

# Scenegraphs

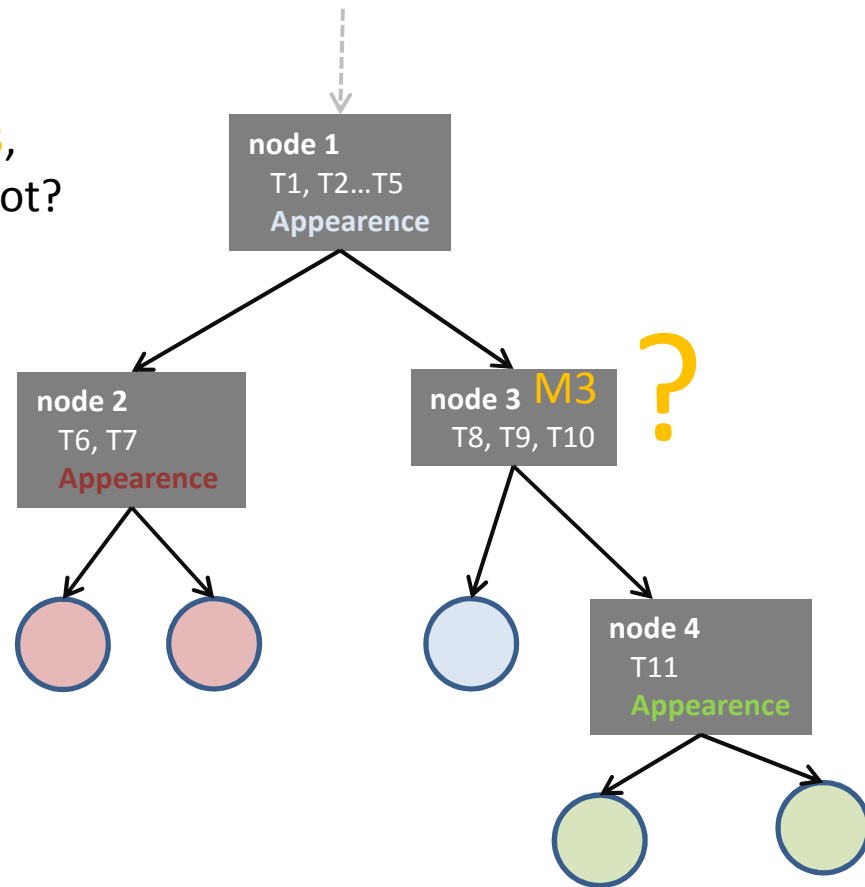
- Scenegraph nodes:
  - Compound node
  - Leaf node
- Node properties
  - Geometric transformations and propagation

# Compound nodes and leaves

## Questions

What is the transformation matrix  $M_3$ ,  
to apply to sub-tree with node 3 as root?

How to store  $M_3$ ?



