```
const double EPS = 1e-8;
 1
      const double INF = 1e12;
 2
 3
      //point
 4
      typedef complex<double> P;
 5
 6
      namespace std {
            bool operator < (const P& a, const P& b) {
 7
                    return real(a) != real(b) ? real(a) < real(b) : imag(a) < imag(b);
 8
 9
            bool cmp_y(const P &a, const P &b){
10
                    return a.imag() != b.imag() ? a.imag() < b.imag() : a.real() < b.real();
11
            }
12
13
      double cross(const P& a, const P& b) {
14
            \mathbf{return}\ \mathrm{imag}(\mathrm{conj}(a)*b);
15
16
      double dot(const P& a, const P& b) {
17
            return real(conj(a)*b);
18
      }
19
20
      // line
21
      struct L : public vector<P> {
22
            L(const P& a, const P& b) {
23
24
                    push_back(a); push_back(b);
            }
25
      };
26
27
      // polygon
28
      typedef vector < P > G;
29
30
31
      // circle
32
      struct C {
            P p; double r;
33
34
            C(\mathbf{const} \ P\& \ p, \ \mathbf{double} \ r) : p(p), \ r(r) \ \{\}
35
      };
点と線分
      //point
 1
      typedef complex<double> P;
 2
 3
      namespace std {
            bool operator < (const P& a, const P& b) {
 4
                    return real(a) != real(b) ? real(a) < real(b) : imag(a) < imag(b);
 5
 6
```

```
9          return imag(conj(a)*b);
10     }
11     double dot(const P& a, const P& b) {
12          return real(conj(a)*b);
13     }
```

// line

14

```
struct L : public vector<P> {
15
           L(const P& a, const P& b) {
16
                   push_back(a); push_back(b);
17
           }
18
19
     };
20
     int ccw(P a, P b, P c) {
21
       b = a; c = a;
22
       if (cross(b, c) > 0) return +1; // counter clockwise
23
       if (cross(b, c) < 0) return -1; // clockwise
24
       if (dot(b, c) < 0) return +2; //c--a--b on line
25
       if (norm(b) < norm(c)) return -2; // a--b--c on line
26
                       // a--c--b on line
       return 0;
27
28
     }
29
     //L が直線,S が線分
30
     bool intersectLL(const L &l, const L &m) {
31
       return abs(cross(l[1]-l[0], m[1]-m[0])) > EPS \parallel // non-parallel
32
33
              abs(cross(1[1]-1[0], m[0]-1[0])) < EPS; // same line
34
     bool intersectLS(const L &l, const L &s) {
35
       return cross(1[1]-1[0], s[0]-1[0])* // s[0] is left of l
36
              cross(l[1]-l[0], s[1]-l[0]) < EPS; // s[1] is right of l
37
38
     bool intersectLP(const L &l, const P &p) {
39
       return abs(cross(l[1]-p, l[0]-p)) < EPS;
40
41
     bool intersectSS(const L &s, const L &t) {
42
43
       return ccw(s[0],s[1],t[0])*ccw(s[0],s[1],t[1]) <= 0 \&\&
              ccw(t[0],t[1],s[0])*ccw(t[0],t[1],s[1]) \le 0;
44
45
     bool intersectSP(const L &s, const P &p) {
46
47
       return abs(s[0]-p)+abs(s[1]-p)-abs(s[1]-s[0]) < EPS; // triangle inequality
48
49
     P projection(const L &l, const P &p) {
50
           double t = dot(p-l[0], l[0]-l[1]) / norm(l[0]-l[1]);
51
           return l[0] + t*(l[0]-l[1]);
52
53
     P reflection(const L &l, const P &p) {
54
           return p + (double)2 * (projection(l, p) - p);
55
56
57
     double distanceLP(const L &l, const P &p) {
           return abs(p - projection(l, p));
58
59
     double distanceLL(const L &l, const L &m) {
60
           return intersectLL(l, m) ? 0 : distanceLP(l, m[0]);
61
62
     double distanceLS(const L &l, const L &s) {
63
64
           if (intersectLS(l, s)) return 0;
           return min(distanceLP(l, s[0]), distanceLP(l, s[1]));
65
66
     double distanceSP(const L &s, const P &p) {
67
```

```
const P r = projection(s, p);
68
