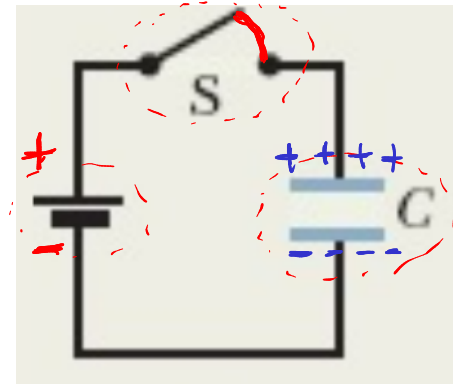
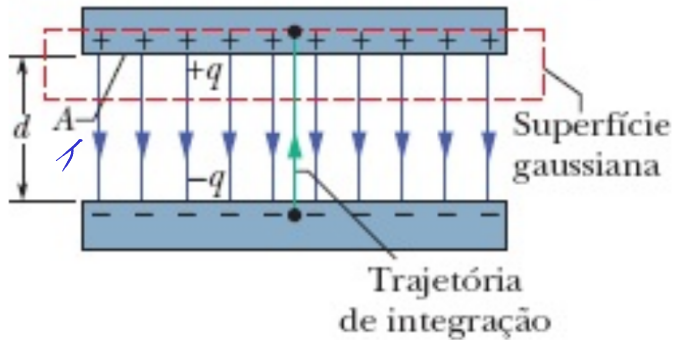
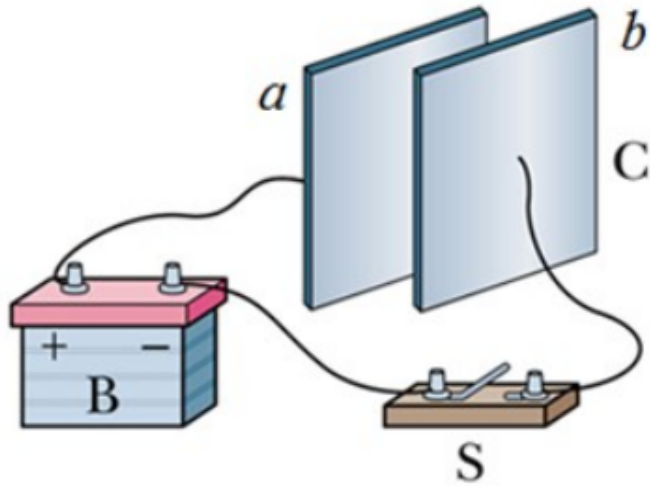


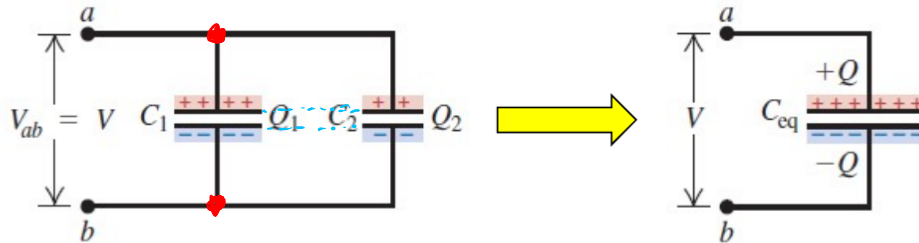
# Associação de Capacitores



$$q = C \mathcal{V}$$
$$C = \epsilon_0 \frac{A}{d}$$

# Associação de Capacitores - Paralelo //

- A diferença de potencial  $V$  é a mesma para todos os capacitores;
- A carga total  $q$  armazenada nos capacitores é a soma das cargas dos capacitores.
- Capacitor equivalente  $C_{eq}$  tem a mesma carga total  $q$  e a mesma diferença de potencial  $V$  que os capacitores originais. //



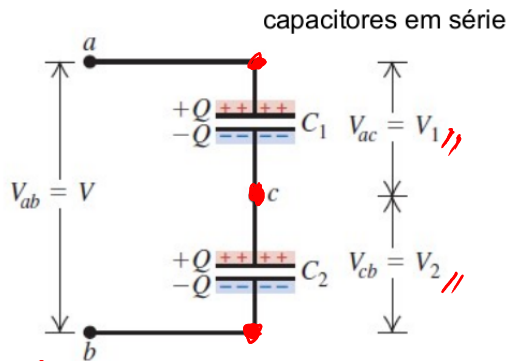
$$q_1 = C_1 V \quad \text{e} \quad q_2 = C_2 V \quad \Rightarrow \quad q = q_1 + q_2 \quad \Rightarrow \quad q = (C_1 + C_2) V \Rightarrow q = C_{eq} V //$$

