

Mata Kuliah : Matematika Diskrit 1 (Teori)
 Kode Mata Kuliah : KKT14143
 Waktu : Selasa (07.00 – 08.40)
 Jumlah SKS : 3 SKS
 Nama Dosen : Suprihanto
 Minggu ke : 11 (Sebelas)
 Tanggal : 24-11-2015
 Judul Materi : Latihan Soal 1

Latihan soal berkaitan dengan bab himpunan

Exercises

- Let A be the set of students who live within one mile of school and let B be the set of students who walk to classes. Describe the students in each of these sets.
 - $A \cap B$
 - $A \cup B$
 - $A - B$
 - $B - A$
 - Suppose that A is the set of sophomores at your school and B is the set of students in discrete mathematics at your school. Express each of these sets in terms of A and B .
 - the set of sophomores taking discrete mathematics in your school
 - the set of sophomores at your school who are not taking discrete mathematics
 - the set of students at your school who either are sophomores or are taking discrete mathematics
 - the set of students at your school who either are not sophomores or are not taking discrete mathematics
 - Let $A = \{1, 2, 3, 4, 5\}$ and $B = \{0, 3, 6\}$. Find
 - $A \cup B$
 - $A \cap B$
 - $A - B$
 - $B - A$
 - Let $A = \{a, b, c, d, e\}$ and $B = \{a, b, c, d, e, f, g, h\}$. Find
 - $A \cup B$
 - $A \cap B$
 - $A - B$
 - $B - A$
- In Exercises 5–10 assume that A is a subset of some underlying universal set U .
- Prove the complementation law in Table 1 by showing that $\overline{\overline{A}} = A$.
 - Prove the identity laws in Table 1 by showing that
 - $A \cup \emptyset = A$
 - $A \cap U = A$
 - Prove the domination laws in Table 1 by showing that
 - $A \cup U = U$
 - $A \cap \emptyset = \emptyset$
 - Prove the idempotent laws in Table 1 by showing that
 - $A \cup A = A$
 - $A \cap A = A$
 - Prove the complement laws in Table 1 by showing that
 - $A \cup \overline{A} = U$
 - $A \cap \overline{A} = \emptyset$
 - Show that
 - $A - \emptyset = A$
 - $\emptyset - A = \emptyset$
 - Let A and B be sets. Prove the commutative laws from Table 1 by showing that
 - $A \cup B = B \cup A$
 - $A \cap B = B \cap A$
 - Prove the first absorption law from Table 1 by showing that if A and B are sets, then $A \cup (A \cap B) = A$.
 - Prove the second absorption law from Table 1 by showing that if A and B are sets, then $A \cap (A \cup B) = A$.
 - Find the sets A and B if $A - B = \{1, 5, 7, 8\}$, $B - A = \{2, 10\}$, and $A \cap B = \{3, 6, 9\}$.
 - Prove the second De Morgan law in Table 1 by showing that if A and B are sets, then $\overline{A \cup B} = \overline{A} \cap \overline{B}$.
 - by showing each side is a subset of the other side.
 - using a membership table.
 - Let A and B be sets. Show that
 - $(A \cap B) \subseteq A$
 - $A \subseteq (A \cup B)$
 - $A - B \subseteq A$
 - $A \cap (B - A) = \emptyset$
 - $A \cup (B - A) = A \cup B$
 - Show that if A , B , and C are sets, then $\overline{A \cap B \cap C} = \overline{A} \cup \overline{B} \cup \overline{C}$.
 - by showing each side is a subset of the other side.
 - using a membership table.
 - Let A , B , and C be sets. Show that
 - $(A \cup B) \subseteq (A \cup B \cup C)$
 - $(A \cap B \cap C) \subseteq (A \cap B)$
 - $(A - B) - C \subseteq A - C$
 - $(A - C) \cap (C - B) = \emptyset$
 - $(B - A) \cup (C - A) = (B \cup C) - A$
 - Show that if A and B are sets, then
 - $A - B = A \cap \overline{B}$
 - $(A \cap B) \cup (A \cap \overline{B}) = A$
 - Show that if A and B are sets with $A \subseteq B$, then
 - $A \cup B = B$
 - $A \cap B = A$
 - Prove the first associative law from Table 1 by showing that if A , B , and C are sets, then $A \cup (B \cup C) = (A \cup B) \cup C$.
 - Prove the second associative law from Table 1 by showing that if A , B , and C are sets, then $A \cap (B \cap C) = (A \cap B) \cap C$.
 - Prove the first distributive law from Table 1 by showing that if A , B , and C are sets, then $A \cup (B \cap C) = (A \cup B) \cap (A \cup C)$.
 - Let A , B , and C be sets. Show that $(A - B) - C = (A - C) - (B - C)$.
 - Let $A = \{0, 2, 4, 6, 8, 10\}$, $B = \{0, 1, 2, 3, 4, 5, 6\}$, and $C = \{4, 5, 6, 7, 8, 9, 10\}$. Find
 - $A \cap B \cap C$
 - $A \cup B \cup C$
 - $(A \cup B) \cap C$
 - $(A \cap B) \cup C$
 - Draw the Venn diagrams for each of these combinations of the sets A , B , and C .
 - $A \cap (B \cup C)$
 - $\overline{A} \cap \overline{B} \cap \overline{C}$
 - $(A - B) \cup (A - C) \cup (B - C)$
 - Draw the Venn diagrams for each of these combinations of the sets A , B , and C .
 - $A \cap (B - C)$
 - $(A \cap B) \cup (A \cap C)$
 - $(A \cap \overline{B}) \cup (A \cap \overline{C})$
 - Draw the Venn diagrams for each of these combinations of the sets A , B , C , and D .
 - $(A \cap B) \cup (C \cap D)$
 - $\overline{A} \cap \overline{B} \cap \overline{C} \cap \overline{D}$
 - $A - (B \cap C \cap D)$
 - What can you say about the sets A and B if we know that
 - $A \cup B = A$?
 - $A \cap B = A$?
 - $A - B = A$?
 - $A \cap B = B \cap A$?
 - $A - B = B - A$?

Pembahasan terutama di nomor-nomor awal dari 1 sampai 11. Dasar-dasar aturan himpunan