Machine Learning with R

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Apresentação

- 2012.1 2017.1 Graduação em Ciência da Computação na Universidade Federal da Bahia (UFBA);
 - 2015.1 Iniciação Científica na área de Machine Learning;
 - 2016.2 Iniciação em R na disciplina de Laboratório em Inteligência Artificial;
- 2017.2 Mestrado em Ciência da Computação na área de Inteligência Computacional no Programa de Pós-graduação em Ciência da Computação (PGCOMP) da UFBA.

Machine Learning

- Pré-processamento;
- Extração de padrões dos dados;
 - ☐ Tarefas:
 - ☐ Supervisionadas:
 - Classificação;
 - Regressão.
 - Não-supervisionadas:
 - Regras de Associação;
 - Agrupamento.
- Pós-processamento.

Machine Learning Pré-processamento

- Preparação dos dados:
 - Amostragem:
 - Balanceamento;
 - ☐ Limpeza:
 - Valores ausentes;
 - ☐ Ruído;
 - Outliers:
 - ☐ Transformação dos dados;
 - ☐ Redução de Dimensionalidade:
 - □ PCA;
 - MDS.

Pré-processamento Amostragem

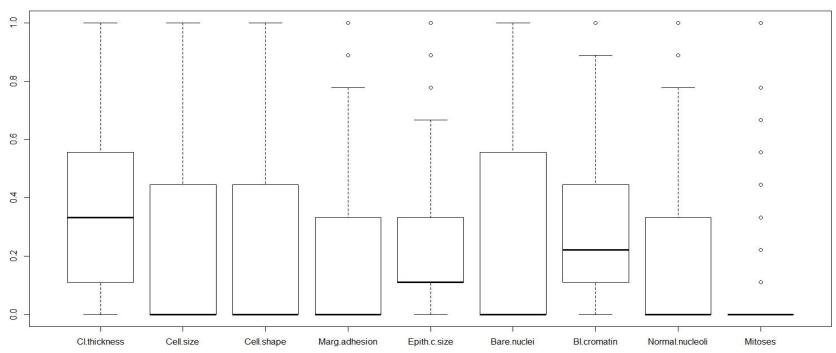
```
treino = sample(nrow(data), ceiling(nrow(data)*0.7));
data_treino = data[treino,];
data_teste = data[-treino,]
```

Pré-processamento Limpeza - Valores ausentes

```
data = data[-which(is.na(data[,6]))]
```

Pré-processamento Limpeza - Outliers

boxplot(data)



Pré-processamento Transformação dos Dados

```
levels(cstr[,ncol(cstr)])
[1] "ArtificiallIntelligence" "Robotics"
[3] "Systems"
                              "Theory"
classnames = levels(cstr[,ncol(cstr)])
indices AI = which(cstr[,ncol(cstr)]==classnames[1])
indices Robotics = which(cstr[,ncol(cstr)]==classnames[2])
indices Systems = which(cstr[,ncol(cstr)]==classnames[3])
indices Theory = which(cstr[,ncol(cstr)]==classnames[4])
classes numericas = rep(0, nrow(cstr))
classes numericas[indices AI] = 1
classes numericas[indices Robotics] = 2
classes numericas[indices Systems] = 3
classes numericas[indices Theory] = 4
```

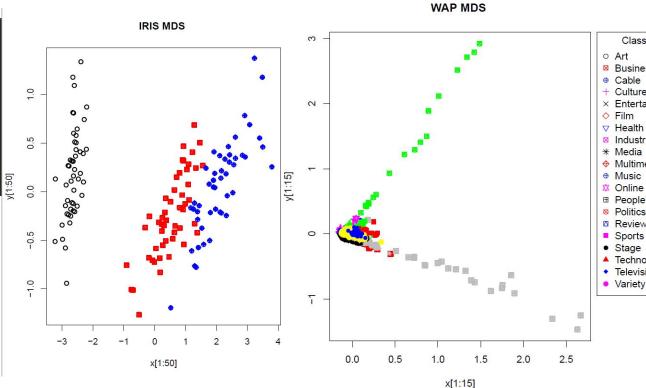
Pré-processamento Redução de Dimensionalidade - PCA

