

# INTERFACING R AND C++



# Recap : Computing $\pi$ numerically

- **Fact:** 
$$\sum_{i=1}^{\infty} \frac{1}{i^2} = \frac{\pi^2}{6}$$

$$\pi = \sqrt{6 \sum_{i=1}^{\infty} \frac{1}{i^2}}$$

- **How many digits can we calculate accurately?**

# A double-precision implementation

```
1  #include <iostream>
2  #include <cmath>
3  using namespace std;
4  int main(int argc, char** argv) {
5      int n = strtouf(argv[1],NULL);
6      double sum = 0;
7      for(int i=n; i >0; --i)
8          sum += (1.0/i/i);
9      cout.precision(10);
10     cout << sqrt(sum * 6) << endl;
11     return 0;
12 }
```

# An equivalent implementation in R

```
1  args = commandArgs(trailingOnly = TRUE)
2  n = as.integer(args[1])
3  sum = 0
4  for(i in n:1) {
5      sum = sum + (1.0/i/i);
6  }
7  options(digits=10)
8  cat(sqrt(6*sum))
9  cat("\n")
```

# An equivalent implementation in python

```
1  import sys
2  import math
3  sum = 0
4  for i in range(int(sys.argv[1]),0,-1):
5      sum += (1.0/i/i);
6  print(math.sqrt(sum*6.0))
```

```

kang2015:1-0-basic-prog hmkang$ time python pi.py 100000000
3.1415926440404967

[real    0m22.782s
user    0m21.976s
sys     0m0.213s
kang2015:1-0-basic-prog hmkang$ time Rscript pi.r 100000000
3.141592644

[real    0m15.724s
user    0m14.891s
sys     0m0.217s
kang2015:1-0-basic-prog hmkang$ time ./pi 100000000
3.141592644

real    0m0.329s
user    0m0.316s
sys     0m0.004s
[kang2015:1-0-basic-prog hmkang$ time ./pi 1000000000
3.141592653

real    0m3.300s
user    0m3.155s
sys     0m0.035s

```

# Comparing running times ( $n = 10^8$ , $n = 10^9$ )

- Which one is fastest?
- By how much?

# Making R implementation faster

```
1  args = commandArgs(trailingOnly = TRUE)
2  n = as.integer(args[1])
3  unit = as.integer(args[2])
4  s = 0
5  for(i in seq(n,1,-unit)) {
6    s = s + sum(1/(i:(i-unit+1))^2)
7  }
8  options(digits=10)
9  cat(sqrt(6*s))
10 cat("\n")
```

# Some running examples

```
kang2015:1-0-basic-prog hmkang$ time Rscript pi.r 10000000 1000000  
3.141592644
```

```
real    0m2.432s  
user    0m2.194s  
sys     0m0.207s
```

```
kang2015:1-0-basic-prog hmkang$ time Rscript pi.r 10000000 10000000  
3.141592644
```

```
real    0m2.868s  
user    0m2.253s  
sys     0m0.547s
```

```
kang2015:1-0-basic-prog hmkang$ time Rscript pi.r 100000000 1000000  
3.141592653
```

```
real    0m22.648s  
user    0m20.497s  
sys     0m1.969s
```



# Why is this way faster?

- Making an array, taking squares of each element, and summing them up shouldn't take shorter than a simple loop.
- The secret lies in the implementation of the functions. For example, the implementation of **sum()** function is

```
> sum  
function (... , na.rm = FALSE) .Primitive("sum")
```

**.Primitive()**, **.Internal()**, **.Call()** functions mean that these are compiled code by other languages (e.g. C, Fortran).

# Using C++ directly inside R

```
1  args = commandArgs(trailingOnly = TRUE)
2  n = as.integer(args[1])
3  library(Rcpp)
4  cppFunction('double zeta2(int n) {
5      double sum = 0;
6      for(int i=n; i > 0; --i)
7          sum += 1.0/i/i;
8      return sum;
9  }')
10 options(digits=10)
11 cat(sqrt(6*zeta2(n)))
12 cat("\n")
```

**cppFunction()**  
in **Rcpp** package  
allows us to  
define a function  
written in C++

# Running examples

```
kang2015:1-0-basic-prog hmkang$ time Rscript pic.r 100000000
3.141592644

real    0m2.976s
user    0m2.743s
sys     0m0.194s
kang2015:1-0-basic-prog hmkang$ time Rscript pic.r 1000000000
3.141592653

real    0m5.730s
user    0m5.503s
sys     0m0.190s
kang2015:1-0-basic-prog hmkang$
```

*~2.6 extra seconds compared to pure C++ implementation is due to compile time*

# Using Jupyter notebook for interactive learning

- Open Terminal (of MobaXTerm)
- Change your current directory when the lecture material is downloaded, e.g.

```
$ cd ~/Downloads/615_1_1/  
$ cd  
/mnt/c/Users/[YourWindowsUserName]/Downloads/615_1/
```
- Run

```
$ jupyter notebook
```
- And open **rcpp\_pi.ipynb**

## First example of using Jupyter R notebook

We will now use Jupyter notebook to facilitate interactive learning. The example of numerically computing  $\pi = 3.14159265359 \dots$  value using  $\zeta(\cdot)$  function is described below.

First, to use C++ function, Rcpp package must be loaded.

```
In [1]: library(Rcpp)
```

, and use `cppFunction` to define a C++ function

```
In [2]: cppFunction('double zeta2(int n) {  
  double sum = 0;  
  for(int i=n; i > 0; --i)  
    sum += 1.0/i/i;  
  return sum;  
'})
```

# Jupyter R notebook: **rcpp\_pi.ipynb**

# Jupyter R notebook: **rcpp\_pi2.ipynb**

# Calculating a quadratic sum.

- Consider calculating

$$\begin{aligned} f(\mathbf{x}, A, \mathbf{y}) &= \mathbf{x}^T A \mathbf{y} \\ &= \sum_{i=1}^n \sum_{j=1}^m x_i A_{ij} y_j \end{aligned}$$

where  $A \in \mathbb{R}^{m \times n}$

- Which one would be fastest and slowest?
  - 2-dimensional loop, R implementation
  - 2-dimensional loop, C++ implementation.
  - matrix multiplication, R implementation.



# Jupyter R notebook: **quadsum.ipynb**

# Summary

- **Using C++ within R using Rcpp package.**
- **Implementation can become much faster than pure R implementation, especially when loop is involved.**
- **Many built-in functions are already efficiently implemented with C & Fortran, so Rcpp implementation is needed only for certain insufficient parts.**
- **Matrix operation in R is implemented much faster than C++ implementation of simpler loop.**