

b) state	input	Stack	neu stable	stack
a		X	9	XX
	İ	2.	9	XZo
q	8	X	G	e
ø	0	X	þ	X
P	0	20	g	20
þ	1	X	P	8

& adetal 8424 Symbol. CFG = (V, T, P,S)

V = LS, [pxp], [pxq], [qxp], [qxq], [pzop], [pzoq], [azop], [azoq]

T= 10,14.

push: 
$$[q \times q] \rightarrow [[q \times q][q \times q] \mid [[q \times p][p \times q] \mid [q \times q][p \times q]]$$

$$[q \times q] \rightarrow [[q \times q][q \times q] \mid [[q \times p][p \times q]]$$

$$[p \times q] \rightarrow [[q \times q][q \times q] \mid [[q \times p][p \times q]]$$

$$[p \times q] \rightarrow [[q \times q][q \times q]]$$

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P: 
$$S \rightarrow [q 2rq] [q 2op]$$
 $[q \times q 1 \rightarrow \epsilon | 1 Cq \times q 1 Cq \times q 1 | 1 Cq \times p 1 Cp \times q)$ 
 $[p \times p] \rightarrow 1$ 
 $[q 2oq] \rightarrow [q \times q 1 Cq 2rq] | 1 [q \times p] Cp 2oq]$ 
 $[p 2oq] \rightarrow 0 [p 2oq]$ 
 $[q \times p] \rightarrow 2 [q \times p]$ 

menghapur yang menyelangkan eternal looping (not generating). : [q2op] tidak menghanikan apapun, begihapun [pxy)  $S \to \Gamma q Z oq I$   $\Gamma q Xq I \to \epsilon \mid 1 \Gamma q Xq I \Gamma q Xq I$   $\Gamma p Xp I \to 1$   $\Gamma q Z oq I \to 1 \Gamma q Xq I \Gamma q Z oq I \Gamma q Xp I \Gamma p Z oq I$   $\Gamma p Z oq I \to 0 \Gamma p Z oq I$   $\Gamma p Z oq I \to 0 \Gamma q Xp I$ 

Menghapurkan Yang menyebahkan eternal looping.

- 2) S → ASB | 6 A → aAS | 9 B → SBS | A | bb.
  - eliminari e-production.

    5 adulah nullable symbol.

    S -> ASB | AB

    A -> 1AS | a A | a

    B -> SBS | SB | bS | b | A | bb
  - diminus unit production.  $S \rightarrow ASB \mid AB$   $A \rightarrow aAS \mid aA \mid a$  $B \rightarrow SbS \mid Sb \mid bS \mid b \mid aAS \mid aA \mid a \mid bb$ .
- Eliminari Useless symbol.
   not generaling: tidak ada.
   uareachable: tidak ada.

Grammar in CNF.

$$Xa \rightarrow a$$
 $S \rightarrow A_1B \mid A_B$ 
 $X_b \rightarrow b$ 
 $A \rightarrow X_a A_1 \mid X_a A_1 \mid a$ 
 $A_1 \rightarrow A_2$ 
 $A_1 \rightarrow A_2$ 
 $A_2 \rightarrow A_3 \mid A_4 \mid A_5 \mid A$