

Faster Decoding for Phrases and Syntax

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Translation is Expensive

“speed-up in tuning time but affects the performance”

“18 days using 12 cores”

[Williams et al WMT 2014]

“Time-sensitive BLEU score”

[Chung and Galley, 2012]

“Due to time constraints, this procedure was not used”

[Servan et al, WMT 2012]

⇒ Routine Quality Compromises

蘭州國中室內溫水游泳池
In-Room Lukewarm Water Swimming Pool

In-Room Lukewarm Water Swimming Pool

Blame the Language Model

“LM queries often account for more than 50% of the CPU”
[Green et al, WMT 2014]

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Faster queries (KenLM)

More effective queries

Cube pruning

- Widely used for phrase-based and syntax-based MT
- May be applied in conjunction with a bottom-up decoder, or as a second “rescoring” pass
 - Nodes may also be grouped together (for example, all nodes corresponding to a certain source span)
- Requirement for topological ordering means translation hypergraph may not have cycles

Cube pruning

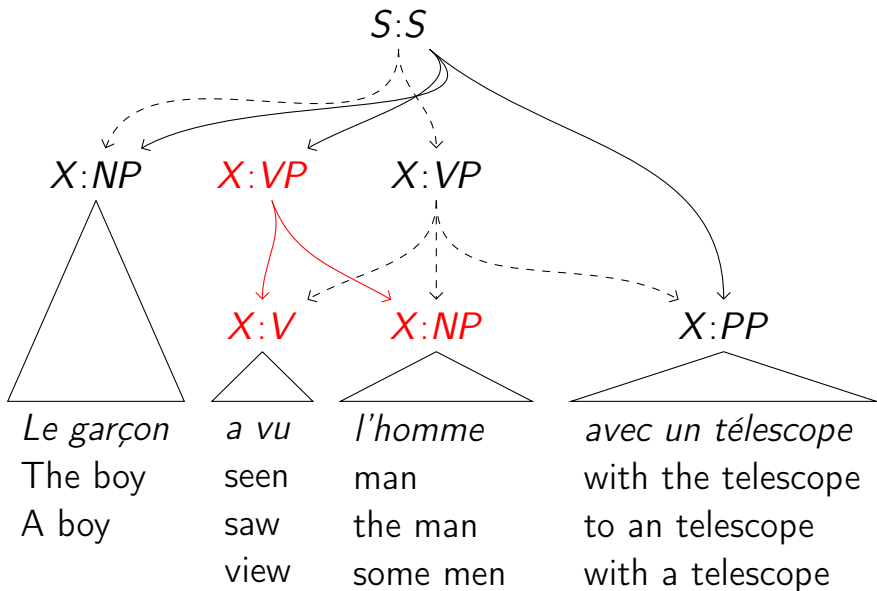
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- 1 Decoding problem
- 2 Cube pruning
- 3 Incremental