              if (intersect SP(s, r)) return abs(r - p);
69
              return min(abs(s[0] - p), abs(s[1] - p));
70
71
72
      double distanceSS(const L &s, const L &t) {
             if (intersectSS(s, t)) return 0;
73
                       return min(\{distanceSP(s, t[0]), distanceSP(s, t[1]), distanceSP(t, s[0]), \}
74
                             distanceSP(t, s[1]);
75
76
      P crosspoint(const L &l, const L &m) {
         double A = cross(l[1] - l[0], m[1] - m[0]);

double B = cross(l[1] - l[0], l[1] - m[0]);
77
78
         if (abs(A) < EPS \&\& abs(B) < EPS) return m[0]; // same line
79
         \mathbf{if}\;(\mathrm{abs}(A) < \mathrm{EPS})\;\mathrm{assert}(\mathbf{false});\;//\;\mathit{!!!PRECONDITION}\;\mathit{NOT}\;\mathit{SATISFIED!!!}
80
81
         return m[0] + B / A * (m[1] - m[0]);
82
```

多角形

```
1
     // polygon
2
     typedef vector<P> G;
3
     P extreme(const vector<P> &po, const L &l) {
 4
5
       int k = 0;
6
       for (int i = 1; i < po.size(); ++i)
         if (dot(po[i], l[1]-l[0]) > dot(po[k], l[1]-l[0])) k = i;
7
       return po[k];
8
9
10
11
     enum { OUT, ON, IN };
     int contains(const G& po, const P& p) {
12
       bool in = false;
13
       for (int i = 0; i < po.size(); ++i) {
14
15
           P = po[i] - p, b = po[(i+1)\%po.size()] - p;
         if (imag(a) > imag(b)) swap(a, b);
16
         if (imag(a) \le 0 \&\& 0 \le imag(b))
17
           if (cross(a, b) < 0) in = !in;
18
         if (cross(a, b) == 0 \&\& dot(a, b) <= 0) return ON;
19
20
       return in ? IN : OUT;
21
22
23
     double area2(const G& po) {
24
25
           double A = 0;
           for (int i = 0; i < po.size(); ++i)
26
27
           A += cross(po[i], po[(i+1)\%po.size()]);
       //最後にまとめて割る 2
28
29
       return A/2;
30
     }
31
     bool isconvex(const G &p) {
32
           int n = p.size();
33
           if(cross(p[0]-p[n-1],p[n-2]-p[n-1]) < 0) return false;
34
```

```
for(int i = 1; i < n-1; ++i) {
35
                     if(cross(p[i+1]-p[i],p[i-1]-p[i]) < 0) return false;
36
37
38
            return true;
39
      }
40
      G convex_hull(G ps) {
41
42
        int n = ps.size(), k = 0;
43
        sort(ps.begin(), ps.end(), cmp_y);
        G r(2*n);
44
        for(int i = 0; i < n; i++){
45
          while(k>1 \&\& cross(r[k-1]-r[k-2],ps[i]-r[k-2]) < -EPS)k--;
46
          r[k++] = ps[i];
47
48
49
        for(int i = n-2, t = k; i >= 0; i--){
          while(k > t \&\& cross(r[k-1]-r[k-2],ps[i]-r[k-2]) < -EPS)k--;
50
          r[k++] = ps[i];
51
52
53
        r.resize(k-1);
        return r;
54
55
      }
56
      // caliper
57
      double convex_diameter(const G &pt) {
58
            const int n = pt.size();
59
            if(n \le 1) return 0;
60
            if(n == 2) return abs(pt[0]-pt[1]);
61
62
63
            int i = 0, j = 0;
            for(int k = 0; k < n; ++k){
64
                     \mathbf{if}(!(pt[i] < pt[k])) \ i = k;
65
                     \mathbf{if}(\mathrm{pt}[\mathbf{j}] < \mathrm{pt}[\mathbf{k}]) \mathbf{j} = \mathbf{k};
66
67
            }
68
            double res = 0;
69
70
            int si = i, sj = j;
            while(i != sj || j != si) {
71
                     res = max(res, abs(pt[i]-pt[j]));
72
                     if(cross(pt[(i+1)\%n]-pt[i],pt[(j+1)\%n]-pt[j]) < 0) i = (i+1)\%n;
73
                     else j = (j+1)\%n;
74
75
76
            return res;
77
      }
78
      // 凸多角形po を l で切った左の多角形を返す
79
      G convex_cut(const G& po, const L& l) {
80
        GQ;
81
82
        for (int i = 0; i < po.size(); ++i) {
            P A = po[i], B = po[(i+1)\%po.size()];
83
          if (ccw(l[0], l[1], A) != -1) Q.push_back(A);
84
