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Graduation thesis submitted in partial fulfilment of blah

SOMETHING ABOUT HIGGS+CHARM

my thesis subtitle

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Abstract

My abstract

Contents

Abstract	iii
1 Introduction	1
1.1 The Standard Model of particle physics	1
1.2 The Higgs-charm Yukawa coupling	3
1.2.1 The Brout-Englert-Higgs mechanism	5
1.2.2 The Yukawa couplings	7
1.3 The cH process	7
1.4 SMEFT	7
2 The CMS experiment	9
3 Search for the $cH(ZZ \rightarrow 4\mu)$ process	11
4 An EFT interpretation of the $cH(ZZ \rightarrow 4\mu)$ process	13
Conclusion	15
Bibliography	17

Chapter 1

Introduction

The Standard Model (SM) of particle physics is the theory that best describes our current understanding of fundamental particles and their interactions. It describes a broad range of phenomena and makes a plethora predictions for these, many of which have been confirmed via measurement to great degrees of accuracy [1]. A notable feature of the SM is the Brout-Englert-Higgs (BEH) mechanism [2][3], which predicts the existence of a Brout-Englert-Higgs (or often simply Higgs) boson. The EBH mechanism is considered a central part of the SM as it provides a unique mechanism by which SM particles may acquire mass through their interaction with the Higgs boson. As such, the experimental discovery of a Higgs-like scalar boson in 2012 [4][5] was a major milestone in particle physics. Since this discovery, a significant open question in particle physics has been whether this particle indeed behaves entirely in an SM-like way. Measuring the exact properties of the discovered scalar particle has thus been a major feature of LHC experiments such as the CMS collaboration [6]. A significant subset of these properties are the so-called Yukawa interactions between the Higgs boson and massive fermions. As can be seen in Figure 1.1, a number of these have previously been measured and indeed align with the values expected from the SM. However, the measurement of the Yukawa couplings of several of the lighter fermions still remain an open challenge as these couplings decrease in strength with smaller fermion masses.

The next lightest fermion candidate for such a measurement is the charm quark. Consequentially, the study of the Yukawa-coupling between the Higgs boson and the charm quark is of significant interest [7]. Apart from a brief discussion of the SM, this section introduces the charm-Yukawa coupling. Additionally, LHC processes may be targeted to exploit their sensitivity to the Higgs-charm Yukawa coupling with an experiment such as the CMS detector are discussed.

1.1 The Standard Model of particle physics

The SM is formulated as through the formalism of Quantum Field Theory (QFT) [**something here**]. This is a formalism that combines concepts of classical field theory, quantum mechanics as well as special relativity into a single, coherent description of fundamental particles as excitations of underlying fields that pervade space-time. In this description, SM particles fall into two categories: fermions and bosons. The former are the massive particles which may make up the matter of the universe while the latter are the force-carrying particles of the strong and electro-weak forces. The distinction between these categories is made based on the spin of the particle, which may be of either half-integer or integer respectively.

