

## Compiler - GATE

\* Symbol table is updated during lexical analysis, syntax analysis and semantic analysis

\* Top down parser - Leftmost Derivation

## Classification

- Predictive Parser
- { 1. LL(1)
  - 2. Recursive Descent Parsing
  - 3. Non Recursive Predictive Parsing
  - 4. Backtracking

\* Bottom up parser - Reverse of Rightmost Derivation  
also called Shift Reduce (SR) Parser

## Classification

- (Shift Reduce Parser's)
- 1. Operator Precedence Parser - no 2 consecutive variables
  - 2. LR(k) parsing  $\rightarrow$  LR(0), SLR(1), LALR(1), CLR(1)

\*  $LR(0) \subseteq SLR(1) \subseteq LALR(1) \subseteq CLR(1)$

$LL(1)''$   $\downarrow$   
also called LR(1)

DFA minimization  
Key word recognition

Regular Expression  
Front End

Finite Automata

PDA  
Type checking

Dataflow Analysis

DAG

Register Allocation

Syntax Tree

High level language

↓

Lexical Analyzer

Syntax Analyzer

Semantic Analyzer

Intermediate code generation

Code optimizer

Target Code Generation

↓

Assembly Code / Machine code

- INPUT - Character Stream

- read the program character by character

- INPUT - Token stream

- INPUT - Syntax tree

- INPUT - Intermediate Representation

Expression evaluation  
Abelian Group

Type Checking  
Production Tree

Post order traversal  
Push Down Automata

Syntax Directed Translation  
Parsing

PTD

Activation record  
Leftmost derivation

Runtime environment

Top Down Parsing

Symbol Table - Info about variables and their attributes

### \* LL(1) Parser / Predictive Parser

- most widely used Top down parser
- ~~parses~~ parses the given input string with the help of LL(1) parsing table
- two function First() and Follow() are used to construct LL(1) parsing table.

~~is~~ FIRST( $X$ ) for a grammar symbol  $X$ , is the set of terminals that begin the strings derivable from  $X$ .

Rules to compute FIRST set -

1. If  $x$  is a terminal, then  $\text{FIRST}(x) = \{x\}$
2. If  $x \rightarrow \epsilon$  is a production rule, then add  $\epsilon$  to  $\text{FIRST}(x)$ .
3. If  $X \rightarrow Y_1 Y_2 Y_3 \dots Y_n$  is a production
  1.  $\text{FIRST}(X) = \text{FIRST}(Y_1)$
  2. If  $\text{FIRST}(Y_i)$  contains  $\epsilon$ , then  

$$\text{FIRST}(X) = \{ \text{FIRST}(Y_1) - \epsilon \} \cup \{ \text{FIRST}(Y_2) \}$$
  3. If  $\text{FIRST}(Y_i)$  contains  $\epsilon$  for all  $i=1$  to  $n$ , then  
 add  $\epsilon$  to  $\text{FIRST}(X)$

$\text{FOLLOW}(X)$  to be the set of terminals that can appear immediately to the right of Non-Terminal  $X$  in some sentential form. any string derivable from start symbol

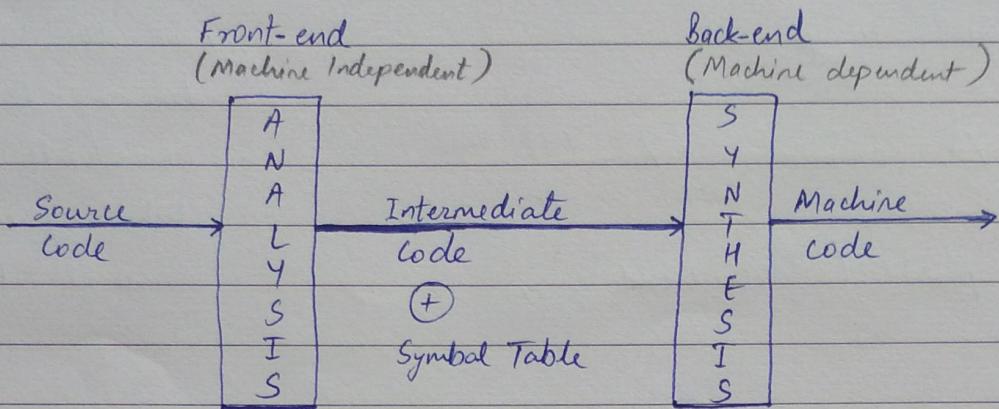
Rules to compute FOLLOW set -

1. If  $B$  is start symbol of  $G$  Grammar

$$\text{FOLLOW}(B) = \{ \$ \}$$
  - $\text{Follow}(A) \subseteq \text{Follow}(B)$
  - However reverse may not be true
2. If  $A \rightarrow pB$  is a production, then everything in  $\text{Follow}(A)$  is in  $\text{Follow}(B)$
3. If  $A \rightarrow pBq$  is a production, where  $p, B$  and  $q$  are any grammar symbols, then everything in  $\text{FIRST}(q)$  except  $\epsilon$  is in  $\text{Follow}(B)$
4. If  $A \rightarrow pBq$  is a production and  $\text{FIRST}(q)$  contains  $\epsilon$ , then  $\text{Follow}(B)$  contains  $\{ \text{FIRST}(q) - \epsilon \} \cup \text{Follow}(A)$   
 $\epsilon$  never comes in FOLLOW set

## Compiler (Unit 1)

### # Compiler design Architecture

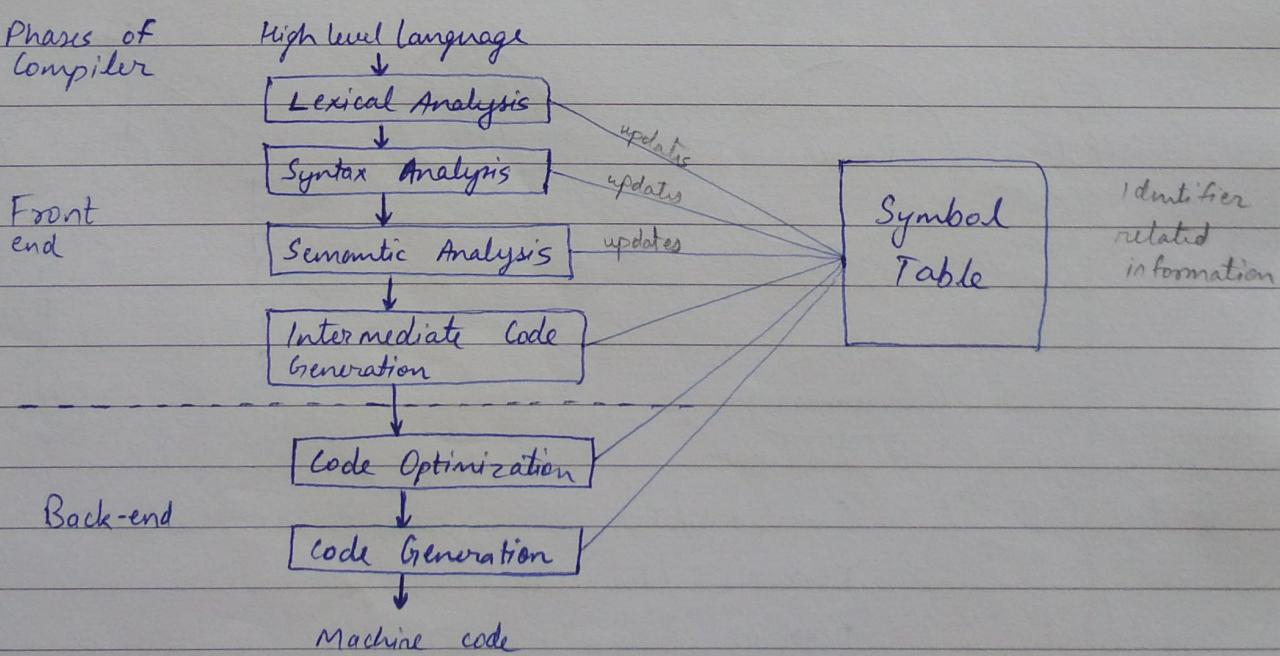


- Lexical Analysis
- Syntax Analysis
- Semantic Analysis
- Intermediate Code Generation
- Code Optimization
- Code Generator