# Compound nodes and leaves

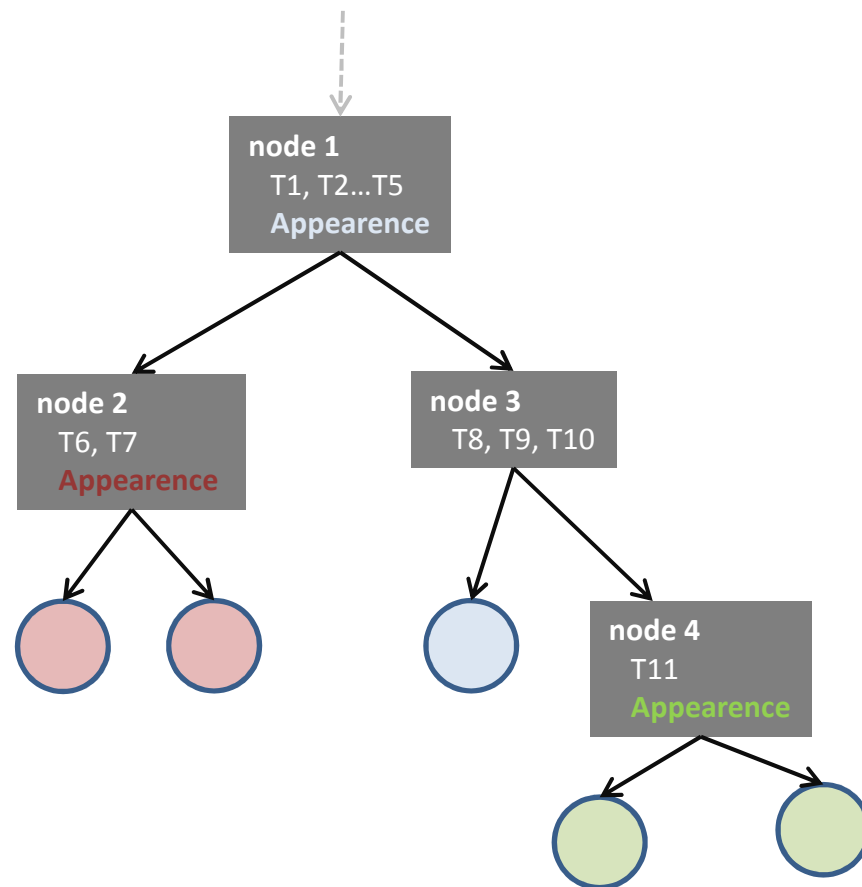
## Solution 1: transformation list

Keep a transformation list,  
accumulating transformations for  
parent nodes.

For node 3: T1, T2,...,T5, T8, T9,  
T10

In rendering time traverse the list  
and apply transformations.

Drawback: **not efficient!**



# Compound nodes and leaves

Solution 2: calculate and keep a transformation matrix for each node

Use OpenGL to perform the calculation of a transformation matrix for each compound node in the scenegraph!

Requires a function to retrieve the current MODEL\_VIEW matrix. Ex 1:

```
float m1[4][4];  
glGetFloatv(GL_MODELVIEW_MATRIX, &m1[0][0]);
```

Ex 2:

```
float m1[4][4];  
float m2[4][4];
```

```
glLoadIdentity();  
glRotated(20.0,1,0,0);  
glRotated(-45,0,1,0);  
glTranslated(0.0,0.0,-25);  
glGetFloatv(GL_MODELVIEW_MATRIX, &m1[0][0]);
```

```
glTranslated(0.0,15.0,0.0);  
glGetFloatv(GL_MODELVIEW_MATRIX, &m2[0][0]);
```

```
// M = I  
// M = M.Rx(20)  
// M = M.Ry(-45)  
// M = M.Tz(-25)  
// m1 = M
```

```
// M = M.Ty(15)  
// m2 = M
```

# Compound nodes and leaves

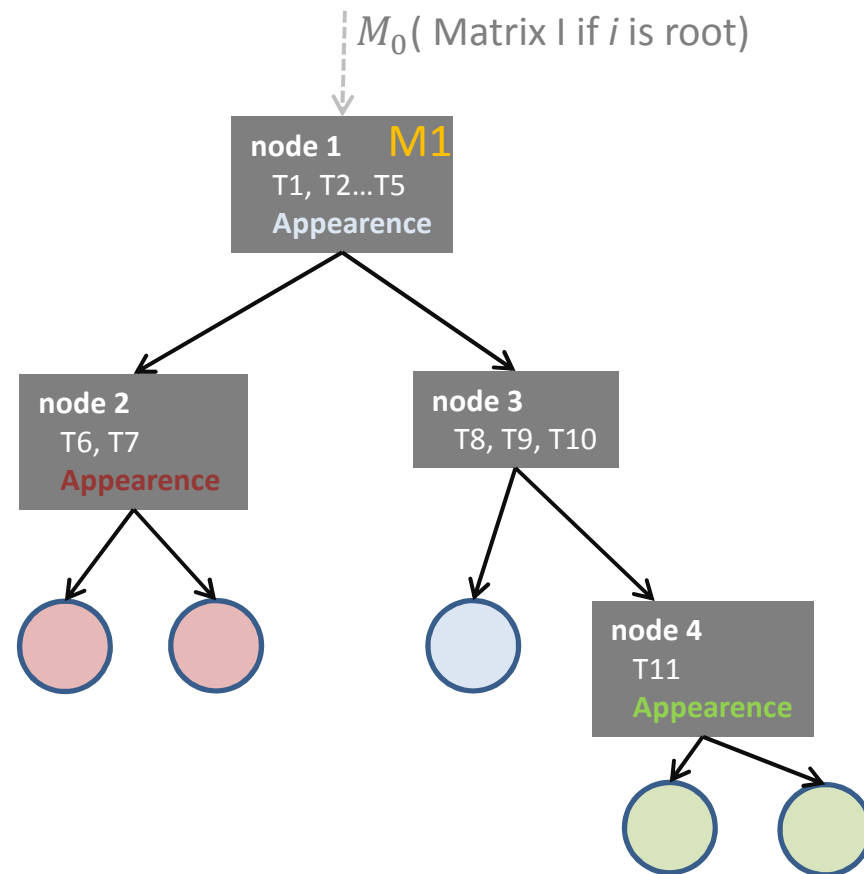
Solution 2: calculate transformation matrix for node 1

