1 Hadamard

Algorithm 1 CSR Hadamard Computation

```
Require: A(m \times n), B(m \times n)
Ensure: C(m \times n)
 1: c\_pos \leftarrow 0
 2: for row = 0 to m - 1 do
        C\_IA[row] \leftarrow c\_pos
        col\_A\_pivot \leftarrow A\_IA[row]
 4:
        col\_B\_pivot \leftarrow B\_IA[row]
 5:
        col\_A\_limit \leftarrow A\_IA[row + 1]
 6:
        col\_B\_limit \leftarrow B\_IA[row + 1]
 7:
        A\_line\_size \leftarrow col\_A\_limit - col\_A\_pivot
 8:
         B\_line\_size \leftarrow col\_B\_limit - col\_B\_pivot
 9:
        if A\_line\_size > B\_line\_size then
10:
11:
             for col\_A\_pivot to col\_A\_limit - 1 do
12:
                 for col\_B\_pivot to col\_B\_limit - 1, such that (A\_JA[col\_A\_pivot] < B\_JA[col\_B\_pivot]) do
                     + + col\_B\_pivot
13:
                 end for
14:
                if A\_JA[col\_A\_pivot] == B\_JA[col\_B\_pivot] then
15:
16:
                     C\_csr\_values[c\_pos] \leftarrow A\_csr\_values[c\_pos] \times B\_csr\_values[c\_pos]
                     C\_JA[c\_pos] \leftarrow col\_A\_pivot
17:
                     ++c_{-}pos
18:
                 end if
19:
20:
                 + + col\_A\_pivot
             end for
21:
22:
        else
             for col\_B\_pivot to col\_B\_limit - 1 do
23:
                 for col\_A\_pivot to col\_A\_limit - 1, such that (A\_JA[col\_A\_pivot] < B\_JA[col\_B\_pivot]) do
24:
                     + + col\_A\_pivot
25:
                 end for
26:
27:
                if A_{-}JA[col_{-}A_{-}pivot] == B_{-}JA[col_{-}B_{-}pivot] then
                     C\_csr\_values[c\_pos] \leftarrow A\_csr\_values[c\_pos] \times B\_csr\_values[c\_pos]
28:
29:
                     C\_JA[c\_pos] \leftarrow col\_B\_pivot
                     ++c\_pos
30:
                 end if
31:
32:
                 + + col\_B\_pivot
33:
             end for
        end if
34:
35: end for
36: C\_IA[at\_row] = c\_pos
```

2 Kathri-Rao

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Algorithm 2 CSR Kathri-Rao Computation
Require: A(m \times n), B(o \times n)
Ensure: C((m \times o) \times n)
 1: A1 \leftarrow A^T
 2: B1 \leftarrow B^T
Require: A1(n \times m), B1(n \times o)
 3: c1\_pos \leftarrow 0
 4: for at\_column = 0 to number\_columns - 1 do
        C1\_IA[at\_column] \leftarrow c1\_pos
        line\_A\_pivot \leftarrow A1\_IA[at\_column]
        line\_B\_pivot \leftarrow B1\_IA[at\_column]
 7:
        line\_A\_limit \leftarrow A1\_IA[at\_column + 1]
 8:
        line\_B\_limit = B1\_IA[at\_column + 1]
 9:
10:
        for line\_A\_pivot = 0 to line\_A\_limit - 1 do
            line\_B\_pivot \leftarrow B1\_IA[at\_column]
11:
            for line\_B\_pivot = 0 to line\_B\_limit - 1 do
12:
                 C\_csc\_values[c1\_pos] \leftarrow A\_csc\_values[c1\_pos] \times B\_csc\_values[c1\_pos]
13:
14:
                 C1\_JA[c1\_pos] \leftarrow line\_A\_pivot \times line\_B\_pivot
                 ++c1-pos
15:
            end for
16:
        end for
17:
18: end for
19: C1\_IA[at\_column] = c1\_pos
20: C \leftarrow C1^T
```