Decoding Example: Input

Le garçon a vu l'homme avec un télescope

Decoding Example: One Constituent



$X:VP$



$X:V$

$X:NP$

a vu

l'homme

Hyp

seen

saw

view

Hyp

man

the man

some men

$X:VP$

$X:VP$

$X:V$

$X:NP$

a vu l'homme

a vu

l'homme

Hyp

seen

saw

view

Hyp

man

the man

some men

Hypothesis

seen man

seen the man

seen some men

saw man

saw the man

saw some men

view man

view the man

view some men

$X:VP$ $X:VP$ $X:V$ $X:NP$ *a vu l'homme**a vu**l'homme***Hyp Score**

seen -3.8

saw -4.0

view -4.0

Hyp

man

the man

some men

Score

-3.6

-4.3

-6.3

Hypothesis**Score**

seen man

-8.8

seen the man

-7.6

seen some men

-9.5

saw man

-8.3

saw the man

-6.9

saw some men

-8.5

view man

-8.5

view the man

-8.9

view some men

-10.8

$X:VP$

$X:VP$

$X:V$

$X:NP$

a vu l'homme

a vu

l'homme

Hyp Score

seen -3.8

saw -4.0

view -4.0

Hyp

man

the man

some men

Score

-3.6

-4.3

-6.3

Hypothesis

Score

saw the man

-6.9

seen the man

-7.6

saw man

-8.3

saw some men

-8.5

view man

-8.5

seen man

-8.8

view the man

-8.9

seen some men

-9.5

view some men

-10.8

$X:VP$

$X:VP$

$X:V$

$X:NP$

a vu l'homme

a vu

l'homme

Hyp Score

seen -3.8

saw -4.0

view -4.0

Hyp

man

the man

some men

Score

-3.6

-4.3

-6.3

Hypothesis

Score

saw the man

-6.9

seen the man

-7.6

saw man

-8.3

saw some men

-8.5

view man

-8.5

seen man

-8.8

view the man

-8.9

seen some men

-9.5

view some men

-10.8

Scores do not sum



a vu

l'homme

a vu l'homme

Hypothesis	Score
------------	-------

saw the man -6.9

seen the man -7.6

saw man -8.3

~~saw some men~~ ~~-8.5~~

~~view man~~ ~~-8.5~~

seen man -8.8

view the man -8.9

~~seen some men~~ -9.5

~~view some men~~ -10.2

Hyp	Score	Hyp	Score
-----	-------	-----	-------

seen -3.8 man -3.6

saw -4.0 the man -4.3

view -4.0 some men -6.3

Pruning is Approximate

Appending Strings

Hypotheses are built by string concatenation.

Language model probability changes when this is done:

$$\frac{p(\text{saw the man})}{p(\text{saw})p(\text{the man})} = \frac{p(\text{the} \mid \text{saw})p(\text{man} \mid \text{saw the})}{p(\text{the})p(\text{man} \mid \text{the})}$$

Log probability is part of the score

- ⇒ Scores do not sum
- ⇒ Local decisions may not be globally optimal
- ⇒ Search is hard.

- 1 Decoding problem
- 2 **Cube pruning**
- 3 Incremental

Cube Pruning

man -3.6 the man -4.3 some men -6.3
seen -3.8 Queue
saw -4.0
view -4.0

	Queue
Hypothesis	Sum
→ seen man	$-3.8 - 3.6 = -7.4$

[Chiang, 2007]

Cube Pruning

	man	-3.6	the man	-4.3	some men	-6.3
seen	-3.8	seen man	-8.8	Queue		
saw	-4.0	Queue				
view	-4.0					

	Hypothesis	Sum
→	saw man	$-4.0 - 3.6 = -7.6$
	seen the man	$-3.8 - 4.3 = -8.1$

[Chiang, 2007]

Cube Pruning

	man	-3.6	the man	-4.3	some men	-6.3
seen	-3.8	seen man	-8.8	Queue		
saw	-4.0	saw man	-8.3	Queue		
view	-4.0	Queue				

Queue

Hypothesis	Sum
→ view man	$-4.0 - 3.6 = -7.6$
seen the man	$-3.8 - 4.3 = -8.1$
saw the man	$-4.0 - 4.3 = -8.3$

[Chiang, 2007]

Cube Pruning

	man	-3.6	the man	-4.3	some men	-6.3
seen	-3.8	seen man	-8.8	Queue		
saw	-4.0	saw man	-8.3	Queue		
view	-4.0	view man	-8.5	Queue		

Queue

Hypothesis	Sum
→ seen the man	$-3.8 - 4.3 = -8.1$
saw the man	$-4.0 - 4.3 = -8.3$
view the man	$-4.0 - 4.3 = -8.3$

[Chiang, 2007]

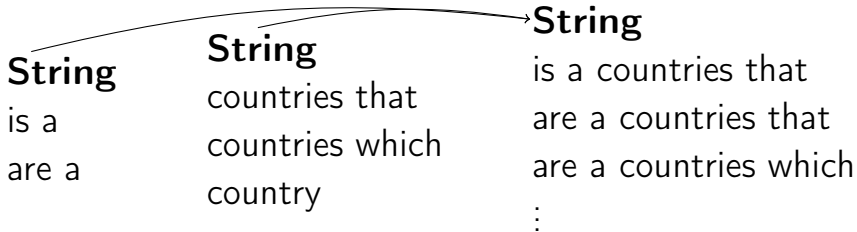
Beam Search

Make every dish. Keep the best k , throw the rest out.