Pré-processamento Redução de Dimensionalidade - MDS

```
library(scatterplot3d)

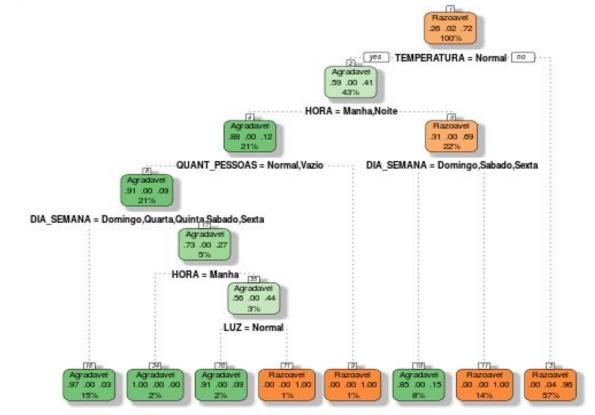
d = dist(data)
mds = cmdscale(d, eig = TRUE, k = 3)
x = mds$points[,1]
y = mds$points[,2]
z = mds$points[,3]

scatterplot3d(x, y, z, box = FALSE)
```



Extração de padrões dos dados Classificação

- Árvores de decisão:
 - Pacote rpart;



Extração de padrões dos dados Regras de Associação

- ☐ Pacote arules:
 - ☐ Algoritmos Apriori e Eclat:

```
library(arules)

dados = read.csv("Base-15min-Rosana-Categorizada.csv", sep=",", header=T)

transactions_objects = as(dados[,-ncol(dados)], "transactions")

rules <- apriori(transactions_objects, parameter = list(supp = 0.2, conf = 0.5, minlen = 2, target = "rules"))

summary(rules)

inspect(rules)

write.table(inspect(rules), file = "~\\Rules-rosana.csv", row.names = FALSE, col.names = TRUE, sep = ",");</pre>
```

Extração de padrões dos dados Regras de Associação

Regra	Supp	Conf	Lift
{TEMPERATURA=Quente} → {QUANT_PESSOAS=Vazio}	0,47	0,82	1,24

Em 47% das observações, o laboratório estava vazio e quente.

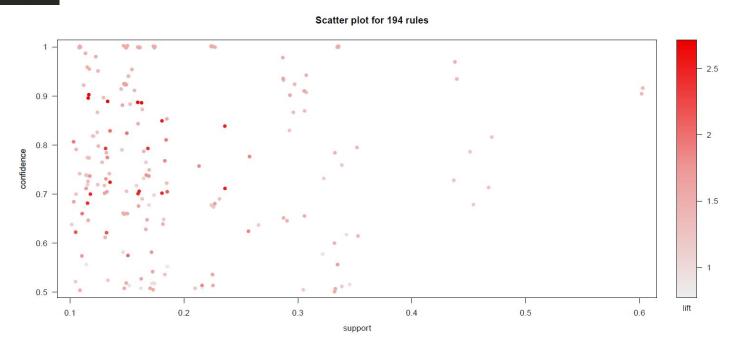
A probabilidade do laboratório estar vazio dado que está quente é de 82%.

Regra	Supp	Conf	Lift
{HORA=Comercial} → {QUANT_PESSOAS=Normal}	0,25	0,61	1,81

A probabilidade do laboratório estar com a quantidade normal de pessoas dados que o horário é comercial é de 61%.

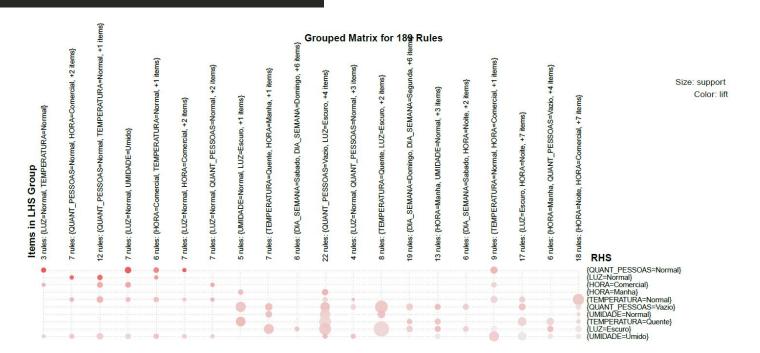
Extração de padrões dos dados Regras de Associação - Pacote *arulesViz*

plot(rules)



