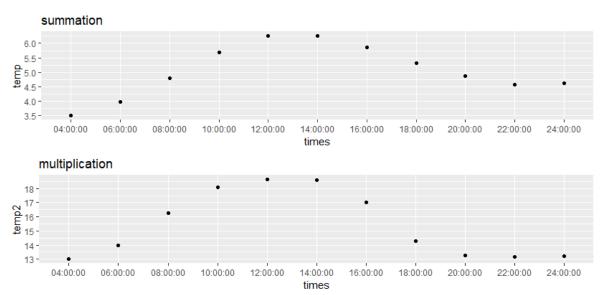
Lab3 Block1

Zijie Feng 2018-12-16

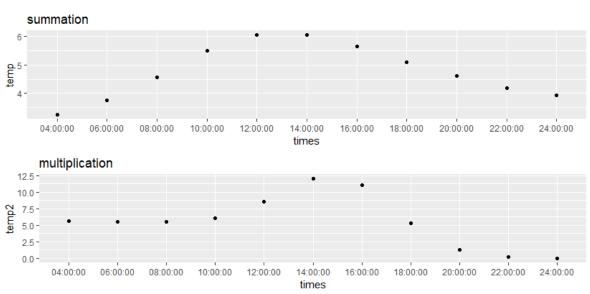
Assignment 1

We implement a kernel method to predict the hourly temperatures for a date and place in Sweden. The h values are 33000, 40, 4 for distance, date and hour respectively. The following plots are the temperature predictions in Linkoping (58.4137,15.6235).

2018-7-23



2018-12-23



When the distances d_i are smaller, the corresponding k_i would be larger depending on exponentiating the negative values. Therefore, a larger weight will be added into our prediction model. This is reasonable happened in "summation" model (5+0.1+0.1=5.2). However, these impacts might be smaller in "multiplication" model since multiplication can smaller the final kernel values if enough large data are considered (5*0.1*0.1=0.05). This might be the reason why "multiplication" model can always show us a wider range prediction than "summation" model.

Assignment 2

2.1

```
mdl1 <- ksvm(type~.,data=train,</pre>
           kernel="rbfdot", kpar=list(sigma=0.05),
           C=0.5)
mdl2 <- ksvm(type~.,data=train,
            kernel="rbfdot",kpar=list(sigma=0.05),
            C=1)
mdl3 <- ksvm(type~.,data=train,</pre>
            kernel="rbfdot",kpar=list(sigma=0.05),
            C=5)
id <- which(colnames(data)=="type")</pre>
e1 <- mean(predict(mdl1, valid[,-id])!=valid[,id]) #0.08695652
e2 <- mean(predict(mdl2, valid[,-id])!=valid[,id])</pre>
                                                 #0.07826087
e3 <- mean(predict(mdl3,valid[,-id])!=valid[,id])</pre>
                                                 #0.07681159
```

We calculate the misclassification error rates of such three SVM model trained by training set, the model with C=5 has the smallest error rate.

2.2

We create a new model with the same hyper-parameters of mdl3 and then train by the training and validation sets. The misclassification error rate (generalization error) of such model for test set is 0.08182476.

2.3

2.4

C is the cost of constraints violation, which represents the tolerance level for misclassification. If C is too larg, the model is very strict and the model would thereby be overfitting with high variance. In contrast, if C is too small, the model would be easy to be underfitting with high bias.

Appendix

```
knitr::opts chunk$set(echo = TRUE, warning = FALSE)
set.seed(1234567890)
library(geosphere)
Sys.setlocale(locale = "latin")
stations <- read.csv("stations.csv",stringsAsFactors = F,fileEncoding = "latin1")</pre>
temps <- read.csv("temps50k.csv",stringsAsFactors = F)</pre>
st <- merge(stations,temps,by="station_number")</pre>
times <- c("04:00:00", "06:00:00", "08:00:00" ,"10:00:00", "12:00:00", "14:00:00",
          "16:00:00", "18:00:00", "20:00:00", "22:00:00", "24:00:00")
temp <- vector(length=length(times))</pre>
temp2 <- vector(length=length(times))</pre>
h_distance <- 33000
h date <-40
h_time <-4  # control the smoothness of temperatures in a day
a <- 58.4137
b <- 15.6235
date1 <- "2013-7-23"
# date1 <- "2013-12-23"
required<-st[st$date< date1,] # only consider the dates before date1
times1 <- as.POSIXct(times,format="%H:%M:%S")</pre>
##distances by geography
d1<-distm(required[,c("latitude","longitude")], c(a,b))</pre>
k1<-exp(-(d1/h_distance)^2)</pre>
##distances by dates
d2<-as.numeric(
  difftime(as.POSIXct(date1,format="%Y-%m-%d"),
          as.POSIXct(required$date,format="%Y-%m-%d"),
          units="days")
k2 < -exp(-(d2/h_date)^2)
for(i in 1:length(times1)){
  ##distances by hours
  dist <- as.numeric(</pre>
   difftime(as.POSIXct(required$time,format="%H:%M:%S"),
            times1[i],
            units="hours")
 k3<-exp(-(dist/h time)^2)
  K<-as.vector(k1)+as.vector(k2)+as.vector(k3)</pre>
  temp[i] <-sum(K*required$air_temperature)/sum(K)</pre>
  K<-as.vector(k1)*as.vector(k2)*as.vector(k3)</pre>
```

```
temp2[i] <-sum(K*required$air_temperature)/sum(K)</pre>
}
df <- data.frame(times=times,</pre>
              temp=temp,
              temp2=temp2)
library(ggplot2)
p1<-ggplot(df,aes(x=times, y=temp))+geom_point()+labs(title="summation")
p2<-ggplot(df,aes(x=times, y=temp2))+geom_point()+labs(title="multiplication")
plot(gridExtra::arrangeGrob(p1,p2))
knitr::include graphics("7-23.png")
knitr::include_graphics("12-23.png")
library(kernlab)
set.seed(1234567890)
data(spam)
data <- spam; rm(spam)
n=dim(data)[1]
id=sample(1:n, floor(n*0.4))
train=data[id,]
id1=setdiff(1:n, id)
id2=sample(id1, floor(n*0.3))
valid=data[id2,]
id3=setdiff(id1,id2)
test=data[id3.]
mdl1 <- ksvm(type~.,data=train,</pre>
          kernel="rbfdot",kpar=list(sigma=0.05),
          C=0.5)
mdl2 <- ksvm(type~.,data=train,</pre>
           kernel="rbfdot",kpar=list(sigma=0.05),
mdl3 <- ksvm(type~.,data=train,</pre>
           kernel="rbfdot",kpar=list(sigma=0.05),
           C=5)
id <- which(colnames(data)=="type")</pre>
e1 <- mean(predict(mdl1,valid[,-id])!=valid[,id]) #0.08695652
e2 <- mean(predict(mdl2, valid[,-id])!=valid[,id]) #0.07826087
e3 <- mean(predict(mdl3,valid[,-id])!=valid[,id]) #0.07681159
ntrain <- rbind(train.valid)</pre>
mdl3 <- ksvm(type~.,data=ntrain,</pre>
           kernel="rbfdot",kpar=list(sigma=0.05),
           C=5)
e3 <- mean(predict(mdl3,test[,-id])!=test[,id]) #0.08182476
md13
# Support Vector Machine object of class "ksum"
```

```
# SV type: C-svc (classification)
# parameter : cost C = 5
#
# Gaussian Radial Basis kernel function.
# Hyperparameter : sigma = 0.05
#
# Number of Support Vectors : 1102
#
# Objective Function Value : -1331.309
# Training error : 0.018323
```