Cube pruning

Combine the best ingredients. Only make k dishes.

Cube Pruning Hypotheses are Atomic



No notion that “a countries” is bad.

Beam Search

Make every dish. Keep the best k , throw the rest out.

Cube pruning

Combine the best ingredients. Only make k dishes.

Coarse-to-Fine

Make small portions, taste, and order the best ones.

Coarse-to-Fine

Decode multiple times, adding detail each time:

Increased LM order, words instead of classes

Detect and prune “a countries” with a bigram LM.

[Zhang et al, 2008; Petrov et al, 2008]

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Requires tuning each pruning pass.

Operates in lock step.

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Can coarse-to-fine be done on the fly?

- 1 Decoding problem
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- 3 **Incremental**

Observations

Competing translations have words in common:
is a, are a

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a + country, a + countries

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Emphasize boundary words

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Coarse-to-Fine

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Incremental

Taste during cooking. Share ingredients.

Boundary Words

- 1 Left-to-right phrase-based: one side
- 2 Bottom-up syntax: both sides

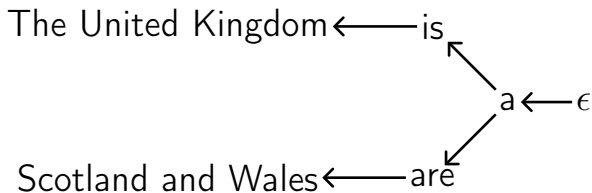
Partial Translations

Plain text

The United Kingdom is a + ...

Scotland and Wales are a + ...

Tree

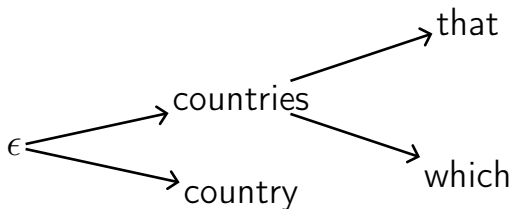


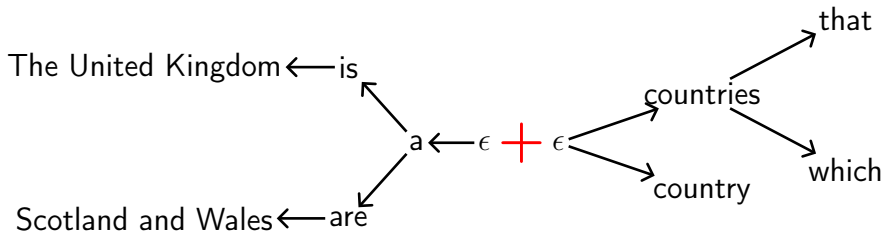
Phrase Continuations

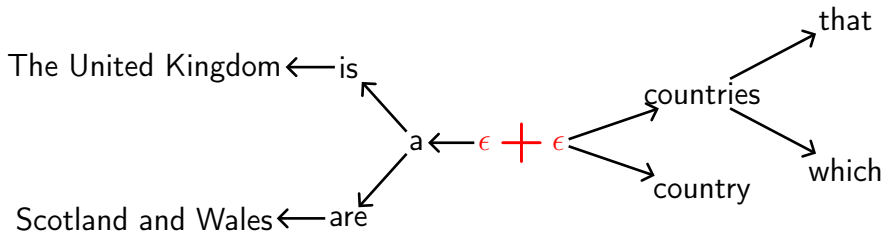
Plain text

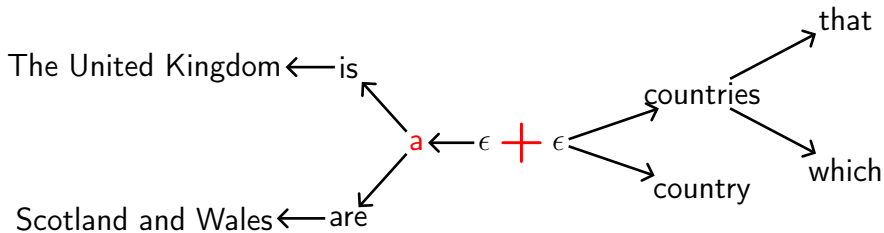
- ... + countries that
- ... + countries which
- ... + country

