

COM 474 NATURAL COMPUTING TERM PROJECT REPORT

Artificial plant generation using D0L – Systems with Turtle Graphics

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Introduction

Our purpose for this project is to draw artificial plant with L-system grammar by using "turtle" library in JAVA.

An L-system or Lindenmayer system is a parallel rewriting system and a type of formal grammar.

An L-system consists of an alphabet of symbols that can be used to make strings, a collection of production rules that expand each symbol into some larger string of symbols, an initial "axiom" string from which to begin construction, and a mechanism for translating the generated strings into geometric structures.

"turtle" is a library which includes ready methods to plot lines to turtle.

Details

L-System

A model of morphogenesis, based on formal grammars (set of rules and symbols)

Introduced in 1968 by the Swedish biologist A. Lindenmayer

Originally designed as a formal description of the development of simple multi-cellular organisms

Later on, extended to describe higher plants and complex branching structures.

D0L-system

D0L-Systems is the simplest class of L-systems, termed D0L-systems (Deterministic and context free).

Lets us consider strings built of two letters a and b (they may occur many times in a string).

For each letter we specify are writing rule.

The rule $a \rightarrow a b$ means that the letter a is to be replaced by the string ab, and the rule $b \rightarrow a$ means that the letter b is to be replaced by a. There writing process starts from a distinguished string called the axiom. Let us assume that it consist of a single letter b.

In the first derivation step (the first step of rewriting) the axiom b is replaced by a using production $b \rightarrow a$. In the second step a is replaced by ab using the production $a \rightarrow ab$. The word ab consists of two letters, both of which are simultaneously replaced in the next derivation step. Thus, a is replaced by ab , b is replaced by a , and the string ab results. In a similar way (by the simultaneous replacement of all letters), the string ab yields $abaab$ which in turn yields $abaababa$, then $abaababaabaab$, and so on.

Turtle Interpretation of the Strings

F Move forward a step of length d . The state of the turtle changes to (x', y', α) , where $x' = x + d \cos(\alpha)$ and $y' = y + d \sin(\alpha)$. A line segment between points (x, y) and (x', y') is drawn

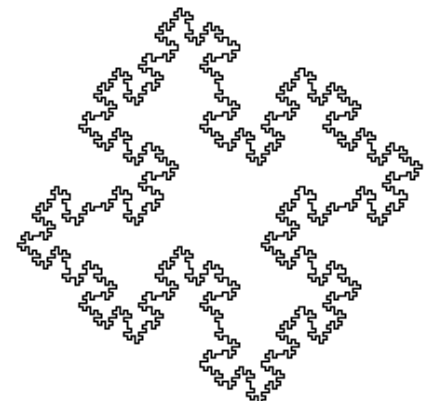
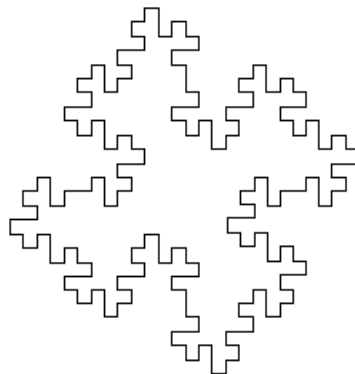
+ Turn right by angle δ . The next state of the turtle is $(x, y, \alpha + \delta)$

- Turn left by angle δ . The next state of the turtle is $(x, y, \alpha - \delta)$

