```
In [1]: import numpy as np
    import matplotlib.pyplot as plt
    import mltools as ml

In [2]: iris = np.genfromtxt("data/iris.txt",delimiter=None)
    X, Y = iris[:,0:2], iris[:,-1] # get first two features & target
    X,Y = ml.shuffleData(X,Y) # reorder randomly (important later)
    X,_ = ml.rescale(X) # works much better on rescaled data
```

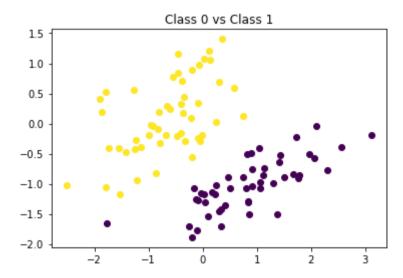
XA, YA = X[Y<2,:], Y[Y<2] # get class 0 vs 1 XB, YB = X[Y>0,:], Y[Y>0] # get class 1 vs 2

```
In [3]: #Problem 1
  plt.title("Class 0 vs Class 1")
  ml.plotClassify2D(None,XA,YA)
  plt.show()

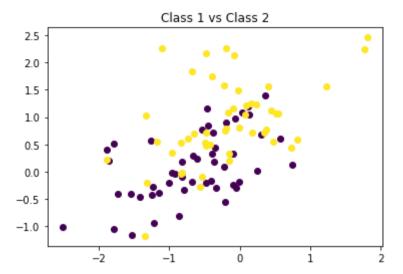
  plt.title("Class 1 vs Class 2")
  ml.plotClassify2D(None,XB,YB)
  plt.show()

#we can see clearly here Class 0 vs Class 1 is seperate, and Class 1 vs Class 2 is not
```

C:\Users\10630\273p\assignment 3\Assignment 3\mltools\plot.py:61: UserWarning: color is redundantly defined by the
'color' keyword argument and the fmt string "ko" (-> color='k'). The keyword argument will take precedence.
 axis.plot( X[Y==c,0],X[Y==c,1], 'ko', color=cmap(cvals[i]), \*\*kwargs )
C:\Users\10630\273p\assignment 3\Assignment 3\mltools\plot.py:61: UserWarning: color is redundantly defined by the
'color' keyword argument and the fmt string "ko" (-> color='k'). The keyword argument will take precedence.
 axis.plot( X[Y==c,0],X[Y==c,1], 'ko', color=cmap(cvals[i]), \*\*kwargs )



C:\Users\10630\273p\assignment 3\Assignment 3\mltools\plot.py:61: UserWarning: color is redundantly defined by the
'color' keyword argument and the fmt string "ko" (-> color='k'). The keyword argument will take precedence.
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C:\Users\10630\273p\assignment 3\Assignment 3\mltools\plot.py:61: UserWarning: color is redundantly defined by the
'color' keyword argument and the fmt string "ko" (-> color='k'). The keyword argument will take precedence.
 axis.plot( X[Y==c,0],X[Y==c,1], 'ko', color=cmap(cvals[i]), \*\*kwargs )

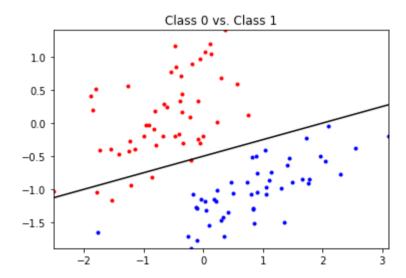


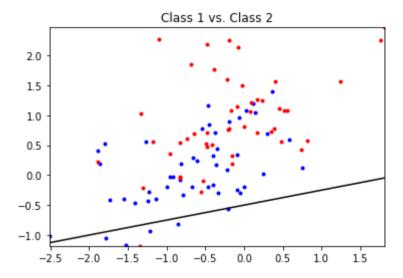
```
In [4]: #Problem 2
from logisticClassify2 import *

plt.figure()
learner = logisticClassify2(); # create "blank" Learner
learner.classes = np.unique(YA) # define class labels using YA or YB
wts = np.array([0.5,-0.25,1]); # TODO: fill in values
learner.theta = wts; # fill in the theta values
learner.plotBoundary(XA,YA)
plt.title('Class 0 vs. Class 1')

plt.figure()
learner.classes = np.unique(YB) # define class labels using YA or YB
wts = np.array([0.5,-0.25,1]); # TODO: fill in values
learner.theta = wts; # set the Learner's parameters
learner.plotBoundary(XB,YB)
plt.title('Class 1 vs. Class 2')
```

