

Exam preparations FYS4460

Fredrik E Pettersen
f.e.pettersen@fys.uio.no

May 23, 2013

Contents

1	Molecular-dynamics algorithms	3
2	Molecular-dynamics in the micro-canonical ensemble	4
3	Molecular-dynamics in the micro-canonical ensemble	4
4	Measuring the diffusion constant in molecular-dynamics simulations	4
5	Measuring the radial distribution function in molecular-dynamics simulations	4
6	Thermostats in molecular-dynamics simulations	4
7	Generating a nano-porous material	4
8	Diffusion in a nano-porous material	4
9	Flow in a nano-porous material	4
10	Algorithms for percolation systems	4
11	Percolation on small lattices	4
12	Cluster number density in 1-d percolation	4
13	Correlation length in 1-d percolation	4
14	Cluster size in 1-d percolation	4
15	Measurment and behavior of $P(p, L)$ and $\Pi(p, L)$	4
16	The cluster number density	4
17	Finite size scaling of $\Pi(p, L)$	4
18	Subsets of the spanning cluster	4
19	Random walks	4

1 Molecular-dynamics algorithms

There are several different possibilities for “variation” when doing molecular dynamics. First of all one can use different potentials according to what one would like to model. The simplest being the Lennard-Jones potential, which only includes two-particle interactions. The Lennard-Jones potential is typically pretty good for simulations of noble gasses. If we should want to study another material we will therefore need another potential. The Weber-Stillinger potential includes both two- and three-particle interactions, and can model silicone (Si). Silicone will, in equilibrium, form 4-coordinated tetrahedral structures, which the Weber-Stillinger potential reproduces. The VKRE (Vashista, Kalia, Rino, and Ebbsjö) potential is another potential which includes both two and three particle interactions, but this potential is made (specifically) to simulate SiO_2 . The two-body part includes three terms, the Coulomb interaction, steric repulsion due to ionic sizes, and a charge-dipole interaction resulting from the large electronic polarizability of O_2^- . Yet another example of a possible potential is the reaxFF potential which also includes four-particle interactions. This potential lets us study water molecules in an SiO_2 matrix.

In our Lennard-Jones studies we used the Verlet algorithm for time-integration. It is a simple, yet quite good integrator which conserves energy very well. It can be viewed as an advanced Euler-Cromer method, where we first update the velocity of each particle at half the timestep, then the position is integrated one full timestep using the new velocity. When this is completed for all particles we calculate two-body forces using the new positions before we use the new forces to fully integrate the velocities.

All of the potentials mentioned above decrease in strength with the distance between atoms. For the Lennard-Jones potential, this is illustrated in figure 1. As we see from this figure, there is for all practical purposes no interaction between particles that are a certain length apart. This means that we can skip the calculations of forces (which is very expensive) between these particles. As a practical measure we will therefore divide the system we are simulating into cells which are the same size as the cutoff length and only calculate forces between particles in neighbouring cells. In this way we are sure that no important calculations are left out

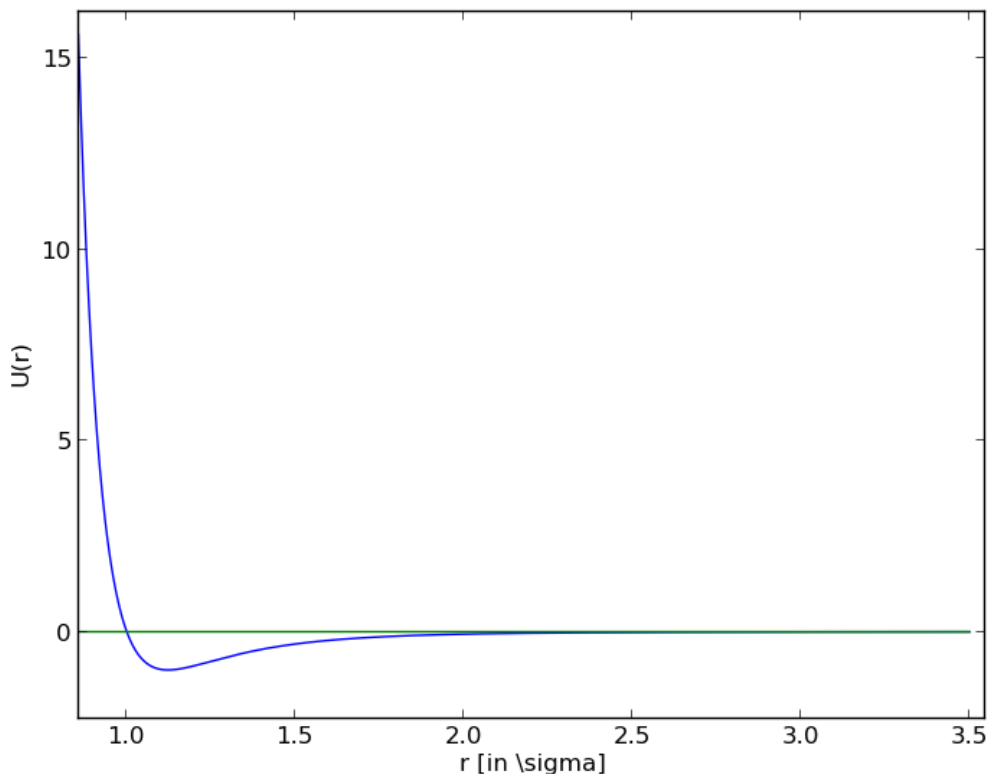


Figure 1: Strength of Lennard-Jones potential as a function of distance between atoms

- 2 Molecular-dynamics in the micro-canonical ensemble
- 3 Molecular-dynamics in the micro-canonical ensemble
- 4 Measuring the diffusion constant in molecular-dynamics simulations
- 5 Measuring the radial distribution function in molecular-dynamics simulations
- 6 Thermostats in molecular-dynamics simulations
- 7 Generating a nano-porous material
- 8 Diffusion in a nano-porous material
- 9 Flow in a nano-porous material
- 10 Algorithms for percolation systems
- 11 Percolation on small lattices
- 12 Cluster number density in 1-d percolation
- 13 Correlation length in 1-d percolation
- 14 Cluster size in 1-d percolation
- 15 Measurement and behavior of $P(p, L)$ and $\Pi(p, L)$
- 16 The cluster number density
- 17 Finite size scaling of $\Pi(p, L)$
- 18 Subsets of the spanning cluster
- 19 Random walks