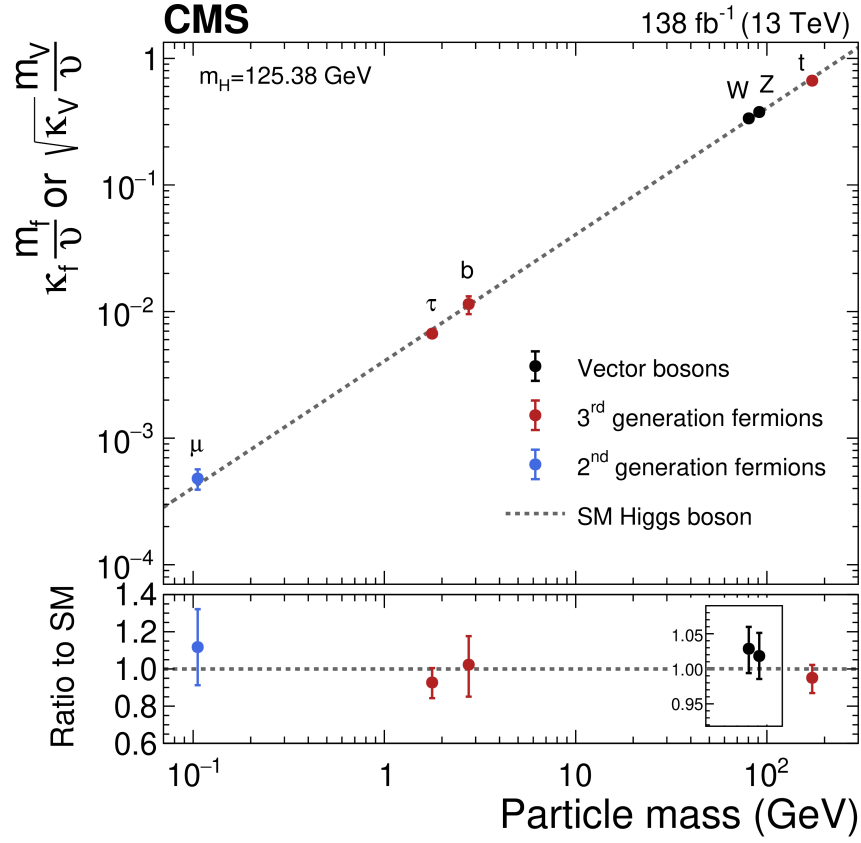


Figure 1.1: The measured coupling modifiers of the coupling between the Higgs boson and fermions as well as heavy gauge bosons as functions of fermion or gauge boson mass $m_{f/V}$, where ν is the vacuum expectation value of the Higgs field. [6] NOTE: coupling modifiers

The fermion content of the SM consists of 12 unique particles. These include six leptons, namely the electron, muon and tau as well as their respective neutrinos as well as six different quarks that are distinguished by their so-called flavour. The different quark flavours include up, down, charm, strange, bottom and top and specifies a quark's mass eigenstate as well as electric charge. These fermions are typically arranged into three generations typically depicted as

$$\begin{pmatrix} e \\ \nu_e \end{pmatrix} \begin{pmatrix} \mu \\ \nu_\mu \end{pmatrix} \begin{pmatrix} \tau \\ \nu_\tau \end{pmatrix}, \begin{pmatrix} u \\ d \end{pmatrix} \begin{pmatrix} c \\ s \end{pmatrix} \begin{pmatrix} t \\ b \end{pmatrix}. \quad (1.1)$$

However, there are distinct differences between the leptons and quarks. Leptons carry integer (or no) charge while quarks carry fractional charges. More importantly, while both quarks and leptons may interact via the electro-weak force, only the quarks interact via the strong force. Due to the nature of the strong force, quarks almost exclusively form compositive states called hadrons. Lastly, the existence of anti-fermions must be mentioned. These carry the exact opposite quantum numbers (e.g charge) as their fermion counterparts, though otherwise behave similarly (take the electron and positron for instance). For simplicity, references to a fermion in this work may be understood as referencing both the fermion and anti-fermion counterpart, unless otherwise explicitly indicated. Examples of the latter are e.g. referring explicitly to electrons e^- and positrons e^+ or charm quark c and anti-charm quark \bar{c} pairs.

There exist 13 unique bosons in the SM. These include the photon γ , W^\pm and Z which mediate the electro-weak force as well as 8 gluons g that mediate the strong force. The final piece is the Higgs boson. Contrary to the force carriers, which all are spin 1, the Higgs boson is spin 0. By interacting with the Higgs boson, the massive particles of the SM acquire their mass and is thus a central element of the SM.

Considering the introduced particles and forces, the SM has a rich and detailed phenomenology. A great example of a mathematically rigorous delineation of this can be found for example in [8]. Given the focus of this work on the Yukawa coupling between the Higgs boson and charm quark, only this aspect of the SM is discussed in further detail.

1.2 The Higgs-charm Yukawa coupling

The coupling that defines the strength of the interaction between massive fermions and the Higgs boson is the so-called Yukawa coupling. To better understand this and associated concepts, some knowledge of the electro-weak sector of the SM is required. These are discussed in this section while a comprehensive overview may be found in [9].

To understand the origin of the Yukawa-couplings, a brief discussion of Lagrangian densities, gauge transformations and the role of symmetries in the SM is warranted. The Lagrangian density $\mathcal{L}(\phi_i; a_i)$ is a quantity dependent on a set of fields ϕ_i and constants a_i from which the equations of motions for the particles associated with these fields may be derived. Commonly, theories of particles and their behaviour in a QFT are thus defined through the formulation of a Lagrangian density. The form of this expression determines the nature of the particles that are included as well as their interactions. A central component to the way in which particle interactions are introduced in the SM is the concept of gauge symmetries. These originate from the fact that the quantum fields in a QFT carry phase information, which may depend on the space-time coordinate of the field. This phase information describes (local) degrees of freedom of

the field and should have no effect on the physical observables of the system. Thus, \mathcal{L} should remain invariant under arbitrary phase transformations. Such transformations are typically referred to as a choice of gauge and such an invariance is accordingly referred to as a *local gauge symmetry*.