## Out[4]: Text(0.5, 1.0, 'Class 1 vs. Class 2')





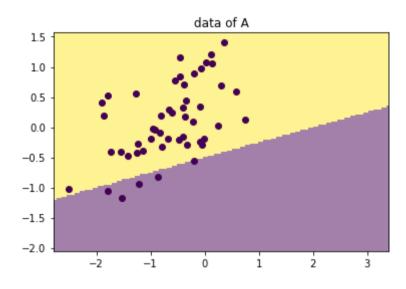
```
In [5]: # Problem 3
learner = logisticClassify2()
wts = np.array([0.5,-0.25,1])
learner.theta = wts
ErrorA = learner.err(XA,YA)
print('Errors for set A:', ErrorA)

learner.classes= np.unique(YB)
ErrorB = learner.err(XB,YB)
print('Errors for set B:', ErrorB)
```

Errors for set A: 0.050505050505050504 Errors for set B: 0.5454545454545454

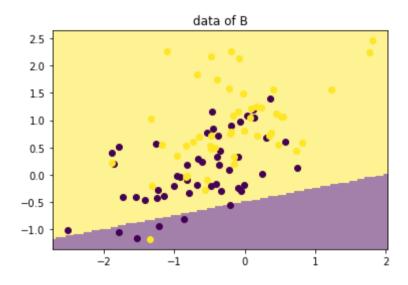
```
In [6]: #Problem 4
plt.title('data of A')
ml.plotClassify2D(learner, XA,YA)
```

C:\Users\10630\273p\assignment 3\Assignment 3\mltools\plot.py:61: UserWarning: color is redundantly defined by the
'color' keyword argument and the fmt string "ko" (-> color='k'). The keyword argument will take precedence.
 axis.plot( X[Y==c,0],X[Y==c,1], 'ko', color=cmap(cvals[i]), \*\*kwargs )
C:\Users\10630\273p\assignment 3\Assignment 3\mltools\plot.py:61: UserWarning: color is redundantly defined by the
'color' keyword argument and the fmt string "ko" (-> color='k'). The keyword argument will take precedence.
 axis.plot( X[Y==c,0],X[Y==c,1], 'ko', color=cmap(cvals[i]), \*\*kwargs )



```
In [7]: plt.title('data of B')
ml.plotClassify2D(learner, XB,YB)
```

C:\Users\10630\273p\assignment 3\Assignment 3\mltools\plot.py:61: UserWarning: color is redundantly defined by the
'color' keyword argument and the fmt string "ko" (-> color='k'). The keyword argument will take precedence.
 axis.plot( X[Y==c,0],X[Y==c,1], 'ko', color=cmap(cvals[i]), \*\*kwargs )
C:\Users\10630\273p\assignment 3\Assignment 3\mltools\plot.py:61: UserWarning: color is redundantly defined by the
'color' keyword argument and the fmt string "ko" (-> color='k'). The keyword argument will take precedence.
 axis.plot( X[Y==c,0],X[Y==c,1], 'ko', color=cmap(cvals[i]), \*\*kwargs )