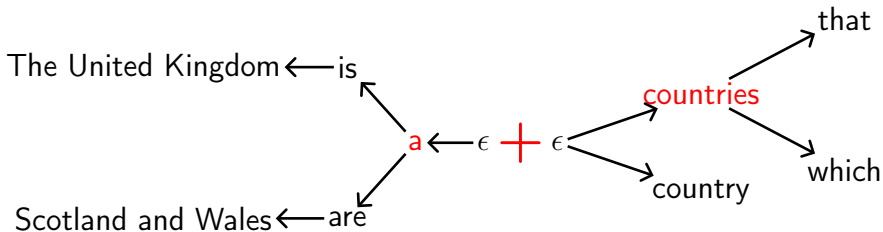
Tree











Does the model like “a + countries”?

Exploring and Backtracking

Does the model like “a + countries”?

Yes Try more detail.

No Consider alternatives.

Exploring and Backtracking

Does the model like “a + countries”?

Yes Try more detail.

No Consider alternatives.

Formally: best-first search with a priority queue.

The queue entry

$"a + \epsilon"$

splits into

Best Child $"a + \text{countries}"$

Other Children $"a + \text{country}"$

Scores come from the best descendant:

$$\text{Score}(a) = \max\{\text{Score}(\text{is } a), \text{Score}(\text{are } a)\}$$

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The language model updates scores:

$$\text{Score}(a + \text{countries}) < \text{Score}(a) + \text{Score}(\text{countries})$$

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Formally: $p(\text{countries} \mid a)$ replaces $p(\text{countries})$

Best-First Algorithm Summary

Populate the queue with $\epsilon + \epsilon$

Loop until k complete options have been found:

Split the top-scoring option

Build a tree from the k complete options

Summary

Translations are assembled from left to right.

Partial translations often share suffixes.

Phrases often share prefixes.

Test suffixes and prefixes before full combinations.

