Dinosaur War: A Strategic Game of Utter Chance

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Obviously Unemployed

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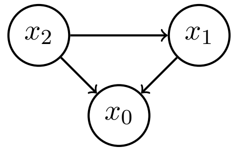
Abstract

TODO

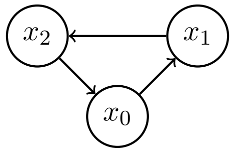
1 Pieceyard

t	$t \cdot g$	Matching factor t^* · Matching g^*	First cycle
x^4	$x^4d^3c^2b^1a^0$	none	none
$-x^3a$	$-x^3d^3c^2b^1a^1$	$-x^3b \cdot -d^3c^2a^1b^0$	(x, b, a)
$-x^3b$	$-x^3d^3c^2b^2a^0$	$-x^3c \cdot -d^3b^2c^1a^0$	(x, c, b)
$-x^3c$	$-x^3d^3c^3b^1a^0$	$-x^3d \cdot -c^3d^2b^1a^0$	(x, d, c)
$-x^3d$	$-x^3d^4c^2b^1a^0$	none	none
x^2ba	$x^2d^3c^2b^2a^1$	$x^2ca \cdot -d^3b^2c^1a^0$	(x, c, b)
x^2ca	$x^2d^3c^3b^1a^1$	$x^2da \cdot -c^3d^2b^1a^0$	(x, d, c)
x^2da	$x^2d^4c^2b^1a^1$	$x^2db \cdot -d^3c^2a^1b^0$	(x, b, a)
x^2cb	$x^2d^3c^3b^2a^0$	$x^2db \cdot -c^3d^2b^1a^0$	(x, d, c)
x^2db	$x^2d^4c^2b^2a^0$	$x^2dc \cdot -d^3b^2c^1a^0$	(x, d, c)
x^2dc	$x^2d^4c^3b^1a^0$	none	none
$-xcba$	$-xd^3c^3b^2a^1$	$-xdba \cdot -c^3d^2b^1a^0$	(x, d, c)
$-xdba$	$-xd^4c^2b^2a^1$	$-xcba \cdot -d^3b^2c^1a^0$	$x, c, b)$
$-xdca$	$-xd^4c^3b^1a^1$	$-xdcb \cdot -d^3c^2a^1b^0$	(x, b, a)
$-xdcb$	$-xd^4c^3b^2a^0$	none	none
$dcba$	$d^4c^3b^2a^1$	none	none

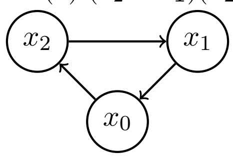
This sum, $x^4d^3c^2b^1a^0 - x^3d^4c^2b^1a^0 + x^2d^4c^3b^1a^0 - xd^4c^3b^2a^0 + d^4c^3b^2a^1$, when added to the tables of all the other initial settings of g, produces $S_{[0,4]}$.



(a) $(\mathbf{x_2} - x_1)(\mathbf{x_2} - x_0)(\mathbf{x_1} - x_0) \to x_2^2 x_1^1 x_0^0$



(b) $(x_2 - \mathbf{x_1})(\mathbf{x_2} - x_0)(x_1 - \mathbf{x_0}) \to x_2^1 x_1^1 x_0^1$



(c) $(\mathbf{x_2} - x_1)(x_2 - \mathbf{x_0})(\mathbf{x_1} - x_0) \to -x_2^1 x_1^1 x_0^1$

Figure 1: Three terms of $P_{[0,2]}$, corresponding to complete directed graphs of size 3

References

[1] Wikipedia: `https://en.wikipedia.org/wiki/Minimax_theorem`