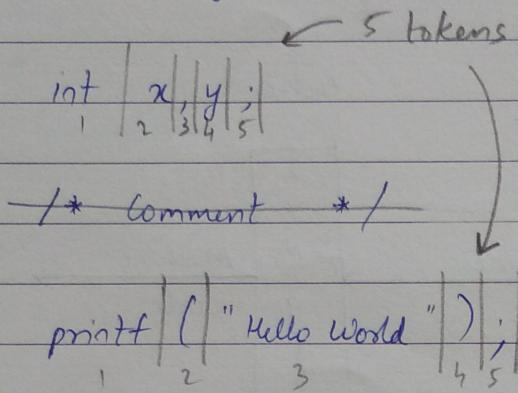
### # Compiler - without changing the meaning of the high level language, it converts the source code into machine code

#### #

#### Phases of Compiler



## # Lexical Analysis

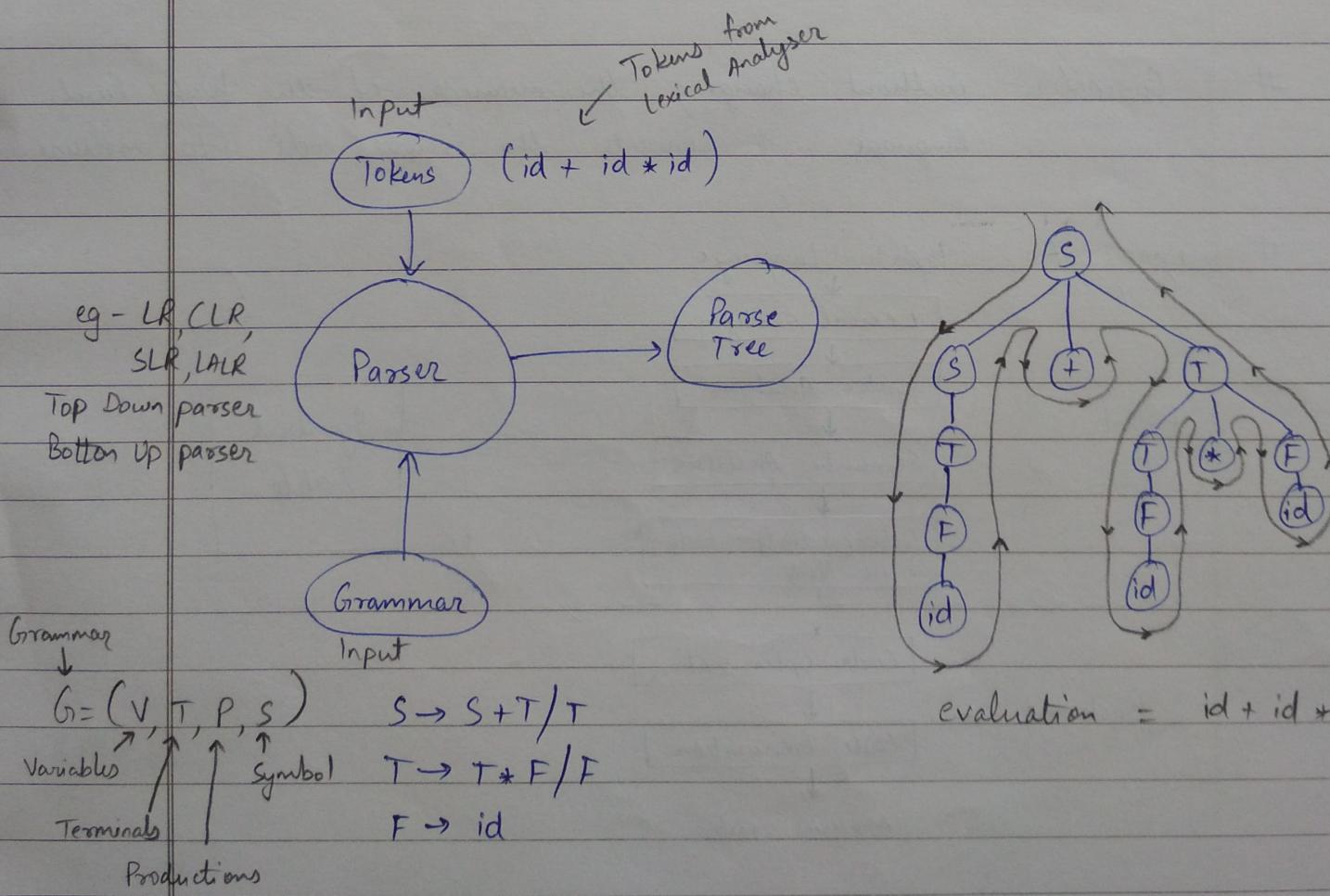


### Lexical Analyser -

- Read the High Level language (HLL) line by line
- Discards all comments
- White space elimination
- Generate tokens