            if (ccw(l[0], l[1], A)*ccw(l[0], l[1], B) < 0) {
85
                     Q.push\_back(crosspoint(L(A, B), l));
86
            }
87
```

```
88
         return Q;
 89
 90
 91
 92
       //最近点対 嘘
      double closestPair(G p, int flag=1) {
 93
             if(flag) sort(p.begin(), p.end());
 94
 95
             int n = p.size(), s = 0, m=n/2;
             if(n<=1) return INF;
 96
97
             G b(begin(p), begin(p)+m), c(begin(p)+m, end(p)), e;
             double x = p[m].real(), d=min(closestPair(b, 0), closestPair(c, 0));
 98
             sort(p.begin(), p.end(), cmp_y);
99
             for(int i=0; i< n; ++i) {
100
101
                      if(abs(real(p[i])-x) >= d) continue;
102
                      for(int j=0; j<e.size(); ++j) {
                              if(imag(p[i]-e[e.size()-1-j]) >= d) break;
103
                              d = \min(d, abs(p[i]-e[e.size()-1-j]));
104
105
106
                      e.push_back(p[i]);
107
             return d;
108
109
円
      // circle
 1
      struct C {
 2
             P p; double r;
 3
             C(\textbf{const}\ P\&\ p,\,\textbf{double}\ r):p(p),\,r(r)\ \{\}
 4
 5
      };
 6
      int intersectCC(const C& a, const C& b) {
 7
             double dist = \operatorname{sqrt}(\operatorname{norm}(a.p-b.p)), r1 = a.r + b.r, r2 = \operatorname{abs}(a.r - b.r);
 8
 9
             if(r1 < dist) return 4; //外
             if(dist == r1) return 3; //外接
 10
             \mathbf{if}(r2 < dist & dist < r1) return 2; //2点で交わる
 11
 12
             if(dist == r2) return 1; //内接
             return 0; //内包
 13
      }
 14
 15
       vector<P> crossPointCL(C c, L l) {
 16
             double d = distanceLP(l, c.p), r = c.r;
 17
             P m = projection(l, c.p);
 18
 19
             P = sqrt(r*r-d*d)/abs(l[1]-l[0])*(l[1]-l[0]);
             vector < P > ret(2,m);
 20
             ret[0] -= x;
 21
             ret[1] += x;
 22
 23
             sort(ret.begin(), ret.end()); //!!!
 24
             return ret;
      }
 25
 26
      vector<P> crossPointCC(C a, C b) {
 27
             double d = abs(a.p-b.p);
 28
```

```
double t = (a.r*a.r-b.r*b.r+d*d)/2/d, h = sqrt(a.r*a.r-t*t);
29
            P m = t/abs(b.p-a.p)*(b.p-a.p)+a.p;
30
            P n = n_{\text{vector}}(a.p-b.p);
31
32
            \text{vector} < P > \text{ret}(2, m);
33
            ret[0] = h*n;
            ret[1] += h*n;
34
            sort(ret.begin(), ret.end()); //!!!
35
36
            return ret;
37
     }
38
     //接線
39
      vector<P> tangentLC(P p, C c) {
40
            C c2 = C((p+c.p)/2.0, abs(p-c.p)/2.0);
41
42
            return crossPointCC(c, c2);
43
     }
44
      //共通接線
45
      vector<P> commonTangent(C a, C b) {
46
47
            vector<P> ret, cp;
            if(a.r == b.r) {
48
                     P n = n_{\text{vector}}(b.p-a.p);
49
50
                     ret.push\_back(P{a.p+a.r*n});
                     ret.push\_back(P{a.p-a.r*n});
51
52
            P i = (a.p*b.r+b.p*a.r)/(a.r+b.r);
53
            if(abs(a.p-b.p) > a.r+b.r)
54
            cp = tangentLC(i,a);
55
            for(int i = 0; i < 2; ++i) ret.push_back(cp[i]);
56
57
            if(a.r != b.r)
                             P = (a.p*b.r-b.p*a.r)/(b.r-a.r);
58
                             cp = tangentLC(e,a);
59
                             for(int i = 0; i < 2; ++i) ret.push_back(cp[i]);
60
61
            \} \mathbf{else} \ \mathbf{if}(abs(a.p-b.p) == a.r+b.r) \{
62
            cp = tangentLC(i,a);
63
            ret.push\_back(cp[0]);
64
            if(a.r != b.r){
65
                     P e = (a.p*b.r-b.p*a.r)/(b.r-a.r);
66
                             cp = tangentLC(e,a);
67