Extração de padrões dos dados Regras de Associação - Pacote *arulesViz*

plot(rules, method="grouped matrix")



Extração de padrões dos dados Regras de Associação - Pacote *arulesViz*

ruleExplorer(rules)

Cálculo de Distâncias

```
distEuclidiana = function (v1, v2){
    sqrt(sum((v1-v2)^2));
}
```

```
cor(v1, v2, method = c("pearson", "kendall", "spearman"))

dist(data, method = "canberra", diag = FALSE, upper = FALSE)

"euclidean", "maximum", "manhattan", "canberra", "binary" or "minkowski"
```

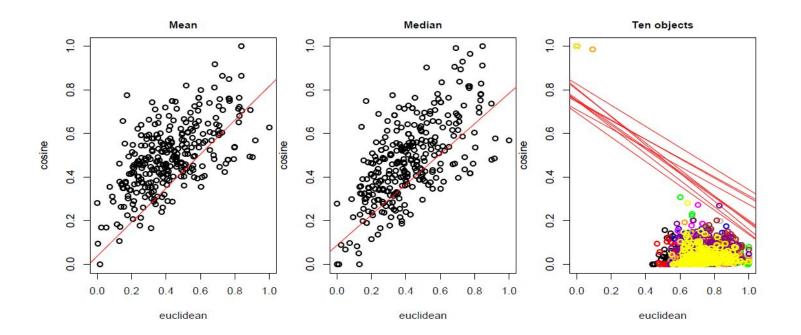
```
library(lsa)
cosine(v1, v2)
```

Cálculo de Distâncias

```
library(philentropy)
distance(data, method = "cosine")
                         "manhattan"
                                             "minkowski"
                                                                  "chebyshev"
[1] "euclidean"
                                                                  "kulczynski d"
[5] "sorensen"
                         "gower"
                                             "soergel"
                                             "intersection"
                                                                  "non-intersection"
[9] "canberra"
                         "lorentzian"
[13] "wavehedges"
                          "czekanowski"
                                                                   "kulczynski s"
                                              "motyka"
                                                                   "harmonic mean"
[17] "tanimoto"
                         "ruzicka"
                                              "inner product"
[21] "cosine"
                          "hassebrook"
                                              "jaccard"
                                                                   "dice"
[25] "fidelity"
                          "bhattacharyya"
                                              "hellinger"
                                                                   "matusita"
[29] "squared chord"
                          "squared euclidean" "pearson"
                                                                   "neyman"
[33] "squared chi"
                          "prob symm"
                                              "divergence"
                                                                   "clark"
                          "kullback-leibler"
                                              "jeffreys"
[37] "additive symm"
                                                                   "k divergence"
[41] "topsoe"
                                              "jensen difference" "taneja"
                          "jensen-shannon"
[45] "kumar-johnson"
                          "avg"
```

Cálculo de Distâncias

```
plot(matriz_dist_media, xlab = "euclidean", ylab = "cosine", col = "black", lwd = 3, main = "Mean")
abline(lm(matriz_dist_media[,1]~matriz_dist_media[,2], data.frame(matriz_dist_media)), col="red")
```



Extração de padrões dos dados Agrupamento

- □ Pacote ppclust;
- Pacote fclust;
- ☐ Pacote *factoextra* for visualizing clusters.

library(ppclust)

☐ Fuzzy c-Means

```
fcm(x, centers, memberships, m=2, dmetric="sqeuclidean", pw = 2,
    alginitv="kmpp", alginitu="imembrand",
    nstart=1, iter.max=1000, con.val=1e-09,
    fixcent=FALSE, fixmemb=FALSE, stand=FALSE, numseed)
```