## # Syntax Analysis

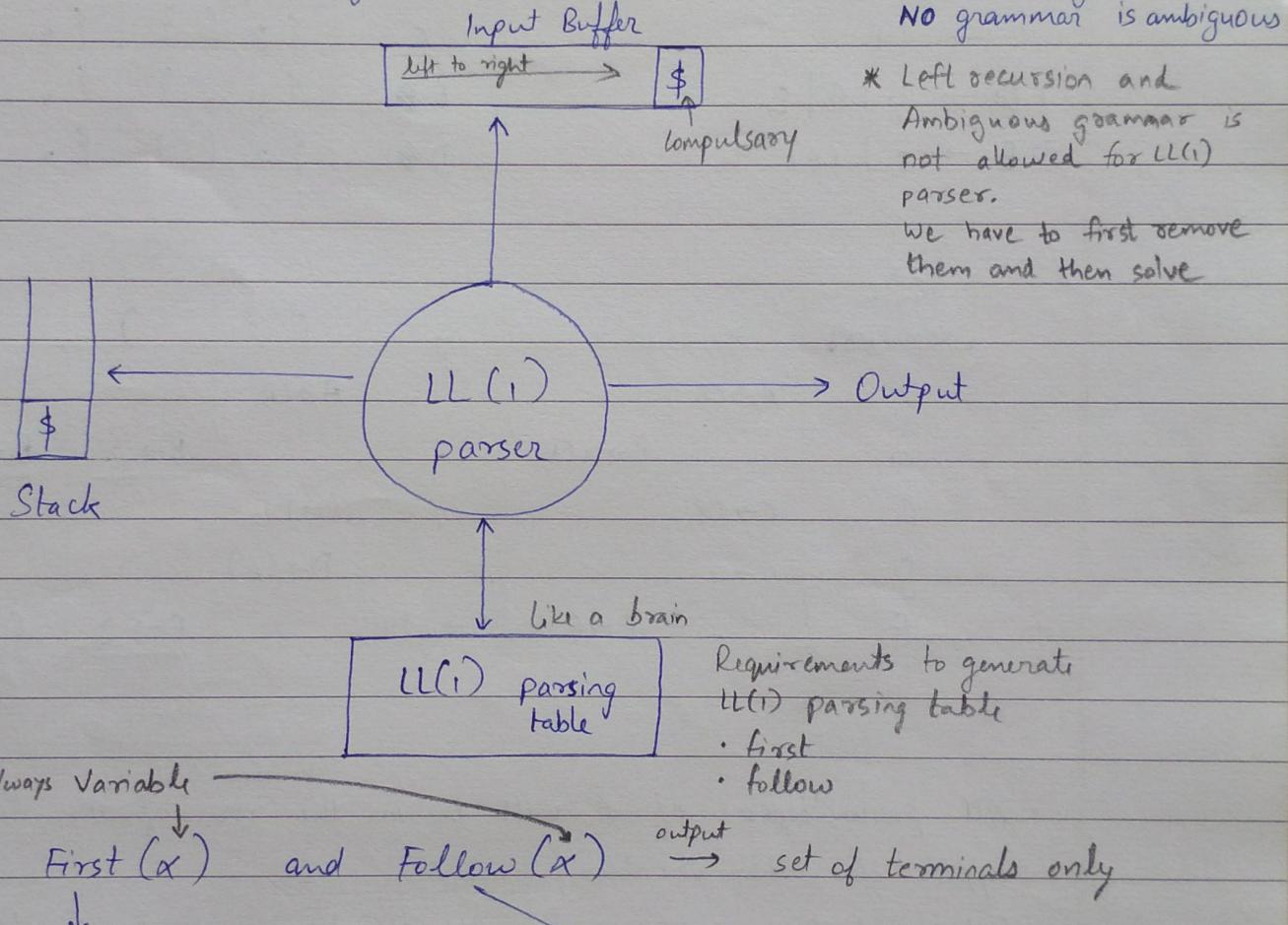
Syntax Analyser / Parser - evaluation of parse tree must map/match to the input tokens. Evaluation is top-down, left-to-right



only 1 symbol lookahead

# LL(1) Parser / Predictive Parser

- Top down parser
- Left to right parsing
- Left most derivation - left most variable is expanded first
- follows LL grammar - subset of CFG, under LL grammar  
No grammar is ambiguous



#

Always Variable

First( $\alpha$ )and Follow( $\alpha$ )

It is a set of terminal symbols that begin in strings derived by " $\alpha$ "

$$A \rightarrow ab \mid de \mid gh$$

$$\text{First}(A) = \{ a, d, g \}$$

output  $\rightarrow$  set of terminals only

It is a set of terminal symbols that appear immediately to the right of " $\alpha$ "

TIP - always try to locate  $\alpha$  on the RHS of other productions

$$S \rightarrow aAb$$

$$A \rightarrow C$$

Follow of start symbol

$$\text{Follow}(S) = \{ \$ \}$$

$$\text{Follow}(A) = \{ b \}$$

For  $A \rightarrow pB$ ,  $\text{Follow}(A) \subseteq \text{Follow}(B)$

## # Construction of LL(1) parsing table

Production rule	Variables	First	Follow
$A \rightarrow CB$	A	{z, (}	{\$, )}
$B \rightarrow xCB/\epsilon$	B	{x, ε}	{\$, )}
$C \rightarrow DE$	C	{z, (}	{x, ), \$}
$E \rightarrow yDE/\epsilon$	E	{y, ε}	{x, ), \$}
$D \rightarrow z/(A)$	D	{z, (}	{x, y, ), \$}

Variables	z	x	y	(	)	\$
A	$A \rightarrow CB$			$A \rightarrow CB$		
B		$B \rightarrow xCB$			$B \rightarrow \epsilon$	$B \rightarrow \epsilon$
C	$C \rightarrow DE$			$C \rightarrow DE$		
D	$D \rightarrow z$			$D \rightarrow (A)$		
E		$E \rightarrow \epsilon$	$E \rightarrow yDE$		$E \rightarrow \epsilon$	$E \rightarrow \epsilon$

Synchronizing entries - Those entries which can be obtained with the help of Follow set. All synchronizing entries are underlined in the above table.

- All productions of "A" will be in the row of "A". Same applies for other variables.
- Each production will go into the column of terminals which are present in the set generated using  $\text{first}(x)$  where  $X$  is the first variable/terminal of that respective production. Same applies for all production of that particular variables productions, and for all variables as well. e.g. for  $A \rightarrow CB$ , row is A & columns =  $\text{first}(C)$  i.e.  $A \rightarrow x_1 x_2 \dots$
- For production like  $B \rightarrow \epsilon$ , first of  $\epsilon$  is  $\epsilon$ .
- ∴ We use  $\text{follow}(B)$  to get the column for  ~~$B \rightarrow \epsilon$~~   $B \rightarrow \epsilon$   
We do the same for  $E \rightarrow \epsilon$

$A \rightarrow x_1 x_2$   
↑ ↑  
row FIRST(X)  
columns

# How to check if a Grammar is LL(1) or not

- For a Grammar to be LL(1), each cell or LL(1) parsing table should have only one production
- If a cell has two productions in it, then it is ambiguous and NOT a LL(1) grammar.
- Example - the table on the previous page has only one production in each cell. Hence the respective grammar is a LL(1) grammar.
- Example - the following grammar is not LL(1) grammar.

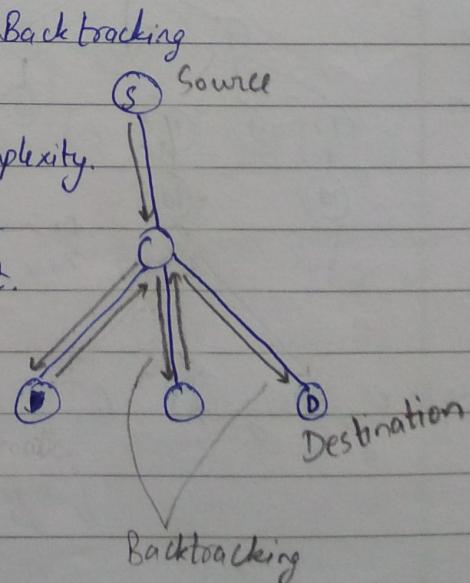
Productions	Variables	first	follow
$X \rightarrow Y \mid a$	X	{a}	{\$}
$Y \rightarrow a$	Y	{a}	{\$}

Variables $\downarrow$	Terminals $\rightarrow$	a	\$
X	$X \rightarrow Y$ $X \rightarrow a$		
Y	$Y \rightarrow a$		

As two productions in one cell, this is not a valid LL(1) parse table

# Recursive Descent Parser

- Top-down
- Left to right
- Disadvantage - exponential time complexity.
- Uses match(...) function to see if the path chosen is correct or not.