w: $F + F + F + F$

p: $F \rightarrow F + F - F - FF + F + F - F$

Angle $(\delta) = 90^\circ$



Quadratic
Koch island

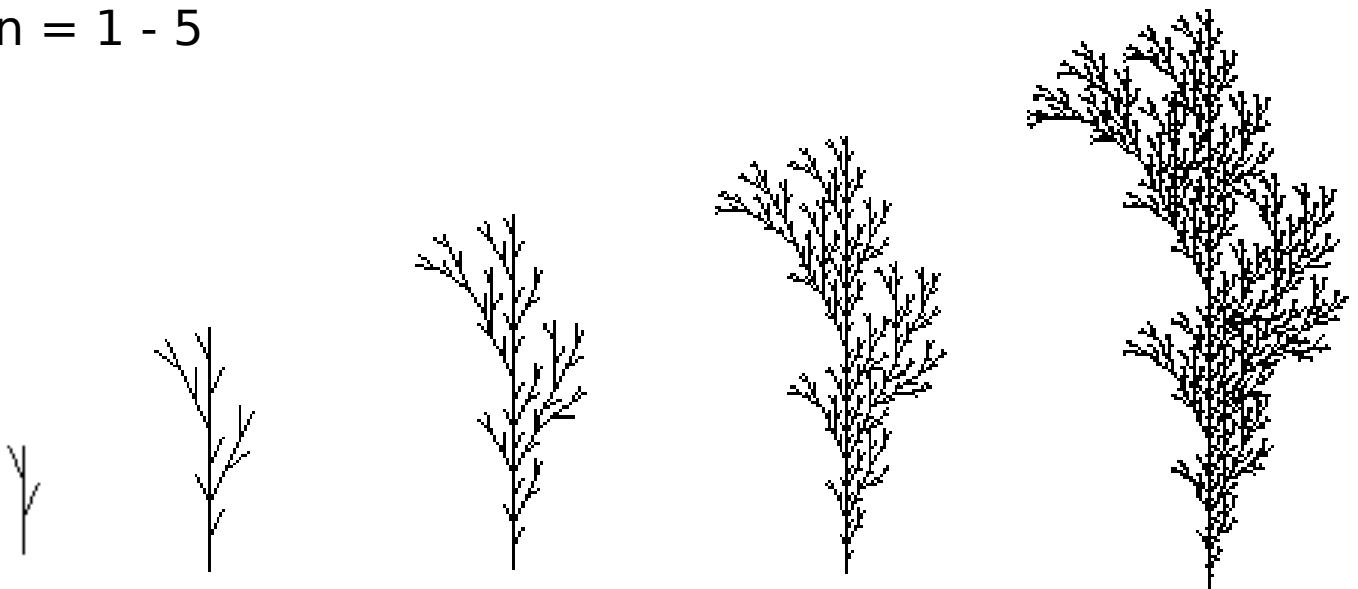
Turtle Interpretation of Bracketed Strings

w: F

p: $F \rightarrow F[-F]F[+F][F]$

Angle (δ) = 60°

n = 1 - 5



jTurtle-0.1.1.jar LIBRARY

Some code examples from this library.

Turtle motion

Move and draw

[forward\(\)](#) | [fd\(\)](#)

[backward\(\)](#) | [bk\(\)](#) | [back\(\)](#)

[right\(\)](#) | [rt\(\)](#)

[left\(\)](#) | [lt\(\)](#)

[goto\(\)](#) | [setpos\(\)](#)

Tell Turtle's state

[position\(\)](#) | [pos\(\)](#)

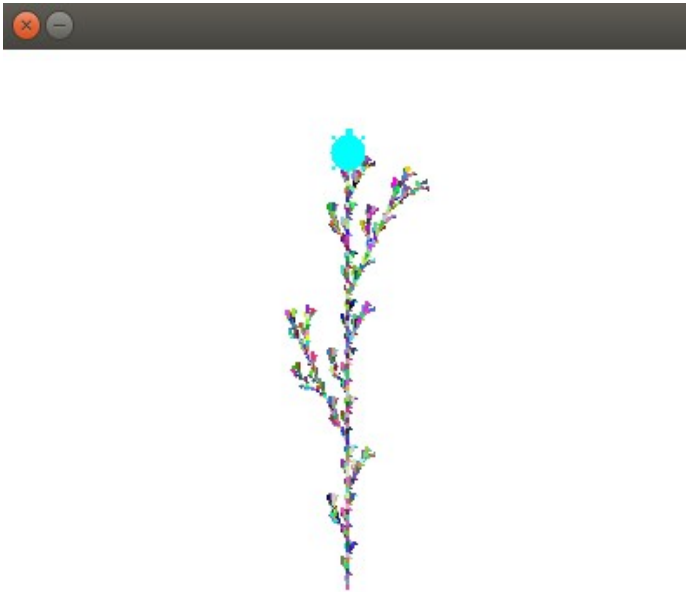
[xcor\(\)](#)

[ycor\(\)](#)