                             for(int i = 0; i < 2; ++i) ret.push_back(cp[i]);
68
69
            else if(abs(a.p-b.p) > abs(a.r-b.r))
70
71
            if(a.r != b.r){
                     P = (a.p*b.r-b.p*a.r)/(b.r-a.r);
72
73
                             cp = tangentLC(e,a);
                             for(int i = 0; i < 2; ++i) ret.push_back(cp[i]);
74
75
            else if(abs(a.p-b.p) == abs(a.r-b.r))
76
            P = (a.p*b.r-b.p*a.r)/(b.r-a.r);
77
78
            cp = tangentLC(e,a);
            ret.push\_back(cp[0]);
79
80
            sort(ret.begin(), ret.end());
81
```

```
}
83
84
85
86
      3点が与えられたときに円を求める
      返り値は {中心のx座標、y座標、半径}
87
      3点が直線上に並んでいるときは \{0, 0, -1\}を返す
88
89
      C calcCircle(int x1, int y1, int x2, int y2, int x3, int y3) {
90
        long ox, oy, a, b, c, d;
91
        long r1, r2, r3;
92
93
        a = x2 - x1;
94
95
        b = y2 - y1;
96
        c = x3 - x1;
        d = y3 - y1;
97
98
        int cx, cy, r;
99
100
        if ((a && d) || (b && c)) {
          ox = x1 + (d * (a * a + b * b) - b * (c * c + d * d)) / (a * d - b * c) / 2;
101
          if (b) {
102
            oy = (a * (x1 + x2 - ox - ox) + b * (y1 + y2)) / b / 2;
103
104
          } else {
            oy = (c * (x1 + x3 - ox - ox) + d * (y1 + y3)) / d / 2;
105
106
          r1 = sqrt((ox - x1) * (ox - x1) + (oy - y1) * (oy - y1));
107
          r2 = sqrt((ox - x2) * (ox - x2) + (oy - y2) * (oy - y2));
108
          r3 = sqrt((ox - x3) * (ox - x3) + (oy - y3) * (oy - y3));
109
110
          cx = ox;
111
          cy = oy;
          r = (r1 + r2 + r3) / 3;
112
          return \{P\{cx, cy\}, r\};
113
114
115
        return \{P\{0, 0\}, -1\};
116
117
      }
      // Binary Indexed Tree max
 1
 2
      #define MAX_N 100000
      int n;
 3
      int bit[MAX_N];
 4
 5
      //a-1の位置にwを更新
 6
      void add(int a, int w) {
 7
        for (int x = a; x < n; x |= x + 1) {
 8
          if (bit[x] < w)
 9
10
            bit[x] = w;
11
      }
12
13
      // 0 から a-1 までの最大値を求める
14
      int maximum(int a) {
15
        int ret = -INF;
16
```

82

return ret;

```
for (int x = a - 1; x >= 0; x = (x & (x + 1)) - 1)
17
         ret = max(ret, bit[x]);
18
        return ret;
19
20
     bool prime[1000000];
 1
     memset(prime, true, sizeof(prime));
 2
     prime[0] = prime[1] = false;
 3
     for (int i = 2; i * i <= 1000000; i++) {
 4
           if (prime[i]) {
 5
                    for (int j = 2 * i; j \le 1000000; j += i) {
 6
                            prime[j] = false;
 7
                    }
 8
 9
           }
     }
10
lca
     VI G[MAX_N]; //グラフの隣接リスト
 1
 2
     int root = 0; //根のノード
 3
     int parent[MAX_LOG_N][MAX_N];
 4
     int depth[MAX_N];
 5
 6
 7
     void dfs(int v, int p, int d) {
        parent[0][v] = p;
 8
        depth[v] = d;
 9
        REP(i, G[v].size()) if(G[v][i] != p) dfs(G[v][i], v, d+1);
10
11
12
     //初期化 O(logn)
13
14
     void init(int n) {
        dfs(root, -1, 0);
15
        REP(k, MAX_LOG_N-1) REP(v, n) {
16
          if(parent[k][v] < 0) parent[k+1][v] = -1;
17
          else parent[k+1][v] = parent[k][parent[k][v]];
18
19
     }
20
21
     // uと vの lca を求める
22
     int lca(int u, int v) {
23
        if(depth[u] > depth[v]) swap(u, v);
24
        REP(k, MAX_LOG_N) {
25
         if((depth[v]-depth[u]) >> k \& 1) v = parent[k][v];
26
27
       if(u == v) return u;
28
        for(int k = MAX\_LOG\_N-1; k>=0; k--) {
29
         if(parent[k][u] != parent[k][v]) {
30
            u = parent[k][u];
31
            v = parent[k][v];
32
33
34
        return parent[0][u];
35
```

```
36 }
```

binary pow

```
//二分累乗法 xの e乗
    ll binpow(ll x, ll e) {
2
      ll \ a = 1, p = x;
