# CHEM 1300 Week 5 - 8

Lectures 5 to 8 (Week 5 to 8):

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Chapter 10: Gases

Chapter 14: Chemical Kinetics

Chapter 15: Chemical Equilibrium

Chapter 5: Thermochemistry

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# Gases (Chapter 10)

- 1. Pressure
- 2. Gas Laws
- 3. Ideal gas equation
- 4. Kinetic-molecular theory of gases
- 5. Molecular diffusion



#### **Characteristics of Gases**

- The atmosphere is composed of gaseous mixture of oxygen and nitrogen air.
- Unlike liquids and solids, gases
  - > expand to fill in the containers.
  - > are highly compressible.
  - > have relatively low densities.
- Two (or more) gases mix together to form a homogenous mixture.

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#### **Pressure**

- Gases exert a pressure on any contacting surface.
- Pressure is defined as the amount of force applied to the area of surface.

$$[N m^{-2}] P = \frac{F}{A} [m^2]$$

• Units of pressure

 $\triangleright$  Pascal: 1 Pa = 1 N m<sup>-2</sup>

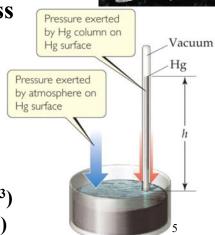
 $\triangleright$  Bar: 1 bar = 10<sup>5</sup> Pa = 100 kPa

#### Measurements of pressure

- Barometer was invented to measure the atmospheric pressure by the heights (h) of mercury columns by Torricelli.
- In atmosphere, an inverted glass tube, completely filled with mercury (Hg), exerts a column height of 76 cm on a dish of mercury.

$$P = h \rho g$$

 $\rho$  – density of mercury (13.59 × 10<sup>3</sup> kg m<sup>-3</sup>) g – acceleration due to gravity (9.81 m s<sup>-2</sup>)



• The mass of mercury column is balanced by the external pressure:

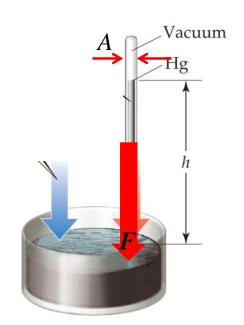
$$F = mg$$

$$F = V \rho g$$

$$F = hA\rho g$$

$$P = \frac{F}{A} = \frac{hA\rho g}{A}$$

$$P = h\rho g$$



m – mass of mercury column

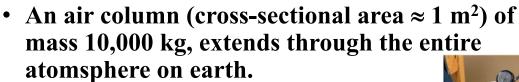
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A – cross sectional area of column

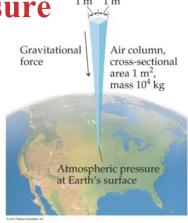
**Atmospheric pressure** 

• One atmospheric pressure (atm) is equal to:

- > 760 mm Hg
- > 760 Torr
- **>** 101325 Pa or N m<sup>-2</sup>
- > 1.01325 bar



 Blood pressure is expressed in the unit of mmHg or Torr.

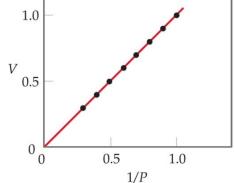


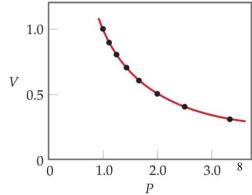
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# The pressure – volume relationship: Boyle's Law

• The volume of a fixed quantity of gas at constant temperature is inversely proportional to the pressure.

$$V = \text{constant} \times \frac{1}{P} \quad \text{or} \quad PV = \text{constant}$$





# The temperature – volume relationship: Charles's Law

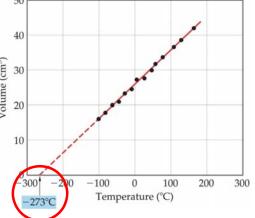
• The volume of a fixed amount of gas at constant pressure is directly proportional to its absolute 50

$$V \propto T$$

• A plot of V versus T is a straight line.

temperature.

• Extrapolation of V-T plot gives to the T of -273 °C.



