

Today's class:

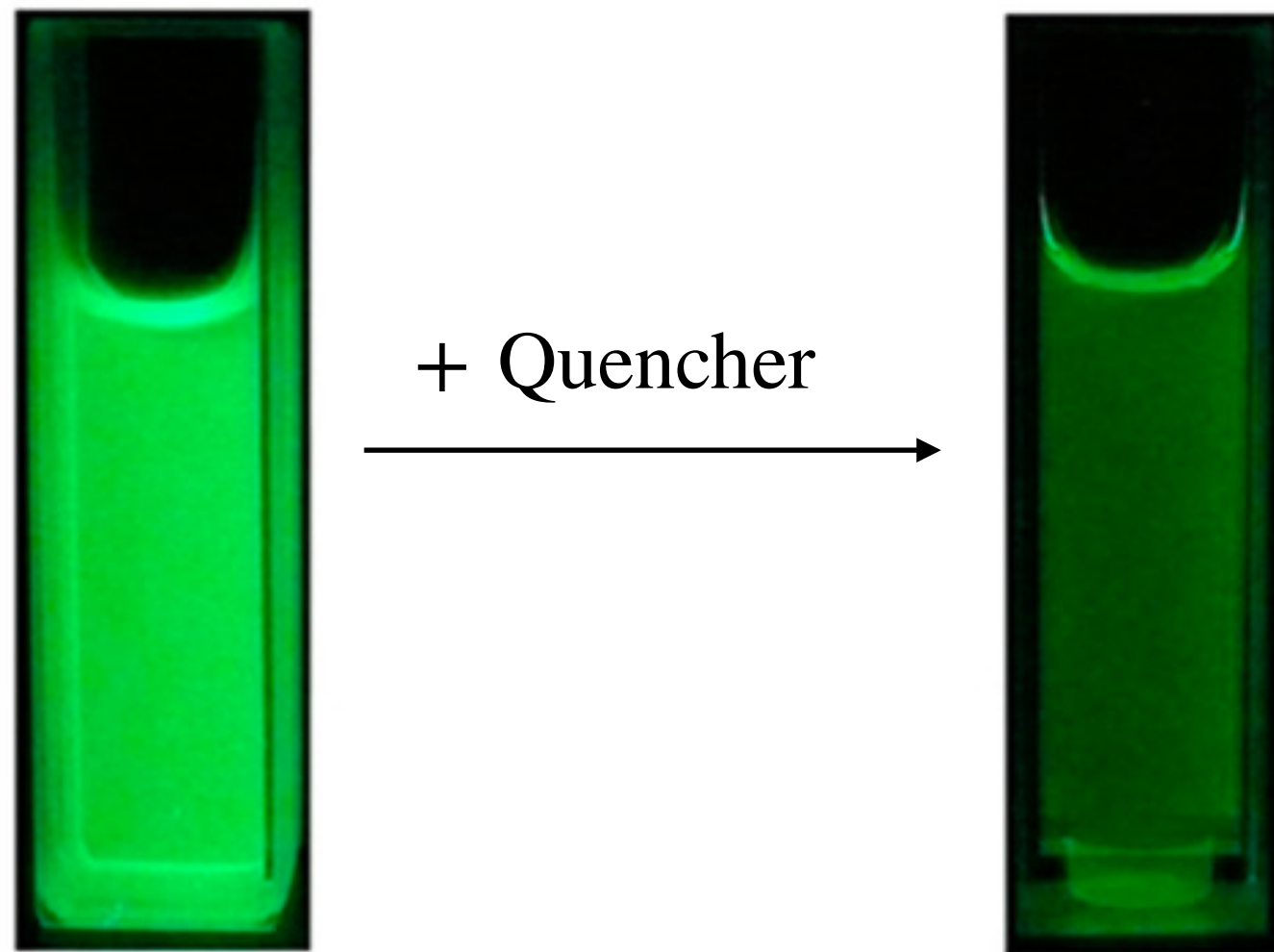
Bioluminescence part 3

*This lecture follows the materials from the following books*

- *Physical Chemistry for Life Sciences, by PW Atkins and JD Paula, Oxford, 2006*

# Quenching of fluorescence

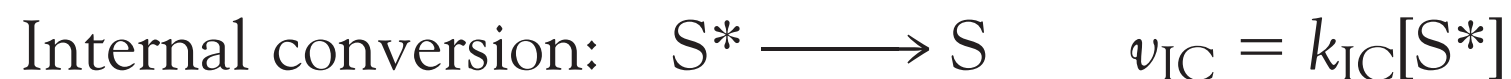
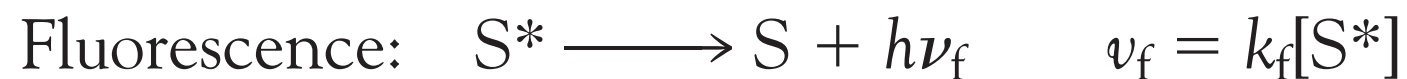
Fluorescence quenching is the non-radiative removal of the excitation energy from a fluorescent molecule and the elimination of its fluorescence.



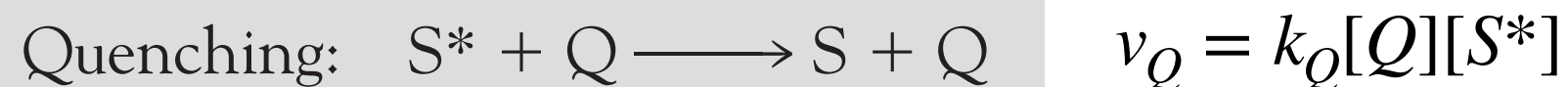
Quenching can be a desired process if focusing on energy transfer or undesired side reaction decreasing the quantum yield of fluorescence

# Quencher opens up a new channel of deactivation

## Regular deactivation channels for fluorescence



The addition of a quencher, Q, opens an additional channel for deactivation of S\*:



# Kinetics of quenching

The steady-state approximation for  $[S^*]$  now gives

$$\frac{d[S^*]}{dt} = I_{\text{abs}} - (k_f + k_{\text{IC}} + k_{\text{ISC}} + k_{\text{IC}} + k_{\text{Q}}[Q])[S^*] = 0$$

and the fluorescence quantum yield in the presence of the quencher is

$$\phi_f = \frac{k_f}{k_f + k_{\text{ISC}} + k_{\text{IC}} + k_{\text{Q}}[Q]}$$

We can identify the fluorescence lifetime in the presence of quencher as

$$\tau = 1/(k_f + k_{\text{ISC}} + k_{\text{IC}} + k_{\text{Q}}[Q])$$

When  $[Q] = 0$ , the quantum yield is

$$\phi_{f,0} = \frac{k_f}{k_f + k_{\text{ISC}} + k_{\text{IC}}}$$

← Quantum yield without the quencher

## Kinetics of quenching ...contd

It follows that

$$\begin{aligned}\frac{\phi_{f,0}}{\phi_f} &= \left( \frac{k_f}{k_f + k_{ISC} + k_{IC}} \right) \times \left( \frac{k_f + k_{ISC} + k_{IC} + k_Q[Q]}{k_f} \right) \\ &= \frac{k_f + k_{ISC} + k_{IC} + k_Q[Q]}{k_f + k_{ISC} + k_{IC}} \\ &= 1 + \frac{k_Q}{k_f + k_{ISC} + k_{IC}} [Q]\end{aligned}$$