3
4
      \mathbf{while}(e > 0) {
        if(e\%2 == 0) \{p = (p*p) \% MOD; e /= 2; \}
5
        else \{a = (a*p) \% MOD; e--;\}
6
7
      return a % MOD;
8
9
    }
```

素因数分解

```
// first: 素因数 second: first が何個あるか O(nsqrt(n))
2
     map < ll, ll > v;
3
     ll a = 2;
     \mathbf{while}(x >= a*a) \{
4
5
       if(x \% a == 0) {
          v[a]++;
6
         x /= a;
7
        } else {
8
9
          a++;
10
11
     v[x]++;
12
```

string split

```
// sep で区切る
1
     vector<string> split(const string &str, char sep)
2
3
       vector<string> v;
4
       auto first = str.begin();
5
       while( first != str.end() ) {
6
7
         auto last = first;
         while (last != str.end() && *last != sep ) ++last;
8
         v.push_back(std::string(first, last));
9
         if( last != str.end() ) ++ last;
10
         first = last;
11
12
13
       return v;
     }
14
```

トポロジカルソート

```
1 //グラフの隣接リスト
2 VI g[100010];
3 //頂点の入次数を管理
4 int h[100010];
5 signed main(void)
6 {
```

```
//頂点数v、辺の数e
7
      int v, e;
8
      cin >> v >> e;
9
10
      REP(i, e) {
11
        int s, t;
        cin >> s >> t;
12
        //頂点sから頂点tへの有向辺
13
14
        g[s].push_back(t);
        h[t]++;
15
16
17
      //入次数が 0の頂点の集合
18
      stack<int> st;
19
20
21
      //入次数が0の頂点であればstに追加
22
      REP(i, v) if(h[i] == 0) st.push(i);
23
      //ソートされた後のグラフ
24
25
      VI ans;
      //st がなくなるまでループ
26
      while(st.size()) {
27
        //stの集合のから一つ取り出す
28
        int i = st.top(); st.pop();
29
        ans.push_back(i);
30
        for(auto& j: g[i]) {
31
          //隣接する頂点の入次数をマイナス 1
32
          h[j]--;
33
          //これによって入次数が0になればstに追加
34
35
          if(h[j] == 0) st.push(j);
36
        }
37
38
      //ans を順に出力
39
      for(int i: ans) cout << i << endl;
40
41
42
      return 0;
    }
43
```

構文解析

```
typedef string::const_iterator State;
1
     class ParseError {};
2
     int expression(State&);
3
4
     int term(State&);
     int number(State&);
5
6
     int factor(State&);
7
     int expression(State &begin) {
8
           int ret = term(begin);
9
           \mathbf{while}(1) {
10
                    if(*begin == '+') {
11
                            begin++;
12
                            ret += term(begin);
13
```

```
} else if(*begin == '-') {
14
15
                             begin++;
                             ret -= term(begin);
16
                     } else {
17
18
                             break;
19
20
21
            return ret;
     }
22
23
     int term(State &begin) {
^{24}
25
            int ret = factor(begin);
            \mathbf{while}(1) {
26
                    if(*begin == '*') {
27
28
                             begin++;
29
                             ret *= factor(begin);
                     } else if(*begin == '/') {
30
                             begin++;
31
32
                             ret /= factor(begin);
33
                     } else {
                             break;
34
35
            }
36
            return ret;
37
38
39
     int factor(State &begin) {
40
            \mathbf{if}(*begin == '(')) 
41
42
                    begin++;
43
                    int ret = expression(begin);
                    begin++;
44
            } else {
45
46
                     return number(begin);
            }
47
     }
48
49
     int number(State &begin) {
50
            int ret = 0;
51
            while(isdigit(*begin)) {
52
53
                    ret *= 10;
                    ret += *begin - '0';
54
                    begin++;
55
56
            return ret;
57
     }
58
59
     signed main(void)
60
61
            string s;
62
            getline(cin, s);
63
64
