

# H1-2

DV

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```
library(knitr)
library(kableExtra)
opts_chunk$set(dpi = 600, dev = 'pdf')
options(digits = 5)
```

```
library(here)
```

```
## here() starts at /home/denis/Documents/Poso/faks/istraživanja/inter-
testing-feedback-2018/analyses
```

```
# NOTE: this will load {magrittr}, {here}, {conflicted} and {tidyverse}. also,
# `conflict_prefer`'s filter from {dplyr}
# furthermore, it loads 3 data.frames: (1) `dat` which contains the pooled data
# through `2-wrangling-main.R`, (2) `datHard` which is `dat` with all the hard
# exclusion criteria applied (as described in `analysis-plan.md`), and (3)
# `datSoft` which is `datHard` with the soft exclusion criteria applied (as
# described in `analysis-plan.md`)
```

```
source(here('wrangling', '3-exclusion-criteria.R'))
```

```
## -- Attaching packages -----
----- tidyverse 1.2.1 --
```

```
## v ggplot2 3.1.0      v purrr 0.3.1
## v tibble 2.0.1       v dplyr 0.8.0.1
## v tidyr 0.8.3        v stringr 1.4.0
## v readr 1.3.1        v forcats 0.4.0
```

```
## -- Conflicts -----
```

```
tidyverse_conflicts() --
```

```
## x dplyr::filter()      masks stats::filter()
```

```
## x dplyr::group_rows() masks kableExtra::group_rows()
```

```

## x dplyr::lag()          masks stats::lag()

## [conflicted] Will prefer dplyr::filter over any other package

## Parsed with column specification:
## cols(
##   .default = col_double(),
##   when = col_datetime(format = ""),
##   giveFeedback = col_logical(),
##   condition = col_character(),
##   kolikoProcitaoText1 = col_character(),
##   kolikoProcitaoText2 = col_character(),
##   kolikoProcitaoText3 = col_character(),
##   readingDeficits = col_character(),
##   which = col_character(),
##   readingDifficultiesThisExp = col_character(),
##   activityFactor = col_character()
## )

## See spec(...) for full column specifications.

# for LDA
library(MASS)
# for Henze-Zirkler
library(MVN)

## sROC 0.1-2 loaded

# for Box's M
library(heplots)

## Loading required package: car

## Loading required package: carData

##
## Attaching package: 'car'

## The following object is masked from 'package:dplyr':
##
##   recode

## The following object is masked from 'package:purrr':
##
##   some

```

```
# colorscale
library(viridis)

## Loading required package: viridisLite

conflict_prefer('select', 'dplyr')

## [conflicted] Will prefer dplyr::select over any other package

theme_set(theme_minimal())

# source helper functions
source(here('helpers', 'h1-2-helpers.R'))
```

## Hard exclusion criteria

The following analyses are going to be conducted on a subset of the collected data which contains 203 cases. First, we will take a look at the data going into this analysis. Then, we will check whether the assumptions for conducting a MANOVA are satisfied. Finally, we will conduct the analyses specified in the `analysis-plan.md` file.

## Descriptive statistics

This analysis is going to be run on a subset participants who were in no-feedback conditions. This includes the rereading group, and the two no-feedback test groups.

```
# creating new df with the specified subset, selecting only relevant vars
datHardNofeed <- datHard %>% filter(., giveFeedback == F) %>%
  select(., activityFactor, totalCorrect, totalIntrusors)
```

This leaves us with 122 cases.

```
datHardNofeed %>% glimpse(.)

## Observations: 122
## Variables: 3
## $ activityFactor <chr> "content", "general", "rereading", "content", "...
## $ totalCorrect <dbl> 15, 12, 6, 12, 14, 14, 9, 5, 14, 13, 14, 8, 12,...
## $ totalIntrusors <dbl> 3, 3, 5, 3, 3, 4, 4, 4, 4, 3, 4, 6, 3, 3, 6, 8,...
```

First of all, it's important to mention that the group sizes are imbalanced, but the difference is really small:

```
datHardNoFeed %>% group_by(., activityFactor) %>% tally(.)
```

```
## # A tibble: 3 x 2
##   activityFactor      n
##   <chr>          <int>
## 1 content          42
## 2 general          40
## 3 rereading        40
```

Here are the descriptives for the whole subset.