Using definition of  $\tau_0$ ,

$$\tau_0 = \frac{1}{k_f + k_{ISC} + k_{IC}}$$

$$\frac{\phi_{f,0}}{\phi_f} = 1 + \tau_0 k_Q [Q]$$

Stern-Volmer equation

Lifetime of fluorescence  
without the quencher

Rate of quenching

Molar conc of quencher

# Stern-Volmer plot

Stern-Volmer equation

$$\frac{\phi_{f,0}}{\phi_f} = 1 + \tau_0 k_Q [Q]$$

Can also be applied for phosphorescence quenching

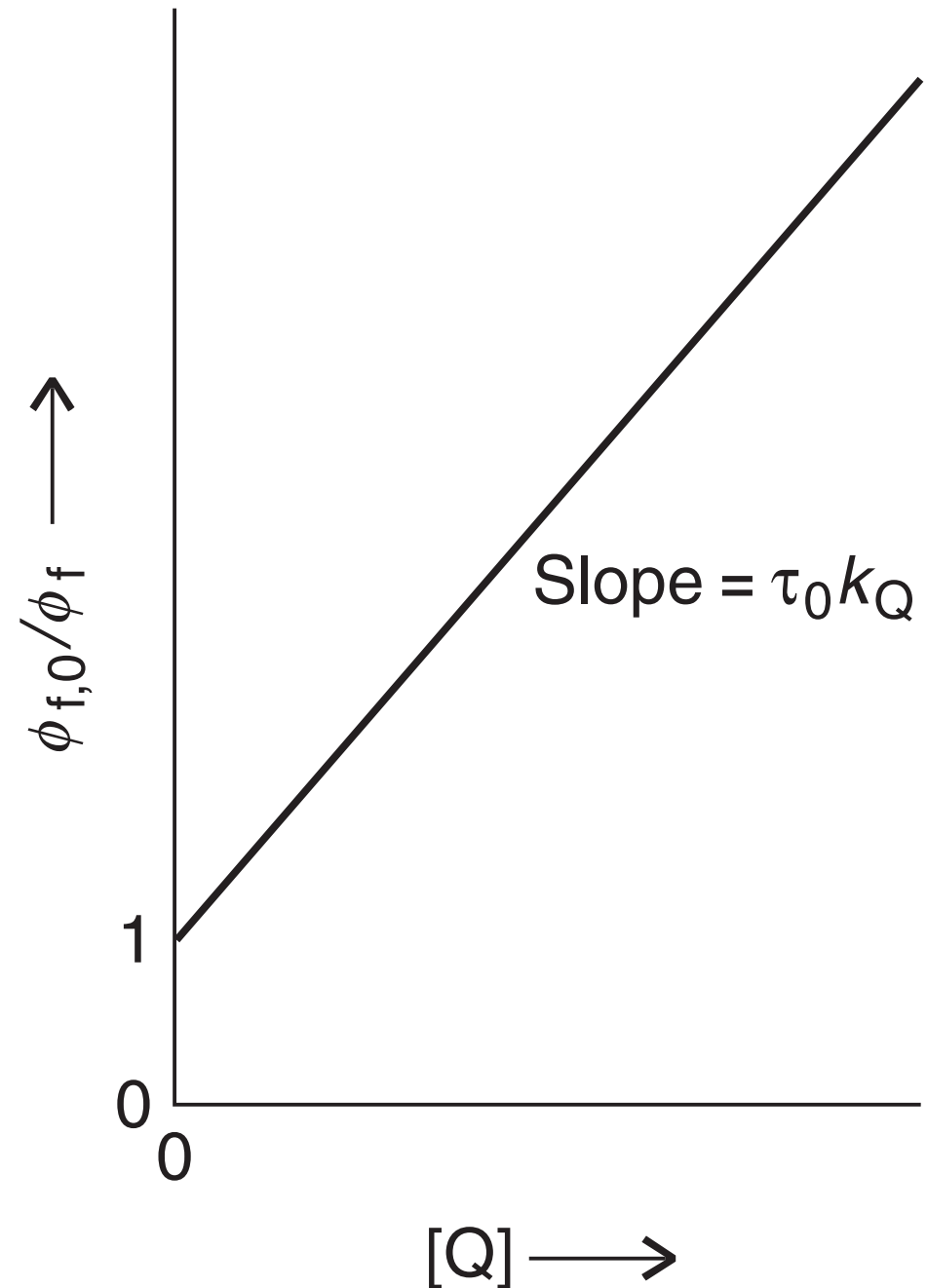
The SV formula sometimes written as

$$\frac{I_{F,0}}{I_F} = 1 + K_{SV}[Q]$$

Fluorescence  
intensity

where  $K_{SV} = \tau_0 k_Q$

Called the Stern-Volmer constant, unit =  $M^{-1}$



# Determination of rate constant of quenching from fluorescence lifetime

The quenching of tryptophan fluorescence by dissolved O<sub>2</sub> gas was monitored by measuring emission lifetimes at 348 nm in aqueous solutions. Determine the quenching rate constant for this process from the following data:

[O <sub>2</sub> ]/(10 <sup>-2</sup> mol L <sup>-1</sup> )	0	2.3	5.5	8	10.8
τ/(10 <sup>-9</sup> s)	2.6	1.5	0.92	0.71	0.57

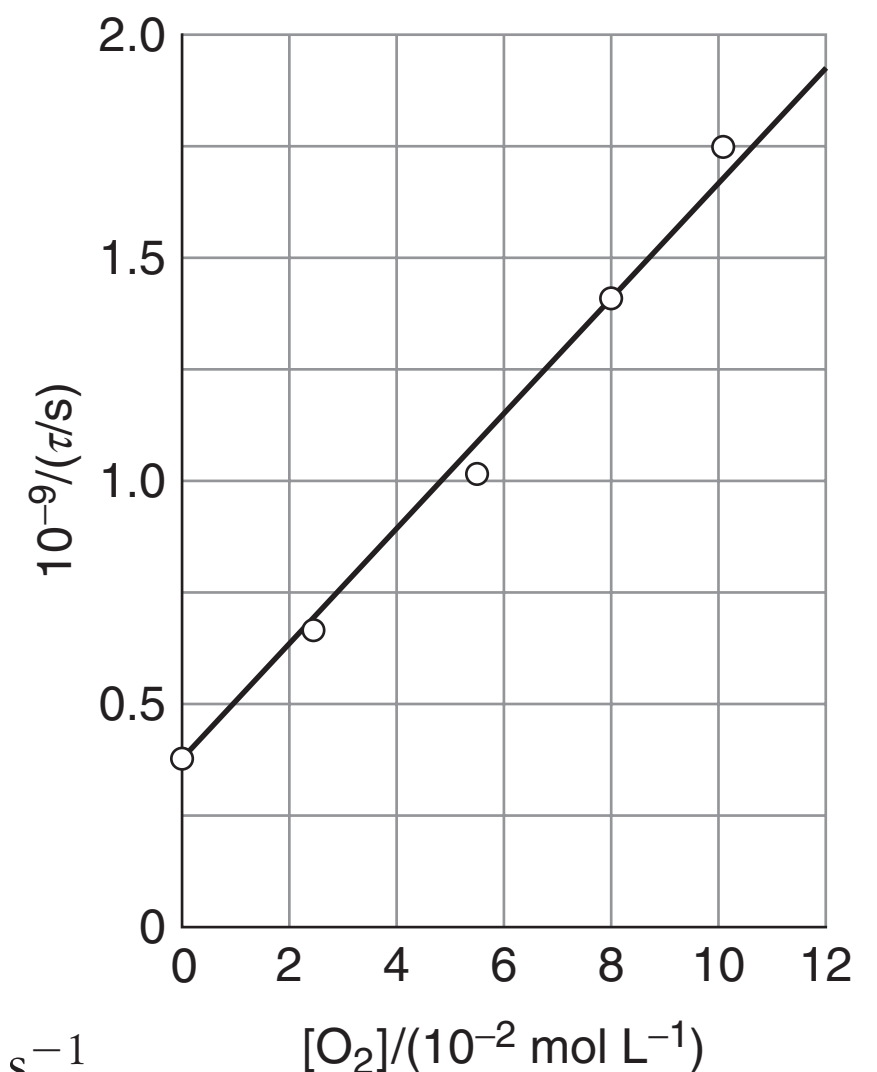
From previous results, we know

$$\tau_0 = \frac{\phi_{f,0}}{k_f} \quad \tau = \frac{\phi_f}{k_f}$$

$$\Rightarrow \frac{\phi_{f,0}}{\phi_f} = \frac{\tau}{\tau_0}$$

$$\frac{1}{\tau} = \frac{1}{\tau_0} + k_Q[Q]$$

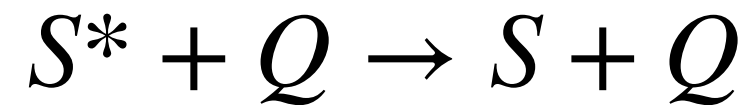
The slope of the line is  $1.3 \times 10^{10}$ , so  $k_Q = 1.3 \times 10^{10} \text{ L mol}^{-1} \text{ s}^{-1}$ .



