1

NETWORK MODEL

Motivated by anisotropic characteristics in connectivity in local cortical circuits found in the rat's brain, a network model with anisotropic tissue geometry is developed. Employing both a graph theoretic definition and a numerical implementation, distance-dependent connectivity present in the model is exposed. The introduction of a rewiring algorithm and quantitative anisotropy measure lays the foundation for the analysis of structural aspects of the anisotropic network model in Chapter ??.

1.1 OVERVIEW

This chapter introduces the central object of this study, the anisotropic network model. Reviewing connectivity in local cortical circuits in Section ??, we identify an anisotropy in connectivity in layer V pyramidal cells, inferred by their specific neuronal anatomy. Reducing the complex neuron morphology to characteristic axonal and dendritic profiles, we introduce the anisotropic network model in Section ??. While a graph theoretic definition allows for analytical considerations, a numerical implementation enables us not only to support the analytical observations but also yields results that go beyond the analytical results presented here. To fully harness this implementation we argue for the choice of a specific parameter set in Section ??, allowing us to generate a set of "sample graphs" to which we will refer through this study.

Using the analytical and numerical approach in conjunction, we are most interested in identifying structural aspects in the anisotropic network model that are due to the network's anisotropy in connectivity and do not occur in similar, isotropic networks. To be able to make this distinction, in Section ?? we extract the distance-dependent connectivity of anisotropic networks, as it is imposed by the specific geometric relations present in the network. We then go on to introduce "rewiring" in Section ??, a method that allows us to manipulate the anisotropic networks to eventually display isotropy in connectivity, yielding us a method for the generation of geometric graphs, . Finally then, Section ?? ties together the previous by providing a measure for anisotropy and showing how rewiring is imposing isotropy upon the networks.