

## Problem Set Solution Week 12 and 13

1. The answer must have the following features
  - a. Surface is parallel to  $y$ , intersection of this surface with the  $xz$ -plane forms a circle at the origin with radius 5.
  - b. The question contains all 3 variables so none of the variables can vary arbitrarily.
  - c. The variable  $z$  can take on any value without limit, therefore the line composing this surface are parallel to the  $z$ -axis. The intersection of this surface with the  $yz$ -plane outlines curve  $y = \sin x$
2. Sketch the intersection of the surface with a plane parallel to one of the coordinates planes (known as trace)
3. Find the trace as  $xy$ -plane and set  $z=0$ , also to find other trace then set  $x=0$  and  $y=0$ . Then combine all shapes
4. Set  $z=0$  and let  $z$  to be the arbitrary plane then  $z=5$  (ellipse)
5. The following
  - a. Ellipsoid, centered at origin
  - b. Elliptic paraboloid centered at  $(1,-2,0)$
6. Should show a parabolic cylinder
7. Should show an ellipse
8. Should show an elliptic paraboloid
9. Should show a hyperbola
10. Should show a hyperboloid of one sheet