Experiment

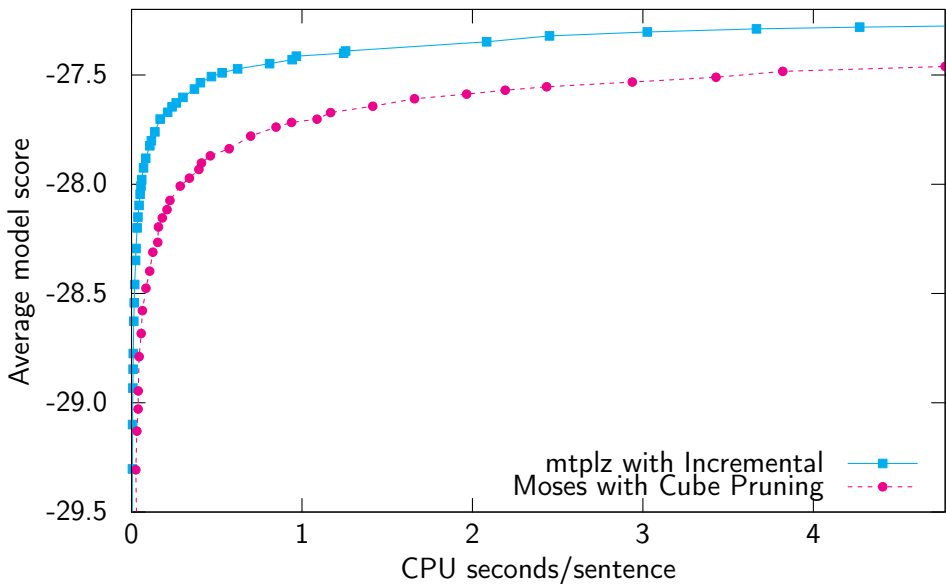
Task Chinese–English

Source Stanford

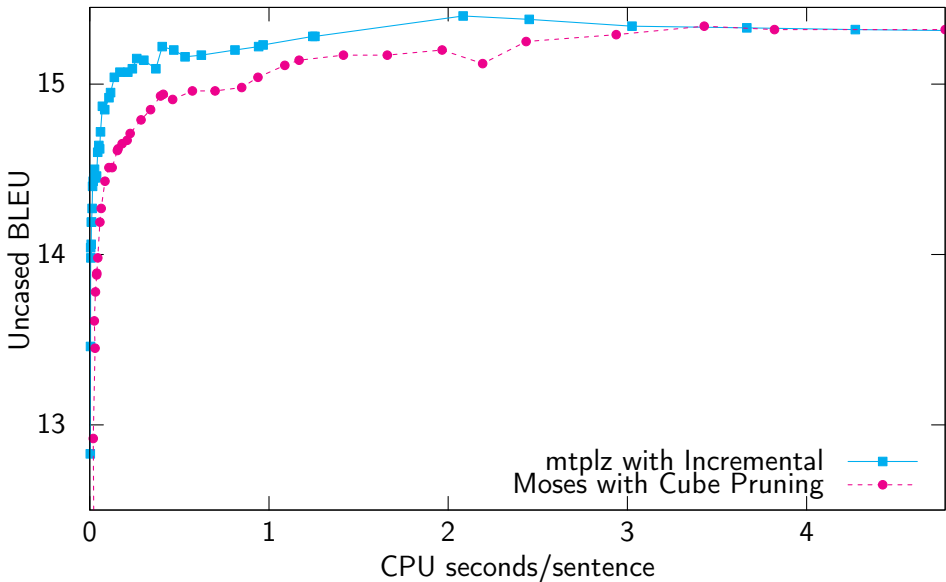
Model Phrase-based

Software My own decoder, mtplz, versus Moses

Phrase-Based Results



Phrase-Based Results



Search

The language model cares most about adjacent words.

Test them first.

Share work for shared words.

Boundary Words

- 1 Left-to-right phrase-based: one side
- 2 **Bottom-up syntax: both sides**

Bottom-Up Syntax: Both Sides

is a $X:NP1$ $\langle /s \rangle$
is a $X:NP1$ that

How do we find the best value to substitute?
Manage words on both sides.

Example Hypotheses

Left State

Right State

countries that maintain diplomatic relations with North Korea .
ties
countries that have an embassy in DPR Korea .
country that maintains some diplomatic ties in North Korea .
nations which has some diplomatic ties with DPR Korea .
country that maintains some diplomatic ties with DPR Korea .

Example Hypotheses

Left State

(countries that

(nations which has

(countries that have

(country

(country

Right State

◇ with North Korea .)

◇ with DPR Korea .)

◇ DPR Korea .)

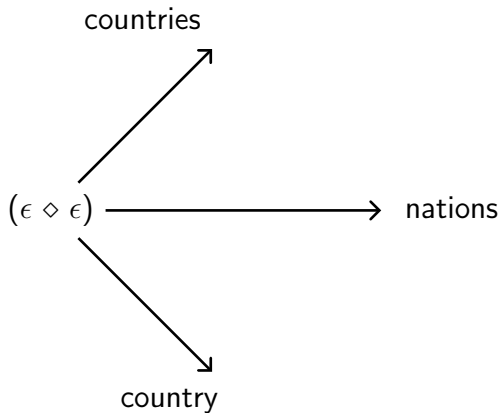
◇ in North Korea .)

◇ with DPR Korea .)