☐ Fuzzy c-Means

```
clust = fcm(wbcd, 3)

clust$x
clust$u
clust$cluster
```

Value

an object of class 'ppclust', which is a list consists of the following items:

a numaria matrix containing the processed data set

X	a numeric matrix containing the processed data set.
V	a numeric matrix containing the final cluster prototypes (centers of clusters).
u	a numeric matrix containing the fuzzy memberships degrees of the data objects.
d	a numeric matrix containing the distances of objects to the final cluster proto- types.
k	an integer for the number of clusters.
m	a number for the fuzzifier.
cluster	a numeric vector containing the cluster labels found by defuzzying the fuzzy membership degrees of the objects.
csize	a numeric vector containing the number of objects in the clusters.
iter	an integer vector for the number of iterations in each start of the algorithm.
best.start	an integer for the index of start that produced the minimum objective functional.
func.val	a numeric vector for the objective function values in each start of the algorithm.
comp.time	a numeric vector for the execution time in each start of the algorithm.
stand	a logical value, TRUE shows that data set x contains the standardized values of raw data.

plotcluster(clust)

library(fclust)

☐ Fuzzy c-Means

FKM (X, k, m, RS, stand, startU, conv, maxit)

☐ Fuzzy c-Means

```
clust = FKM(wbcd, 3)

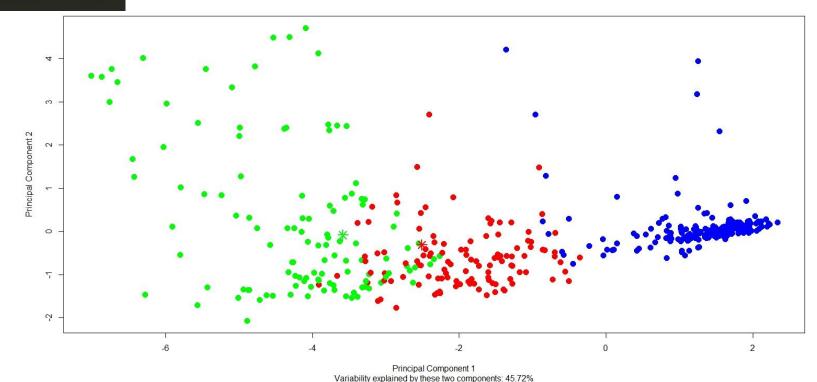
clust$U
clust$H
clust$Xca
```

Value

Object of class fclust, which is a list with the following components:

U	Membership degree matrix
Н	Prototype matrix
F	Array containing the covariance matrices of all the clusters (NULL for FKM)
clus	Matrix containing the indices of the clusters where the objects are assigned (column 1) and the associated membership degrees (column 2)
medoid	Vector containing the indices of the medoid objects (NULL for FKM)
value	Vector containing the loss function values for the RS starts
cput	Vector containing the computational times (user times) for the RS starts
iter	Vector containing the numbers of iterations for the RS starts
k	Number of clusters
m	Parameter of fuzziness
ent	Degree of fuzzy entropy (NULL for FKM)
b	Parameter of the polynomial fuzzifier (NULL for FKM)
vp	Volume parameter (NULL for FKM)
delta	Noise distance (NULL for FKM)
stand	Standardization (Yes if stand=1, No if stand=0)
Xca	Data used in the clustering algorithm (standardized data if stand=1)
X	Raw data
call	Matched call

plot(clust, pca = TRUE)