# Mechanisms of quenching

Three common mechanisms of deactivation of singlet or triplet state

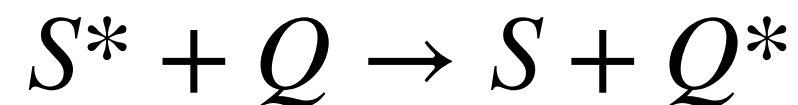
Collisional deactivation



Electron transfer

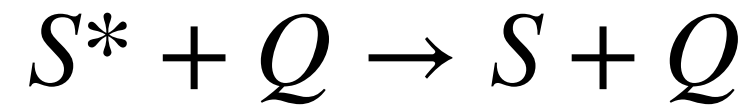


Resonance energy transfer



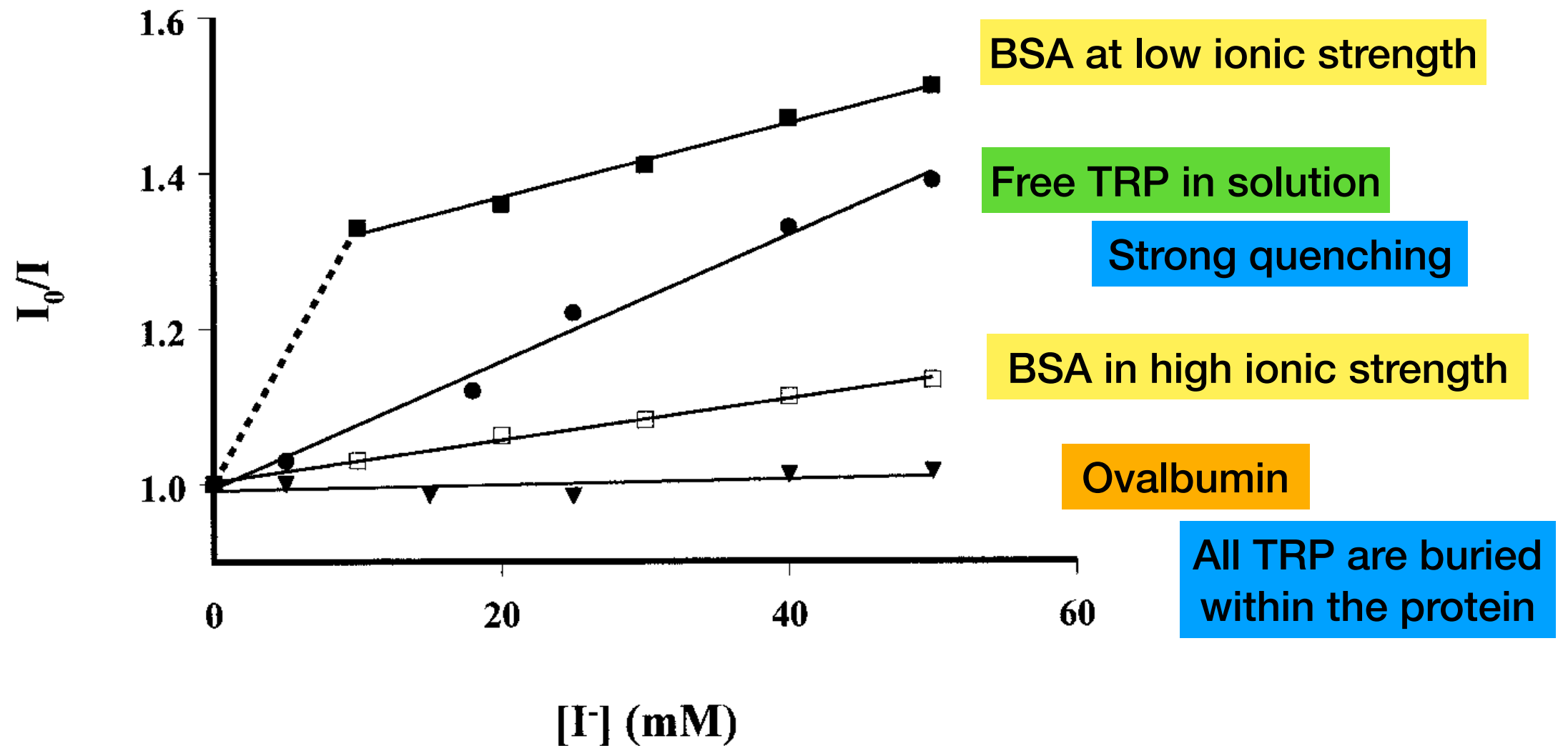


## Quenching of fluorescence by collision



- Collisional quenching is particularly efficient when the quencher is a heavy species, such as iodide ion
- Here the quencher receives energy from the fluorescing species and then decays non-radiatively to the ground state.
- Used to determine the accessibility of specific locations on protein

## Quantification of accessibility of amino acids through fl. quenching by iodide



Moeller et al BIOCHEMISTRY AND BIMOLECULAR BIOLOGY EDUCATION, 2002

The biphasic behavior of BSA-TRP fluorescence quenching shows there are two TRP populations with different accessibility

# Modified Stern-Volmer equation for biphasic quenching

BSA has two TRP residues which are non-identical

We can write  $\phi_f = \phi_f^1 + \phi_f^2$  for two residues

$$\Rightarrow \phi_f = \frac{\phi_{f,0}^1}{1 + K_{SV}^1[Q]} + \frac{\phi_{f,0}^2}{1 + K_{SV}^2[Q]}$$

If residue 2 is not accessible  $\Rightarrow \phi_f = \frac{\phi_{f,0}^1}{1 + K_{SV}^1[Q]} + \phi_{f,0}^2$

In absence of quencher,  $\phi_{f,0} = \phi_{f,0}^1 + \phi_{f,0}^2$

$$\Rightarrow \phi_f = \frac{\phi_{f,0}^1}{1 + K_{SV}^1[Q]} + \phi_{f,0} - \phi_{f,0}^1$$

## Modified Stern-Volmer equation for biphasic quenching ...*contd*

$$\phi_f = \frac{\phi_{f,0}^1}{1 + K_{SV}^1[Q]} + \phi_{f,0} - \phi_{f,0}^1$$

Reorganization gives:

$$\frac{\phi_{f,0}}{\Delta\phi_f} = \frac{1}{f_a} \frac{1}{K_{SV}^1[Q]} + \frac{1}{f_a} \quad \text{where } \Delta\phi_f = \phi_{f,0} - \phi_f$$