• example -

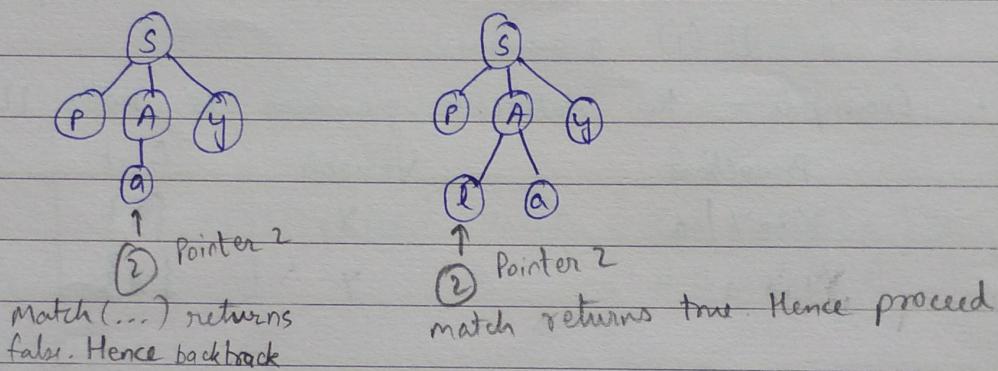
Grammar :

$$S \rightarrow pAy$$

$$A \rightarrow a \mid la$$

Input : play

① pointer

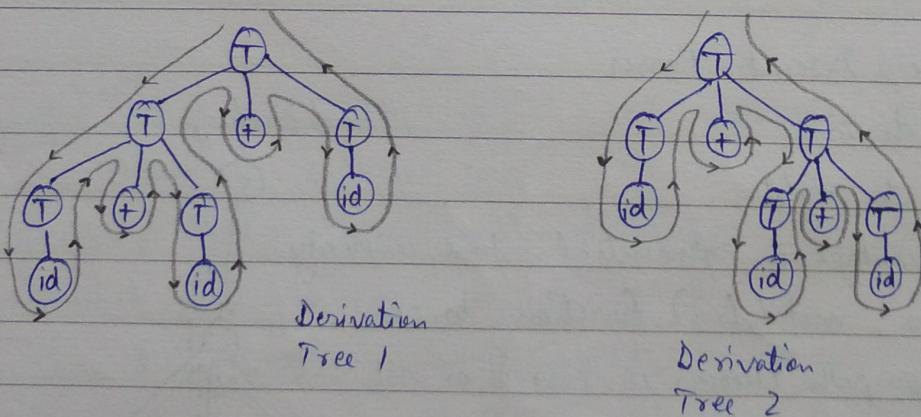


#

Ambiguous Grammar - when there exists more than 1 derivation tree for a given valid input string.

Production :  $T \rightarrow T + T \mid id$

Input : id + id + id



#

Unambiguous Grammar - there exists a unique derivation tree for <sup>every</sup> given valid input string.

- \* Write \$ at the end of input string
- \* Default top of stack is \$



## # Operator Precedence Parser

- Bottom-up parser
  - Reduction operation is performed on the input string to get the starting symbol
  - Restriction on Operator Precedence Grammar -
    - $\Sigma$  should not be on RHS of the productions
    - 2 non-terminals (variables) can NOT be adjacent to each other
- $A \rightarrow AB \quad \left\{ \begin{array}{l} \text{Not valid} \\ A \rightarrow \text{BB} \end{array} \right.$ 

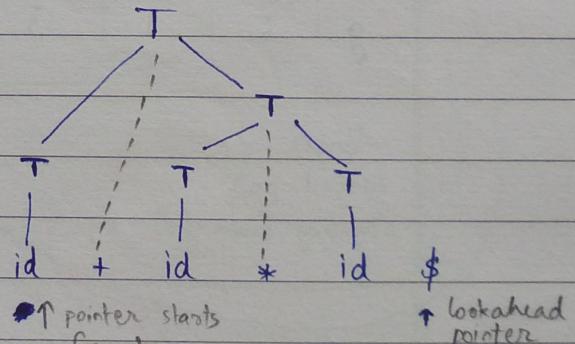
 $\left\{ \begin{array}{l} S \rightarrow SAS/a \\ A \rightarrow bSb/b \end{array} \right.$ 
  
 $\downarrow \text{fix the problem}$ 
  
 $T \rightarrow T+T \mid T*T \mid id \quad \left\{ \begin{array}{l} \text{Valid} \\ S \rightarrow SbSbS/a \mid SbS \\ A \rightarrow bSb/b \end{array} \right.$

## # Operator Precedence Relation

$$T \rightarrow T+T \mid T*T \mid id$$

Precedence :  $id > * > + > \$$

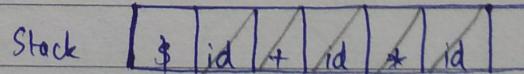
Terminals = { id, +, \*, \$ }



Disadvantage of this relation - its size is  $n^2$

		id	+	*	\$
		-	>	>	>
left associative	+	<	▷	<	▷
	*	<	▷	▷	>
\$	<	<	<	<	-

parse tree successfully built

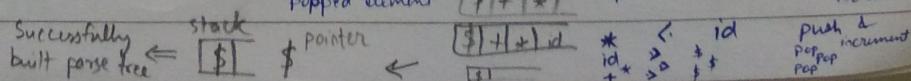


New Stack Comparisons

$\$ id T$	$\$ < id$	push & increment
$\$ T$	$id > +$	pop & reduce
$\$ + T$	$\$ < id +$	push & increment
$\$ + id$	$+ < id$	push & increment
$\$ + id$	$id > *$	pop & reduce
$\$ + id$	$+ < *$	push & increment
$\$ + id$	$* < id$	push & increment
$\$ + id$	$id > *$	pop & reduce
$\$ + id$	$* < id$	push & increment
$\$ + id$	$id > *$	pop & reduce
$\$ + id$	$* < id$	push & increment

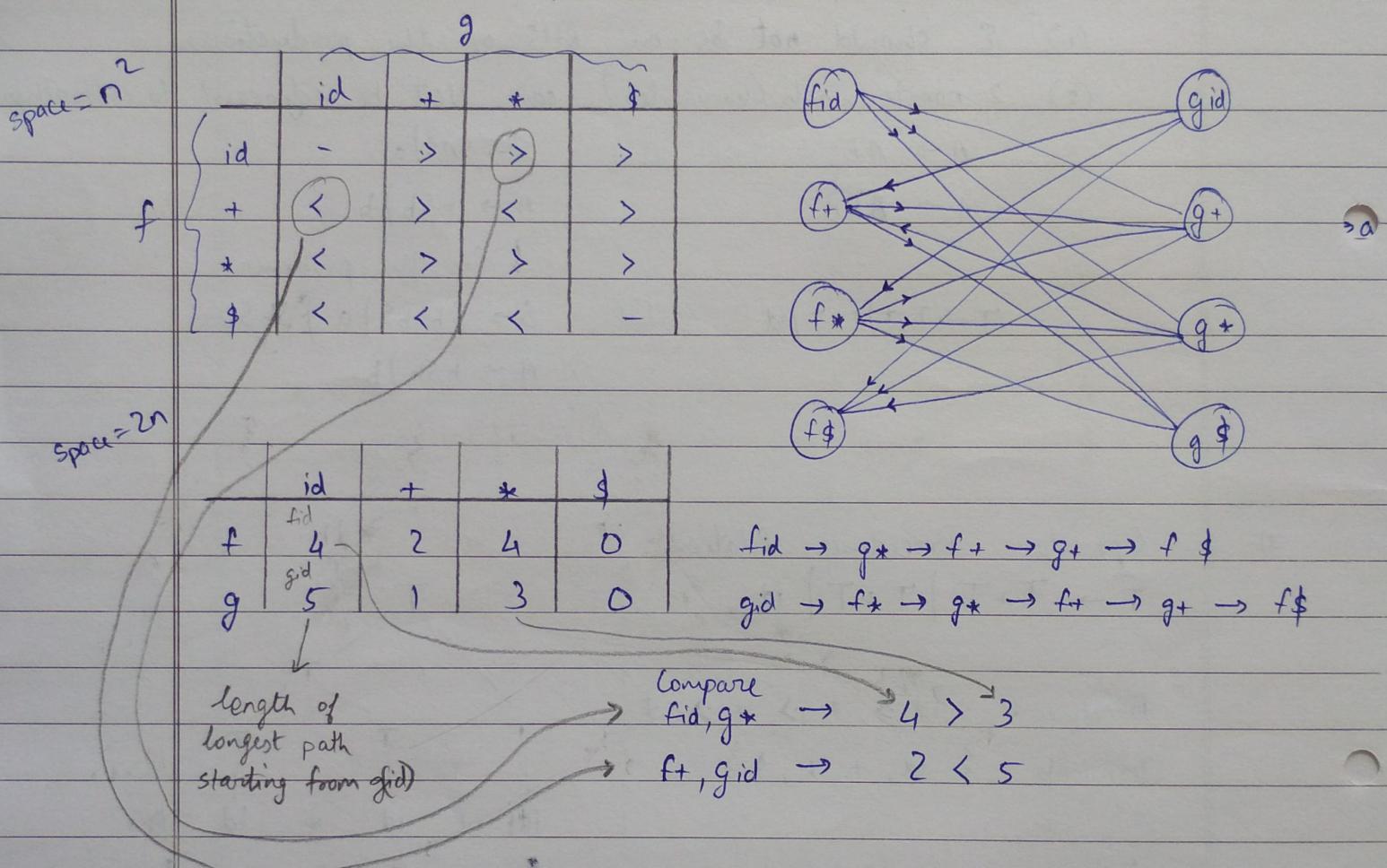
if (precedence of stack symbol < precedence of operator pointed by lookahead pointer) { push } increment pointer