```
datHardNoFeed %>% select(., -activityFactor) %>% psych::describe(.)
```

```
##           vars      n  mean    sd median trimmed   mad min max range skew
## totalCorrect      1 122 11.40 3.04      11   11.39 2.97    4  19    15 0.04
## totalIntrusors    2 122  4.18 1.98       4    4.10 1.48    0  10    10 0.38
##           kurtosis    se
## totalCorrect     -0.41 0.28
## totalIntrusors   -0.17 0.18
```

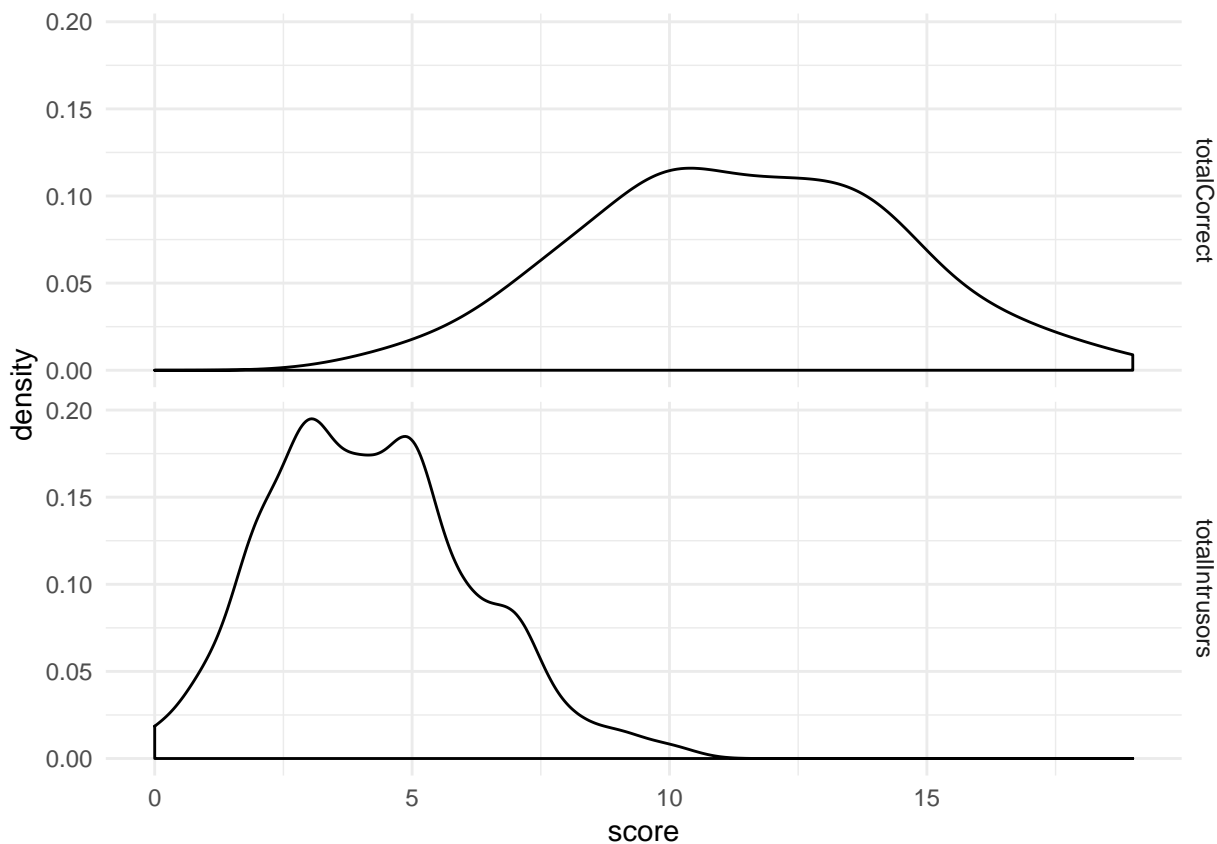
And the descriptives by group:

```
by(datHardNoFeed$totalCorrect, INDICES = datHardNoFeed$activityFactor,
   psych::describe) %>% reduce(., rbind) %>%
  mutate(., condition = c("content", "general", "rereading")) %>%
  select(., condition, everything(), -vars)
```

