

# LeetCode 15: 3Sum

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## Problem

Given an integer array `nums`, return all the triplets `[nums[i], nums[j], nums[k]]` such that `i != j`, `i != k`, and `j != k`, and `nums[i] + nums[j] + nums[k] == 0`.

*Notice that the solution set must not contain duplicate triplets.*

**Difficulty:** *Medium*

## Solution


We can solve this question in a similar manner the *sorted approach for 2Sum*. That is, we sort the list of numbers first and then for each  $n_i \in N$  we look at the subarray  $[n_{i+1}, n_{|N|-1}]$  which is all the numbers that come after  $n_i$ . We do this in order to utilise the properties of a sorted list which is that if we two numbers  $n_j, n_k$  where  $k > j$  then

$$n_j + n_{k-1} < n_j + n_k < n_j + n_{k+1}$$

which will allow us to find a triple (if it exists) is linear time for each number  $n_i$  where  $i < j$

We can do this as so: create a left pointer  $l$  starting at index  $i + 1$  and a right pointer  $r$  at index  $|N| - 1$ . then we look at  $n_i + n_l + n_r$ , if this sum is less than our target then the value at the left pointer is too small hence we increase the pointer's index by 1, if the sum is greater than the target then the value at the right pointer is too big hence we decrease the right pointer's index by 1, finally if the sum is equal to the target then we append the tuple  $(n_i, n_l, n_r)$  to our result array `res`. Then we will increase our left pointer  $l$  until it is on a distinct integer that isn't the same as  $n_l$ . Once we have finished looping through the array we can return our resultant array `res`.

## Code



```
1  def threeSum(self, nums: list[int]) -> list[list[int]]:
2      res = []
3      nums.sort()
4      for i, a in enumerate(nums):
5          if i > 0 and a == nums[i-1]:
6              continue
7          (l,r) = (i+1, len(nums)-1)
8          while l < r:
9              s = a + nums[l] + nums[r]
10             if s > 0:
11                 r -= 1
12             elif s < 0:
13                 l += 1
14             else:
15                 res.append([a,nums[l],nums[r]])
16                 l += 1
17                 # go to next distinct int
18                 while nums[l] == nums[l-1] and l < r:
19                     l += 1
20     return res
```

Figure 1: image

### Time Complexity

Since for each  $n_i$  we look at the subarray  $[n_{i+1}, n_{|N|-1}]$  this has a cost of  $n^2$  which gives us a time complexity of

$$\mathcal{O}(n^2)$$

### Space Complexity

Our resultant list will contain  $n$  tuples of length 3 hence our space complexity is

$$\mathcal{O}(n)$$