In the Lagrangian of the SM, invariance in the presence of local gauge symmetries is insured through the addition of additional fields. These gauge fields couple to the previously existing fields and effectively serve as mediators of phase information between space-time points of the original fields. It is exactly these gauge fields which we identify as the fields force-mediating bosons introduced previously and which are required to maintain local gauge symmetry. A very interesting conclusion from this is that the dynamics of the bosons and the corresponding force are determined entirely by the structure of the local gauge symmetry that must be preserved. For the electro-weak force, the corresponding symmetry is referred to as $\mathbf{SU(2)}_L \times \mathbf{U(1)}_Y$. Here, the L denotes that the associated force only acts on left-handed chiral particles while the Y denotes the charge that is carried by the corresponding bosons and is referred to as the weak hypercharge. There are a total of four bosons associated with the electro-weak force. These are the photon γ that mediates the electromagnetic force as well as the electromagnetically charged W^\pm and electromagnetically neutral Z boson that mediate the weak force.

With these concepts in mind the nature of the electro-weak sector's Lagrangian in the SM may be discussed. Naively, the form of this would be given by

$$\mathcal{L}_{\text{EW}} = i\bar{\psi}_L \gamma^\mu D_\mu^L \psi_L + i\bar{\psi}_R \gamma^\mu D_\mu^R \psi_R - \frac{1}{2} \text{Tr} (W_{\mu\nu}^a W^{a\mu\nu}) - \frac{1}{4} B_{\mu\nu} B^{\mu\nu}. \quad (1.2)$$

for a generic combination of a left-handed isospin doublet ψ_L and right-handed isospin singlet ψ_R . The individual elements of \mathcal{L}_{EW} are briefly summarised below

g' :	coupling constant of $\mathbf{U(1)}_Y$
g :	coupling constant of $\mathbf{SU(2)}_L$
ψ_L ,	left-handed isospin doublet
ψ_R ,	right-handed isospin doublet
B_μ :	gauge field of $\mathbf{U(1)}_Y$
W_μ^a :	gauge fields of $\mathbf{SU(2)}_L$, $a = 1, 2, 3$
$W_{\mu\nu}$:	field strength tensor
$B_{\mu\nu}$:	field strength tensor
$t^a = \frac{\sigma^a}{2}$,	$\mathbf{SU(2)}$ generators
$Y_L = -1$,	left chiral hypercharge
$Y_R = -2$,	right chiral hypercharge
$D_\mu^L = \partial_\mu + ig' \frac{Y_L}{2} B_\mu + ig t^a W_\mu^a$	
$D_\mu^R = \partial_\mu + ig' \frac{Y_R}{2} B_\mu$	

The terms $D_\mu^{L/R}$ are so-called covariant derivatives that ensure the local $SU(2)_L \times U(1)_Y$ gauge symmetry is upheld for \mathcal{L}_{EW} . In this formulation, the observed charged gauge bosons W^\pm arise from linear combinations of the W_1 and W_2 gauge fields

$$W^\pm = \frac{1}{\sqrt{2}}(W_1 \mp iW_2), \quad (1.3)$$

while the Z boson and photon γ arise from linear combinations of the W_3 and B gauge fields achieved via a rotation

$$\begin{pmatrix} \gamma \\ Z \end{pmatrix} = \begin{pmatrix} \cos\theta_W & \sin\theta_W \\ -\sin\theta_W & \cos\theta_W \end{pmatrix} \begin{pmatrix} B \\ W_3 \end{pmatrix}. \quad (1.4)$$

with the weak mixing angle θ_W .

The massive natures of the W^\pm and Z bosons, as first reported in [10], are however incompatible with such a formulation. This is as naive mass term such as

$$m_W^2 W_\mu^+ W^{-,\mu} + \frac{1}{2} m_Z^2 Z_\mu Z^\mu. \quad (1.5)$$

do not remain invariant under arbitrary $SU(2)_L$ gauge transformations. This is as gauge fields A_μ generically transform as

$$A_\mu \rightarrow A'_\mu = A_\mu - \frac{1}{g} \partial_\mu \mathcal{V}(x) \quad (1.6)$$

where $\mathcal{V}(x)$ is some arbitrary phase. Substituting Equation 1.6 into Equation 1.5 thus introduces additional terms that do not cancel. The same is true for fermion mass terms in the form of

$$m_f \bar{\psi} \psi. \quad (1.7)$$

There is however a subtle distinction in this case, as the invariance breaking terms in Equation 1.7 arise from the different transformation behaviour of the ψ_L and ψ_R components of ψ under $SU(2)_L \times U(1)_Y$ gauge transformations.