            //REP(i, n) REP(j, n)
65
            State begin = s.begin();
66
```

```
int ans = expression(begin);
67
           cout \ll ans \ll endl;
68
69
70
           return 0;
71
座圧
     int b[100010];
 1
 2
     map<ll, ll> mp;
 3
     vector < ll > c(n), d(n);
     REP(i, n) {
 4
 5
       mp[b[i]] = 0;
       d[i] = b[i];
 6
 7
 8
     int rank = 0, cnt = 0;
     for(auto& i: mp) i.second = rank++;
 9
     for(auto& i: d) {
10
       c[cnt] = mp[i];
11
12
       cnt++;
     }
13
平衡二分探索木
     unsigned xorShift() {
 1
 2
           static unsigned z = time(NULL);
 3
           z ^= z << 13; z ^= z >> 17; z ^= z << 5;
 4
           return z;
     }
 5
 6
 7
     struct node {
       int val;
 8
       node *ch[2];
 9
10
       int pri;
11
       int cnt; //部分木のサイズ
       int sum; //部分木の値の和
12
13
       node(int v, double p): val(v),pri(p),cnt(1),sum(v) {
14
         ch[0] = ch[1] = nullptr;
15
16
17
18
     int count(node *t) {return t == nullptr ? 0: t->cnt;}
19
     int sum(node *t) {return t == nullptr ? 0: t->sum;}
20
21
     node *update(node *t) {
22
       t{-}{>}cnt = count(t{-}{>}ch[0]) + count(t{-}{>}ch[1]) + 1;
23
       t -> sum = sum(t -> ch[0]) + sum(t -> ch[1]) + t -> val;
24
25
       return t;
26
27
     //b=0で左回転、b=1で右回転
28
     node *rotate(node *t, int b) {
29
```

```
node *s = t - > ch[1-b];
30
31
        t - > ch[1 - b] = s - > ch[b];
        s->ch[b] = t;
32
33
        update(t);
34
        update(s);
        return s;
35
36
37
      node *insert(node *t, int val, int pri) {
38
        if(t == nullptr) return new node(val, pri);
39
        else if(val == t->val) return t;
40
        else if(val < t->val) {
41
          t \rightarrow ch[0] = insert(t \rightarrow ch[0], val, pri);
42
43
          if(t->pri > t->ch[0]->pri) {
44
             t = rotate(t, 1);
          }
45
        } else{
46
          t \rightarrow ch[1] = insert(t \rightarrow ch[1], val, pri);
47
48
          if(t->pri > t->ch[1]->pri) {
             t = rotate(t, 0);
49
          }
50
51
        return update(t);
52
53
54
      node *erase(node *t, int x) {
55
        \mathbf{if} \; (t->val == x) \; \{
56
          if (t->ch[0] \&\& t->ch[1]) {
57
58
             if (t->ch[0]->pri < t->ch[1]->pri) {
               t = rotate(t, 1);
59
               t \rightarrow ch[1] = erase(t \rightarrow ch[1], x);
60
61
               return update(t);
62
             } else {
               t = rotate(t, 0);
63
               t - > ch[0] = erase(t - > ch[0], x);
64
65
               return update(t);
66
          } else {
67
             return t->ch[0] ? t->ch[0] : t->ch[1];
68
69
        } else if (x < t->val) {
70
          t{-}{>}ch[0] = erase(t{-}{>}ch[0],\,x);
71
72
        } else {
          t - > ch[1] = erase(t - > ch[1], x);
73
74
75
        return update(t);
76
      }
77
      int level(node *t, int k) {
78
        if(k < count(t->ch[0])) return level(t->ch[0], k);
79
        if(k == count(t->ch[0])) return t->val;
80
        return level(t->ch[1], k-count(t->ch[0])-1);
81
      }
82
```

```
サイコロ
```

```
\mathbf{struct}\ \mathrm{Dice}\{
 2
        //top, front, right, left, back, bottom
        int side[6];
 3
        Dice()\{\}
 4
 5
        Dice(int s[]){
          for(int i=0; i<6; ++i) side[i] = s[i];
 6
 7
 8
 9
        void rotate(int op){
          int tmp = '_{\sqcup}';
10
          //右に倒す
11
12
          if(op==0){
13
            tmp = side[0];
            side[0] = side[3];
14
15
            side[3] = side[5];
            side[5] = side[2];
16
            side[2] = tmp;
17
18
19
          //前に倒す
20
          if(op==1){
21
22
            tmp = side[0];
23
            side[0] = side[4];
