Assignment: Transfer Learning on Intel Image Classification

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1 Dataset

The chosen dataset is called Intel[®] Image Classification and it was initially published on Analytics Vidhya by Intel[®] to host an image classification challenge to promote OpenVINOTM, a toolkit or optimizing and deploying AI inference [1][2].

The dataset contains images of natural scenes around the world and they belong to 6 classes: buildings, forests, glaciers, mountains, sea and streets. The images are of size $150 \times 150 \mathrm{px}$ and can be colored (3 channels, RGB) or rarely in grayscale (still with 3 channels). Figure 1 shows 16 entries of the training dataset.

There is a total of $\sim 24\,000$ images, divided into Train ($\sim 14\,000$), Test ($\sim 3\,000$) and Prediction ($\sim 7\,000$) folders. The last one does not contain labels and it is intended for unsupervised learning and it will be ignored in this work.



Figure 1: 16 random entries of the train dataset

The distribution of the images across the classes follows a uniform distribution $U(\mu, \sigma)$: in the train set each class has an average $\mu = 2339$ images with $\sigma = 105.45$ and in the test set $\mu = 500$ and $\sigma = 36.92$. We didn't find any bias inside the dataset since all the classes are equally populated and so we

didn't applied any kind of data augmentation on particular classes for rebalacing.

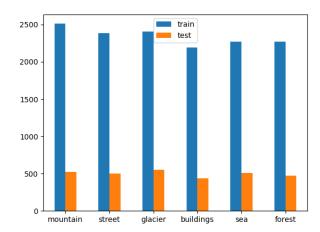


Figure 2: 16 entries of the train dataset

The 6 classes are encoded with numbers 0 to 5 and Table 1 shows the mapping between the numerical and nominative form.

Number	Class
0	Mountain
1	Street
2	Glacier
3	Building
4	Sea
5	Forest

Table 1: Mapping between numbers and names

2 The model

The chosen dataset presented similarieties with ImageNet: the 6 classes of Intel[®] Image Classification are scattered and distributed in the 1000 classes of ImageNet. For this reason a pretrained model on ImageNet speeded up the learning process. The chosen model is VGG16, a 16—layers deep CNN proposed by Karen Simonyan and Andrew Zisserman at the

\mathbf{Cut}	Trainable parameters	Dimension
fc1	117 479 232	$1 \times 1 \times 4096 = 4096$
block4_pool	7 635 264	$14 \times 14 \times 512 = 100352$
block3_pool	1 735 488	$28 \times 28 \times 256 = 200704$

Table 2: Number of VGG16's trainable parameters and dimensions of the extracted features at each cutting point

University of Oxford[3]. Figure 3 shows an overview of its architecture.

TODO: preprocessing

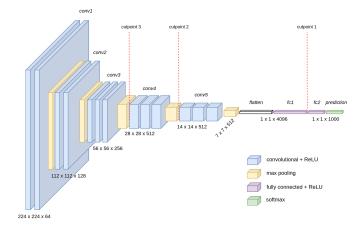


Figure 3: Architecture of VGG16 with the cuts applied in this work

In this work we proposed different cuts to the network and feeded its outputs to a "classic" machine learning model, a SVM, and benchmark the performance of the hybrid architecture

The chosen cuts were after the first dense layer (fc1), after the fourth pooling layer (block4_pool) and after the third pooling layer (block3_pool). The different cuts led to different challenges, such as the high dimensionality of the features.

As the cuts approached the input, the number of trainable parameters decreased exponentially; however the representation of the features will have an increasingly higher dimension. The higher dimensionality affects the training performance of the SVM and a fine tuning on the management of the memory. For this reason we used less samples during the training phase as the dimensionality increased, raising the risk of underfitting. Table 2 describes the numbers of the problems.

3 First cutting point: fc1

Before attaching to the layer fc1 the SVM, it is interesting to visualize the features through PCA (Principal Component Analysis): we decreased the number of dimensions of the extracted features from 4096 to 2 and plotted the graph in Figure 4.