1.2.1 The Brout-Englert-Higgs mechanism

The BEH mechanism provides a way to circumvent the gauge symmetry breaking nature of the aforementioned generic mass terms. This is achieved through a process referred to as spontaneous symmetry breaking. A spontaneously broken symmetry refers to a symmetry that is upheld in a global view of the system (i.e. the overall Lagrangian density \mathcal{L}_{EW} remains invariant under a relevant gauge transformation) while the energetic ground state of the system explicitly breaks this symmetry. This is a process formally described by the Goldstone theorem [11] that states that each broken symmetry in a relativistic QFT generates an additional massless boson. These introduce additional degrees of freedom into the theory and are coined Goldstone bosons. The

BEH mechanism exploits this by adding an additional term

$$\mathcal{L}_{\text{Higgs}} = D_\mu \phi^\dagger D^\mu \phi - V(\phi) \quad (1.8)$$

$$V(\phi) = -\mu^2 \phi^\dagger \phi + \lambda (\phi^\dagger \phi)^2. \quad (1.9)$$

to \mathcal{L}_{EW} with the complex field ϕ . This is a $\text{SU}(2)_L$ doublet

$$\phi = \begin{pmatrix} \phi^+ \\ \phi^0 \end{pmatrix} \quad (1.10)$$

with the scalar components ϕ^+ and ϕ^0 . Here, $V(\phi)$ corresponds to the potential energy term of the field. Again, the covariant derivative

$$D_\mu = \partial_\mu + ig' \frac{Y_\phi}{2} B_\mu + ig t^a W_\mu^a \quad (1.11)$$

ensures $\mathcal{L}_{\text{Higgs}}$ remains locally gauge invariant under $\text{SU}(2)_L \times \text{U}(1)_Y$ transformations. The constants of the potential term Equation 1.9 are chosen in such a way that the ground state of V is non-zero. This can be achieved by choosing them such that $\lambda > 0$ and $\mu^2 > 0$. The result is a ground state of V that is identified as the vacuum expectation

$$v = \sqrt{\frac{\mu^2}{2\lambda}}. \quad (1.12)$$

The center of the potential is now an unstable local maximum and the only stable configuration can be found in the non-zero ground state. Through this, the symmetry of the potential is effectively broken. A popular choice of gauge for ϕ is

$$\phi = \begin{pmatrix} 0 \\ v + \frac{h}{\sqrt{2}} \end{pmatrix} \quad (1.13)$$

where h is a new scalar field that is used to parametrise radial perturbations of the potential's ground state. This choice is referred to as the unitary gauge and h is identified as the field corresponding to the physical Higgs boson. By expanding Equation 1.8 with this choice of ϕ , a range of terms are introduced to \mathcal{L}_{EW} . These contain a variety of interaction terms between the gauge fields and the Higgs field, as well as newly generated mass terms for the Z and W bosons

$$\left(\frac{g}{2}\right)^2 v^2 W_\mu^+ W^{\mu-} = m_W^2 W_\mu^+ W^{\mu-} \quad (1.14)$$

$$\left(\frac{\sqrt{g^2 + g'^2}}{2}\right)^2 v^2 Z_\mu Z^\mu = m_Z^2 Z_\mu Z^\mu. \quad (1.15)$$

A full description and compilation of all the terms of the electro-weak Lagrangian density of the SM can be found in ??.

1.2.2 The Yukawa couplings

The mass terms for fermions may now be generated by including a term of the form

$$\mathcal{L}_{\text{Yukawa}} = -y_f(\bar{\psi}_L\phi\psi_R + \bar{\psi}_R\phi\psi_L), \quad (1.16)$$

which is invariant under $\text{SU}(2)_L \times \text{U}(1)_Y$ gauge transformations. ...something about quarks specifically

1.3 The cH process

1.4 SMEFT

Chapter 2

The CMS experiment

Chapter 3

Search for the $\text{cH}(\text{ZZ} \rightarrow 4\mu)$ process

Chapter 4

An EFT interpretation of the $\text{cH}(\text{ZZ} \rightarrow 4\mu)$ process

Conclusion

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