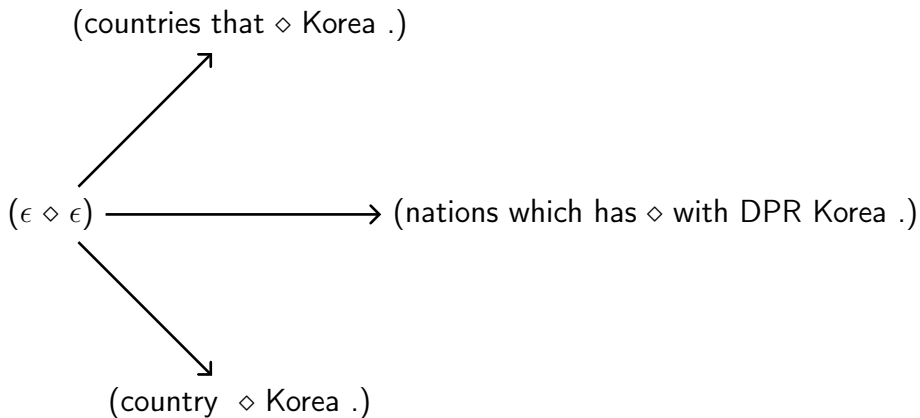
- ◇ Words the language model does not care about

Idea: alternate between left and right side

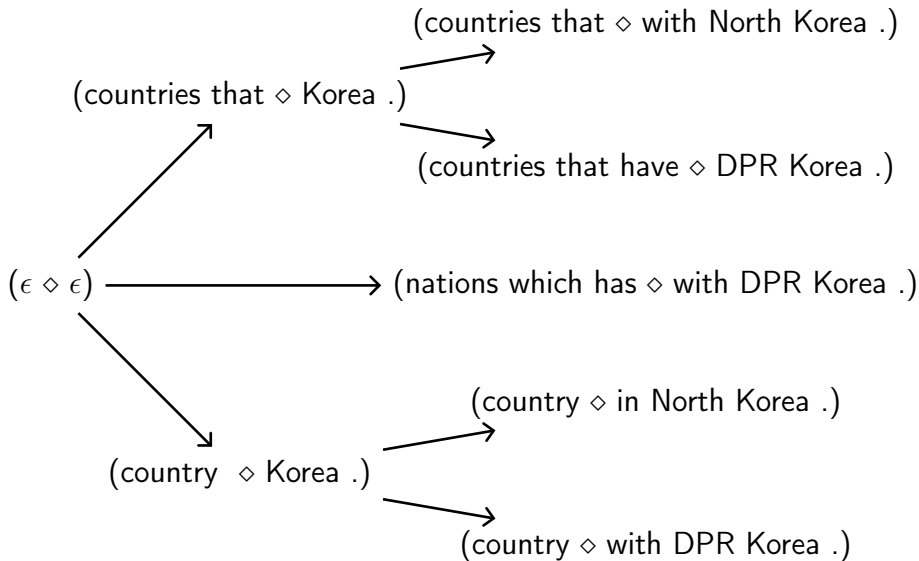
Group by Leftmost Word



Reveal Common Words in Each Group



Alternate Sides Until Tree is Full



Using Rules

is a $X:NP1$ $</s>$

turns into

is a $(\epsilon \diamond \epsilon)$ $</s>$

$X:V1$ the $X:N2$

turns into

$(\epsilon \diamond \epsilon)$ the $(\epsilon \diamond \epsilon)$



$X:V1$



$X:N2$

Exploring and Backtracking

Does the LM like “is a (countries that \diamond Korea .) $\langle /s \rangle$ ”?

Yes Try more detail.

No Consider alternatives.