- A função FKM está implementada no pacote fclust com a função Euclidiana;
- Quer usar outra medida de similaridade ou dissimilaridade?
- Nome da função -> código

```
> FKM
function (X, k, m, RS, stand, startU, conv, maxit, seed)
{
   if (missing(X))
      stop("The data set must be given")
   if (is.null(X))
      stop("The data set X is empty")
   n = nrow(X)
   p = ncol(X)
   if (is.null(rownames(X)))
      rn = paste("Obj", 1:n, sep = " ")
   else rn = rownames(X)
```

```
while ((sum(abs(U.old - U)) > conv) && (iter < maxit)) {</pre>
    iter = iter + 1
    U.old = U
    for (c in 1:k) H[c,] = (t(U[, c]^m) %*% X)/sum(U[, c]^m)
    for (i in 1:n) {
     for (c in 1:k) {
        D[i, c] = sum((X[i, ] - H[c, ])^2)
    for (i in 1:n) {
     if (min(D[i, ]) == 0) {
        U[i, ] = rep(0, k)
        U[i, which.min(D[i, ])] = 1
      else {
       for (c in 1:k) {
          U[i, c] = ((1/D[i, c])^{(1/(m - 1))}/sum(((1/D[i,])^{(1/(m - 1))}))
```

```
while ((sum(abs(U.old - U)) > conv)){ #&& (iter < maxit)) {</pre>
    iter = iter + 1
    U.old = U
    for (c in 1:k) H[c, ] = (t(U[, c]^m) %*% X)/sum(U[, c]^m) #calculo do prototipo
    for (i in 1:n) {
     for (c in 1:k) {
        D[i, c] = 1 - cosine(X[i,], H[c,])^2
    for (i in 1:n) {
     if (min(D[i, ]) == 0) {
       U[i, ] = rep(0, k)
        U[i, which.min(D[i, ])] = 1
      else {
       for (c in 1:k) {
          U[i, c] = ((1/D[i, c])^{(1/(m - 1))}/sum(((1/D[i, ])^{(1/(m - 1))}))
```

- Após o agrupamento, a partição obtida pelo algoritmo deve ser validada por um índice de validação;
- ☐ Pacote fclust:
 - Coeficiente de Partição (PC)
 - ☐ Entropia da Partição (PE)
 - Coeficiente da Partição Modificada (MPC)
 - ☐ Índice de Xie -Beni (XB)
 - Silhueta (SIL)
 - ☐ Silhueta Fuzzy (SIL.F)

Coeficiente de Partição (PC)

$$PC(U) = \frac{1}{n} \sum_{i=1}^{c} \sum_{k=1}^{n} A_i^2(x_k)$$

Java

```
public static double coeficienteParticao(List<Membership> membership){
       double soma=0D;
       for (Membership members : membership) {
            for (int j=0; j < members.getDegrees().size(); j++)</pre>
               soma += Math.pow(members.getDegrees().get(j), 2);
                                                      > PC
       return (soma/membership.size());
                                                      function (U)
                                                           part.coeff = sum(U^2)/nrow(U)
                                                           return(part.coeff)
```

Índice de Xie -Beni (XB)

Índice de Zahid et al. (SC)

$$SC = SC_1(U, V; X) - SC_2(U),$$

$$XB(U, V; X) = \frac{\sum_{i=1}^{c} \sum_{k=1}^{n} A_i^m(x_k) ||x_k - v_i||^2}{n \times \min_{k \neq i} ||v_i - v_i||^2}$$

$$XB(U,V;X) = \frac{\sum_{i=1}^{c} \sum_{k=1}^{n} A_i^m(x_k) \|x_k - v_i\|^2}{n \times \min_{k \neq i} \|v_i - v_j\|^2}. \quad SC_1(U,V;X) = \frac{\sum_{i=1}^{c} \|v_i - \bar{v}\|^2/c}{\sum_{i=1}^{c} \left(\sum_{k=1}^{n} A_i^m(x_k) \|x_k - v_i\|^2/\sum_{k=1}^{n} A_i(x_k)\right)},$$

$$SC_2(U) = \frac{\sum_{i=1}^{c-1} \sum_{l=i+1}^{c} \left(\frac{\sum_{k=1}^{n} (\min(A_i(x_k), A_l(x_k)))^2}{\sum_{k=1}^{n} \min(A_i(x_k), A_l(x_k))} \right)}{\sum_{k=1}^{n} (\max_{1 \le i \le c} A_i(x_k))^2 / \sum_{k=1}^{n} \max_{1 \le i \le c} A_i(x_k)}.$$





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A toolbox for fuzzy clustering using the R programming language

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Abstract

Fuzzy clustering is used extensively in several domains of research. In the literature, starting from the well-known fuzzy *k*-means (fkm) clustering algorithm, an increasing number of papers devoted to fkm and its extensions can be found. Nevertheless, a lack of the related software for implementing these algorithms can be observed preventing their use in practice. Even the standard fkm is not necessarily available in the most common software. For this purpose, a new toolbox for fuzzy clustering using the R programming language is presented by examples. The toolbox, called fclust, contains a suit of fuzzy clustering algorithms, fuzzy cluster validity indices and visualization tools for fuzzy clustering results.