if (precedence of stack symbol > operator pointed by lookahead pointer) { pop } reduce the popped element



## # Operator Function Table

- There should not be any cycle in the graph generated.
- If there is any cycle, then the function table can not be generated for that ~~graph~~ graph
- New size =  $2n$



## # Shift Reduce Parser

- Bottom up parser
- Actions
  - Shift - push current input symbol to stack
  - Reduce - replace symbols by non-terminals (variables)  
i.e. replace RHS of a production by LHS

## • Example -

## \* Productions -

$$E \rightarrow E + E$$

$$E \rightarrow a$$

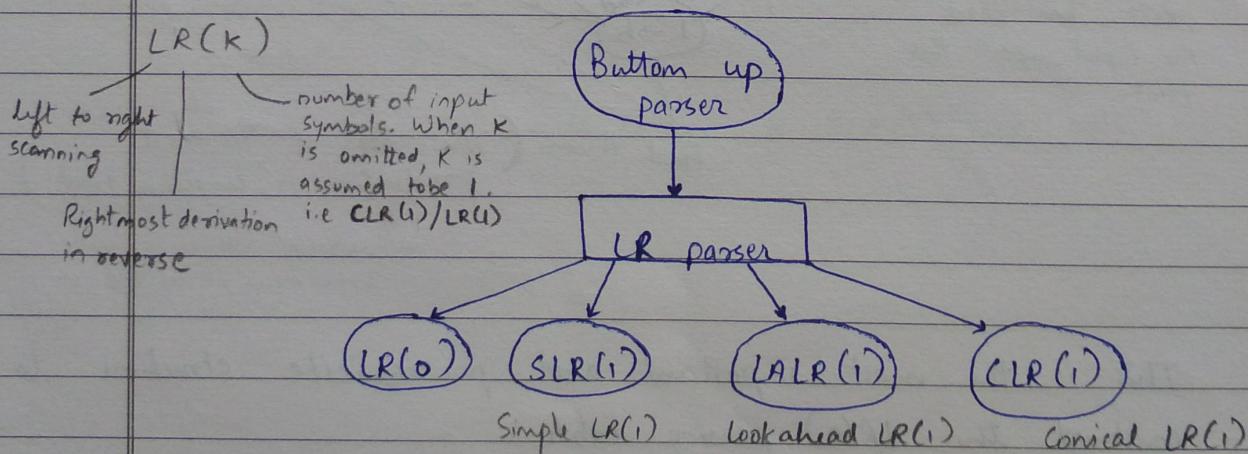
$$E \rightarrow b$$

## \* Input string -

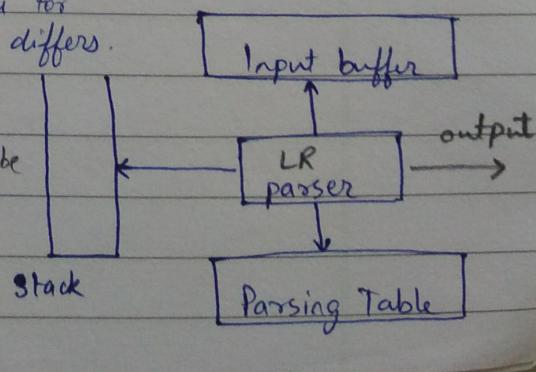
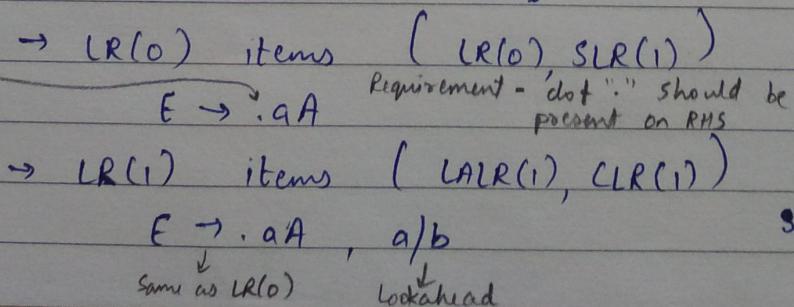
a + b

	Stack	Input String	Action
	\$	a + b \$	Shift a
	\$ a	+ b \$	Reduce E $\rightarrow$ a
	\$ E	+ b \$	Shift +
	\$ E +	b \$	Shift b
	\$ E + b	\$	Reduce E $\rightarrow$ b
	\$ E + E	\$	Reduce E $\rightarrow$ E + E
	\$ E	\$	Accept

## # LR parser



Note - Parser, stack & input buffer are same for all parsers  
 - Only the parsing table ~~construction~~ construction differs.



