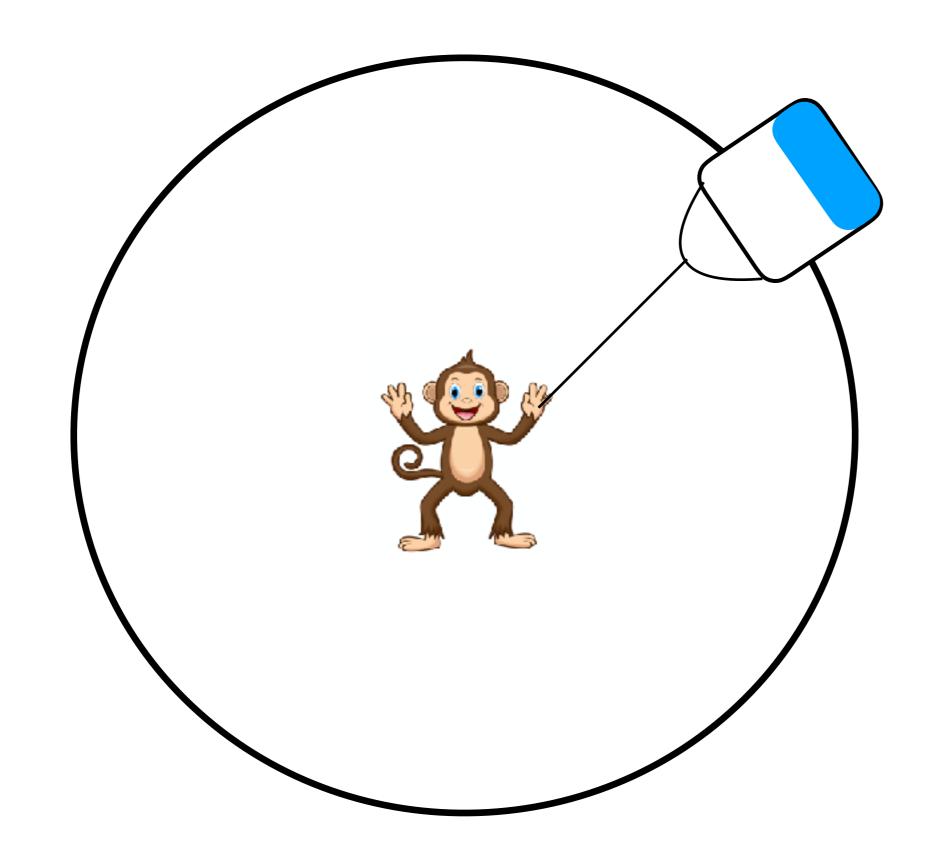
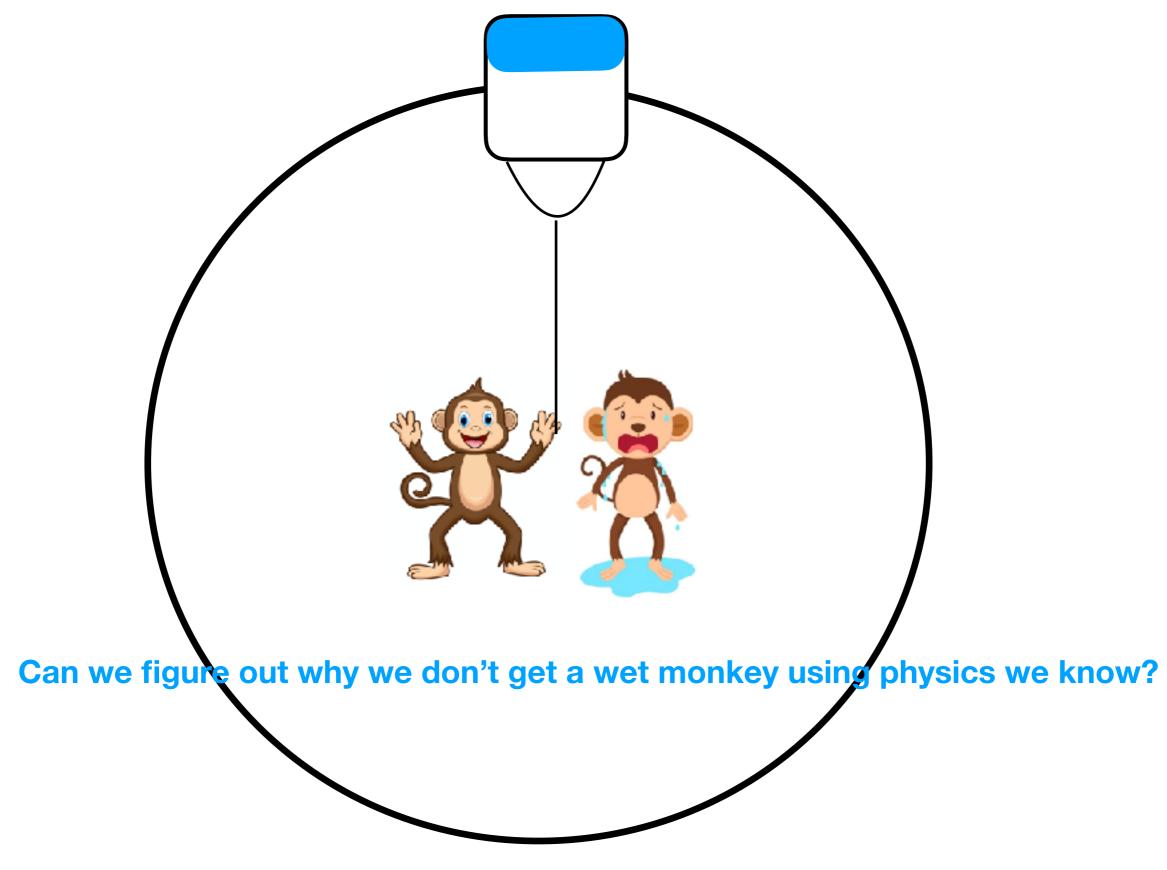
Let's learn VERTICAL circular motion by spinning a bucket of water



