

Field driven quantum phase transitions in spin-1 quasi 1D materials

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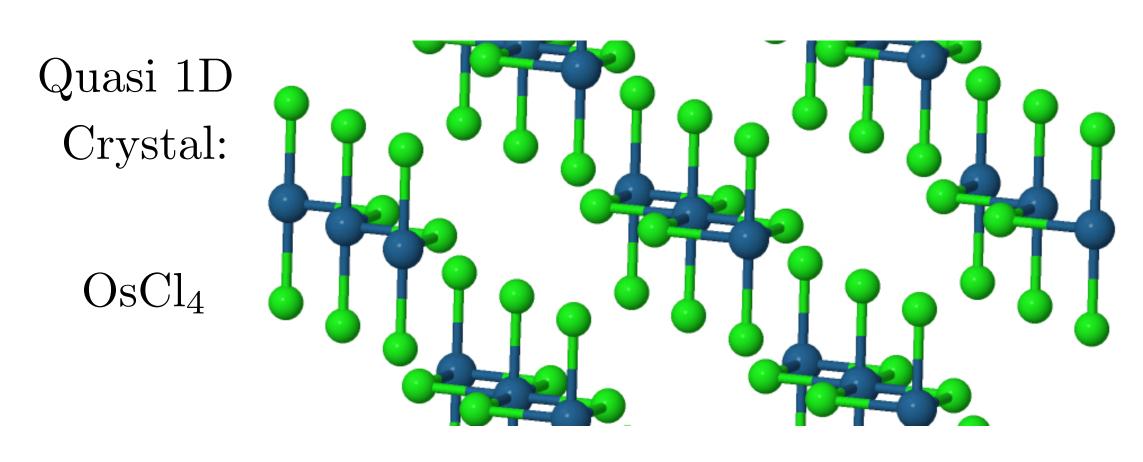
Introduction

Motivation:

Explore phases with fractionalized excitations in low dimensions generated by frustration.

Candidate Materials for J=1:

CsNiCl₃, LiVGe₂O₆, OsCl₄, Ba₂YIrO₆, La₂ZnRuO₆



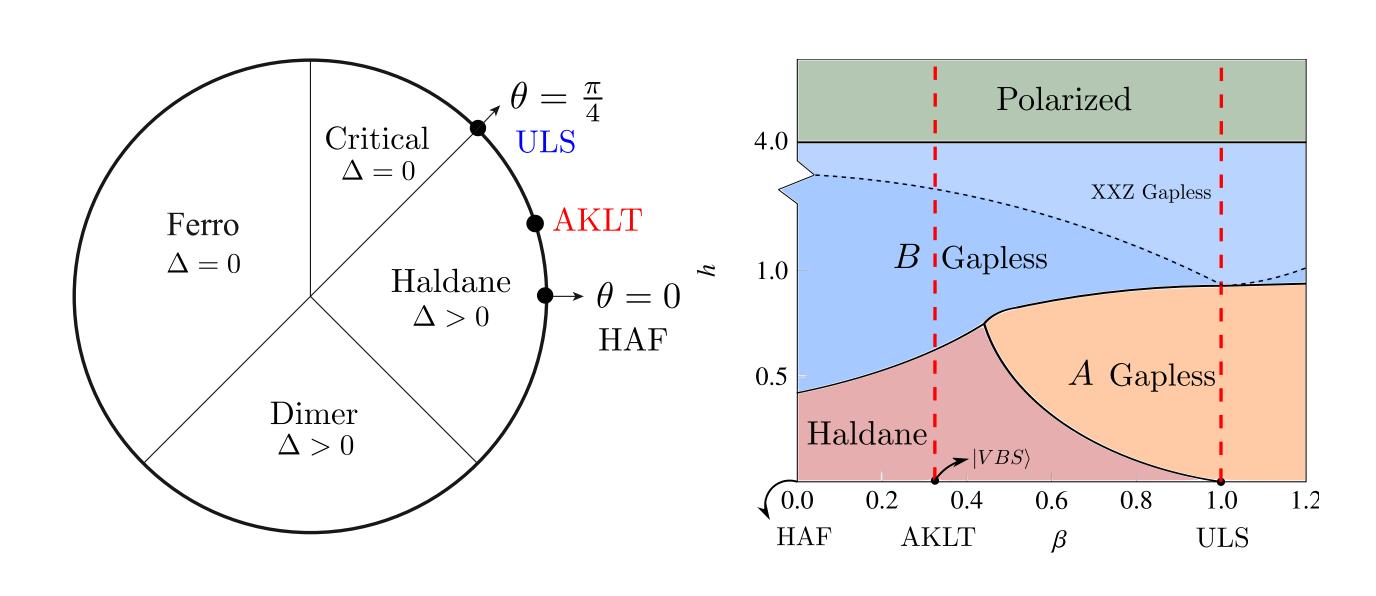
Spin Orbit Coupling + Coulomb Interaction + d-Orbital Occupancy



$$H = H_{BLBQ} - h \sum_{i} S_i^z, \quad H_{BLBQ} = \sum_{\langle ij \rangle} \mathbf{S}_i \cdot \mathbf{S}_j + \beta (\mathbf{S}_i \cdot \mathbf{S}_j)^2$$

Bilinear-biquadratic (BLBQ) interactions with magnetic field

Phases:

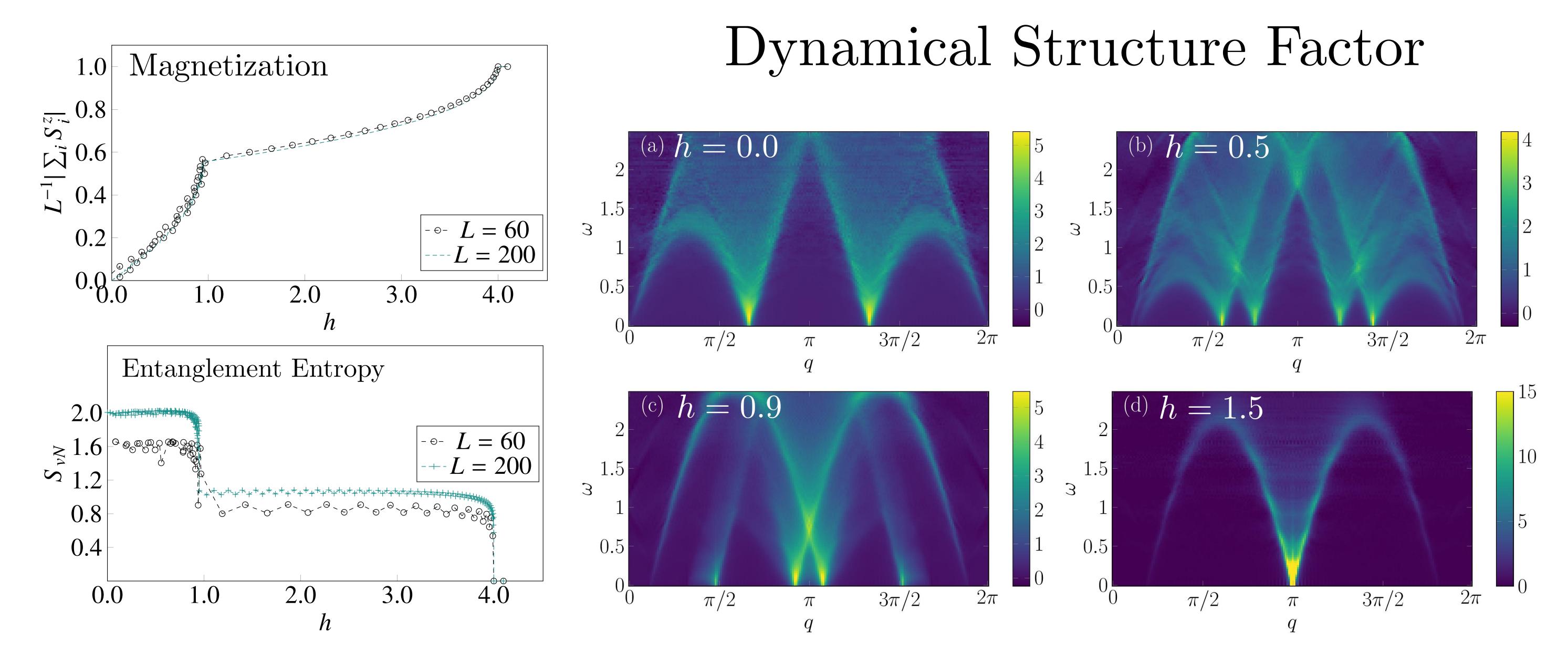


$$\vec{S}_{\text{bond}} = \vec{S}_1 + \vec{S}_2$$
 $S_{\text{bond}} = 2, 1, 0$

 $+\mathcal{P}^{(2)}: S_{\mathrm{bond}} \text{ favors } S = 0, 2 \implies \mathsf{AKLT} \text{ (frustration-free)}$

$-\mathcal{P}^{(1)}: S_{\text{bond}} \text{ favors } S = 1 \implies \text{ULS} \quad \text{(frustrated)}$

Static and Dynamical Response of ULS Model



Entanglement entropy are calculated by density matrix renormalization group:

$$\rho_A = \operatorname{Tr}_B \left[|g.s.\rangle \langle g.s.| \right],$$

$$S_{vN} = -\operatorname{Tr} \left[\rho_A \log(\rho_A) \right]$$

Conclusion

- 1. Magnetic field does not directly polarize the AKLT and ULS model, but induces a gapless intermediate phase.
- 2. AKLT goes through a gapped-gapless transition at $h_{c1} \approx 0.8$ and polarizes at $h_{c2} = 4$.
- 3. ULS goes through a gapless-gapless transition at $h_{c1} \approx 0.94$ at which the 4-soft modes are reduced to 1 soft mode at $q = \pi$, and polarizes at $h_{c2} = 4$.
- 4. Mechanism for gapless-to-gapless transition can be understood by depletion of spinon fermi surfaces.

Dynamical structure factors:

$$S^{\alpha\beta}(q,\omega) = \frac{1}{L} \sum_{r} e^{-iqr} \int_{-\infty}^{\infty} dt \, \langle S_0^{\alpha}(t) S_r^{\beta}(0) \rangle \, e^{i\omega t}$$

Acknowledgements & References

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- [2] S. Feng, N. D. Patel, P. Kim, J. H. Han, and N. Trivedi, Magnetic phase transitions in quantum spin-orbital liquids, Phys. Rev. B 101, 155112 (2020)