In the projection through PCA are identifiable some clusters: glaciers and mountains are very similar, the same goes for streets and buildings. This make sense since the picture of the mountains may contain snow or ice and picture of buildings may contain the surrounding street, and viceversa. The seas borders with the glaciers but it does not blend with them.

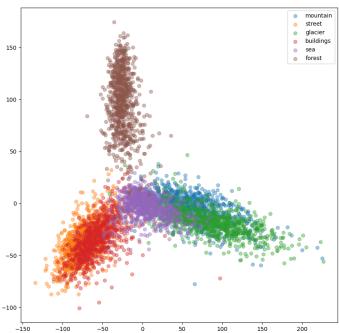


Figure 4: Architecture of VGG16 with the cuts applied in this work

The forests are a separate concepts and it seems to not share anything with the other classes.

Because the cut is very close to the VGG16's original output we expected an high accuracy in classifying the images.

3.1 Extraction of the features and training of the SVM

Before starting with the training of the hybrid model, we chose the SVM's hyperparameters using <code>GridSearchCV</code> from sklearn. This function does an exhaustive search of the best parameters for the SVM in order to find the best separation hyperplane. The parameters to be chosen were the cost $C \in \{5, 10, 20, 100\}$ and the kernel coefficient $\gamma \in \{scale, auto\}$. This does not assure that it gives back the best configurations on unseen data. As a matter of fact we should had the best results with cost C = 100 and $\gamma = auto$ (Figure 5), but in this case we achieved higher performances on the test dataset with C = 100 and $\gamma = scale$. So we used <code>GridSearchCV</code> just like a starting point for further manual experimentations.

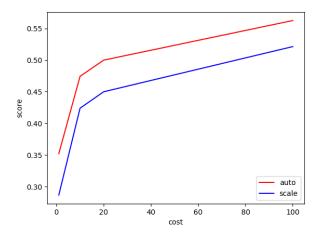


Figure 5: Model's performance on the training set with different configurations

An issue when using hybrid models are some incompatabilities between libraries: we started using Tensorflow's DirectoryIterator or Dataset in order to efficiently load the dataset in batches and to not saturate the memory; unfortunately sklearn does not support this kind of data structure and the only feasible solution was to diminuish the number of samples during the training and test phases. With this cutting point we used 800 images per class when training and 300 when testing.

The training accuracy reached 100% and Figure 6 shows the confusion matrix.

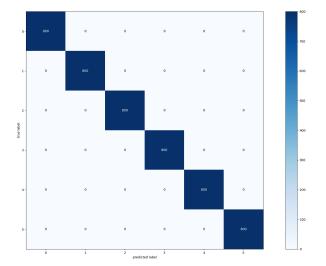


Figure 6: Confusion matrix on training dataset (cut at $fc1 + SVM(C = 100, \gamma = scale)$)

The test accuracy reached 92% and Figure 7 shows the confusion matrix. We can notice a little confusion between mountains and glaciers and between streets and buildings. This results are in accordance with Figure 4.

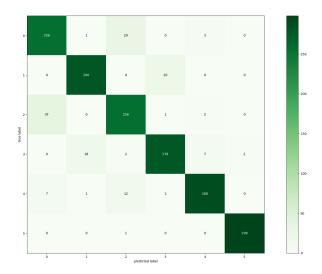


Figure 7: Confusion matrix on test dataset (cut at fc1 + SVM($C = 100, \gamma = scale$)))

The training phase for SVM took ~ 550 seconds. We tried to simplify the model and thus decrease the timings by reducing the dimensionality of the features. In order to do so we used PCA as technique for dimensionality reduction.

3.2 Dimensionality Reduction

In this section we describe how we achieved high accuracy by reducing the dimensionality of the features in input.

Before applying PCA, we estimated how many components were needed to describe the data. This can be determined by looking at the *cumulative explained variance* ratio as a function of the number of components.