$$q_{\text{total}} = C_{eq} V //$$

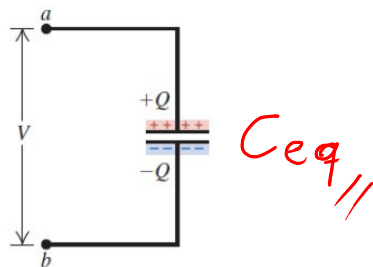
$$C_{eq} = (C_1 + C_2) \Rightarrow C_{eq} = \sum_{j=1}^n C_j //$$

# Associação de Capacitores - Série //

- A carga  $q$  armazenada **é a mesma** em todos os capacitores; //
- $V$  é a **soma** dos potenciais entre as placas de cada capacitor //



capacitor equivalente



$q_1 = C_1 V_1$  e  $q_2 = C_2 V_2$   $\Rightarrow V = V_1 + V_2 = \left( \frac{q}{C_1} + \frac{q}{C_2} \right) = q \left( \frac{1}{C_1} + \frac{1}{C_2} \right) = \frac{q}{C_{eq}}$

$q_1 = q_2$

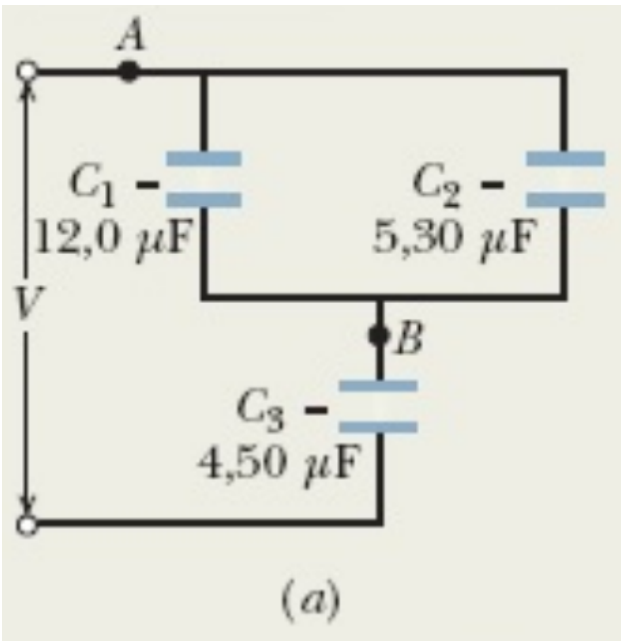
$$\frac{1}{C_{eq}} = \sum_{j=1}^n \frac{1}{C_j}$$

$\frac{1}{C_{eq}} = \frac{1}{C_1} + \frac{1}{C_2} + \dots + \frac{1}{C_n}$

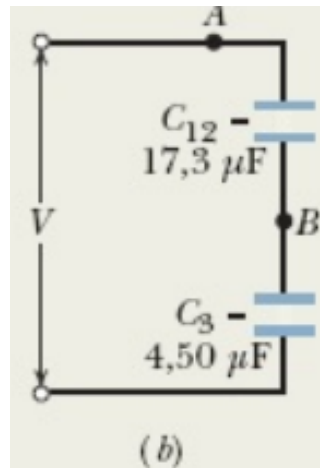
### Exemplo 25.02, Capacitores em paralelo e em série,,

(a) Determine a capacitância equivalente da combinação de capacitores que aparece na Fig. 25-10a, à qual é aplicada uma diferença de potencial  $V$ . Os valores das capacitâncias são os seguintes:

$$C_1 = 12,0 \mu\text{F}, \quad C_2 = 5,30 \mu\text{F}, \quad \text{e} \quad C_3 = 4,50 \mu\text{F}.$$



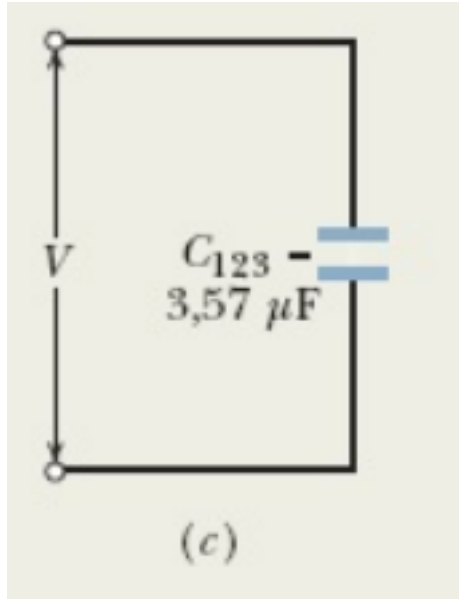
$$C_{12} = C_1 + C_2$$
$$C_{12} = 12 + 5,3 = \Rightarrow C_{12} = 17,3 \mu\text{F}$$



