## MAT482: Rough Plan

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## 1 Introduction

Define vectors h, p and matrix A. Let all  $h_i \in h$  be popular hashtags of 2017, so h contains all major hashtags. Let all  $p_i \in p$  describe the popularity of its corresponding hashtag  $h_i$ , so p contains the popularity of the hashtags. Then let all vectors  $a_i \in A$  contain the accounts that retweeted hashtag  $h_i$ . Thus  $a_{if}$  contains an account that retweeted  $h_i$ .

For each  $h_i$  find a coefficient  $r_{ij}$  describing the relatedness between the  $h_i, h_j$ . This coefficient should be calculated from how often accounts  $a_i$  retweet  $h_j$  and how often accounts  $a_j$  retweet  $h_i$ . Using this coefficient, plot a network graph like the following: Then using a clustering algorithm,

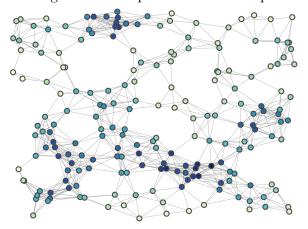


Figure 1: Example of Network Graph

find major clusters. These clusters represent ideas. The hashtags that are most in the centre of these clusters describe the purest form of the idea. Label each cluster by this.

Next we must try to describe the underlying diffusion between these ideas. The SIR model for describing the spread of disease is ideal for this situation. The only two major adjustment that have to be made is that often ideas compete, and also that adopting an idea is a gradual process. Getting convinced is a slow process. For example, there is pro-abortion and anti-abortion. If you are undecided on which side to support,

There would for example be the idea of pro-abortion and anti-abortion. Therefore we would have an SIResque model that has the S, which are the susceptible, I which are the infected, and D

which are the disbelievers. One problem that has to be resolved, is how to find opposing ideas.

$$\begin{cases} \dot{S} &= \Lambda - \beta S \frac{1}{N} - b S \frac{Z}{N} - \mu S, \\ \dot{I} &= \beta S \frac{I}{N} - \mu I \\ \dot{Z} &= b S \frac{Z}{N} - \mu Z \end{cases}$$

where b and  $\beta$  denote the per capita rates of idea rejection and adoption by susceptible respectively.  $\Lambda$  is the recruitment rate,