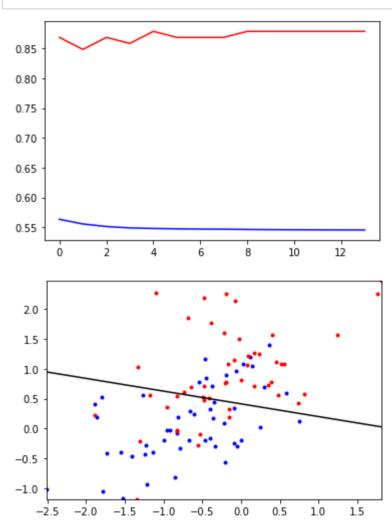
```
In [8]: #Problem 5
# for theta 0, the answer is x0(-y(j)+sigma(x(j)(theta.T)))
# for theta 1, the answer is x1(-y(j)+sigma(x(j)(theta.T)))
# for theta 2, the answer is x2(-y(j)+sigma(x(j)(theta.T)))
```

```
In [9]: #Problem 6
                 def train(self, X, Y, initStep=1.0, stopTol=1e-4, stopEpochs=5000, plot=None):
                         """ Train the logistic regression using stochastic gradient descent """
                                                                                                 # initialize the model if necessary:
                         M,N = X.shape;
                         self.classes = np.unique(Y); # Y may have two classes, any values
                         XX = \text{np.hstack}((\text{np.ones}((M,1)),X)) \# XX \text{ is } X, \text{ but with an extra column of ones}
                         YY = ml.toIndex(Y,self.classes); # YY is Y, but with canonical values 0 or 1
                         if len(self.theta)!=N+1: self.theta=np.random.rand(N+1);
                         # init loop variables:
                         epoch=0; done=False; Jnll=[]; J01=[];
                         while not done:
                                  stepsize, epoch = initStep*2.0/(2.0+epoch), epoch+1; # update stepsize
                                 # Do an SGD pass through the entire data set:
                                 for i in np.random.permutation(M):
                                          ri = 1.0 / (1.0 + np.exp(-XX[i].dot(self.theta))) # TODO: compute linear response <math>r(x)
                                          gradi = -(1-ri)*XX[i,:] if YY[i] else ri*XX[i,:]; # TODO: compute gradient of NLL loss
                                          self.theta -= stepsize * gradi; # take a gradient step
                                  J01.append(self.err(X,Y)) # evaluate the current error rate
                                  ## TODO: compute surrogate loss (logistic negative log-likelihood)
                                 ## Jsur = sum i [ (log si) if yi==1 else (log(1-si)) ]
                                 Jsur = -np.mean(YY*np.log(1.0/(1.0+np.exp(-(XX.dot(self.theta)))))+(1-YY)*np.log(1-(1.0/(1.0+np.exp(-(XX.dot(self.theta)))))+(1-YY)*np.log(1-(1.0/(1.0+np.exp(-(XX.dot(self.theta)))))+(1-YY)*np.log(1-(1.0/(1.0+np.exp(-(XX.dot(self.theta)))))+(1-YY)*np.log(1-(1.0/(1.0+np.exp(-(XX.dot(self.theta)))))+(1-YY)*np.log(1-(1.0/(1.0+np.exp(-(XX.dot(self.theta)))))+(1-YY)*np.log(1-(1.0/(1.0+np.exp(-(XX.dot(self.theta)))))+(1-YY)*np.log(1-(1.0/(1.0+np.exp(-(XX.dot(self.theta))))))+(1-YY)*np.log(1-(1.0/(1.0+np.exp(-(XX.dot(self.theta))))))+(1-YY)*np.log(1-(1.0/(1.0+np.exp(-(XX.dot(self.theta))))))+(1-YY)*np.log(1-(1.0/(1.0+np.exp(-(XX.dot(self.theta))))))+(1-YY)*np.log(1-(1.0/(1.0+np.exp(-(XX.dot(self.theta))))))*np.log(1-(1.0/(1.0+np.exp(-(XX.dot(self.theta))))))*np.log(1-(1.0/(1.0+np.exp(-(XX.dot(self.theta))))))*np.log(1-(1.0/(1.0+np.exp(-(XX.dot(self.theta))))))*np.log(1-(XX.dot(self.theta)))*np.log(1-(XX.dot(self.theta))))*np.log(1-(XX.dot(self.theta)))*np.log(1-(XX.dot(self.theta)))*np.log(1-(XX.dot(self.theta)))*np.log(1-(XX.dot(self.theta)))*np.log(1-(XX.dot(self.theta)))*np.log(1-(XX.dot(self.theta)))*np.log(1-(XX.dot(self.theta)))*np.log(1-(XX.dot(self.theta)))*np.log(1-(XX.dot(self.theta)))*np.log(1-(XX.dot(self.theta)))*np.log(1-(XX.dot(self.theta)))*np.log(1-(XX.dot(self.theta)))*np.log(1-(XX.dot(self.theta)))*np.log(1-(XX.dot(self.theta)))*np.log(1-(XX.dot(self.theta)))*np.log(1-(XX.dot(self.theta)))*np.log(1-(XX.dot(self.theta)))*np.log(1-(XX.dot(self.theta)))*np.log(1-(XX.dot(self.theta)))*np.log(1-(XX.dot(self.theta)))*np.log(1-(XX.dot(self.theta)))*np.log(1-(XX.dot(self.theta)))*np.log(1-(XX.dot(self.theta)))*np.log(1-(XX.dot(self.theta)))*np.log(1-(XX.dot(self.theta)))*np.log(1-(XX.dot(self.theta)))*np.log(1-(XX.dot(self.theta)))*np.log(1-(XX.dot(self.theta))*np.log(1-(XX.dot(self.theta)))*np.log(1-(XX.dot(self.theta))*np.log(1-(XX.dot(self.theta)))*np.log(1-(XX.dot(self.theta))*np.log(1-(XX.dot(self.theta)))*np.log(1-(XX.dot(self.theta))*np.log(1-(XX.dot(self.theta)))*np.log(1-(XX.dot(self.theta))*np.l
                                  Jnll.append( Jsur ) # TODO evaluate the current NLL loss
                                 ## For debugging: you may want to print current parameters & losses
                                 # print self.theta, ' => ', Jnll[-1], ' / ', J01[-1]
                                 # raw input() # pause for keystroke
                                 # TODO check stopping criteria: exit if exceeded # of epochs ( > stopEpochs)
                                 done = epoch>=stopEpochs or (epoch>1 and abs(Jnll[-1]-Jnll[-2])<stopTol); # or if Jnll not changing between</pre>
                         plt.figure(1); plt.plot(Jnll, 'b-', J01, 'r-'); plt.draw();  # plot losses
                         if N==2: plt.figure(2); self.plotBoundary(X,Y); plt.draw(); # & predictor if 2D
                         plt.pause(.01);
```