Let's learn VERTICAL circular motion by spinning a bucket of water



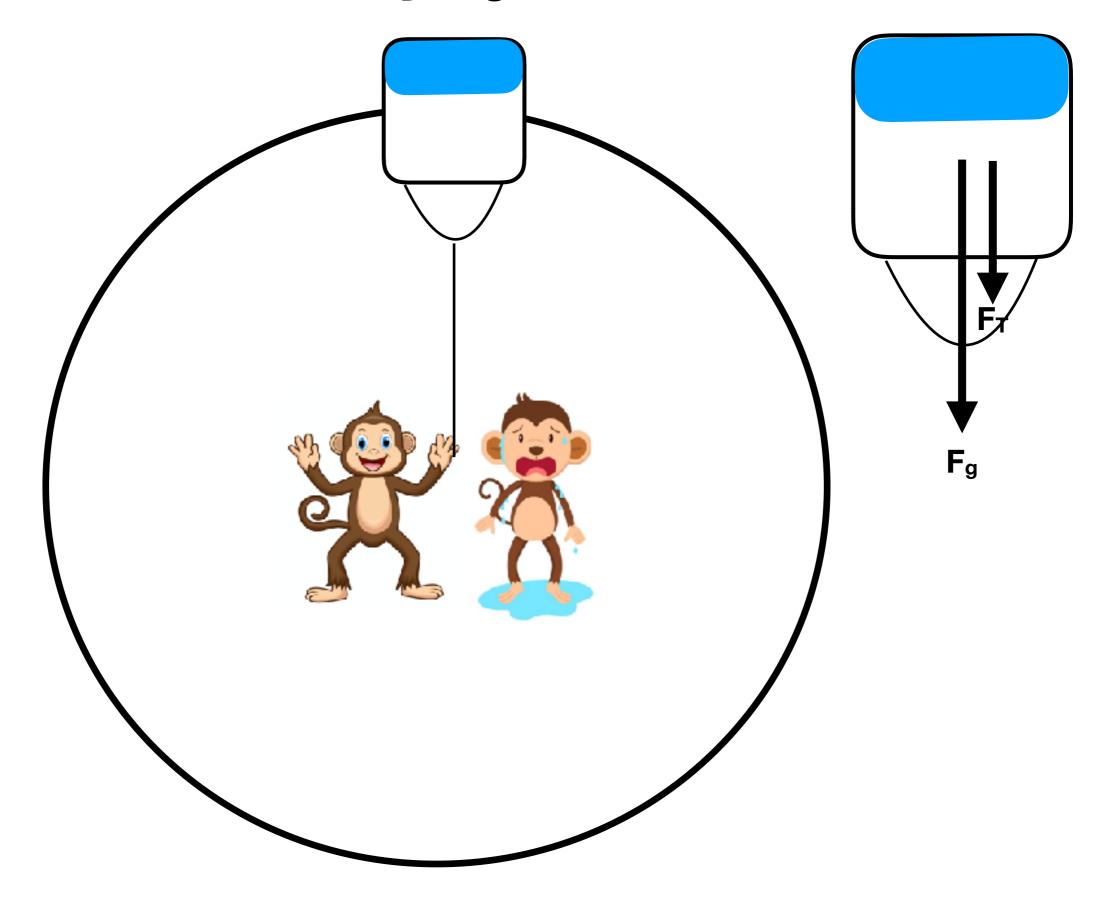
https://youtu.be/Zulw5bQ18Kk?t=16

If we were to draw a free body diagram at a given snapshot