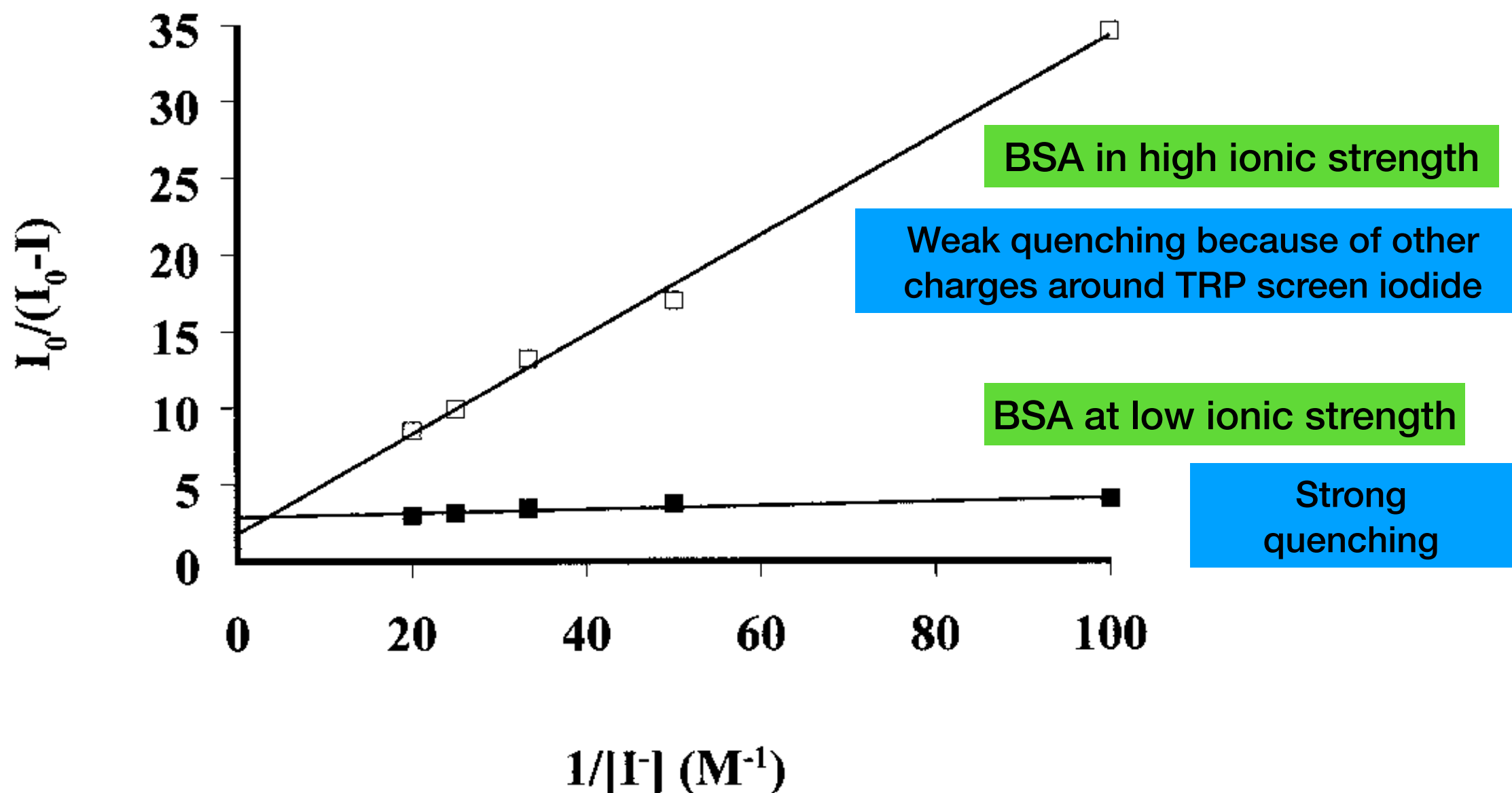
where  $f_a = \frac{\phi_{f,0}^1}{\phi_{f,0}}$  the accessible fraction

the inaccessible fraction  $f_b = 1 - f_a = \frac{\phi_{f,0} - \phi_{f,0}^1}{\phi_{f,0}} = \frac{\phi_{f,0}^2}{\phi_{f,0}}$

Thus a plot of  $\phi_{f,0}/\Delta\phi_f$  vs  $1/[Q]$  should be a straight line, providing the SV constant  $K_{SV}^1$  for accessible TRP from slope and the accessible fraction from intercept

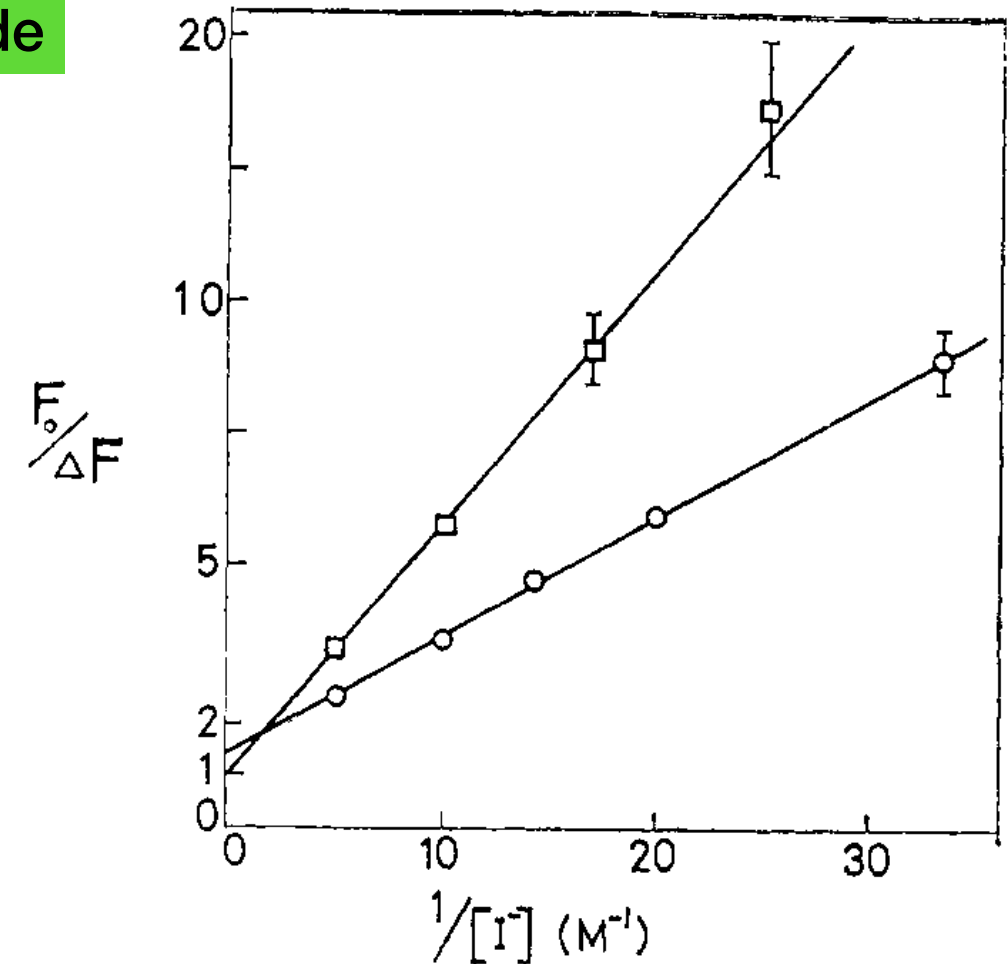
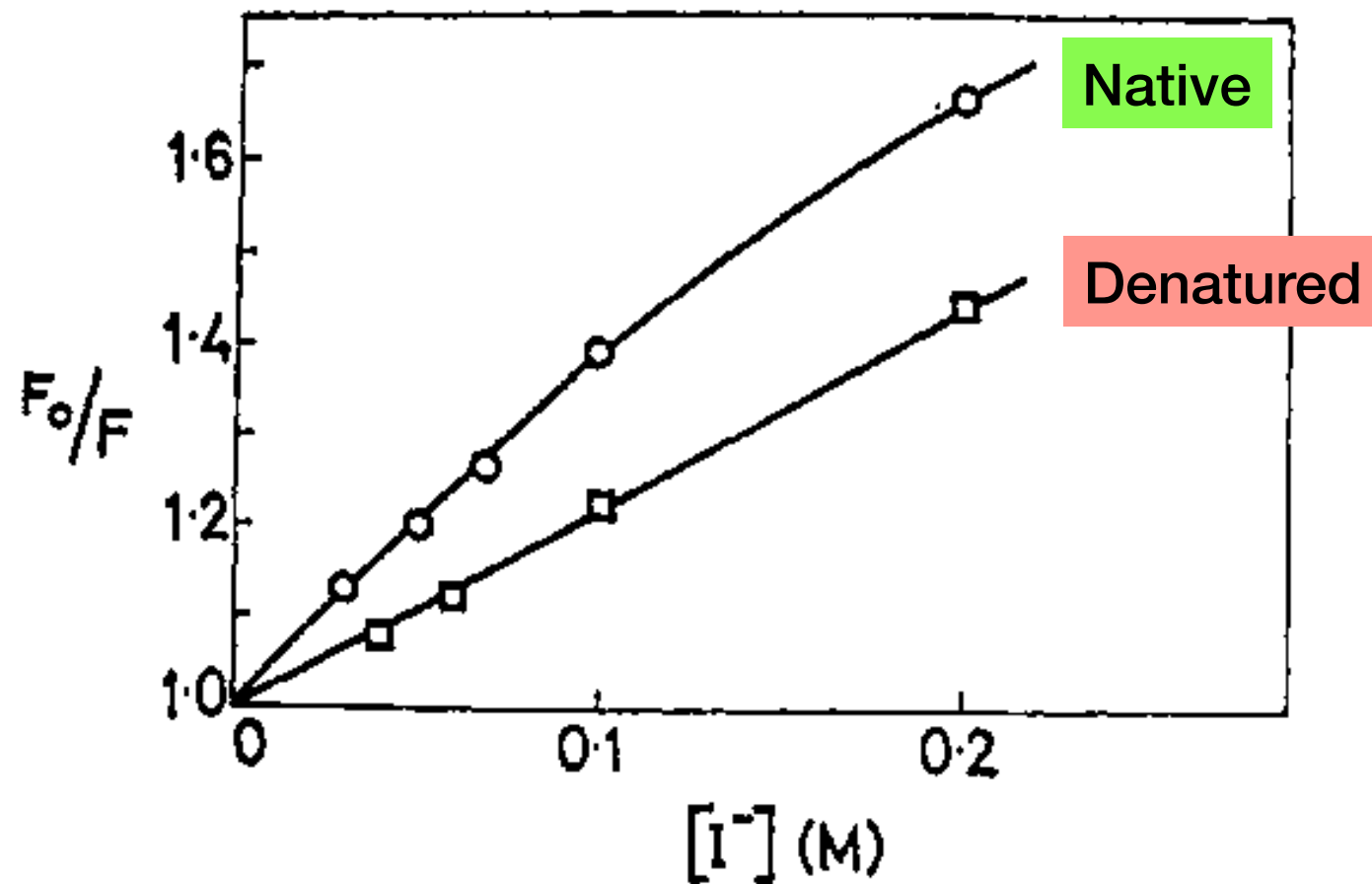
## Modified Stern-Volmer equation for biphasic quenching ...*contd*