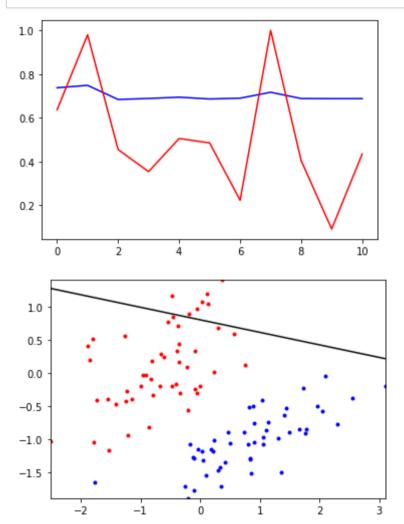
In [10]: # The stepsize I chose for problem 7 is 0.1. For the reason that when the stepsize is 0.1 the graph would be better. In [11]: #Problem 7 learner.theta = np.array([0.,0.,0.]); learner.train(XA,YA,initStep=1e-1,stopEpochs=5000,stopTol=1e-4); print("Training error rate: ",learner.err(XA,YA)) 0.200 0.175 0.150 0.125 0.100 0.075 0.050 0.025 20 60 40 80 1.0 0.5 0.0 -0.5-1.0-1.5

Training error rate: 0.010101010101010102

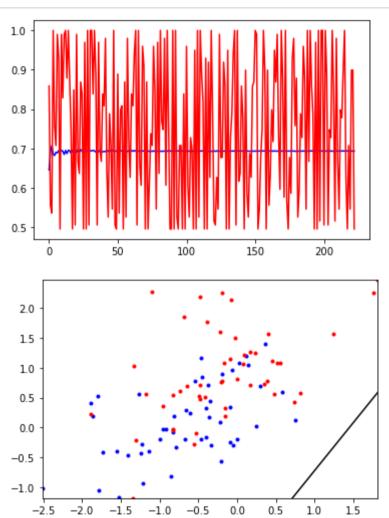
```
In [12]: learner.theta = np.array([0.,0.,0.]);
learner.train(XB,YB,initStep=1e-1,stopEpochs=5000,stopTol=1e-4);
```



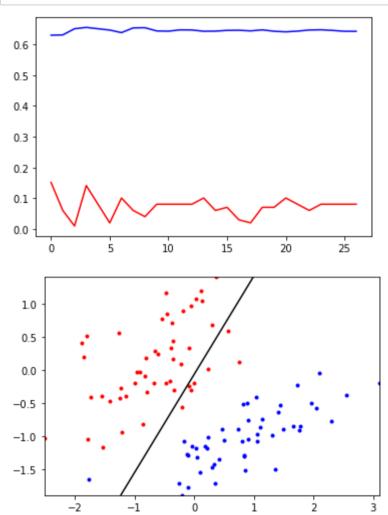
```
In [13]: #Problem 8
learner.theta = np.array([0.,0.,0.]);
learner.lltrain(XA,YA,initStep=.1,stopEpochs=5000,stopTol=1e-4,alpha=2.0)
```



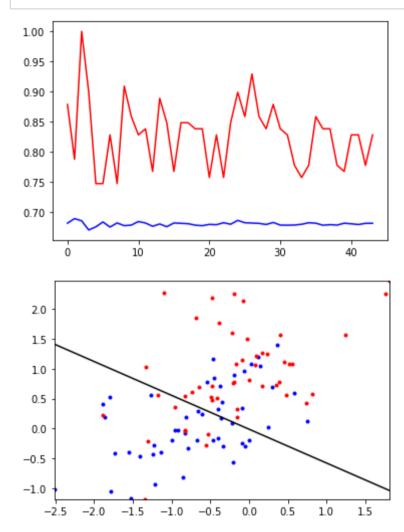
In [14]: learner.theta = np.array([0.,0.,0.]);
learner.l1train(XB,YB,initStep=.1,stopEpochs=5000,stopTol=1e-4,alpha=2.0);



```
In [15]: #Problem 9
learner.theta = np.array([0.,0.,0.]);
learner.l2train(XA,YA,initStep=1e-1,stopEpochs=5000,stopTol=1e-4,alpha=2.0);
```



In [16]: learner.theta = np.array([0.,0.,0.])
learner.l2train(XB,YB,initStep=1e-1,stopEpochs=5000,stopTol=1e-4,alpha=2.0)



## In [17]: #problem 10 # I think we should pick L2 as the method here. # the L1 graph has more outliers and it is not seperated well. # The difference between them is that we can see that the graph of L1 has many fluctuations # (because we used sign of theta to calculate based on L1). # So the data would be up and down, that is the reason why we pick L2 as a better solution.

## In [18]: #Statement of Collaboration #Yanghan-Deng #Discussed with him about the stepsize choice problem.