in time, what are the forces we need to consider?

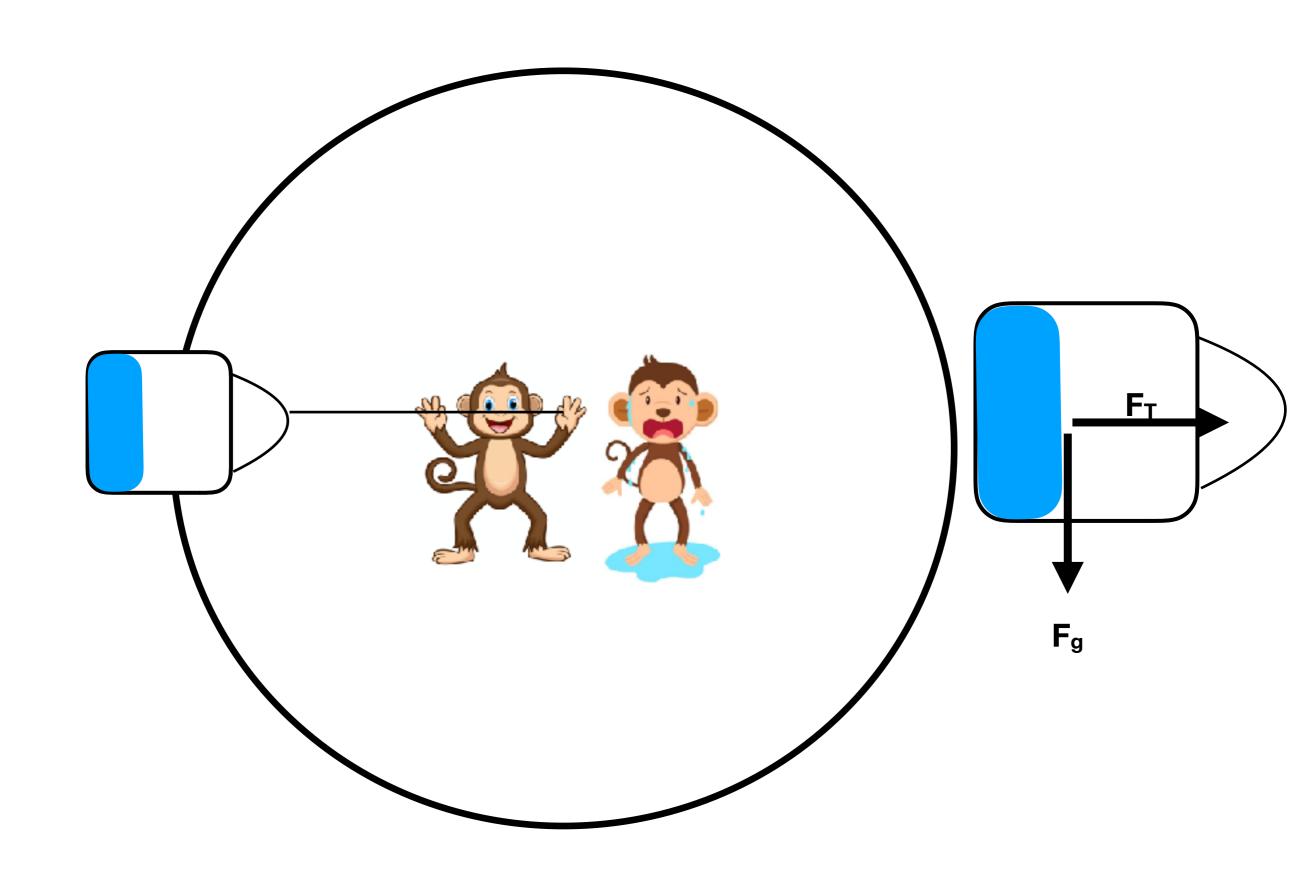
If we were to draw a free body diagram at a given snapshot in time, what are the forces we need to consider?