            side[4] = side[5];
24
            side[5] = side[1];
25
26
            side[1] = tmp;
27
          }
28
          //左に倒す
29
          if(op==2){
30
            tmp = side[0];
31
            side[0] = side[2];
32
            side[2] = side[5];
33
            side[5] = side[3];
34
            side[3] = tmp;
35
36
          }
37
          //後ろに倒す
38
          if(op==3){
39
            tmp = side[0];
40
            side[0] = side[1];
41
            side[1] = side[5];
42
            side[5] = side[4];
43
            side[4] = tmp;
44
45
46
          //top と bottom を軸に右回転
47
          if(op==4){
48
            tmp = side[1];
49
            side[1] = side[2];
50
```

```
side[2] = side[4];
51
                                 side[4] = side[3];
52
                                 side[3] = tmp;
53
54
55
                             //top と bottom を軸に左回転
56
                            if(op==5){
57
                                  tmp = side[1];
58
                                 side[1] = side[3];
59
                                 side[3] = side[4];
60
                                 side[4] = side[2];
61
                                 side[2] = tmp;
62
63
64
65
                };
66
                //24通りのサイコロを生成する
67
                Dice initDice, dice[24];
68
                void makeDice(){
69
                      int tmpNum[] = \{1,2,3,4,5,6\};
70
                      initDice = Dice(tmpNum);
71
72
                      for(int i=0; i<24; ++i){
73
                           if(i==4) initDice.rotate(1);
74
                           if(i==8) initDice.rotate(1);
75
                           if(i==12)initDice.rotate(1);
76
                           if(i==16){
77
                                 initDice.rotate(1);
78
79
                                  initDice.rotate(0);
80
                           if(i==20){
81
                                  initDice.rotate(2);
82
83
                                  initDice.rotate(2);
84
                           initDice.rotate(4);
85
86
                            dice[i] = initDice;
87
                }
88
89
                // d[top][front] front, right, back, left
90
                // 問題のdice の設定とあっているか確認すること!!!!
91
                int d[6][6][4] = {
92
93
                      \{\{-1, -1, -1, -1\}, \{2, 4, 5, 3\}, \{3, 2, 4, 5\}, \{4, 5, 3, 2\}, \{5, 3, 2, 4\}, \{-1, -1, -1, -1\}\}
                      \{\{1, 3, 6, 4\}, \{-1, -1, -1, -1\}, \{3, 6, 4, 1\}, \{4, 1, 3, 6\}, \{-1, -1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1, -1\}, \{6, 4, 1, -1\}, \{6, 4, 1, -1\}, \{6, 4, 1, -1\}, \{6, 4, 1, -1\}, \{6, 4, 1, -1\}, \{6, 4, 1, -1\}, \{6, 4, 1, -1\}, \{6, 4, 1, -1\}, \{6, 4, 1, -1\}, \{6, 4,
94
                                    3}}
                      \{\{1, 5, 6, 2\}, \{2, 1, 5, 6\}, \{-1, -1, -1, -1\}, \{-1, -1, -1, -1\}, \{5, 6, 2, 1\}, \{6, 2, 1, 5\}\}
95
                      , \{ \{1,\,2,\,6,\,5\},\,\{2,\,6,\,5,\,1\},\,\{-1,-1,-1,-1\},\,\{-1,-1,-1,-1\},\,\{5,\,1,\,2,\,6\},\,\{6,\,5,\,1,\,2\} \}
96
                      , \!\! \left\{ 1,\,4,\,6,\,3 \right\},\, \left\{ -1,\!-1,\!-1,\!-1 \right\},\, \left\{ 3,\,1,\,4,\,6 \right\},\, \left\{ 4,\,6,\,3,\,1 \right\},\, \left\{ -1,\!-1,\!-1,\!-1 \right\},\, \left\{ 6,\,3,\,1,\,4 \right\} \right\}
97
                      \{\{-1,-1,-1,-1\},\{2,3,5,4\},\{3,5,4,2\},\{4,2,3,5\},\{5,4,2,3\},\{-1,-1,-1,-1\}\}\};
98
```

中国人配達問題

```
1 int d[17][17], f[17];
```

```
signed main(void)
 2
 3
         int v, e, tot = 0;
 4
 5
         cin >> v >> e;
 6
         REP(i, v) REP(j, v) d[i][j] = INF;
         REP(i, e) {
 7
           int a, b, c;
 8
 9
           cin >> a >> b >> c;