The curve in Figure 8 quantifies how much of the total 4096—dimensional variance is contained within the first n components. For example, we saw that the first \sim 400 components contain approximately 80% of the variance, while are needed around 2500 components to describe 100% of the variance. We chose a configuration that could preserve 90%

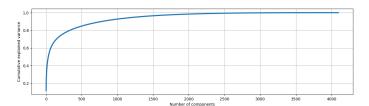


Figure 8: The cumulative explained variance of the 4 096 components

of the variance, *i.e.* 777 components. This could assure good perforances while using just 19% of the dimensions.

In this case we found the optimal configuration of the SVM with C=5 and $\gamma=scale$.

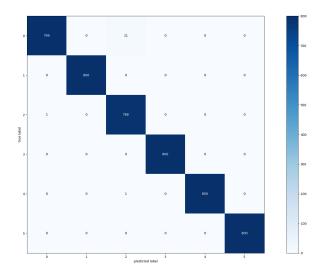


Figure 9: Confusion matrix on training dataset (cut at fc1 + PCA + SVM($C = 5, \gamma = scale$))

Figure 9 and 10 shows the confusion matrix after training and testing. We can see that there is a slight worsening in training accuracy (99.9%) while test accuracy dropped to 88%. We noticed that the model still confused glaciers with mountain and streets with buildings; in addition to them, some of the images of the sea are mistaken for mountains and glaciers. That means the model is affected by more overfitting before applying PCA.

The lower accuracy and higher overfitting are traded off with faster times in training: we measured a speed up of almost 10 times, reaching 57 seconds.

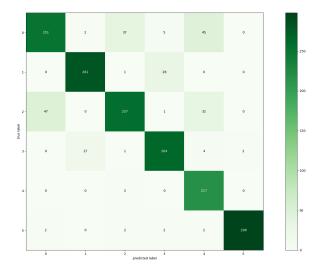


Figure 10: Confusion matrix on test dataset (cut at $fc1 + PCA + SVM(C = 5, \gamma = scale)$)

4 Second cutting point: block4_pool

Like in section 3 we repeated the experiment of visualizing the features extracted from layer block4_pool through PCA and plotted the graph in Figure 11.

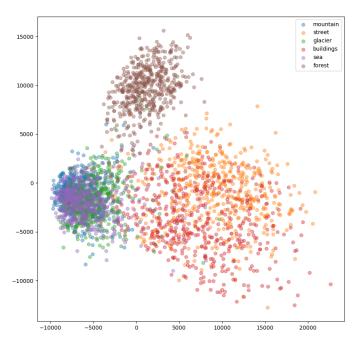


Figure 11: Architecture of VGG16 with the cuts applied in this work

This time the sea, glacier and mountain classes collapsed in one cluster. This anticipated that images belonging to these classes could be classified with lower accuracy. The cluster of images of forest is the only one that did not collide with any other. We also noticed more isolated images being completely misclassified than the previous cut, e.g. some images of mountain or sea are predicted as building or street.

At this stage the number of trainable parameters of the CNN decreased by $\sim93.5\%$ but the dimensionality of the features increased 25 times, reaching 100 352. This made the application of PCA more crucial.

4.1 Extraction of the features and training of the SVM

We performed an exhaustive search with <code>GridSearchCV</code> plus some manual experimentation and we found that a good configuration for the SVM is C=10 and $\gamma=scale$. Because of the increased dimensionality we used less images for training (from 800 to 500) in order to not saturate the memory.

The training accuracy reached again 100% and Figure 12 shows the confusion matrix.

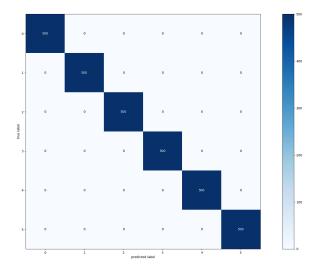


Figure 12: Confusion matrix on training dataset (cut at $block4_pool + SVM(C = 10, \gamma = scale)$)

The test accuracy reached 89% and Figure 13 shows the confusion matrix. We can notice the aforementioned confusion between sea and mountain or glaciers but is not compromising the overall accuracy of the model.