Exploring and Backtracking

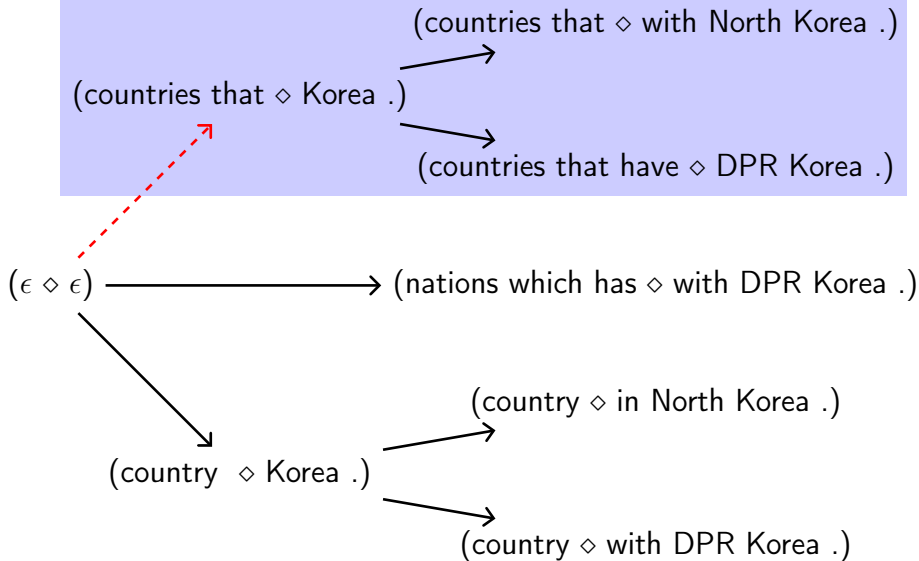
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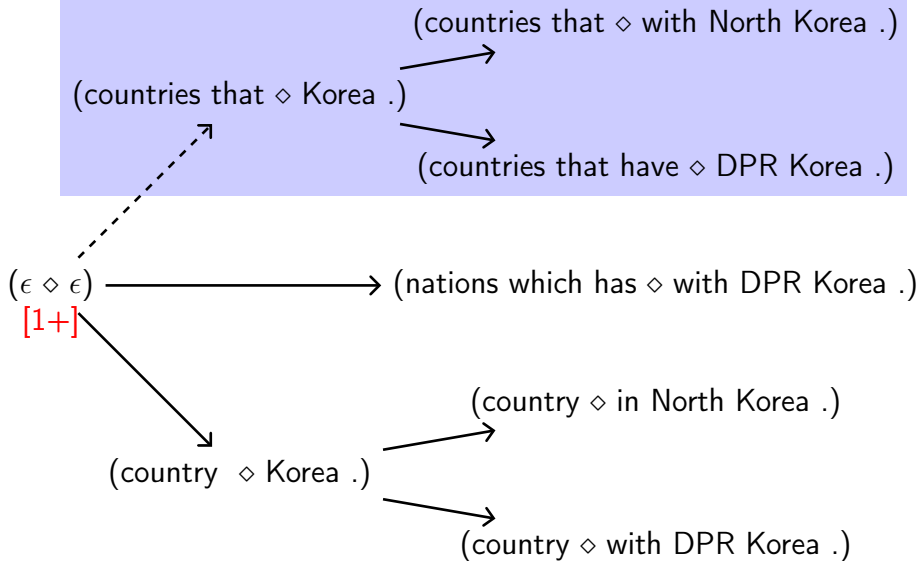
No Consider alternatives.

Formally: priority queue containing breadcrumbs.

Split and Leave Breadcrumbs



Split and Leave Breadcrumbs



The queue entry

is a $(\epsilon \diamond \epsilon) \text{ </s>}$

splits into

Zeroth Child “is a (countries that \diamond Korea .) </s> ”

Other Children “is a $(\epsilon \diamond \epsilon) \text{[1+]} \text{</s>}$ ”

Children except the zeroth.

Best-First Algorithm

Populate the queue with rules like “is a $(\epsilon \diamond \epsilon)$ ”

Loop until k complete options have been found:

Split the top-scoring option, leave a breadcrumb

Build a tree from the k complete options

Syntax

Same as phrase-based, just concatenate on left and right.

