

- ✓ *N*-processes ring
- $\checkmark$  one distinguished process  $P_0$
- ✓  $P_1 \div P_{N-1}$  processes are equal and behave uniformly
- ✓  $s_i$  = current local state of a given process  $P_i$
- $\checkmark$  every process  $P_i$  knows the state of its left neighbor (s<sub>i-1</sub> for 1  $\le$  i  $\le$  N-1 and s<sub>N-1</sub> for  $P_0$ )
  - instantaneous communication





### Notion of privilege.

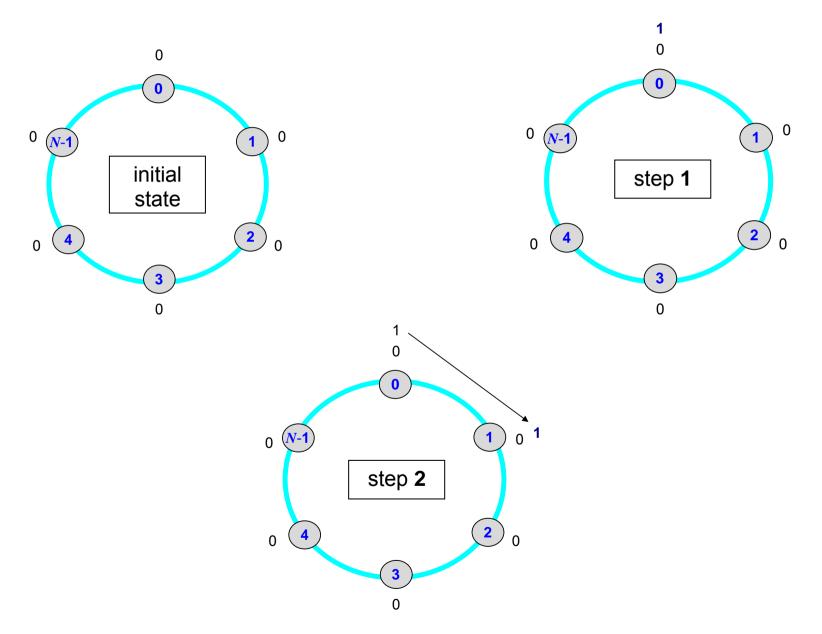
- when a process has the *privilege*, it is authorized to *make a move* (change its local state, enter the critical section)
- the system satisfies following properties:
  - 1. There must be at least one privilege in the system.
  - 2. During an infinite time every process should be able to receive a privilege infinitely many times.
- the legal (global) state must satisfy:
  - 3. There is only one privilege in the system.

for  $P_0$ : if  $s_0 = s_{N-1}$  then  $P_0$  has the privilege and  $s_0 = (s_0 + 1)_{\text{mod } K}$ 

for  $P_i$ : if  $s_i \neq s_{i-1}$  then  $P_i$  has the privilege and  $s_i = s_{i-1}$ ;  $1 \le i \le N-1$ 

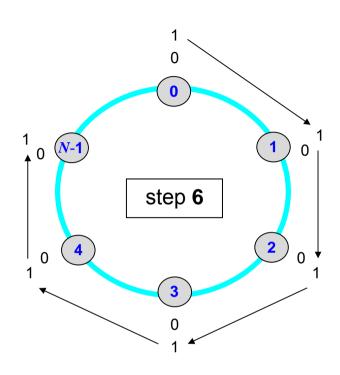
**(3)** 

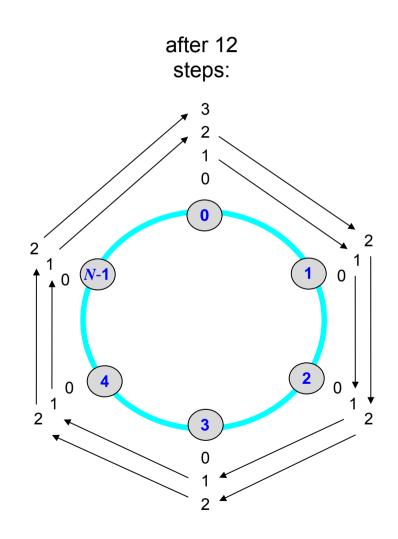








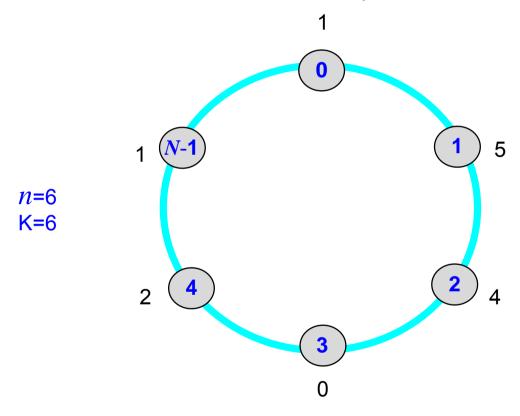




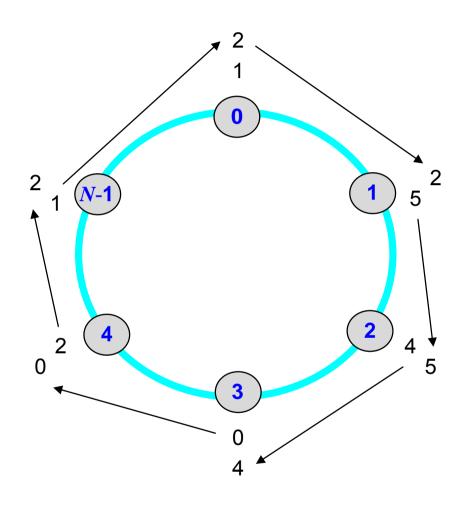


#### Possible failure scenario:

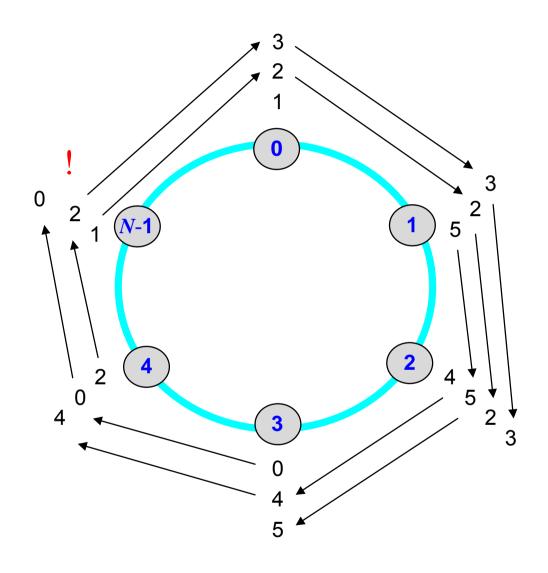
let's assume a transient failure has set the system into an illegal state:















#### What is the stabilization time?

O This algorithm needs  $O(N^2)$  system steps before reaching a legal global state.