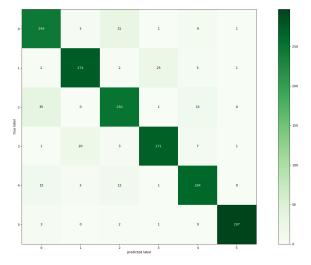


Figure 13: Confusion matrix on test dataset (cut at block4_pool + SVM($C = 10, \gamma = scale$)))

4.2 Dimensionality Reduction

We proceeded with the estimation of the optimal number of components in order to describe at least the 90% of the variance. From Figure 14 we can notice that the 90% of the variance can be described with $1\,850$ components, leading to a compression of 39%.

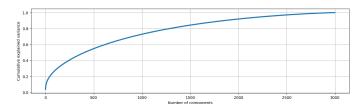


Figure 14: The cumulative explained variance of the 3 000 components

Please note that PCA operated on a dataset $D \in \mathcal{M}_{m \times n}$ calculates the maximum number of components to keep $c = min\{m, n\}$.

In this case the optimal configuration for the SVM was C=5 and $\gamma=scale$; the model reached again 100% of accuracy on the training data and 86% on the test data.

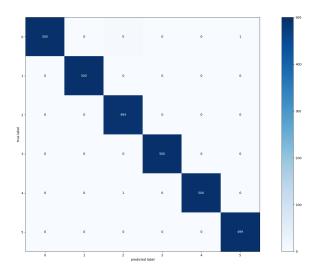


Figure 15: Confusion matrix on training dataset (cut at block4_pool + PCA + SVM($C=5, \gamma=scale$))

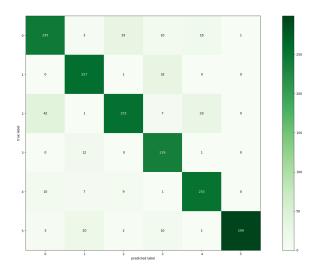


Figure 16: Confusion matrix on test dataset (cut at block4_pool + PCA + SVM($C = 5, \gamma = scale$))

From Figure 16 we noticed that images of streets or buildings were confused with forests for the first time; the more accurate classifications were regstered for images of street, glacier and sea. The application of a technique of dimensionality reduction decreased the test accuracy of a reasonable amount, it didn't resolved the problem of overfitting (which is not guaranteed by PCA) but decreased the training times from 633 seconds to 58 seconds.

5 Second cutting point: block3_pool

Like in section 3 we repeated the experiment of visualizing the features extracted from layer block3_pool through PCA and plotted the graph in Figure 17.

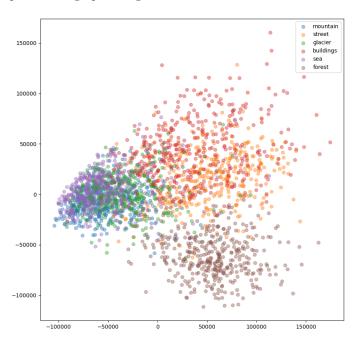


Figure 17: Architecture of VGG16 with the cuts applied in this work

This time the sea, glacier and mountain classes collapsed in one cluster. This anticipated that images belonging to these classes could be classified with lower accuracy. The cluster of images of forest is the only one that did not collide with any other. We also noticed more isolated images being completely misclassified than the previous cut, e.g. some images of mountain or sea are predicted as building or street.

At this stage the number of trainable parameters of the CNN decreased by $\sim93.5\%$ but the dimensionality of the features increased 25 times, reaching 100 352. This made the application of PCA more crucial.