```
##   condition      n   mean      sd median trimmed   mad min max range      skew
## 1   content    42 12.786 3.0165      12 12.765 2.9652    7  19    12 0.039247
## 2   general    40 10.475 2.8374      10 10.531 2.9652    5  16    11 -
0.053301
## 3 rereading    40 10.875 2.8028      11 10.938 2.9652    4  17    13 -
0.140828
##   kurtosis      se
## 1 -0.77457 0.46546
## 2 -0.98633 0.44863
## 3 -0.25332 0.44316
```

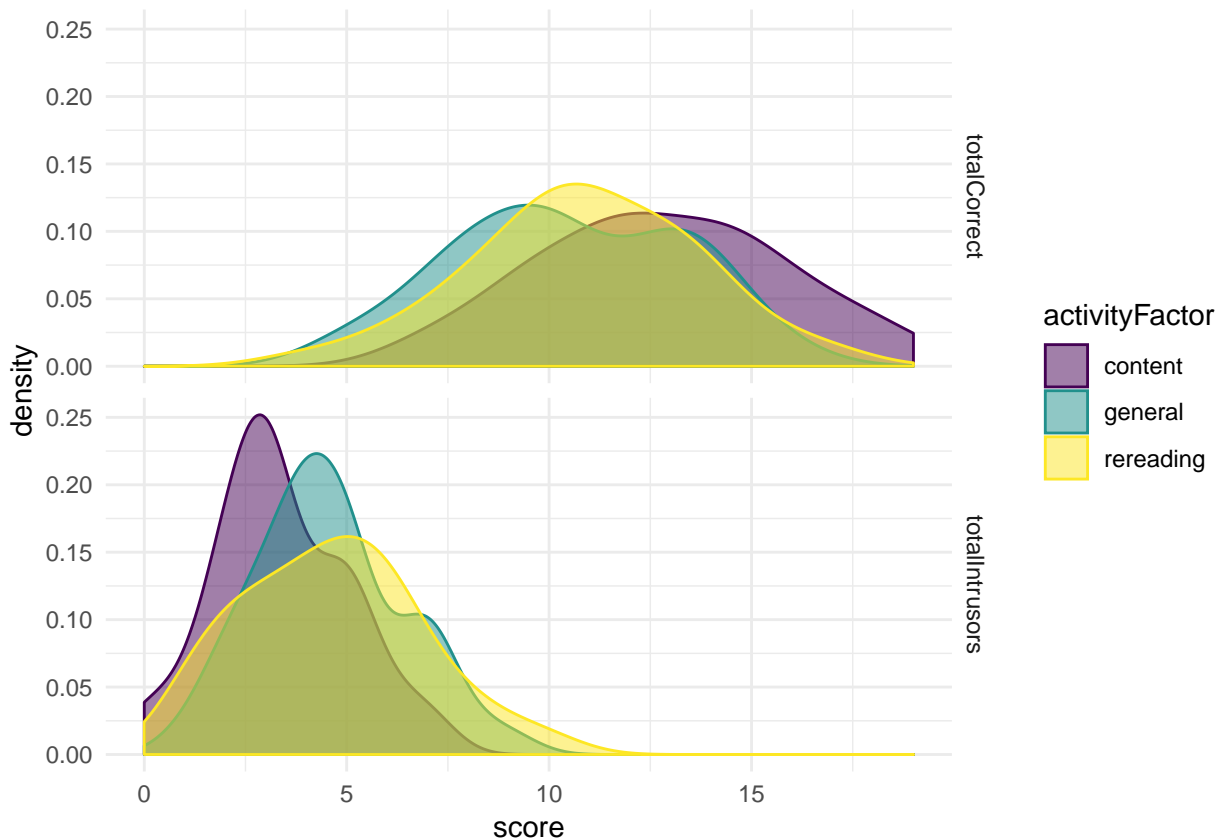
Now, we'll plot the DV distributions, both on the whole subset, and per group.

```
datHardNoFeed %>% gather(., totalCorrect, totalIntrusors, key = 'dependentVar',
                        value = 'score') %>%
  ggplot(., aes(x = score)) +
  geom_density() + facet_grid(dependentVar ~ .)
```



The graph shows that there could be significant deviations from normality. Let's look at the distributions in each group.

