

Assignment 2

Date: _____

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"Number system and computer Arithmetic"

Question No 1

11) Hexa decimal to binary,

2 in binary = 0010

A in binary = 1010

3 in binary = 0011

F in binary = 1111

combine all (2A3F) = (001010001111)

employees ID in hexadecimal to binary is

(0010101000111111)₂

(ii)

Hexa decimal to octal
to get octal convert the
binary into octal;

$$001 = 1$$

$$010 = 2$$

$$100 = 4$$

$$011 = 3$$

$$111 = 7$$

So,

$$(2A3F)_{16} = (12437)_8$$

(Question No 2)

A software application needs to perform arithmetic operation using different no system.

convert binary $(110101)_2$ to decimal

$$(110101)_2 = 1 \times 2^5 + 1 \times 2^4 + 0 \times 2^3 + 1 \times 2^2 + 0$$

$$= 32 + 16 + 0 + 4 + 0 + 1$$

=

$$(110101)_2 = (57)_{10}$$

convert decimal 185 to octal

$$\Rightarrow \text{Divide by } 8: 185 \div 8 = 23 \text{ remainder } 1$$

$$\Rightarrow 23 \div 8 = 2 \text{ remainder } 7 \Rightarrow 2 \div 8 = 0 \text{ remainder } 2$$

$$\text{So, } 185_{10} = (271)_8$$

convert octal $(57)_8$ to binary

$$5 = 101 \text{ and } 7 = 111$$

So,

$$(57)_8 = (101111)_2$$

(Question No 3)

In an embedded system, data is received in octal format but must be displayed in hexadecimal for interpretation by mentoring software. Give the octal number $(725)_8$ to hexadecimal.

octal to binary

$$7 = 111$$

$$2 = 010$$

$$5 = 101$$

So,

$$(725)_8 = (1110101)_2$$

Binary to hexadecimal

$$01110101$$

$$0111 = 7$$

$$0101 = 5$$

So,

$$(725)_8 = (1D5)_{16}$$

(Question No 4)

Binary Addition of $(101010)_2$ and $(110011)_2$:

$$101010 + 110011 = 1010101$$

Binary subtraction (2's complement) of 110011 from 101010 :

101010

001101

111111

$(111111)_2$

(Question No 5)

Binary multiplication of $(1011)_2 \times (110)_2$

1011

$\times 110$

$\hline 0000$

$1011x$

$1011xx$

$\hline 1000010$

$(1000010)_2$

(Question 6)

$$\begin{array}{r} 101 \\ 101 \overline{) 110110} \\ \underline{101} \\ 0011 \\ - 0 \\ \hline 111 \\ 101 \\ \hline 100 \end{array}$$

Quotient $(101)_{22}$, Remainder $(100)_2$

(Question No 7)

Developing software for student for smart traffic light system based on sensor A and B, if sensor A sends $(101011)_2$ and sensor B sends $(110001)_2$ calculate result by subtracting B from A.

subtract $(110001)_2$ from $(101011)_2$ using the 2's complement method.

① find the 2's complement of 110001

2's complement 001110

Add 1: $001110 + 1 = 001111$

② Add $101011 + 001111$

$101011 + 001111 = 111010$

So,

$$(101011)_2 - (110001)_2 = (111010)_2$$

(Question No 8)

convert the following values to hexadecimal.

$$\text{Red} = (170)_{10}$$

$$\text{Green} = (200)_{10}$$

$$\text{Blue} = (180)_{10}$$

$$\text{Red } 170_{10} = 78_{16}$$

$$\text{Green } 200_{10} = C8_{16}$$

$$\text{Blue } 180_{10} = B4_{16}$$

So

The hexadecimal representation is
 $\#78C8B4$

(Question No 9)

compressing large binary value $(1111011010)_2$ into hexadecimal.

Group the binary digits in sets of four from the right.

$$1111011010 = 001111011010 \text{ (adding leading 0)}$$

convert each group to hexadecimal

$$0011 = 3$$

$$1110 = E$$

$$1101 = D$$

$$0 = A$$

$$\text{So, } (1111011010)_2 = (3EDA)_{16}$$

Question No 10

Digital clocks represent time in binary system convert it into Hexadecimal.

① $(10011)_2$ for hours

$(111001)_2$ for min

$$\begin{aligned}(10011)_2 &= 1 \times 2^4 + 0 \times 2^3 + 0 \times 2^2 + 1 \times 2^1 + 1 \times 2^0 \\ &= 16 + 0 + 0 + 2 + 1 \\ &= 19\end{aligned}$$

$(10011)_2$ in decimal = 19 hours

$$\begin{aligned}(111001)_2 &= 1 \times 2^5 + 1 \times 2^4 + 1 \times 2^3 + 0 \times 2^2 + 0 \times 2^1 + 1 \times 2^0 \\ &= 32 + 16 + 8 + 0 + 0 + 1 \\ &= 57\end{aligned}$$

$(111001)_2$ in decimal = 57 min

current time in decimal is 19 hours and 57 mins.

(1) $(10011)_2 = 19$ hours

(2) $(111001)_2 = 57$ minutes.

So

the times is 19 : 57,