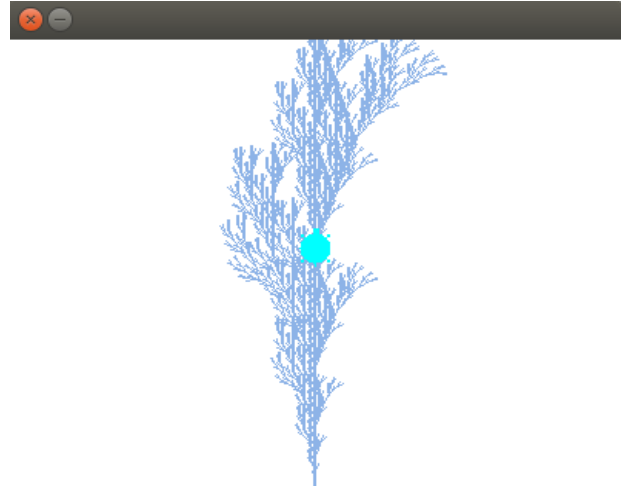
[heading\(\)](#)

Setting and measurement [degrees\(\)](#)
[radians\(\)](#)

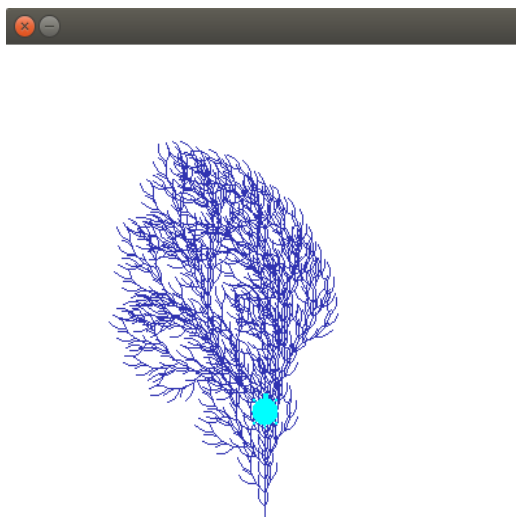
OUTPUTS FROM PROJECT



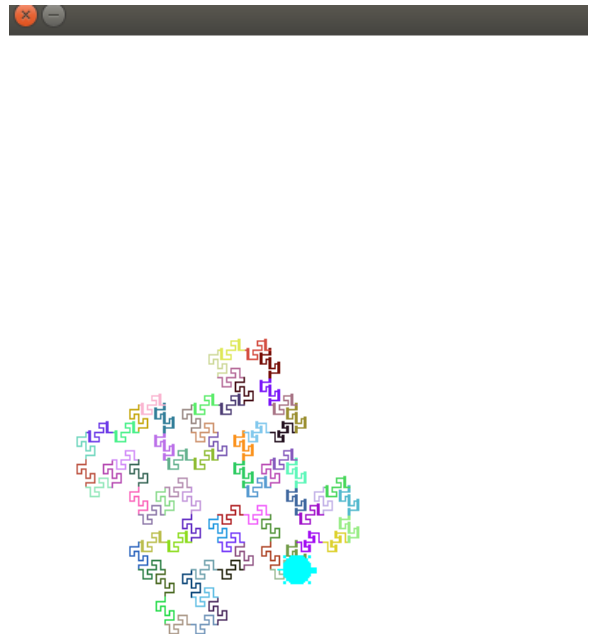
Angle = 25.7 n=5
F
F->F[+F]F[-F]F



Angle = 20 n=5
F
F->F[+F]F[-F]F



Angle=22.5 n=4
F
F->FF[-F+F+F]+[+F-F-F]



Angle = 90 n=2
F-F-F-F
F->F+FF-FF-F-F+F+FF-F-F+F+FF+FF-F

CONCLUSION

We have developed a program which ensures to draw artificial plants with “jturtle” library in JAVA by getting the L-system rule from user.

In addition the other shapes which are represented with L-system can be drawn.

References

1. <http://en.wikipedia.org/wiki/L-system>
2. <http://ldc.usb.ve/~gabro/other/L-systems.ppt>
3. http://www.java-online.ch/lego/legoEnglish/turtleGrafik.php?inhalt_links=turtle/nav_turtleTu.inc.php&inhalt_mitte=turtle/turtle.inc.php