```
datHardNoFeed %>% gather(., totalCorrect, totalIntrusors, key = 'dependentVar',
                        value = 'score') %>%
  ggplot(., aes(x = score, color = activityFactor, fill = activityFactor)) +
  geom_density(alpha = .5) + facet_grid(dependentVar ~ .) +
  scale_fill_viridis_d() + scale_color_viridis_d()
```

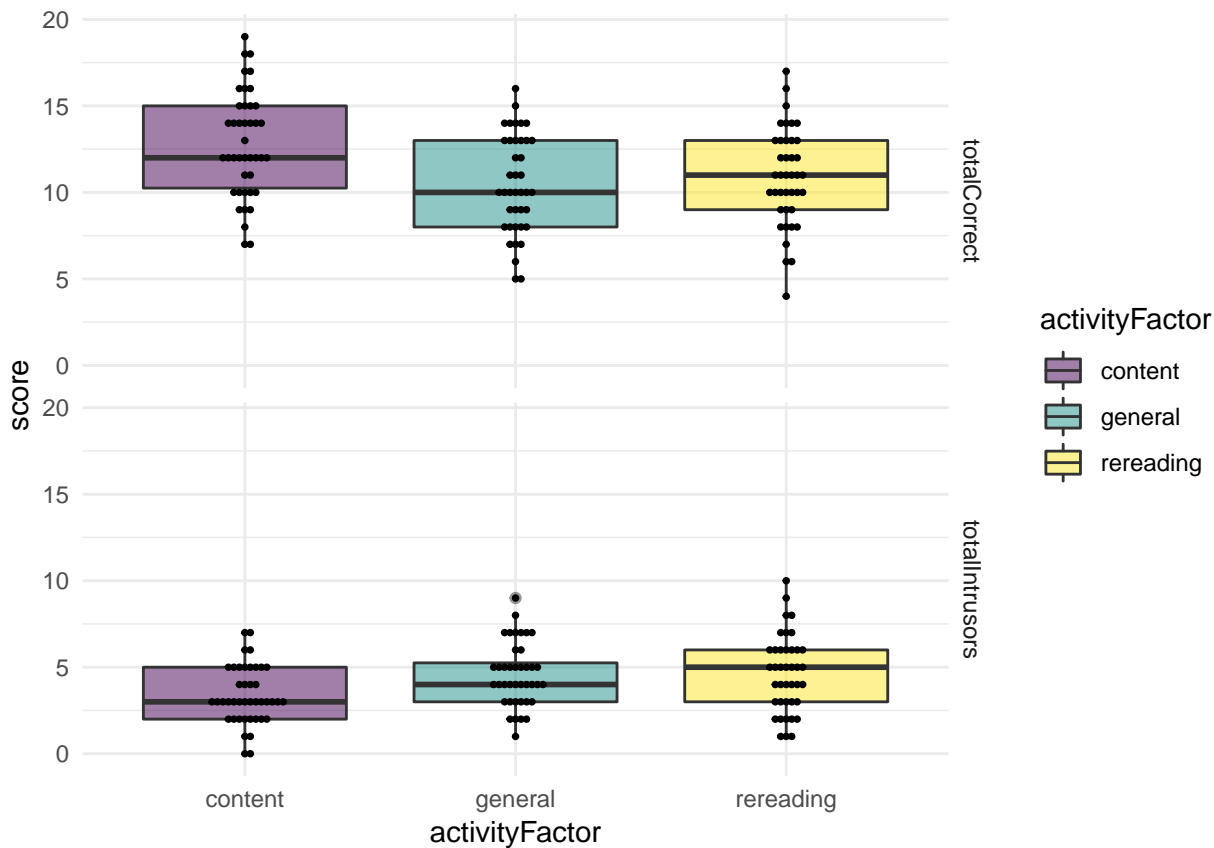


The distributions seem to be fairly similar on both dependent variables, and look a bit more normal than on the whole sample.

Next, here are the boxplots for the three groups, and for both DVs.

```
datHardNoFeed %>% add_column(subject = 1:nrow(.), .before = 1) %>%
  gather(., totalCorrect, totalIntrusors, key = 'dependentVar',
    value = 'score') %>%
  ggplot(., aes(x = activityFactor, y = score, fill = activityFactor)) +
  geom_boxplot(alpha = .5) + geom_dotplot(mapping = aes(y = score), binaxis = 'y',
    stackdir = 'centerwhole', dotsize = .5,
    fill = 'black', color = 'black') +
  facet_grid(dependentVar~.) + scale_fill_viridis(discrete = T)

## `stat_bindot()` using `bins = 30`. Pick better value with `binwidth`.
```



Looks like there could be an outlier on the number of total intrusions in the general knowledge test condition.

## Assumption checks

Next, let's look at the correlation between the DVs. First, let's look at the correlation in the whole sub-sample.

```
. <- datHardNoFeed %>% select(., -activityFactor) %>% psych::corr.test(.)
print(.)