Modified Stern-Volmer plot provides quenching information about just the accessible fraction



## Modified Stern-Volmer was first proposed for denaturation of Lysozyme

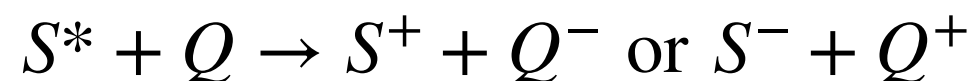
### TRP fluorescence quenching of Lysozyme by iodide



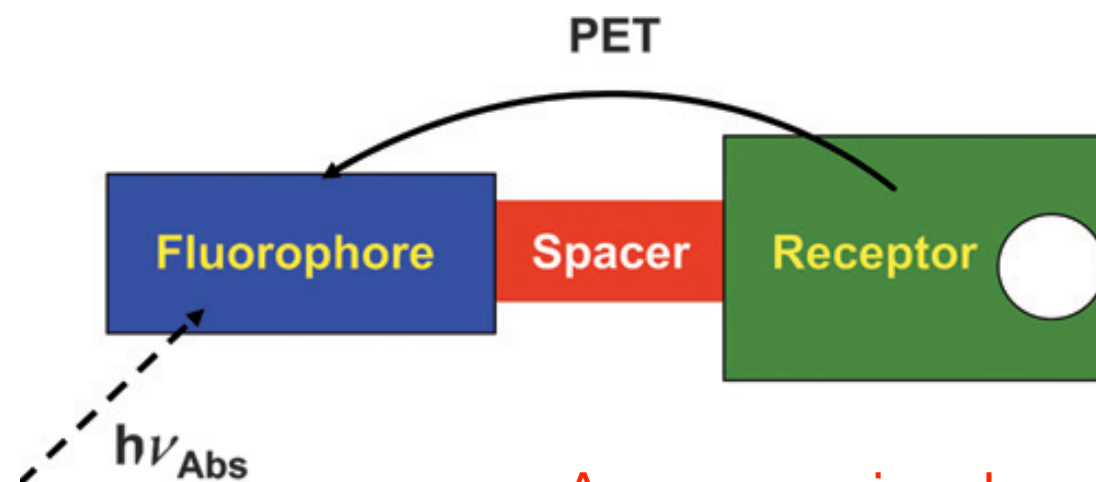
Lehrer et al Biochemistry 1971

- Here the non-linearity of the native case indicates accessible and inaccessible TRP
- Upon unfolding, all the TRP are exposed to quenching so regular SV plot is observed

# Quenching of fluorescence by photo induced electron transfer



Quenching of fluorescence due to PET between the fluorophore and a receptor/donor in vicinity

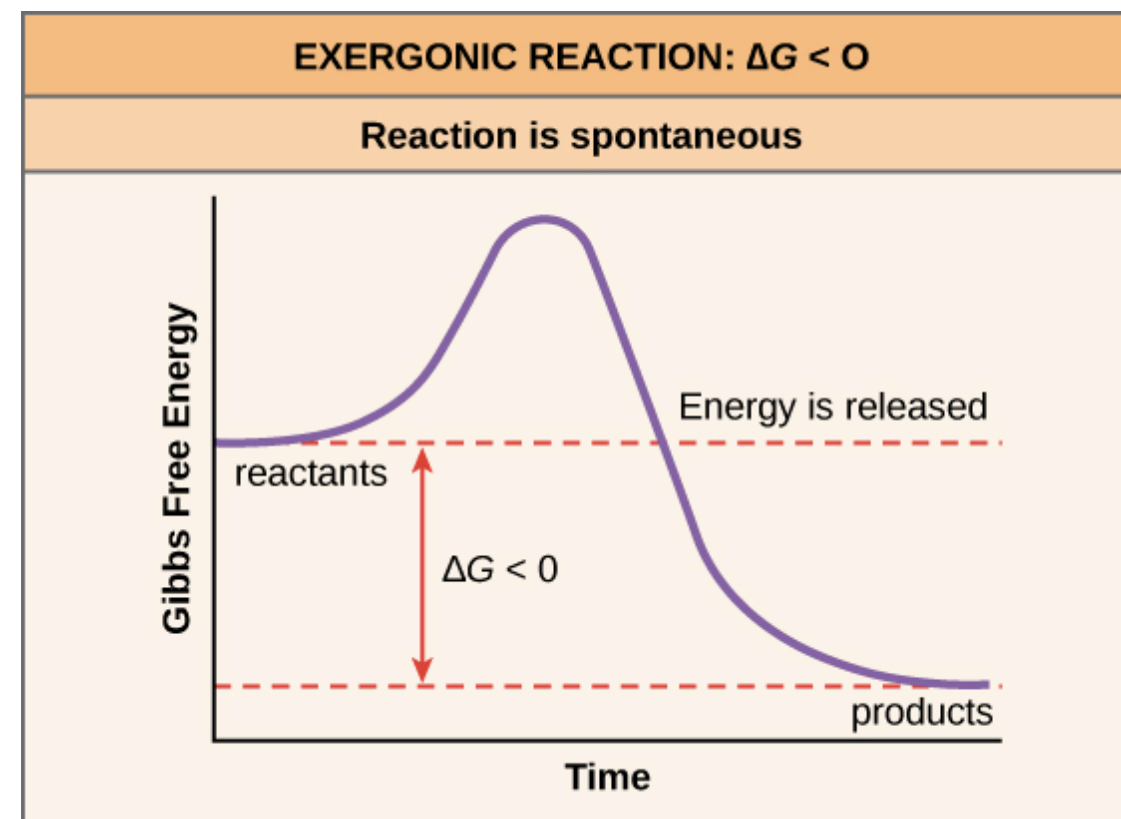


As spacer size decreases PET become more efficient and quenching increases

- Distance between the donor and acceptor

- Free energy for reaction

- $\Delta G$  for PET has to be  $-ve$
- As magnitude of  $\Delta G$  increases PET become more efficient
- Rate of PET also increases if the energy cost for molecular rearrangement of the donor fluorophore and the receptor is matched by  $\Delta G$