## # LR(0) item

$$E \rightarrow TT$$

$$T \rightarrow aT/b$$

Convert normal grammar to augmented grammar. Steps -  
1. Add an augmented production

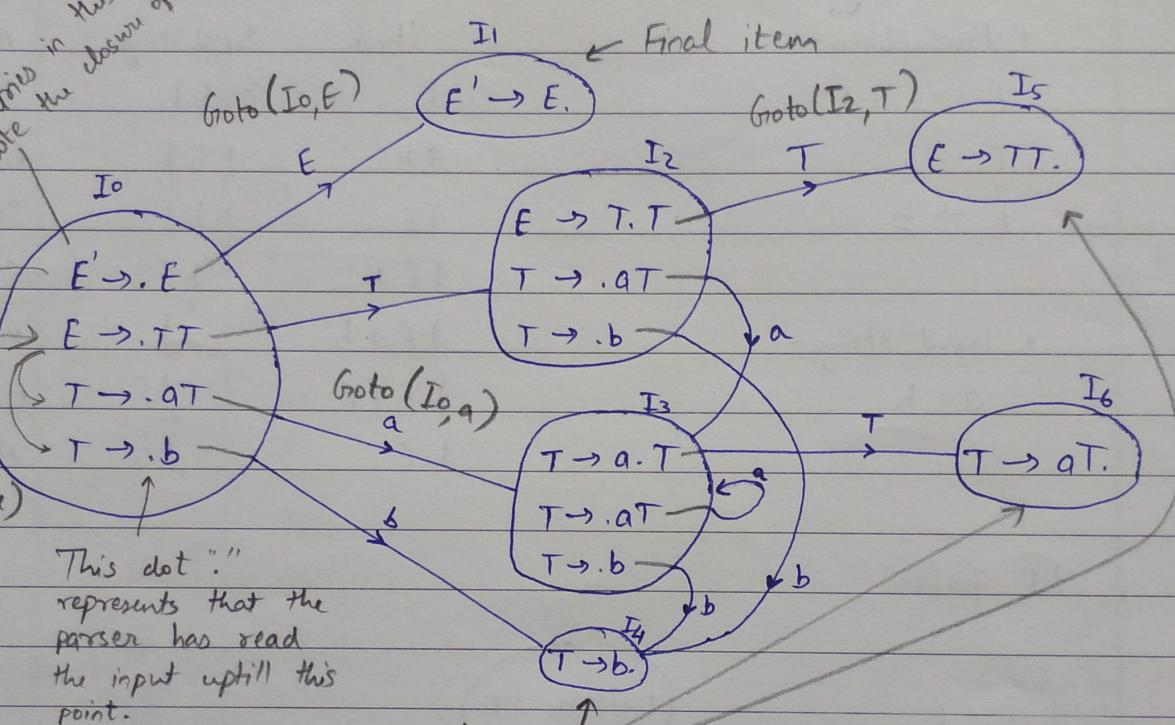
$$\begin{aligned} E' &\rightarrow E && \text{Augmented Production} \\ E &\rightarrow TT \\ T &\rightarrow aT/b \end{aligned}$$

The entries in this set denote the closure of  $E' \Rightarrow^*$

For each variable to the right of ":", add the productions of that variable (i.e.  $E$  in this case) and put the dot ":" in the first place of the RHS  
Similarly for  $T$

This dot ":" represents that the parser has read the input up till this point.

This is the most important and prerequisite structure to construct the LR(0) parsing table



## # Construction of LR(0) parsing table

Refer the diagram and grammar on pg 10

$$\begin{aligned} E' &\rightarrow E \\ E &\rightarrow TT \quad ① \\ T &\rightarrow aT \quad ② \quad b \\ &\quad \quad \quad ③ \end{aligned}$$

Necessary  
We number the productions  
for use in the table when  
denoting the reduce operation

The state in which the augmented  
production becomes the final item,  
that is when we use "accept"

Shift on seeing  
"a" when in  $I_0$   
move to  $I_1$

		Action (terminals)			Goto (variables)
		a	b	\$	E      T
Represents States $I_0, I_1, \dots$	0	$S_3$	$S_4$		1 ← 2
	1			accept	
This is augmented relation	2	$S_3$	$S_4$		5
	3	$S_3$	$S_4$		6
Final Items	4	$\tau_3$	$\tau_3$	$\tau_3$	
	5	$\tau_1$	$\tau_1$	$\tau_1$	
	6	$\tau_2$	$\tau_2$	$\tau_2$	

Note - we fill only this will change in SLR(1) table  
all columns under

Action with  $\tau_n$   
where  $n$  is the production  
number in the augmented  
grammar

## # Construction of SLR(1) parsing table

Production:

$$E \rightarrow E + T$$

$$E \rightarrow T$$

$$T \rightarrow T * F$$

$$T \rightarrow F$$

$$F \rightarrow id$$

$$E' \rightarrow E$$

$$E \rightarrow E + T \quad ①$$

$$E \rightarrow T \quad ②$$

$$T \rightarrow T * F \quad ③$$

$$T \rightarrow F \quad ④$$

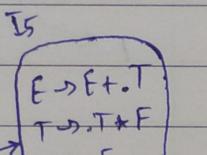
$$F \rightarrow id \quad ⑤$$

Necessary - we number the productions / LR(0) items for use in the table while writing the reduce operation.

Follow( $E'$ )

$$\begin{array}{l} E \rightarrow +, \$ \\ T \rightarrow *, +, \$ \\ F \rightarrow *, +, \$ \end{array}$$

This cannot accept



	Action	Go to		
	$id \quad + \quad * \quad \$$	E	T	F
0	$S_4$		1	2
1	$S_5$	accept		
2	$\gamma_2 \quad S_7 \quad \gamma_2$			
3	$\gamma_4 \quad \gamma_4 \quad \gamma_4$			
4	$\gamma_5 \quad \gamma_5 \quad \gamma_5$			
5	$S_4$		6	3
6	$\gamma_1 \quad S_7 \quad \gamma_1$			
7	$S_4$			8
8	$\gamma_3 \quad \gamma_3 \quad \gamma_3$			

Final Items

Steps

- Find all the states where final item has come. Except the state with augmented production  $E' \rightarrow E$ .
- For example, consider  $I_4$  item/state in the transition diagram

this is 5th production in the Follow( $F$ ) =  $\{ *, +, \$ \}$   
converted grammar.  
Hence write  $\gamma_5$

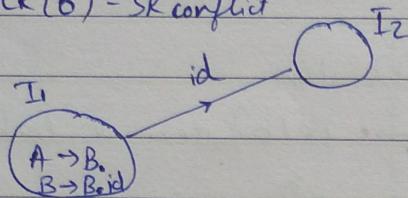
Write  $\gamma_5$  under these terminals for the 4th row

Shift Reduce      Reduce Reduce

## # SR conflict and RR conflict

### \* LR(0) - SR conflict

Assume  
 $A \rightarrow B$  is 3<sup>rd</sup>  
 production in  
 the augmented  
 grammar.



SR conflict

Action

Goto

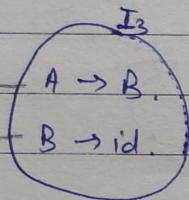
1	id + * \$ ...	...
2	$s_2/s_3$ $t_3$ $t_3$ $t_3$ ...	...

( $s_2$  Because  $I_1$  has  
 a transition to  $I_2$   
 for "id")

( $t_3$  Because  $I_1$  has a final item)

### \* LR(0) - RR conflict

Assume -  
 $A \rightarrow B$  as 2<sup>nd</sup>  
 production &  
 $B \rightarrow id$  as 3<sup>rd</sup>  
 production in  
 the augmented  
 grammar



RR conflict

Action

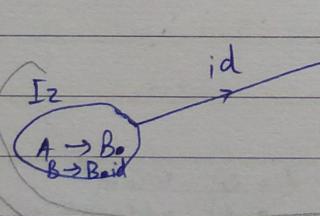
Goto

1	$t_1$ $t_2$ $t_3$ ...	...
2	$s_2/s_3$ $r_2/r_3$ $r_2/r_3$ ...	...