Calculate:

$$M_1 = I \times M_0 \times (I \cdot T_1 \cdot T_2 \cdot \dots \cdot T_5)$$

Store M1 in node 1

Important:  $I$  is the identity matrix



# Compound nodes and leaves

Transformation Matrix for nodes 2 and 3

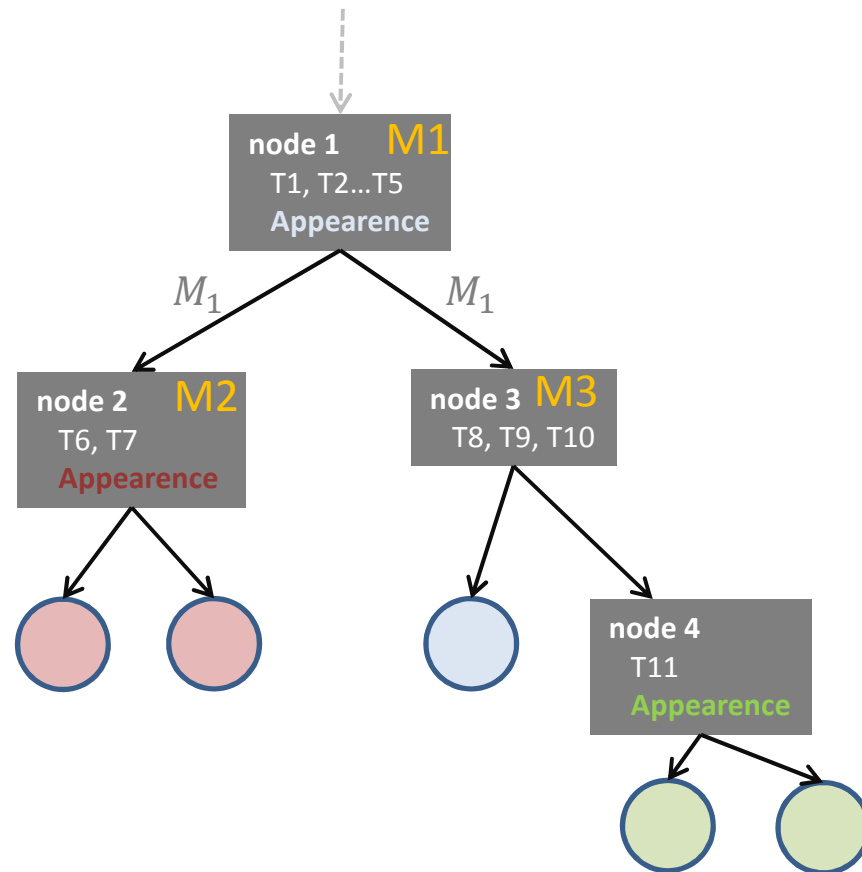
Calculate  $M_2$

$$M_2 = I \times M_1 \times (I \cdot T_1 \cdot T_2)$$

Calculate  $M_3$

$$M_3 = I \times M_1 \times (I \cdot T_1 \cdot T_2 \cdot T_3)$$

Store  $M_2$  in node 2 and  
 $M_3$  in node 3



# Compound nodes and leaves

## OpenGL transformation Matrix for node 3

$$M_3 = I \times M_1 \times (I \cdot T_1 \cdot T_2 \cdot T_3)$$

```
// calculate m = (I.T1.T2.T3). In this example assume:
```

```
// T1 = Rx(50)
```

```
// T2 = Sy(1.5)
```

```
// T3 = Tz(10)
```

```
float m[4][4];
```

```
glLoadIdentity();
```

```
glRotated(50.0,1,0,0);
```

```
glScaled(1.5,0,1,0);
```

```
glTranslated(0,0,10.0);
```

```
glGetFloatv(GL_MODELVIEW_MATRIX, &m[0][0]);
```

```
// M = I
```

```
// M = M.Rx(50.0)
```

```
// M = M.Sy(1.5)
```

```
// M = M.Tz(10.0)
```

```
// m = M
```

```
// now calculate I x M1 x m
```

```
// assumed M1 is passed from parent node
```

```
float M3[4][4];