- 1. Force due to gravity Fg
- 2. Force due to tension F_T

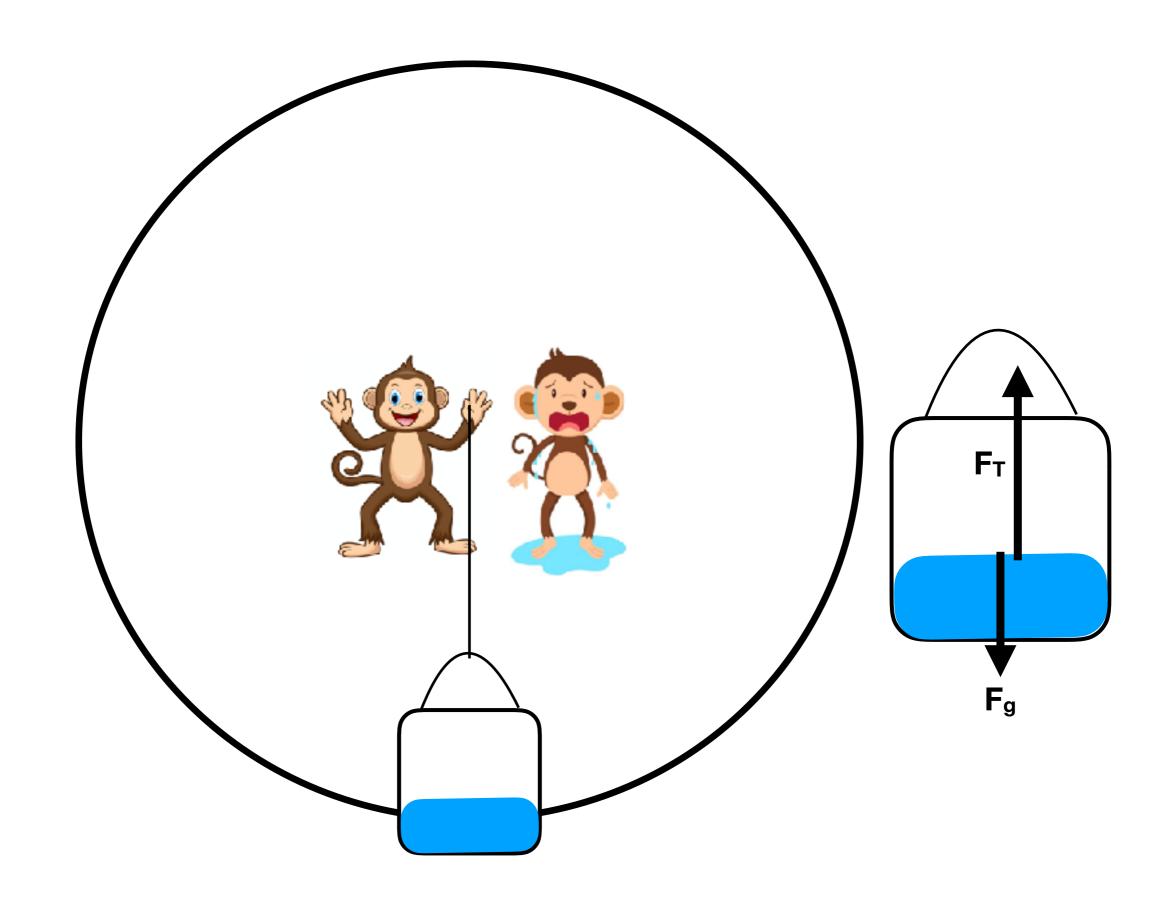
Free Body Diagrams (FBD)