## Call:psych::corr.test(x = .)
## Correlation matrix
##           totalCorrect totalIntrusions
## totalCorrect           1.00          -0.67
## totalIntrusions        -0.67           1.00
## Sample Size
## [1] 122
## Probability values (Entries above the diagonal are adjusted for multiple test)
##           totalCorrect totalIntrusions
## totalCorrect           0              0
## totalIntrusions        0              0
##
```

```
## To see confidence intervals of the correlations, print with the short=FALSE
```

We found a statistically significant correlation of -0.66831. Next, let's look at the correlation in each group.

```
by(datHardNoFeed[, c('totalCorrect', 'totalIntrusors')],
    INDICES = datHardNoFeed$activityFactor, FUN = psych::corr.test)

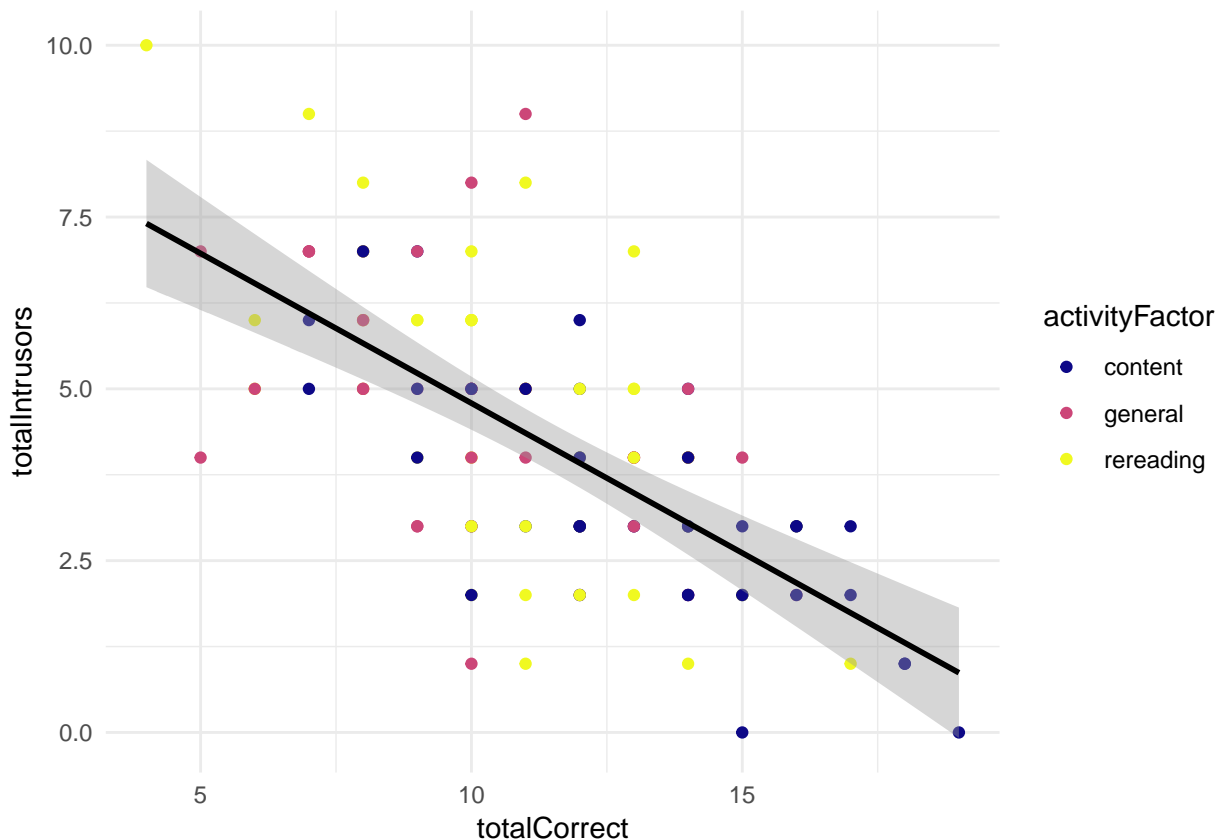
## datHardNoFeed$activityFactor: content
## Call:FUN(x = data[x, , drop = FALSE])
## Correlation matrix
##               totalCorrect totalIntrusors
## totalCorrect           1.00          -0.74
## totalIntrusors        -0.74           1.00
## Sample Size
## [1] 42
## Probability values (Entries above the diagonal are adjusted for multiple test)
##               totalCorrect totalIntrusors
## totalCorrect           0           0
## totalIntrusors         0           0
##
## To see confidence intervals of the correlations, print with the short=FALSE
## -----
## datHardNoFeed$activityFactor: general
## Call:FUN(x = data[x, , drop = FALSE])
## Correlation matrix
##               totalCorrect totalIntrusors
## totalCorrect           1.00          -0.53
## totalIntrusors        -0.53           1.00
## Sample Size
## [1] 40
## Probability values (Entries above the diagonal are adjusted for multiple test)
##               totalCorrect totalIntrusors
## totalCorrect           0           0
## totalIntrusors         0           0
##
## To see confidence intervals of the correlations, print with the short=FALSE
## -----
## datHardNoFeed$activityFactor: rereading
## Call:FUN(x = data[x, , drop = FALSE])
## Correlation matrix
##               totalCorrect totalIntrusors
```