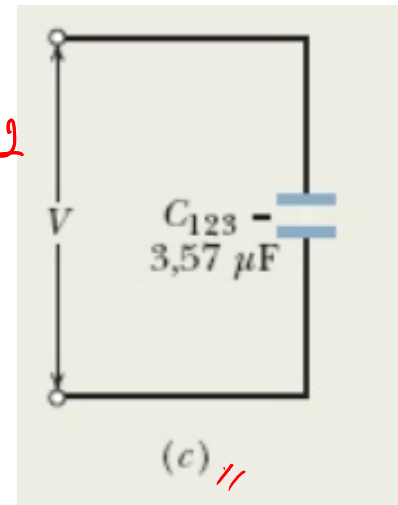
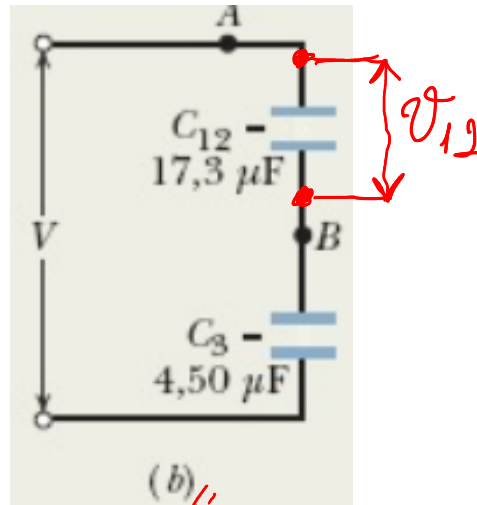
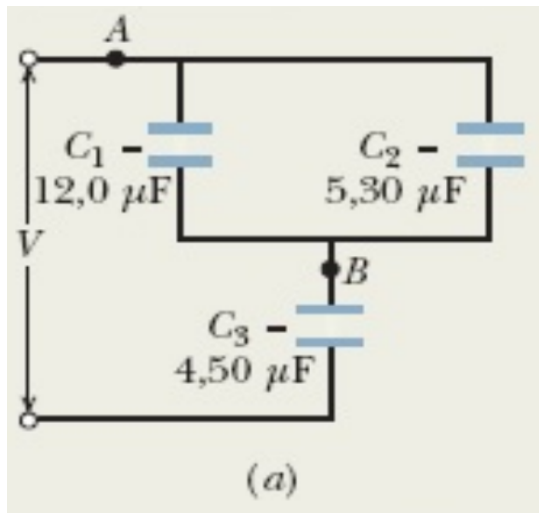
$$\frac{1}{C_{123}} = \frac{1}{C_{12}} + \frac{1}{C_3}$$

$$C_{123} = \frac{C_{12} \cdot C_3}{C_{12} + C_3}$$

$$C_{123} = \frac{17,3 \cdot 4,5}{17,3 + 4,5} \Rightarrow C_{123} = 3,57 \mu F$$



(b) A diferença de potencial aplicada aos terminais de entrada da Fig. 25-10a é  $V = 12,5 \text{ V}$ . Qual é a carga de  $C_1$ ? //



$$q_{123} = C_{123} V$$

$$q_{123} = 3,57 \cdot 12,5$$

$$q_{123} = 44,644 \mu\text{C} //$$

$$q_{12} = C_{12} V_{12}$$

$$V_{12} = \frac{q_{12}}{C_{12}} \Rightarrow V_{12} = \frac{44,64}{17,3}$$

$$V_{12} = 2,58 \text{ V} //$$

$$q_1 = C_1 V_1$$

$$V_1 = V_{1,2}$$

$$q_1 = C_1 V_{1,2}$$

$$q_1 = 12.258$$

$$q_1 = 31 \mu C$$

$$U_1 = \frac{1}{2} C_1 V_1^2$$

$$U_1 = 4 \cdot 10^{-5} J$$

$$V_1 = E d_{11}$$

$$E_1 = \frac{V_1}{d_1}$$