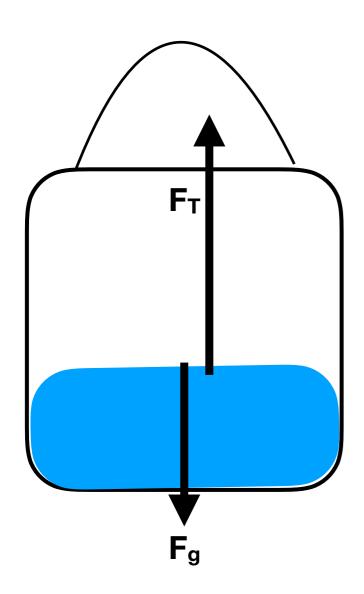
Free Body Diagrams (FBD)



Free Body Diagrams (FBD)



In groups of 2....



- 1. What is the net force?
- 2. What does our knowledge of circular motion tell us the net force equals (think Newton! Assume you know m & ω)
- 3. Why did I draw the length of F_T greater than that of F_g ? (think about limiting cases, like if they were equal)

$$\Sigma F = F_T - mg = m\omega^2 r$$

What happens if we increase the angular rotation speed?

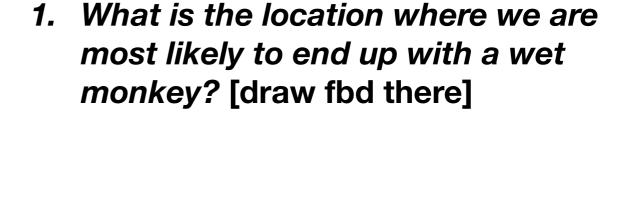
$$F_T = m\omega^2 r + mg$$

$$\Sigma F = F_T - mg = m\omega^2 r$$

What happens if we increase the angular rotation speed?

$$F_T^{\uparrow} = m\dot{\phi}^2 r + mg$$

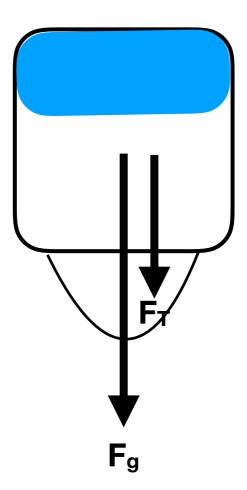








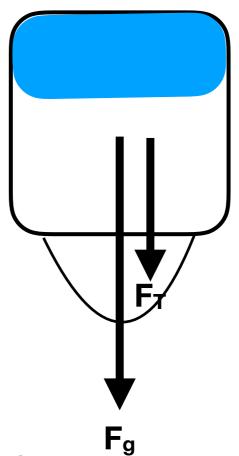
- What is the location where we are most likely to end up with a wet monkey? [draw fbd there]
- 2. What is the net force?



What is the minimum rotational velocity (ω) for a bucket of mass m and length l to not spill its water?



