

## STRUCTURAL ASPECTS

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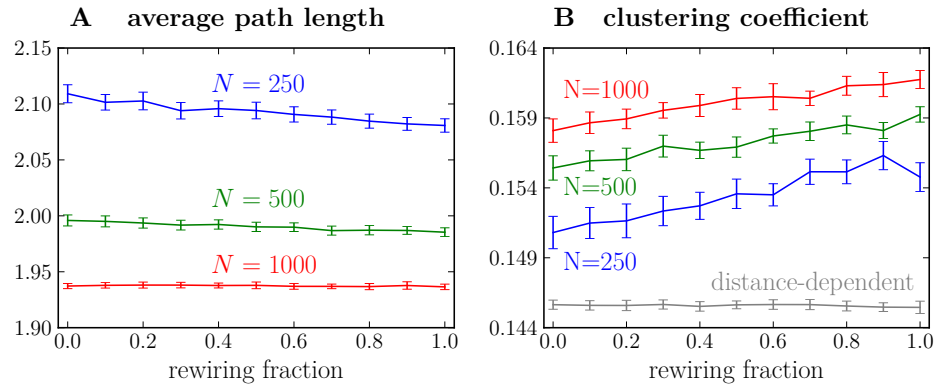
Subjecting the anisotropic network model to a critical examination of its structural features, we identify prevalent patterns of connectivity and relate theoretical and computational results to findings from experiments in the rat's visual cortex.

## 1.1 SMALL WORLD PROPERTIES

Small-world networks, as described in Section ??, are characterized by small a average path length and comparably high clustering coefficient. In the of brain networks, small-world

(Watts and Strogatz 1998)

Here we are interested in exploring the question if network anisotropy has effect on the small-worldness of geometric networks. Using distance-dependent networks as a reference, we find that eliminating anisotropy through rewiring does affect the small-world properties to some degree; with rising isotropy in the network, the characteristic path length declines, while the network clustering coefficient increases resulting together in rewired networks to display a higher degree of small-worldness (Figure 1.1).



**Figure 1.1: Higher degree of small-worldness in isotropic than in anisotropic networks** Generating anisotropic networks with different axon widths  $w$  and extracting probability  $p$  of directed connectin between two random nodes, demonstrates the dependency of  $p$  on the width parameter  $w$ . **A)** At an axon width of over  $w = 100$ , exceeding the square's side length, the connection probability saturates at  $p = 0.5$ , as axon bands are essentially “cutting” the square in a connected and unconnected half (c5b64f3e). **B)** For small  $w$  the connection probability is a linear function of  $w$ , allowing the width  $w_S/2$  at which  $p(w_S) = 11.6$  to be determined by a linear fit as  $w_S/2 = 12.6$  (064f9b10).

In ER networks avg and cc are ...

Comparing path length we find ...

The analysis . Here we present the influence on anisotropy of

Charactersitic path length

Average path length and so forth

Sporns papers newest Butz

While the transitivity ratio of a network, its correlation with the network’s anisotropy degree gives hint of deeper structural relationships found in the subsequent sections.

1.2 TWO NEURON CONNECTIONS

Connectivity in cortical neural networks shows a specific . First described by Markram 1997, finding across have confirmed .

A first result

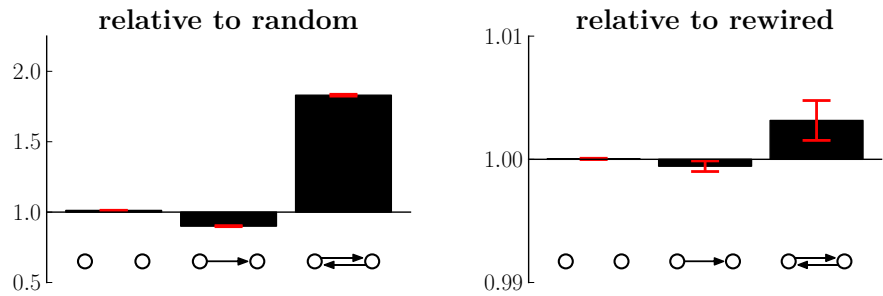


Figure 1.2: Title SEM! (c5f1462b).