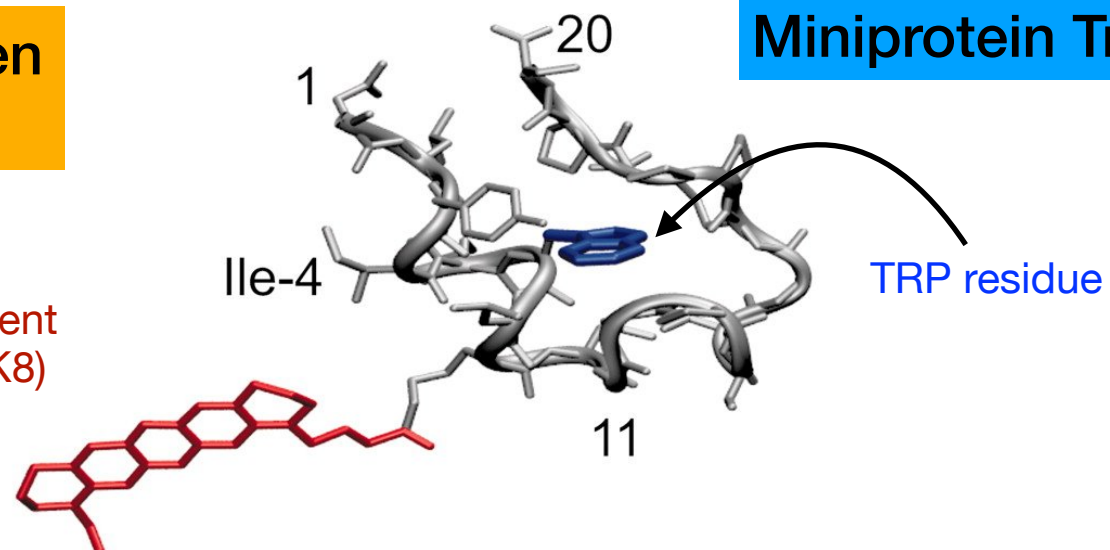


# Quenching by PET example

Here PET happens when the protein unfolds

$e^-$  acceptor

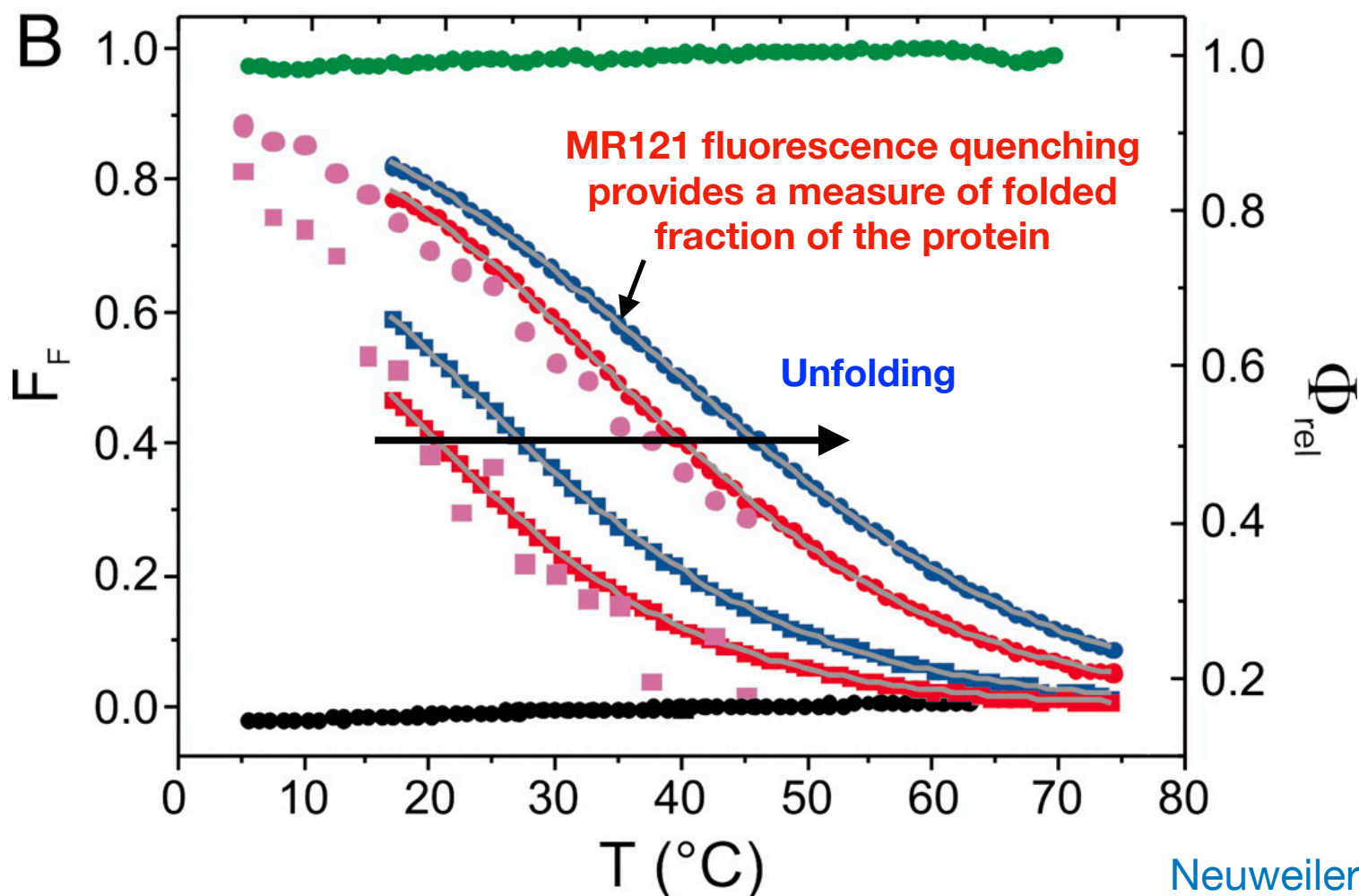
MR121 (fluorescent probe label on K8)