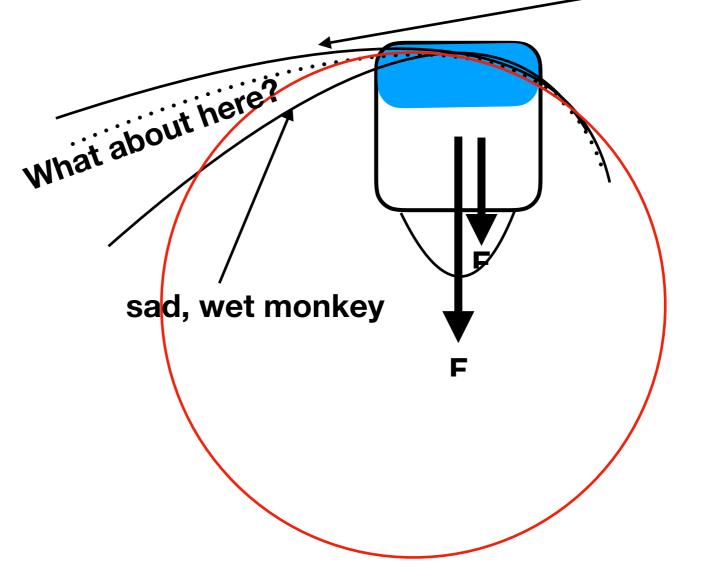
- 1. What is the location where we are most likely to end up with a wet monkey? [draw fbd there]
- 2. What is the net force?



$$\Sigma F = F_T + mg = m\omega^2 r$$

Where do we go from here? Let's think about the water at the top, and it's trajectory

happy, dry monkey

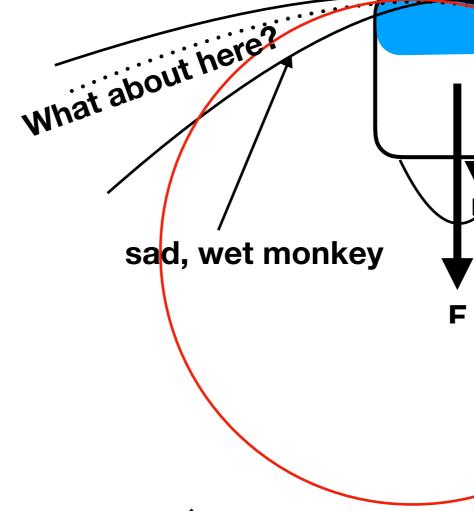




$$\Sigma F = F_T + mg = m\omega^2 r$$

happy, dry monkey

What is the minimum rotational velocity (ω) for a bucket of mass m and length l to not spill its water?



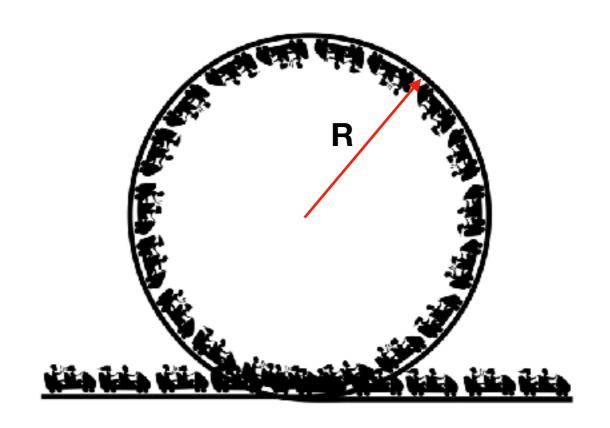


 $\sum F = F_T + mg = m\omega^2 r$ This is the

$$\omega = \sqrt{(g/r)}$$

This is the minimum rotational speed necessary to keep the water in the bucket

And one for the road



- 1. Using what we've learned, where on this loop-de-loop would you feel weightless? Why?
- 2. Where would you feel "heaviest"? Why?
- 3. What is the minimum velocity *v* you need to make it around the loop-de-loop?