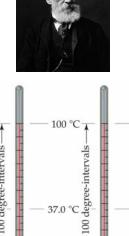
$$T(K) = T(^{o}C) + 273.15$$

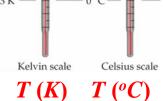
#### Temperature scale

• The absolute temperature scale was proposed by William Thomson, 1st Baron Kelvin in 1848.

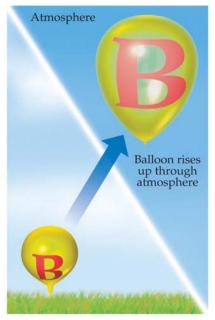
$$T(K) = T(^{o}C) + 273.15$$

• On this scale, 0 K called *absolute* zero, equals -273.15 °C.

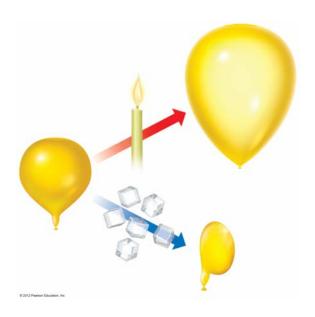




#### **Boyle's Law and Charles's Law**



Does atmospheric pressure increase or decrease as altitude goes high?



**Balloon changes its volume** when it is heated up or cooled down.

# The quantity – volume relationship:

## Avogadro's Law

- The volume of a gas at constant temperature and pressure is directly proportional to the number of moles (n) of the gas.
- Mathematically, this means  $V = constant \times n$

Volume Pressure

Mass of gas

Number of gas molecules

#### Avogardro's hypothesis

**Equal volume of gases** at the same T and Pcontain equal numbers of molecules.



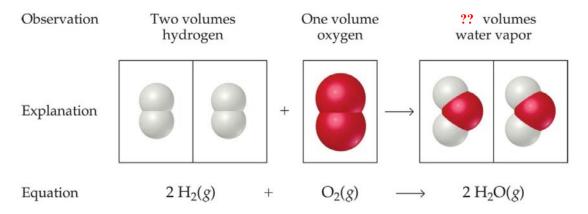
Temperature 0°C 4.00 g  $6.02 \times 10^{23}$ 

0°C 28.0 g

 $6.02 \times 10^{23}$ 

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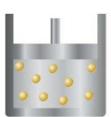
1 atm 0°C 16.0 g  $6.02 \times 10^{23}$ 



Describe what happens to the volume of gases after the reaction.

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# Describe what happens to gas cylinder (with a movable piston) subjected to following changes:



Changes	Comments
(A) Heating the gas at constant pressure	
(B) Reducing the volume at constant temperature	
(C) Injecting additional gas, keeping temperature and volume constant	

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#### **Ideal-Gas Equation**

**Boyle's law:** 
$$V \propto \frac{1}{P}$$

Charles's law: 
$$V \propto T$$

Avogadro's law: 
$$V \propto n$$

Combining all three equations, we get

$$V \propto \frac{nT}{P}$$
 or  $V = \underbrace{\text{constant}}_{R} \times \frac{nT}{P}$ 

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#### Universal gas constant

• The constant of proportionality is known as R, the gas constant.

$$V = R \frac{nT}{P}$$

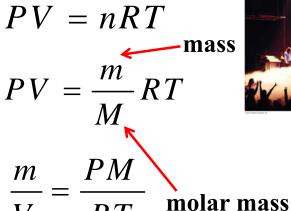
$$PV = nRT$$

Units	Value
L-atm/mol-K	0.08206
J/mol-K*	8.314
cal/mol-K	1.987
m <sup>3</sup> -Pa/mol-K*	8.314
L-torr/mol-K	62.36

\*SI unit.

- The value of *R* is determined by the measurement that 1 mole of an ideal gas occupies a volume of 22.414 liter at 1 atm and 0 °C (273.15 K).
- The condition of 1 atm and 0 °C is referred as standard temperature and pressure (STP).