```
## totalCorrect          1.00          -0.65
## totalIntrusors        -0.65          1.00
## Sample Size
## [1] 40
## Probability values (Entries above the diagonal are adjusted for multiple test)
##           totalCorrect totalIntrusors
## totalCorrect          0          0
## totalIntrusors          0          0
##
## To see confidence intervals of the correlations, print with the short=FALSE
```

The correlations in all three groups are fairly similar and statistically significant. To check whether the relationship between the DVs could be described as linear, we'll plot the scatterplots for the whole sample and for each group.

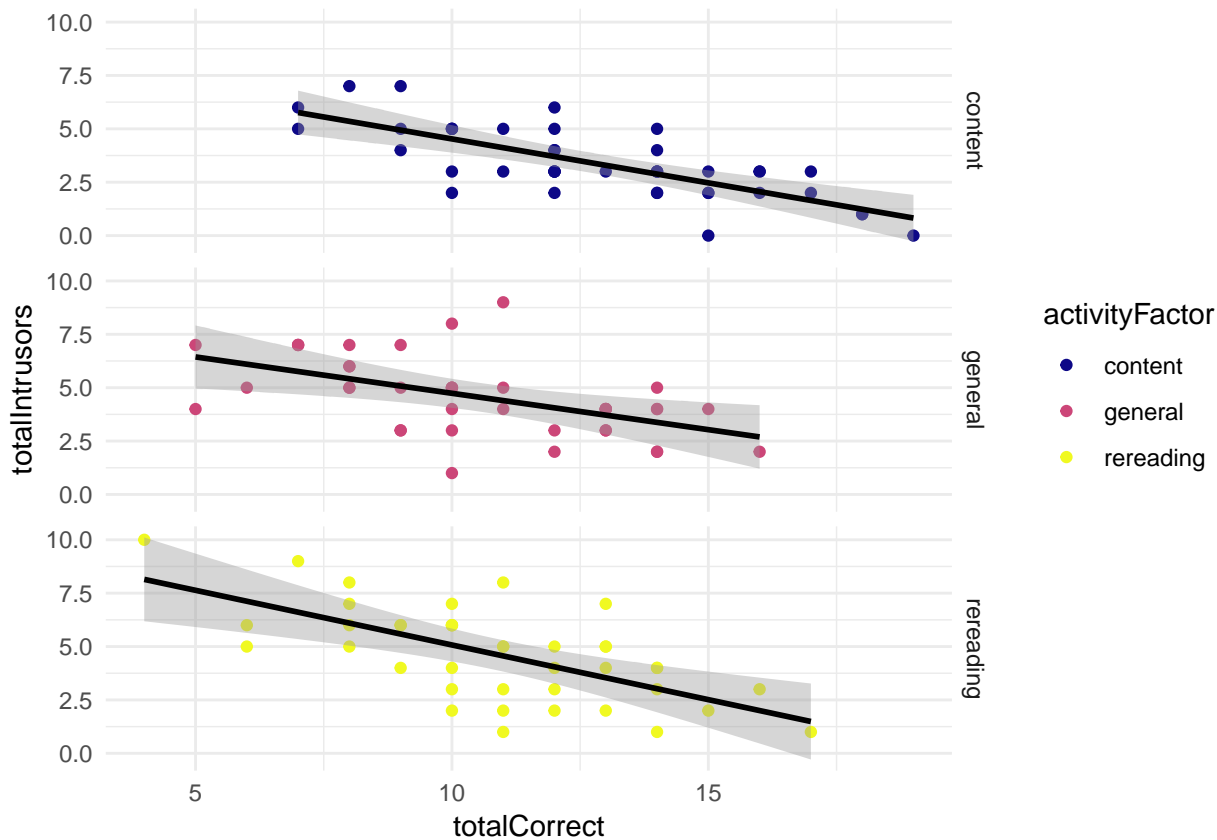
```
datHardNoFeed %>%
  ggplot(., aes(x = totalCorrect, y = totalIntrusors)) +
  geom_point(aes(fill = activityFactor, color = activityFactor)) +
  geom_smooth(method = 'lm', color = 'black', level = .99) +
  scale_fill_viridis_d(option = 'C') + scale_color_viridis_d(option = 'C')
```



As can be seen from the plot, the relationship seems to be pretty linear, and the 99% confidence interval of the regression slopes is pretty small. Now, let's take a look at the scatterplots for each group separately.