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☐ Funções para visualização dos resultados do agrupamento fuzzy

VIFCR: three plots proposed in [22]. The input arguments are fclust.obj and which (1 for the chart diagram, 2 for the scatter plot of the highest membership degrees and 3 for the scatter plot of the membership degrees over distances).

VAT: visual assessing of (cluster) tendency. The input argument is the data matrix used in the analysis, Xca.

VCV: visual cluster validity. The input arguments are Xca, U, H and which (1 for VAT and 2 for VCV).

VCV2: new type of visual cluster validity. The input arguments are Xca, U and which (1 for VAT and 2 for VCV2).

```
VAT(clust$Xca)

VCV2(clust$Xca, clust$U, 2)
```

VCV2

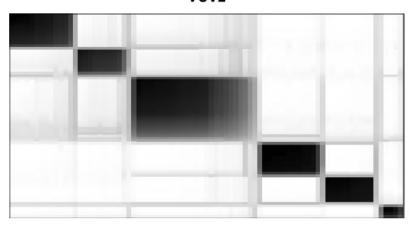
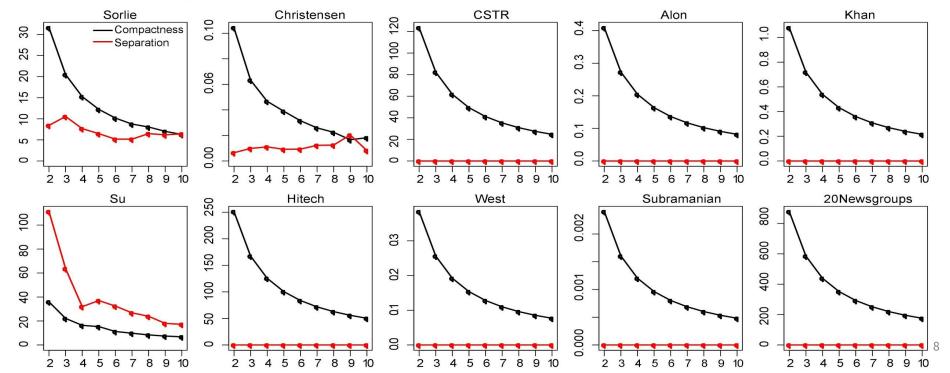
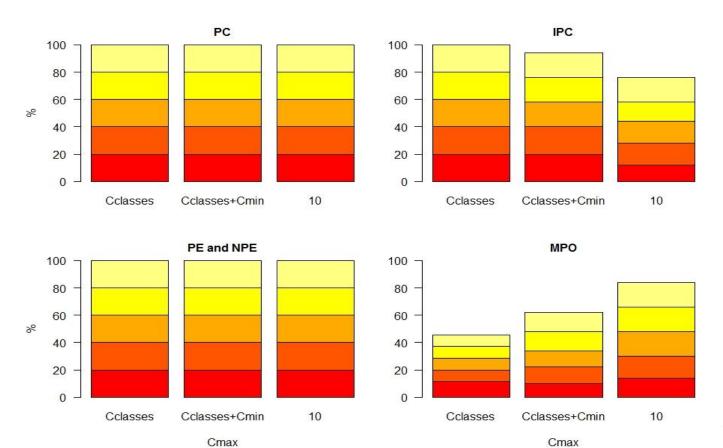


Fig. 2. Visual cluster validity for the 6 clusters obtained by means of fkm on McDonald's data.