Miniprotein Trp-cage

Smallest protein that can fold

$e^-$  donor



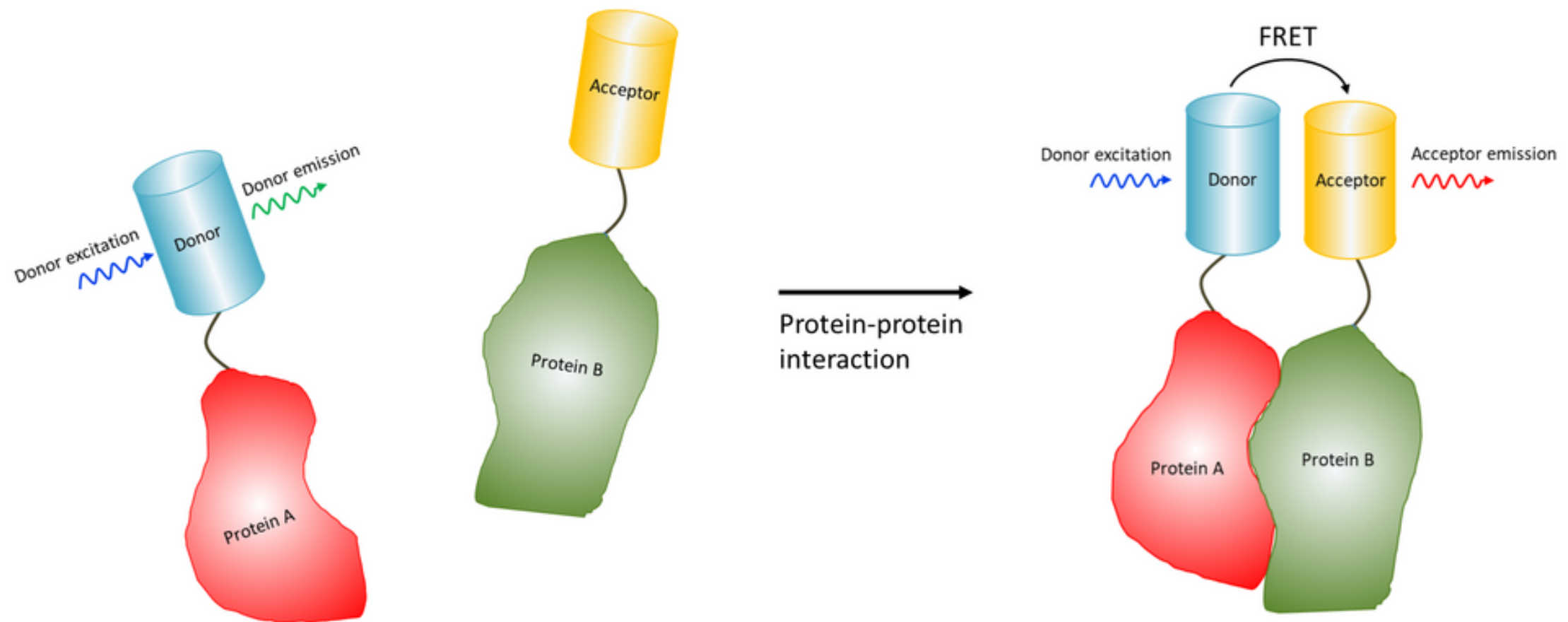
Folded fraction



# Quenching of fluorescence by FRET

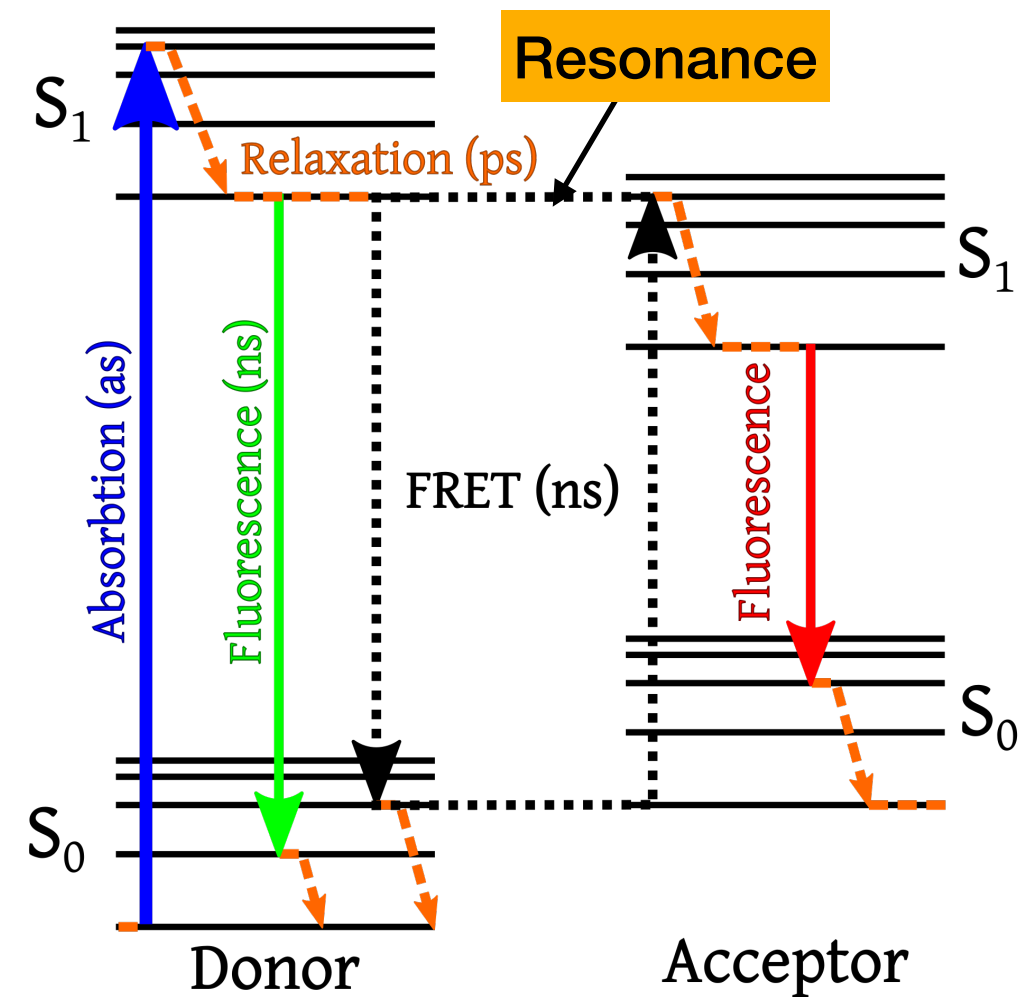
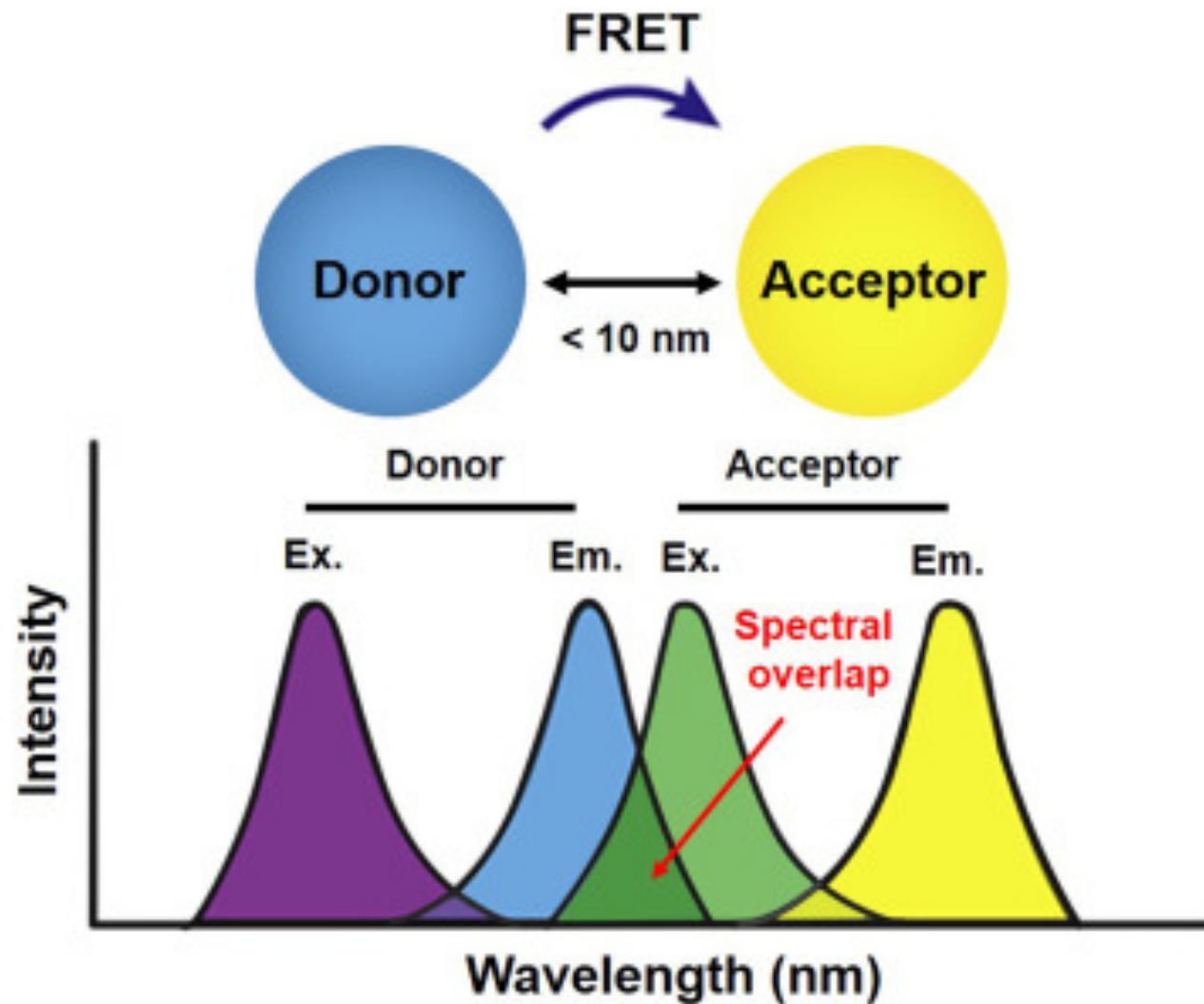
FRET = Fluorescence Resonance Energy Transfer

Excited donor to ground-state acceptor energy transfer when they are close



FRET is an intrinsic probe for protein-protein interactions

# Förster's theory of FRET



Success of FRET is high if

- The energy donor and acceptor are separated by a short distance (of the order of few nm)
- Photons emitted by the excited state of the donor can be absorbed directly by the acceptor.