```
datHardNoFeed %>%
```

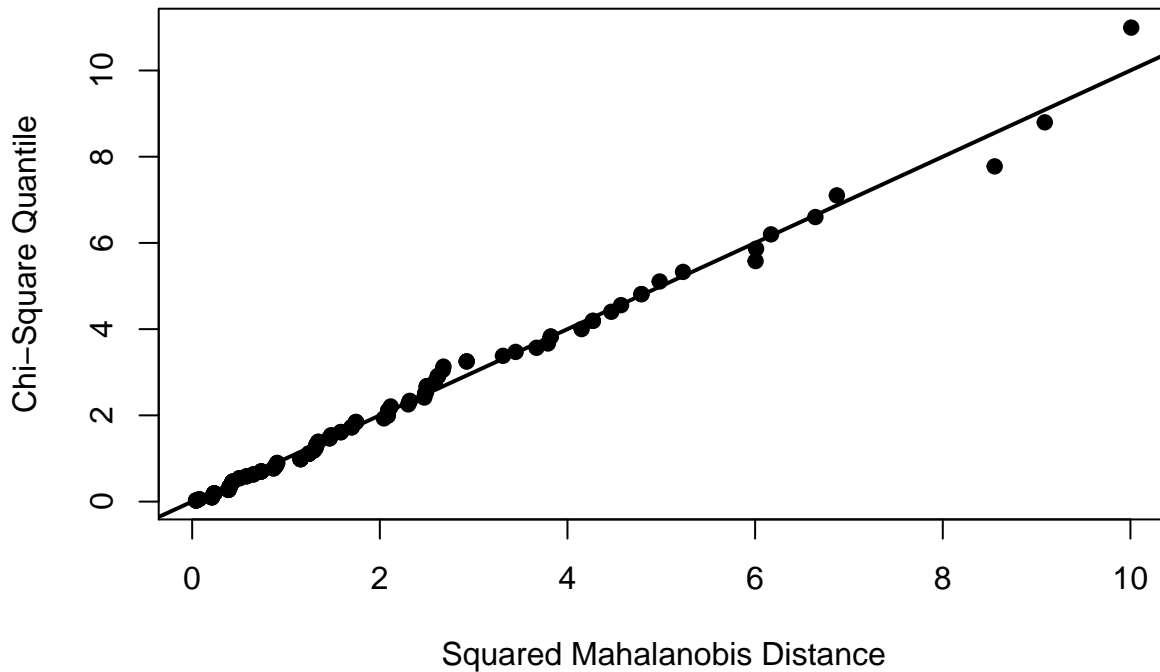
```
ggplot(., aes(x = totalCorrect, y = totalIntrusors)) +  
geom_point(aes(fill = activityFactor, color = activityFactor)) +  
geom_smooth(method = 'lm', level = .99, color = 'black') +  
facet_grid(activityFactor ~ .) +  
scale_fill_viridis_d(option = 'C') + scale_color_viridis_d(option = 'C')
```



Again, we can see that the relationships are linear, as well as similar. Next, we will check the multivariate normality assumption using the Henze-Zirkler test.

