# MAS291 - HOMEWORK

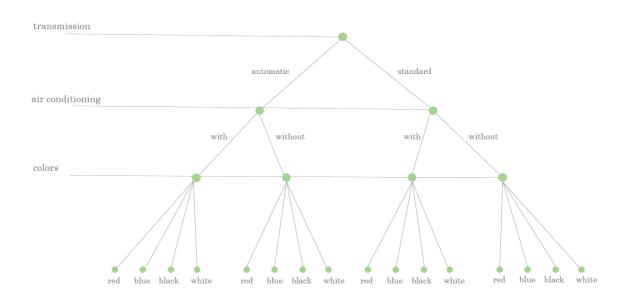
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## 2-14

An order for an automobile can specify either an automatic or a standard transmission, either with or without air conditioning, and with any one of the four colors red, blue, black, or white.

Describe the set of possible orders for this experiment.

#### Solve:



 $\begin{array}{ccc} A \text{ - automatic transmission} & R \text{ - red} \\ S \text{ - standard transmission} & B \text{ - blue} \\ W \text{ - with air conditioning} & X \text{ - black} \\ O \text{ - without air conditioning} & F \text{ - white} \\ \end{array}$ 

#### Possible orders:

 $S = \{AWR, AWB, AWX, AWF, AOR, AOB, AOX, AOF, \\ SWR, SWB, SWX, SWF, SOR, SOB, SOX, SOF\}$ 

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# 2-80

Suppose that a patient is selected randomly from the those described in Exercise 2-57.

	Complete Response	Total
Ribavirin plus interferon alfa	16	21
Interferon alfa	6	19
Untreated controls	0	20

Let A denote the event that the patient is in the group treated with interferon alfa, and let B denote the event that the patient has a complete response. Determine the following probabilities.

a)P(A) b)P(B)  $c)P(A\cap B)$   $d)P(A\cup B)$   $e)P(A'\cup B)$ 

Solve:

$$|S| = 60$$

a) 
$$P(A) = 19/60 \approx 0.317$$

b) 
$$P(B)=22/60pprox0.367$$

c)

 $A \cap B$ : Patient who is treated with interferon alfa and has a complete response  $P(A \cap B) = 6/60 = 0.1$ 

d)

 $A \cup B$ : Patient who is treated with interferon alfa or has a complete response  $P(A \cup B) = P(A) + P(B) - P(A \cap B)$  $= 19/60 + 22/60 - 6/60 \approx 0.583$ 

e)

 $A' \cup B$ : Patient who isn't treated with interferon alfa or has a complete response  $A' \cap B$ : Patient who isn't treated with interferon alfa and has a complete response According to the table:  $|A' \cap B| = 16$ 

$$P(A' \cap B) = 16/60$$
  
 $P(A' \cup B) = P(A') + P(B) - P(A' \cap B)$   
 $= 1 - P(A) + P(B) - P(A' \cap B)$   
 $= (1 - 19/60) + 22/60 - 16/60$   
 $\approx 0.783$ 

# 2-112

Suppose A and B are mutually exclusive events. Construct a Venn diagram that contains the three events A, B and C such that  $P(A \mid C) = 1$  and  $P(B \mid C) = 0$ .

## **Solve:**

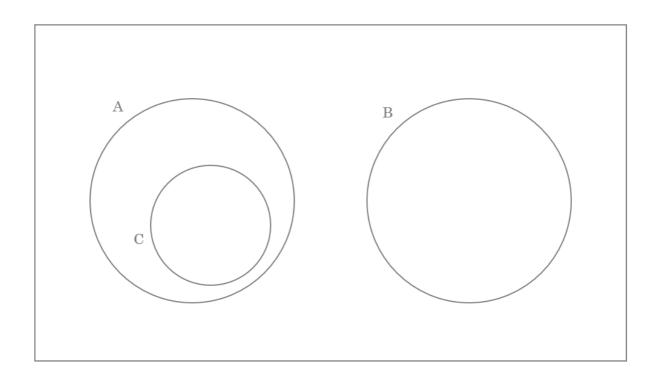
$$P(A|C) = P(A \cap C)/P(C) = 1$$

$$\Rightarrow P(A \cap C) = P(C)$$

$$\Rightarrow A \cap C = C$$

$$P(B|C) = P(B \cap C)/P(C) = 0$$

$$\Rightarrow B \cap C = \emptyset$$



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