$s_2$  because  $I_2$  has  
 $A \rightarrow B.$  as final state     $t_3$  because  $I_3$  has  $B \rightarrow id.$  as final state  
 which is 2<sup>nd</sup> production    which is 3<sup>rd</sup> production in the  
 in the augmented grammar    augmented grammar

### \* SLR(1) - SR conflict

Assume  
 $A \rightarrow B$  is 3<sup>rd</sup>  
 production in  
 the augmented  
 grammar &  
 $\text{Follow}(A) = \{id\}$



SR conflict

Action

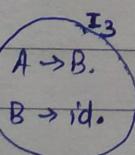
Goto

2	id + * \$ ...	...
3	$s_3/s_3$ $r_2/r_3$ ...	...

because  
 $A \rightarrow B.$  is final item

### \* SLR(1) - RR conflict

Assume  
 $A \rightarrow B$  as 2<sup>nd</sup>  
 production &  
 $B \rightarrow id$  as 3<sup>rd</sup>  
 production in  
 the augmented  
 grammar  
 and



3	$t_1$ $t_2$ $t_3$ ...	...
4	$r_2/r_3$ $r_2/r_3$ $r_3$ ...	...

RR conflict

$\text{Follow}(A) = \{t_1, t_2\}$   
 $\text{Follow}(B) = \{t_2, t_3\}$

# CLR(1) / LRC(1) parsing table - more states as compared to LR(0)  
and SLR(1)

$$E' \rightarrow E$$

LR(1) item

$$E \rightarrow TT \text{ } \textcircled{1}$$

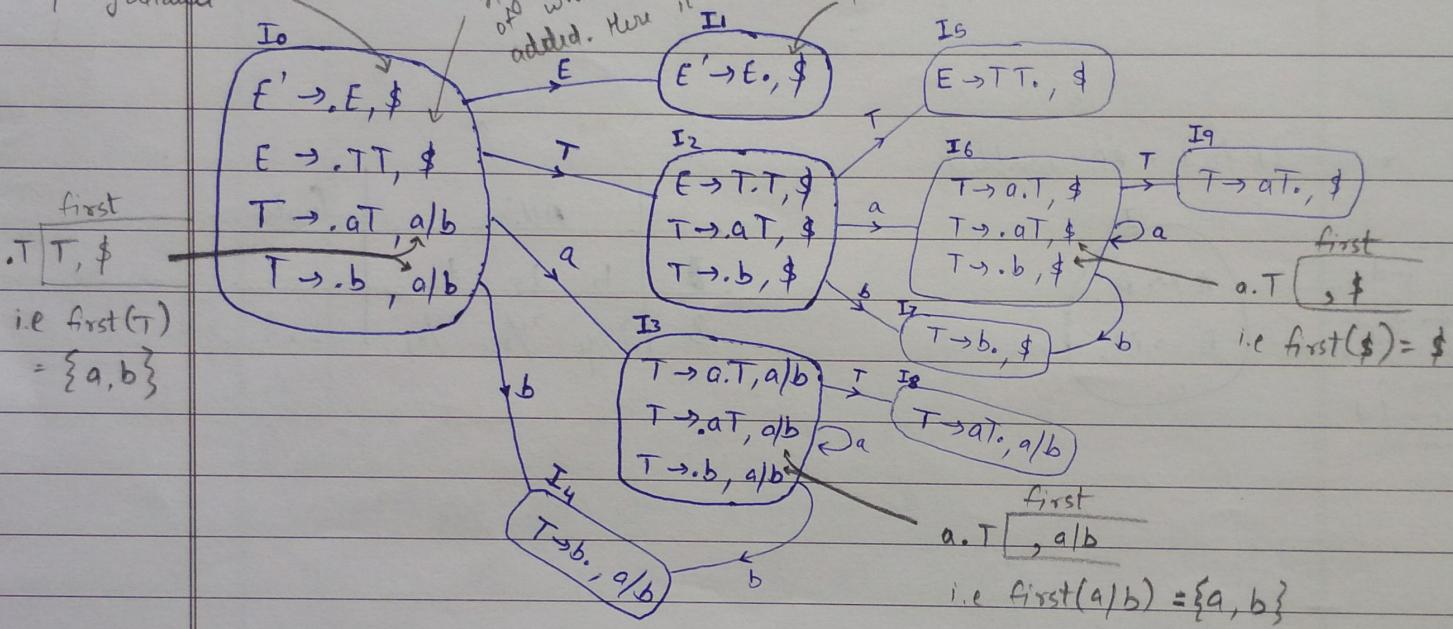
↳ LR(0) item + lookahead

$$T \rightarrow aT/b \text{ } \textcircled{2} \text{ } \textcircled{3}$$

First lookahead  
is \$ by default

This is first of things to the right of which this production was added. Here it is things to the right of E i.e. \$

This lookahead remains same



### Steps

- 1 Write the first production  $E \rightarrow .E, \$$ , and add other production if there is a variable to the right of '.', which is same as LR(0) + SLR(1)
- 2 Lookahead remains the same after transition from one state to another, i.e. only the dot shifts towards the right. for the first production only. The lookahead lookahead may change for production generated due to first production of the same state.

The format of the parsing table remains the same.

	Action			Goto		
	a	b	\$	F	T	
Same as LR(0), SLE(1) It is 3 because on "a", I <sub>0</sub> has transition to I <sub>3</sub>	0      S <sub>3</sub>	S <sub>4</sub>		1      2		Note - filling of shift operation and values in Goto column is same as LR(0) and SLE(1) parsing table like SLE(1)
I <sub>4</sub> $T \rightarrow b, a/b$	2      S <sub>6</sub>	S <sub>7</sub>			5	
	3      S <sub>3</sub>	S <sub>4</sub>			8	
	4 $\tau_3$	$\tau_3$				Instead of using $\text{follow}(X)$ , we use the lookahead to decide the columns.
we write $\tau_3$ because $T \rightarrow b$ is 3 <sup>rd</sup> production in the augmented grammar	5 $\tau_3$		$\tau_1$		9	
	6      S <sub>6</sub>	S <sub>7</sub>			:	
	7 $\tau_3$					
	8 $\tau_2$	$\tau_2$				
	9 $\tau_2$		$\tau_2$			

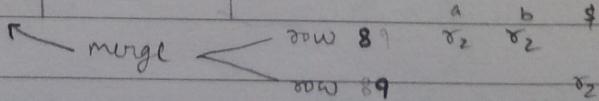
### # LR(1) parsing table

(or LRG(1))

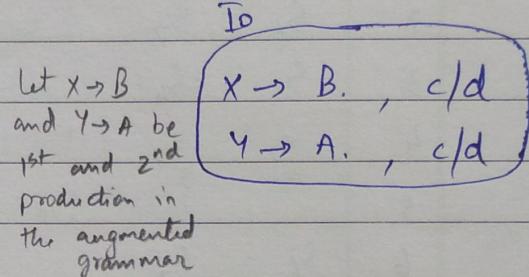
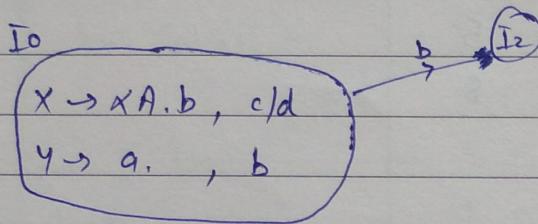
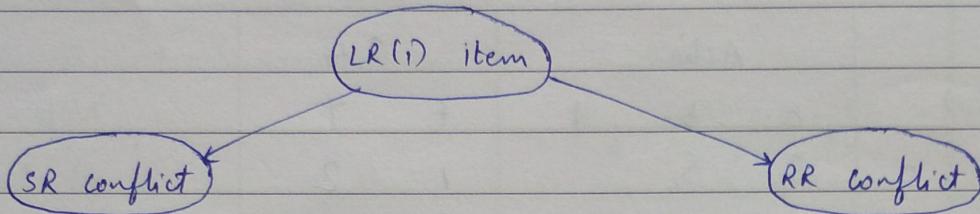
- We use the same example as CLR(1)
- Take those states whose bare content (i.e LR(0) items)