- ☐ Plot resultado de um índice de validação
- \Box Plot t=0, Points



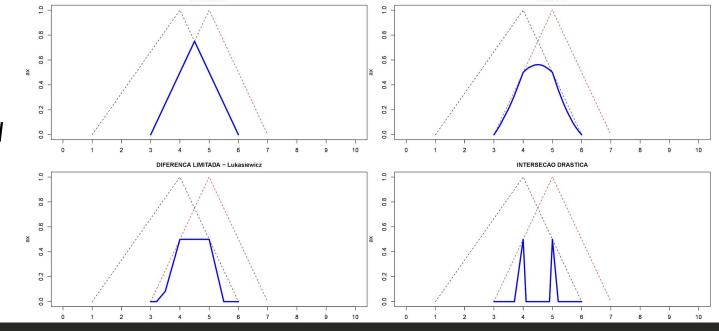
■ Barplot



■ Barplot

```
par(mfrow=c(2,2), mar=c(4,3.8,2,0) + 0.1)
par(ps = 12, cex = 1, cex.main = 1, cex.sub = 1.5)
barplot(pc, ylab = "%", yaxt = "n", col = heat.colors(5), ylim = c(0, 100));
axis(2, las = 2)
title("PC")
barplot(ipc, yaxt = "n", col = heat.colors(5), ylim = c(0, 100));
axis(2, las = 2)
title("IPC")
barplot(npe, ylab = "%", yaxt = "n", xlab = "Cmax", col = heat.colors(5), ylim = c(0, 100));
axis(2, las = 2)
title("PE and NPE")
barplot(mpo, yaxt = "n", xlab = "Cmax", col = heat.colors(5), ylim = c(0, 100));
axis(2, las = 2)
title("MPO")
```

- → Plot type I
- Points



PRODUTO

```
par(ps = 12, cex = 0.8, cex.main = 1)

plot(a, ax, type = "l", xlim = c(0, 10), ylim = c(0,1), lty = 2, main = "INTERSECAO")
axis(1, at=1:10, labels=seq(1:10), las = 1)
points(b, bx, type = "l", xlim = c(0, 10), ylim = c(0,1), col = "red", xaxt = "n", lty = 2)
points(intersect(a, b), inter1(axinter, bxinter), type = "l", col="blue", lwd = 3)
```

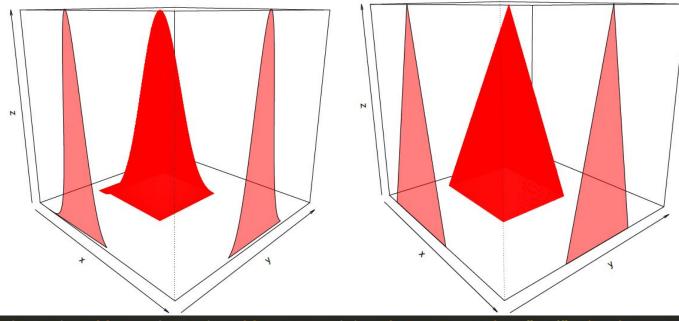
par(mfrow=c(2,2), mar=c(2.5,3.8,2,0) + 0.1) #c(bottom, left, top, right)

INTERSECAO

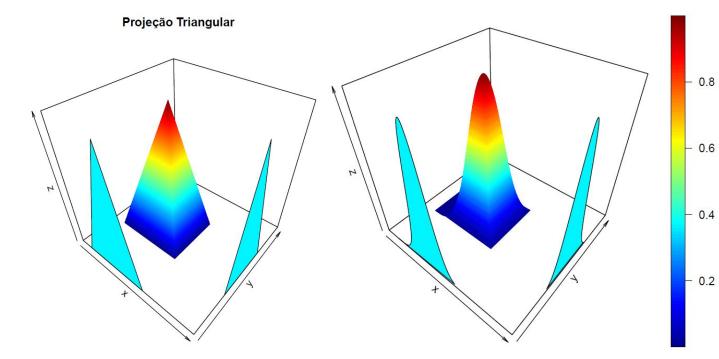
Projeção Gaussiana

Projeção Triangular

persp



persp3D



```
pmat = persp3D(x, y, z, xlim = c(0, 10), ylim = c(0, 10), zlim = range(z), theta=40, main = "Projeção - Triangular")
mypoints = trans3D(x, rep(0, length(x)), rx(z), pmat=pmat)
polygon(mypoints, col = "turquoise1")
mypoints = trans3D(rep(10, length(y)), y, ry(z), pmat=pmat)
polygon(mypoints, col = "turquoise1")
```



Obrigada!

Dúvidas?

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