```
datHardNoFeed %>% select(., -activityFactor) %>%  
mvn(., multivariatePlot = 'qq', mvnTest = 'hz', desc = T)
```

## Chi-Square Q-Q Plot



```
## $multivariateNormality
##           Test          HZ p value MVN
## 1 Henze-Zirkler 0.52318 0.58715 YES
##
## $univariateNormality
##           Test      Variable Statistic    p value Normality
## 1 Shapiro-Wilk totalCorrect      0.9870    0.2972      YES
## 2 Shapiro-Wilk totalIntrusors    0.9663    0.0038      NO
##
## $Descriptives
##           n      Mean Std.Dev Median Min Max 25th 75th      Skew
## totalCorrect 122 11.4016 3.0415     11   4  19    9   14 0.040322
## totalIntrusors 122  4.1803 1.9835      4   0  10    3    5 0.375797
##
##           Kurtosis
## totalCorrect  -0.41051
## totalIntrusors -0.16727
```

The result of Henze-Zirkler's multivariate normality test shows that a statistically significant departure from multivariate normality was not detected. Hence, we will assume that there really is no departure. The points on the Chi-Square Q-Q plot follow the straight line fairly well, which is also indicative of a normal distribution.

However, the Shapiro-Wilk test for univariate normality indicates a departure in the distribution of the total number of intrusive distractors chosen. It is interesting to notice that

the value of the  $W$  statistic is close to the maximum of 1, which indicates a close fit to the normal distribution (Salkind, 2007). Furthermore, when the test is performed for each group separately, the departures are declared to be non-significant in two of three cases, the third case being marginally significant. Therefore, we will assume that the data in each group is normally distributed.

```
by(datHardNofeed$totalIntrusors, INDICES = datHardNofeed$activityFactor,
   FUN = shapiro.test)
```

```
## datHardNofeed$activityFactor: content
##
##  Shapiro-Wilk normality test
##
## data:  dd[x, ]
## W = 0.946, p-value = 0.048
##
## -----
## datHardNofeed$activityFactor: general
##
##  Shapiro-Wilk normality test
##
## data:  dd[x, ]
## W = 0.956, p-value = 0.12
##
## -----
## datHardNofeed$activityFactor: rereading
##
##  Shapiro-Wilk normality test
##
## data:  dd[x, ]
## W = 0.966, p-value = 0.28
```

Now, we'll take a look at the homogeneity of covariance matrices assumption. First, let's take a look at the matrices themselves.

```
by(datHardNofeed[, c('totalCorrect', 'totalIntrusors')],
   INDICES = datHardNofeed$activityFactor, FUN = cov) -> .
print(.)
```

```
## datHardNofeed$activityFactor: content
##
##           totalCorrect totalIntrusors
## totalCorrect      9.0993      -3.7456
## totalIntrusors    -3.7456      2.7782
```

```
## -----
## datHardNoFeed$activityFactor: general
##               totalCorrect totalIntrusors
## totalCorrect      8.0506      -2.7417
## totalIntrusors    -2.7417      3.3276
## -----
## datHardNoFeed$activityFactor: rereading
##               totalCorrect totalIntrusors
## totalCorrect      7.8558      -4.0224
## totalIntrusors    -4.0224      4.9071
```

The covariance matrices look quite similar. The ratio of largest to smallest variance of the number of correct answers is 1.1583. The same ratio for the number of chosen intrusors is 1.76629. Finally, the ratio of the largest to the smallest covariance between the two DVs is 0.68159. As we can see, the variance ratios are pretty close to one. Still, let's test them with Box's M test.

```
boxM(datHardNoFeed %>% select(., -activityFactor),
      group = datHardNoFeed$activityFactor)
```

```
##
## Box's M-test for Homogeneity of Covariance Matrices
##
## data:  datHardNoFeed %>% select(., -activityFactor)
## Chi-Sq (approx.) = 9.34, df = 6, p-value = 0.16
```

Box's M returns a non-significant p-value, indicating that we cannot reject the null hypothesis. [Field, Miles, and Zoe \(2012\)](#) and [Raykov and Marcoulides \(2008\)](#) warn that Box's M is extremely sensitive, so we'd expect to find a difference if there really was one. On the other hand, [Field et al. \(2012\)](#) warn that the test can return a non-significant p-value when the assumption of multivariate normality is not tenable. However, given the results of the Henze-Zirkler multivariate normality test, we suspect that this is not the case. Since all assumptions seem to hold, we'll proceed with the planned MANOVA.

## MANOVA

## References

- Field, A., Miles, J., & Zoe, F. (2012). *Discovering Statistics Using R*. Thousand Oaks, CA: SAGE Publications Ltd.
- Raykov, T., & Marcoulides, G. A. (2008). *An introduction to applied multivariate analysis*. Routledge.
- Salkind, N. J. (2007). *Encyclopedia of measurement and statistics*. Thousand Oaks, CA: Sage.