# Förster's theory of FRET

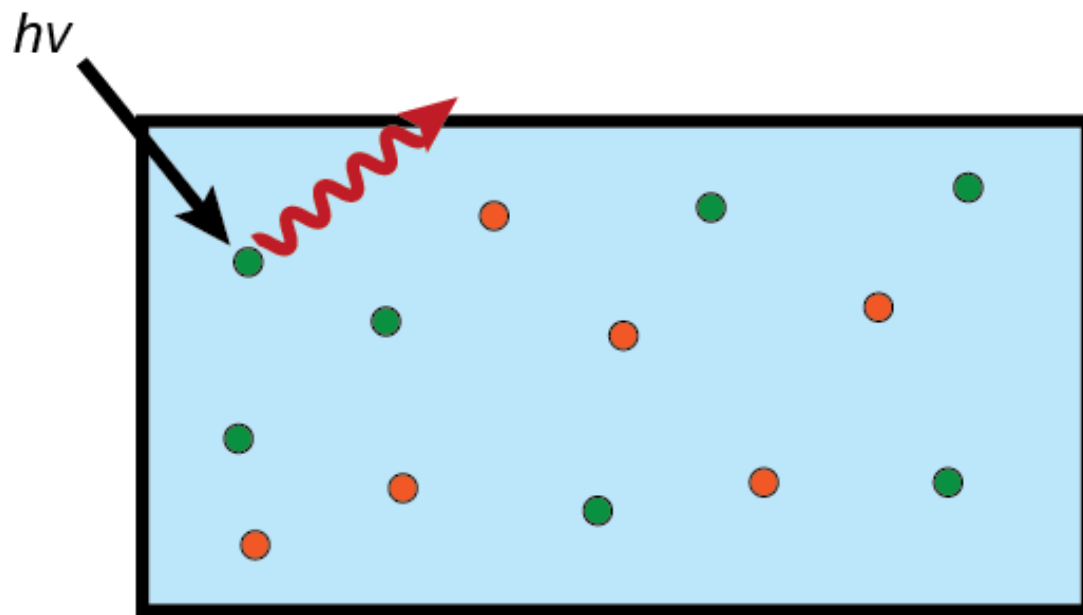
Efficiency of FRET is given by

$$\epsilon_{fret} = \frac{R_0^6}{R_0^6 + R^6}$$

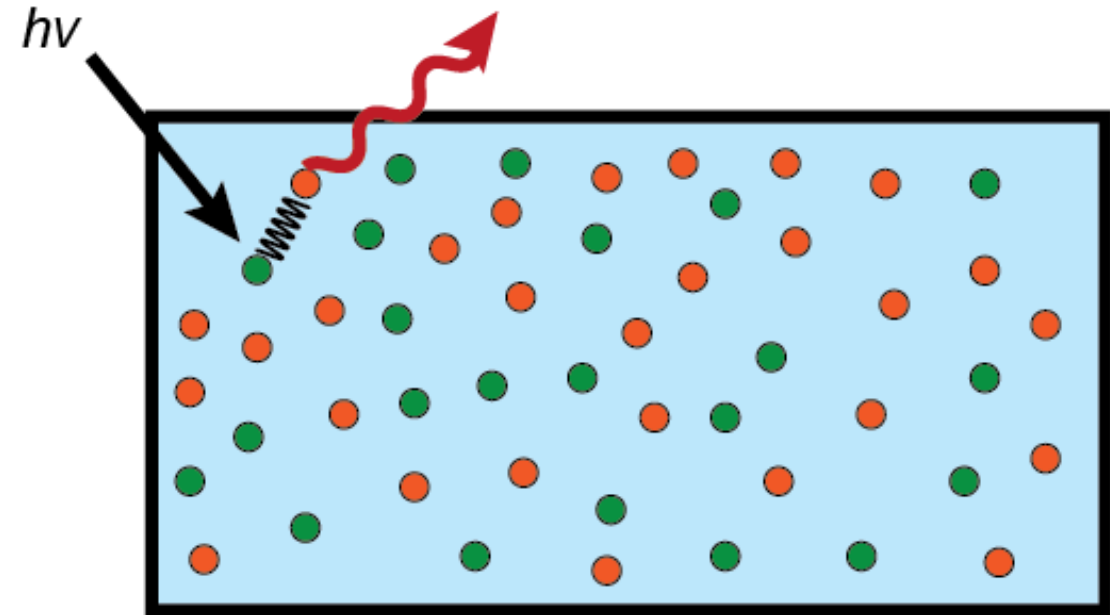
Where  $R_0$  = Förster's distance or radius specific to donor-acceptor pairs, obtained from quantum mechanical calculations

Significance of  $R_0$  = donor-acceptor distance for which the FRET efficiency is 50%

# Concentration dependence of FRET



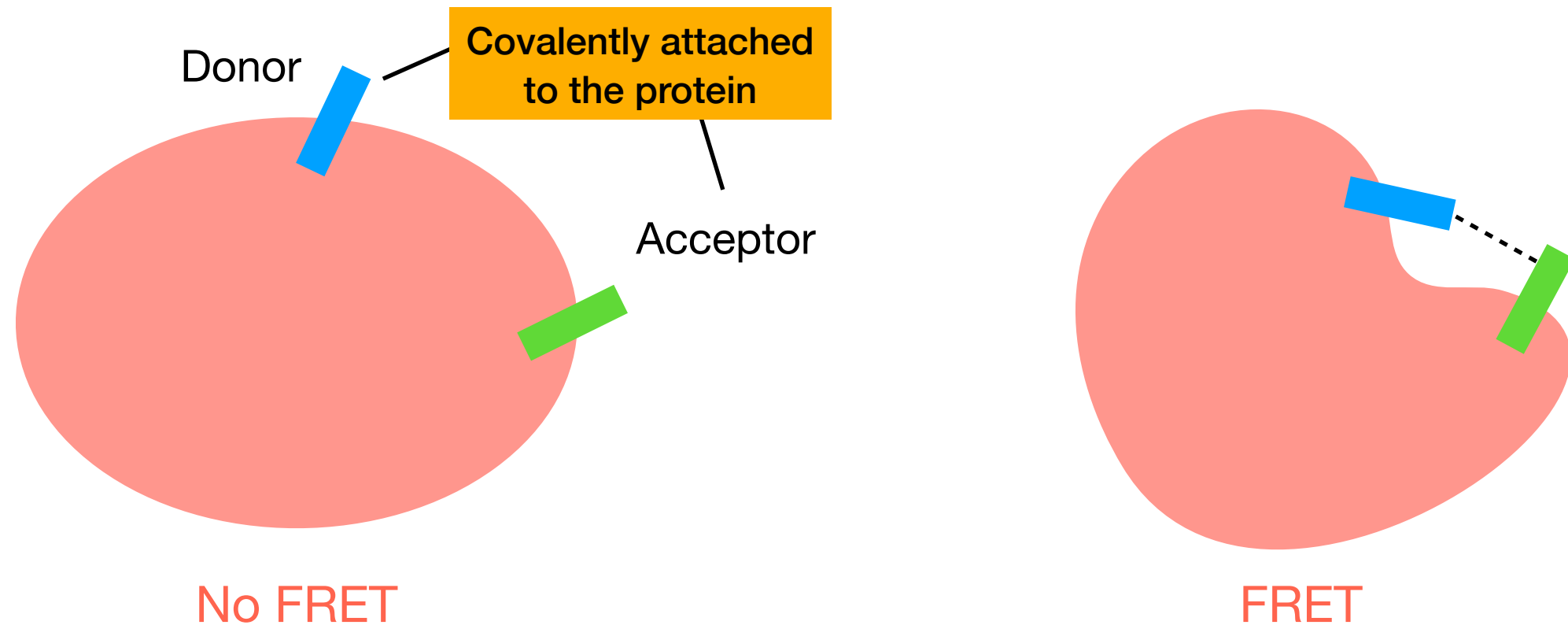
Low concentration,  
large  $R$ , no FRET



High concentration,  
small  $R$ , FRET

With increase in concentrations of the donor and acceptor FRET may increase as their mutual distances become smaller

# Applications of FRET in biology



- From the FRET efficiency we can measure the distance and hence study structural changes of the protein
- Even dynamic conformational changes can be tracked through FRET
- CFP-YFP FRET pairs have been used to study cell apoptosis also as cell death reduces the FRET efficiency
- Cell surface receptor clustering has been studied through FRET