## Ideal gas law in term of gas density







Mass density of the gas:

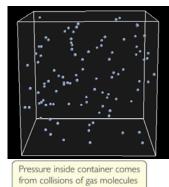
$$d = \frac{m}{V} = \frac{PM}{RT}$$

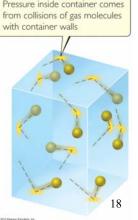


## **Kinetic-Molecular theory of gases**

It states that:

- 1. Gases consist of large numbers of molecules that are in continuous and random motion.
- 2. The occupied volume of all gaseous molecules is negligible.
- 3. Attractive and repulsive forces between gas molecules are negligible.





## **Kinetic-Molecular theory of gases**

4. Energy is transferred between molecules during collisions.

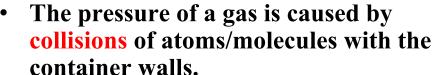
The *average* kinetic energy (K.E.) of the molecules is proportional to the absolute temperature of gas.

Average K.E.= 
$$\frac{3}{2}kT$$
  
where  $k$  is Boltzmann constant.  
(1.381 × 10<sup>-23</sup> J K<sup>-1</sup>)

At a given temperature, all gas molecules in a mixture have the same average kinetic energy, independent of molecular masses.

#### Kinetic-Molecular theory of gases

The theory explains both pressure and temperature at molecular level:





- ➤ A smaller box experiences more collisions by gases.
- $\gt V \downarrow \Rightarrow P \uparrow$
- The absolute temperature of a gas is a measure of average kinetic energy.
  - ➤ A higher temperature allows molecules to move faster and make more collisions.
  - $\succ T \uparrow$  at constant  $V \Rightarrow P \uparrow$ .

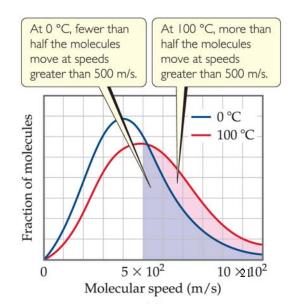
#### Distribution of molecular speed

 Molecules make collisions, the individual molecules move at different speeds – speed distribution.

Average K.E.= 
$$\frac{1}{2}mu^2$$

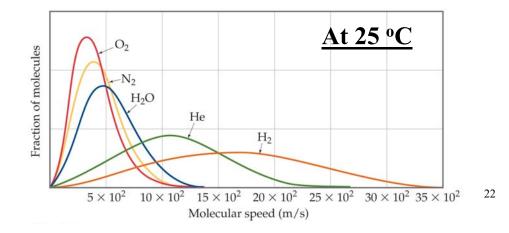
$$\Rightarrow u = \sqrt{\frac{3kT}{m}} = \sqrt{\frac{3RT}{M}}$$

m is mass of molecule.u is the root-mean-square (rms) speed.



## **RMS** speed

- Different gases have different *rms* speeds at a given temperature.
- The lighter the molecule, the faster it moves, the higher its rms speed.  $u = \sqrt{\frac{3RT}{M}}$



#### Molecular diffusion

- Molecules are in constant and random motion and tend to move from regions where they are in higher concentration to regions where they are less concentrated — Diffusion.
- Smell of perfume the perfume molecules in the bottle diffuse and mix with the molecules of air in the room.



E.g. Diffusion of Bromine http://www.youtube.com/wa tch?v=\_oLPBnhOCjM

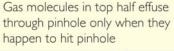
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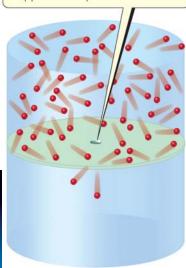
#### Molecular effusion

- The escape of molecule through a tiny hole effusion.
- Smell of food comes out from a sealed plastic bag or wrapper through some invisible tiny holes.









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#### Graham's law

• Diffusion / effusion rate (r) depends on the speed of molecules :

$$r \propto u = \sqrt{\frac{3kT}{m}}$$

• At same T, the ratio of diffusion rate between two gases of different masses is:

$$\frac{r_1}{r_2} = \sqrt{\frac{m_2}{m_1}}$$

where  $m_1$  and  $m_2$  is the masses of gases 1 and 2.

• Gas of lighter mass diffuse faster than gas of heavier mass.