```

```
glLoadIdentity();
```

```
glMultMatrixf(&M1);
```

```
glMultMatrixf(&m);
```

```
glGetFloatv(GL_MODELVIEW_MATRIX, &M3[0][0]);
```

```
// M = I
```

```
// M = M x M1
```

```
// M = M x m
```

```
// M3 = M
```

```
// we now got M3 calculated!
```

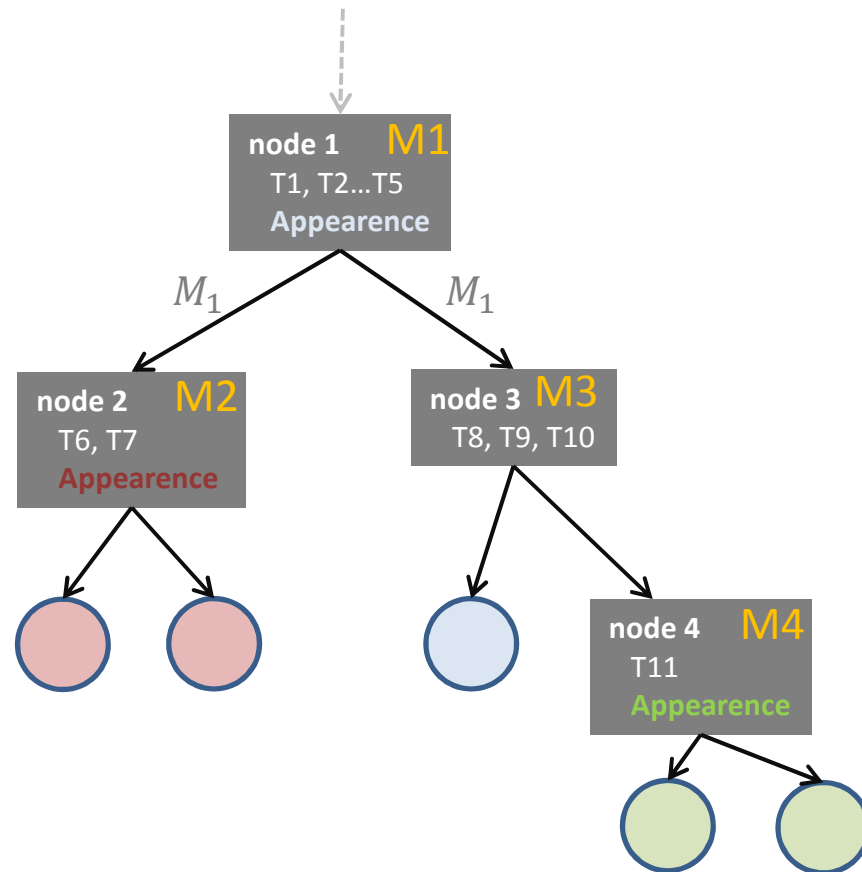
# Compound nodes and leaves

Transformation Matrix for node 4

Calculate  $M_4$

$$M_4 = I \times M_3 \times (I \cdot T_1)$$

Store  $M_4$  in node 4





# Geometric transformations

From parser to a transformation matrix **m**

```
<transformations>
  <rotate axis="x" angle="40" />
  <rotate axis="y" angle="20" />
  <scale factor="1.0 5.0 2.0" />
  <translate to="10.0 5.0 3.0" />
</transformations>
```

Rx(40.0); Ry(20.0); Sy(5.0); Sx(2.0); T(10,5,3)

```
// now calculate I x M1 x m
// assumed M1 is passed from parent node
float m[4][4];
glLoadIdentity();
glRotated(40.0,1,0,0);
glRotated(20.0,0,1,0);
glScaled(5,0,1,0);
glScaled(2,0,0,1);
glTranslated(10.0,5.0,3.0);
glGetFloatv(GL_MODELVIEW_MATRIX, &m[0][0]);
```

Whatever the number of geometric transformations defined for a node, a single matrix **m** is required to represent the set.

→ **m**