5.1 Extraction of the features and training of the SVM

We performed an exhaustive search with <code>GridSearchCV</code> plus some manual experimentation and we found that a good configuration for the SVM is C=10 and $\gamma=scale$. Because of the increased dimensionality we used less images for training (from 800 to 500) in order to not saturate the memory.

The training accuracy reached again 100% and Figure 18 shows the confusion matrix.

The test accuracy reached 89% and Figure 19 shows the confusion matrix. We can notice the aforementioned confusion between sea and mountain or glaciers but is not compromising the overall accuracy of the model.

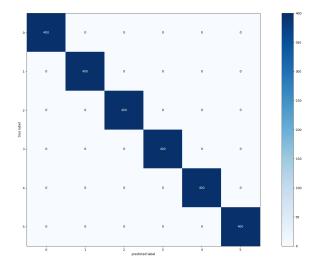


Figure 18: Confusion matrix on training dataset (cut at block3_pool + $SVM(C = 10, \gamma = scale)$)

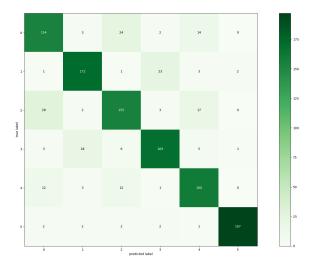


Figure 19: Confusion matrix on test dataset (cut at block3_pool + $SVM(C = 10, \gamma = scale)$))

5.2 Dimensionality Reduction

We proceeded with the estimation of the optimal number of components in order to describe at least the 90% of the variance. From Figure 20 we can notice that the 90% of the variance can be described with $1\,560$ components, leading to a compression of 35%.

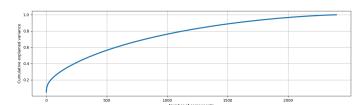


Figure 20: The cumulative explained variance of the 3 000 components

In this case the optimal configuration for the SVM was C=5 and $\gamma=scale$; the model reached again 100% of accuracy on the training data and 86% on the test data.

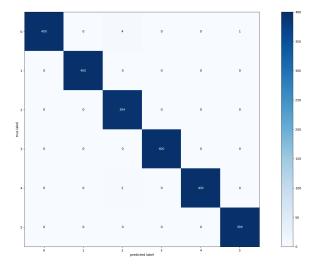


Figure 21: Confusion matrix on training dataset (cut at block3_pool + PCA + SVM $(C = 5, \gamma = scale)$)

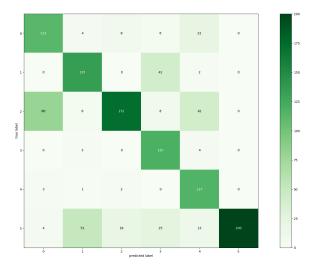


Figure 22: Confusion matrix on test dataset (cut at block3_pool + PCA + SVM($C=5, \gamma=scale$))

From Figure 22 we noticed that images of streets or buildings were confused with forests for the first time; the more accurate classifications were regstered for images of street, glacier and sea. The application of a technique of dimensionality reduction decreased the test accuracy of a reasonable amount, it didn't resolved the problem of overfitting (which is not guaranteed by PCA) but decreased the training times from 1340 seconds to 160 seconds.

6 Conclusions

In general, features extracted at deeper layers (closer to the original output) produced features that guaranteed highly accurate classifications, with 92% of accuracy on test data. Appliying cuttings at higher level (closer to the input) the dimensionality of the features increased so much that the usage of techniques of dimensional reduction became crucial in order to use them in the SVM classifier. Performances, in terms of accuracy and training time, got worse and we note the presence of overfitting especially in the last classifiers. The results in this works are affected by the memory limitations; without these limitations the results could be different.

References

- [1] Practice Problem: Intel Scene Classification Challenge
 https://datahack.analyticsvidhya.com/contest/practice-problem-intel-scene-classification-challe
 [2] OpenVINOTM documentation
 https://docs.openvino.ai/latest/index.html
- [3] Very Deep Convolutional Networks for Large-Scale Image Recognition

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