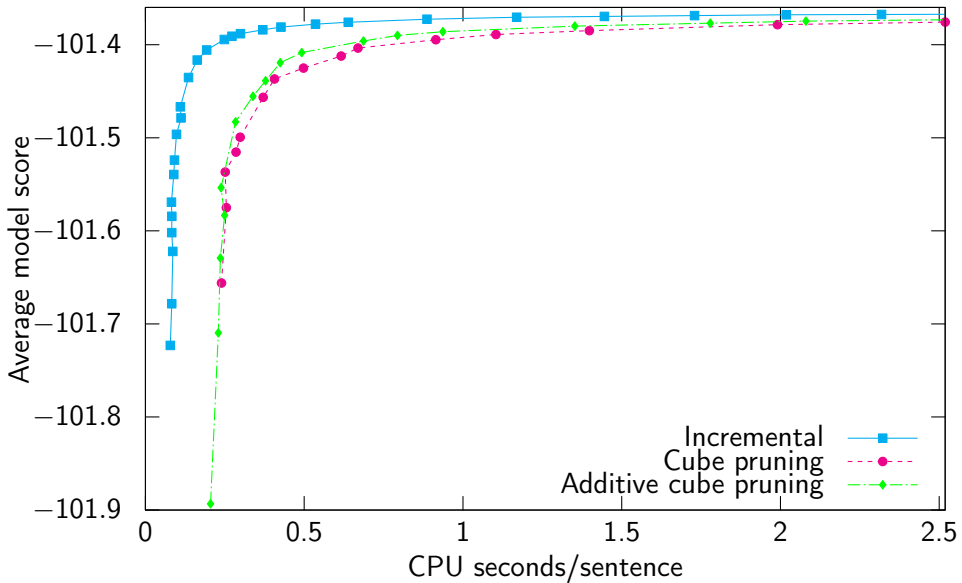
Experiment

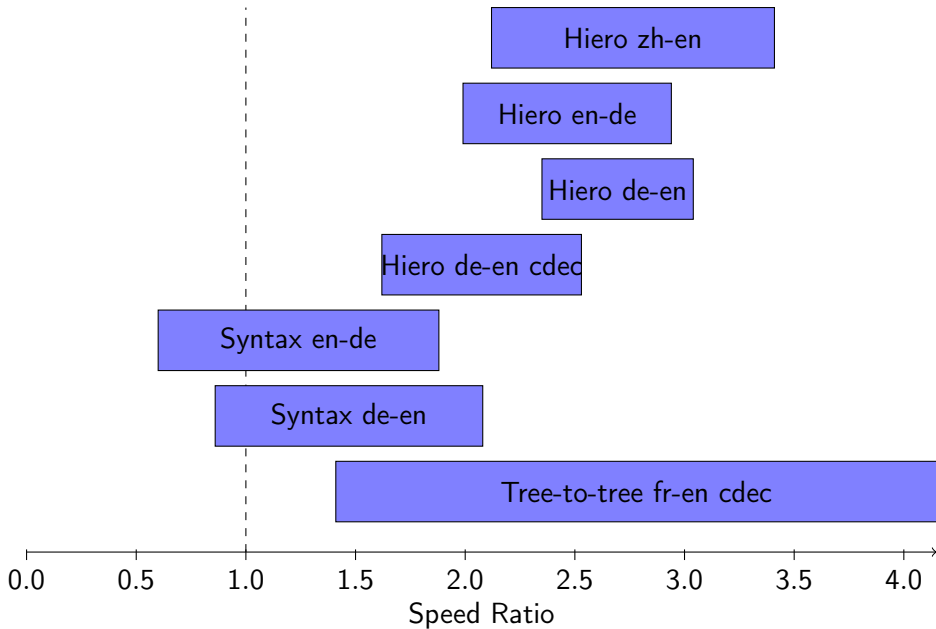
Task WMT 2011 German-English

Model Hierarchical

Decoder Moses

Moses Hierarchical





Incremental

A series of coarse-to-fine estimates.

Continually taste the dish and adjust.

Takeaway

Search limits what translation can do.

Long-distance models like gender and number are harder.

Open the black box.

Language models can produce intermediate scores.