	Action			Goto		
	a	b	\$	F	T	
I <sub>3</sub> $T \rightarrow a.T, a/b$ $T \rightarrow aT, a/b$ $T \rightarrow b, a/b$	0      S <sub>36</sub>	S <sub>47</sub>		1      2		
I <sub>6</sub> $T \rightarrow aT, \$$ $T \rightarrow aT, a/b/\$$ $T \rightarrow b, a/b/\$$	1      accept					
I <sub>4</sub> $T \rightarrow b, a/b$	2      S <sub>36</sub>	S <sub>47</sub>		5		
I <sub>7</sub> $T \rightarrow b, \$$	36     S <sub>36</sub>	S <sub>47</sub>		89		
	47 $\tau_3$	$\tau_3$	$\tau_3$			
I <sub>8</sub> $T \rightarrow aT, a/b$	5		$\tau_1$			
I <sub>9</sub> $T \rightarrow aT, \$$	89 $\tau_2$	$\tau_2$	$\tau_2$			

- Do NOT change numbers with reduce as they are production number from the augmented grammar.
- Merge the rows having same row number and take a union of their entries.



# SR conflict and RR conflict with LR(1) items



	Action	Goto
Conflict	b c d \$ ...	$I_0$

because of transition from  $I_0$  to  $I_2$

because  $I_0$  has final item which is numbered 2 in augmented production and lookahead is b

Input -  
Parse Tree

Output

Semantic Analysis → Semantically Verified Parse Tree

## # Syntax Directed Translation (SDT)

Grammar + Semantic Rule = SDT

Example -

There are semantic rules associated  
with the productions. They are executed  
during the REDUCTION  
phase.

$$E \rightarrow E + T \quad \{ E.\text{val} = E.\text{val} + T.\text{val} \}$$

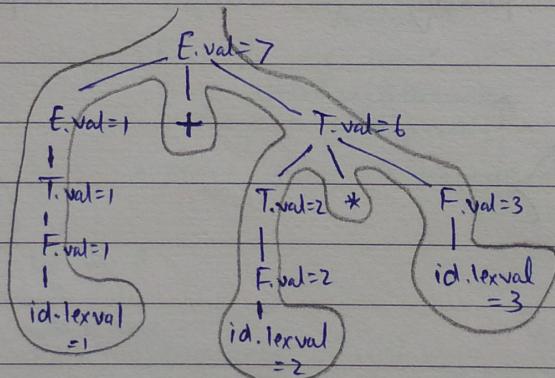
$$| T \quad \{ E.\text{val} = T.\text{val} \}$$

$$T \rightarrow T * F \quad \{ T.\text{val} = T.\text{val} * F.\text{val} \}$$

$$| F \quad \{ T.\text{val} = F.\text{val} \}$$

$$F \rightarrow \text{id} \quad \{ F.\text{val} = \text{id}. \text{lexval} \}$$

"val" is an attribute associated with Non terminals  
(variables)

lets solve for  $\rightarrow 1 + 2 * 3$ 

#

Synthesized attribute

- It is an attribute of a non-terminal (i.e variable)  
which is at the LHS of the production rule.

$$A \rightarrow BCD \quad \{ A.\text{val} = B.\text{val}, \\ A.\text{val} = C.\text{val}, \\ A.\text{val} = D.\text{val} \}$$

Attribute of A is synthesized attribute as it can get its value from its children B, C, D.

Inherited attribute

- It is an attribute of a non-terminal (i.e variable)  
which is at the RHS of the production rule.

$$A \rightarrow B(C)D \quad \{ C.\text{val} = A.\text{val}, \\ C.\text{val} = B.\text{val}, \\ C.\text{val} = D.\text{val} \}$$

Can take its values from its siblings or its parent. Same goes for B and D.

#

S-attributed SDT

L-attributed SDT

- Synthesized attributes are used  
(i.e parent can take its value from its children only)

- Both synthesized attribute and inherited attribute (left side only)

eg -  $A \rightarrow B \{ C D \}$  C can take its value from its parent or left siblings only  
 ✓  $C.val = B.val$   
 ✗  $C.val = D.val$

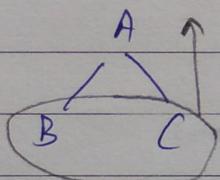
- Semantic actions can only be at the rightmost position

$$\begin{array}{l} A \rightarrow BC \quad \{ \quad \} \\ B \rightarrow C \quad \{ \quad \} \end{array}$$

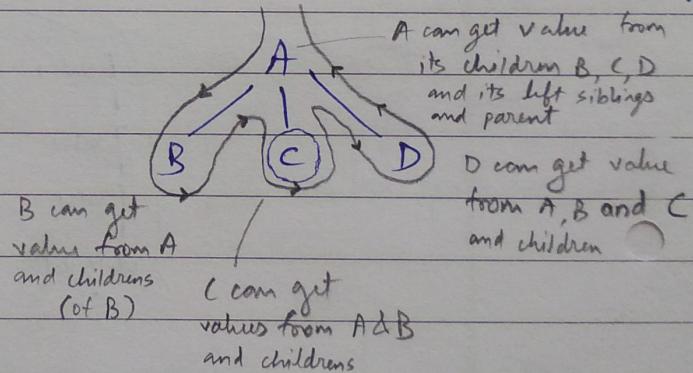
- Semantic actions can be ~~anywhere~~ anywhere on the RHS

$$\begin{array}{l} A \rightarrow B C D \quad \{ \quad \} \\ B \rightarrow C \quad \{ \quad \} D \\ C \rightarrow \{ \quad \} D \end{array}$$

- Bottom up parsing



- Depth first, left to right parsing



- Every S-attributed definition is also L-attributed definition

- Bottom up evaluation is also possible

## # Intermediate code generation

3 address code - statement / sequence of variables / instruction which has atmost 3 address locations.

Other representations

(1) Graph & DAG / Syntax tree

Most popularly used forms of 3 address code are -

(2) Postfix

1. Quadruples

2. Triples

\*\*

	Quadruples	Triples
	op      opr1      opr2      result	number      op      opr1      opr2
$t_1 = a + b$	1) +      a      b $t_1$	1) +      a      b
$t_2 = -t_1$	2) - $t_1$ $t_2$	2) -      (1)
$t_3 = c - d$	3) -      c      d $t_3$	3) -      c      d
$t_4 = t_2 * t_3$	4) * $t_2$ $t_3$ $t_4$	4) *      (2)      (3)

- Efficient optimization possible
- Flexible, i.e. can swap instruction/statement without any difficulty
- More space is required

- NOT efficient (in terms of instruction swapping)
- Less flexible, i.e. if we want to swap (1) & (3) above, we will have to change their references as well
- less space required

## Indirect Triples

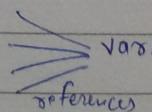
number	op	opr1	opr2	Statement
1)	+	a	b	1) (11)
2)	-	(11)		2) (12)
3)	-	c	d	3) (13)
4)	*	(12)	(13)	4) (14)

## Advantage

- Similar to quadruple
- Easy swapping of instruction as compared to Triples
- Space optimised as compared to quadruples.

## Triples

## Indirect Triple



$\Rightarrow$  ptr - var1  
reference

If var1 becomes var2, all references to be updated if var1 becomes var2, only the ptr is updated