           d[a][b] = min(d[a][b], c); d[b][a] = min(d[b][a], c);
10
           f[a]++; f[b]++;
11
           tot += c;
12
13
         VI o;
14
         REP(i, v) if(f[i]\%2) o.push_back(i);
15
16
         REP(k, v) REP(i, v) REP(j, v) d[i][j] = min(d[i][j], d[i][k] + d[k][j]);
         int dp[1 << 16], os = o.size();
17
         fill(dp, dp+(1<<os), INF);
18
         dp[0] = 0;
19
         REP(s,\,1{<}{<}os)\ REP(i,\,os)\ \textbf{if}(\tilde{\ }s{>}si\&1)\ REP(j,\,i)\ \textbf{if}(\tilde{\ }s{>}sj\&1)\ \{
20
21
           dp[s|1 << i|1 << j] = min(dp[s|1 << i|1 << j], dp[s] + d[o[i]][o[j]]);
22
23
         \operatorname{cout} << \operatorname{tot} + \operatorname{dp}[(1 << \operatorname{os}) - 1] << \operatorname{endl};
24
         return 0;
      }
25
```

編集距離

```
int dp[1010][1010];
1
2
      signed main(void)
3
      {
4
        string s, t;
        cin >> t >> s;
5
        const int n = s.size(), m = t.size();
6
        REP(i, n+1) REP(j, m+1) 
7
8
           if(i == 0) dp[i][j] = j;
9
           else if(j == 0) dp[i][j] = i;
           else {
10
             if(s[i-1] == t[j-1]) {
11
                dp[i][j] = \min(\{dp[i-1][j-1], dp[i-1][j]+1, dp[i][j-1]+1\});
12
13
                dp[i][j] = \min(\{dp[i-1][j] + 1, dp[i][j-1] + 1, dp[i-1][j-1] + 1\});
14
15
16
17
18
        \operatorname{cout} << \operatorname{dp}[n][m] << \operatorname{endl};
        return 0;
19
      }
20
```

```
1 int n, h[100010], l[100010], r[100010], st[100010];
2 signed main(void)
3 {
4  // i 番目の高さが h[i]のヒストグラム中で最大の長方形の面積
5 cin >> n;
```

```
REP(i, n) cin >> h[i];
6
7
       int t = 0;
       REP(i, n) {
8
         while(t>0 \&\& h[st[t-1]] >= h[i]) t--;
9
10
         l[i] = t == 0 ? 0 : (st[t-1]+1);
         st[t++] = i;
11
12
13
       t = 0;
       for(int i=n-1; i>=0; --i) {
14
         while(t > 0 \&\& h[st[t-1]] >= h[i]) t--;
15
         r[i] = t == 0 ? n : st[t-1];
16
         st[t++] = i;
17
18
19
       ll ret = 0;
20
       REP(i, n) ret = \max(ret, (ll)h[i]*(r[i]-l[i]));
       cout << ret << endl;
21
       return 0;
22
     }
23
     int n, c[1500][1500], dp[1500][1500], l[1500], r[1500], st[1500];
1
     signed main(void)
2
3
       // h*wの 0,1からなる行列の中で、0のみを使ってできる最大の長方形の面積
4
       // O(HW)
5
6
       int H, W;
       cin >> H >> W:
7
       REP(i, H) REP(j, W) cin >> c[i][j];
8
9
       REP(i, W) {
10
         int cnt = 1;
11
         REP(j, H) {
12
13
           if(!c[j][i]) {
             dp[j][i] = cnt;
14
             cnt++;
15
           } else {
16
             dp[j][i] = 0;
17
             cnt = 1;
18
19
20
         }
21
       ll ret = 0;
22
       REP(j, H) {
23
24
         int t = 0;
         REP(i, W) {
25
           while(t>0 && dp[j][st[t-1]] >= dp[j][i]) t--;
26
           l[i] = t == 0 ? 0 : (st[t-1]+1);
27
           st[t++] = i;
28
         }
29
30
         t = 0;
         for(int i=W-1; i>=0; --i) {
31
           while(t > 0 && dp[j][st[t-1]] >= dp[j][i]) t--;
32
           r[i] = t == 0 ? n : st[t-1];
33
           st[t++] = i;
34
```

個数制限付きナップザック

```
int dp[10010];
 1
     int v[105], w[105], m[105];
 2
     signed main(void)
 3
 4
        int n, W;
 5
        \mathrm{cin}>>\mathrm{n}>>\mathrm{W};
 6
        REP(i,\,n)\,\,cin>>v[i]>>w[i]>>m[i];
 7
 8
        REP(i, n) {
          int num = m[i];
 9
          for(int k=1; num > 0; k <<=1) {
10
11
            int mu = min(k, num);
12
            //ダブリング
            for(int j=W; j>=w[i]*mu; --j) {
13
               dp[j] = \max(dp[j],\, dp[j-w[i]*mu] + v[i]*mu);
14
            }
15
16
            \mathrm{num}\ -\mathrm{=}\ \mathrm{mu};
17
18
        cout \ll dp[W] \ll endl;
19
20
        return 0;
21
     }
```