

```

def Euler(m, c, g, t0, v0, tn, n):
    # print headings and initial conditions
    print(f"values of t approximations v(t)\n")
    print(f"Step    0: {'%8.3f'%t0} {'%19.4f'%v0}")

    # compute step size h
    h = (tn-t0)/n


    # set t, v, to the initial values
    t = t0
    v = v0

    # compute v(t) over n time steps using Euler's method
    for x in range(n):
        v=v+(g-c/m*v)*h;
        t=t+h;
        print(f"Step {'%3.0f'%(x+1)}: {'%8.3f'%t} {'%19.4f'%v}")

# Euler ( 68.1 , 12.5 , 9.81 , 0 , 0 , 12 , 6 )

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 Euler ( 75.3 , 13.1 , 3.72 , 0 , 0 , 16 , 40 )

 values of t approximations v(t)

Step	0:	0.000	0.0000
Step	1:	0.400	1.4880
Step	2:	0.800	2.8725
Step	3:	1.200	4.1606
Step	4:	1.600	5.3590
Step	5:	2.000	6.4741
Step	6:	2.400	7.5116
Step	7:	2.800	8.4769
Step	8:	3.200	9.3750
Step	9:	3.600	10.2106
Step	10:	4.000	10.9881
Step	11:	4.400	11.7114
Step	12:	4.800	12.3844
Step	13:	5.200	13.0106
Step	14:	5.600	13.5932
Step	15:	6.000	14.1353
Step	16:	6.400	14.6397
Step	17:	6.800	15.1089
Step	18:	7.200	15.5455
Step	19:	7.600	15.9517
Step	20:	8.000	16.3297
Step	21:	8.400	16.6813
Step	22:	8.800	17.0085
Step	23:	9.200	17.3129
Step	24:	9.600	17.5961
Step	25:	10.000	17.8596
Step	26:	10.400	18.1048
Step	27:	10.800	18.3329
Step	28:	11.200	18.5452
Step	29:	11.600	18.7426
Step	30:	12.000	18.9264
Step	31:	12.400	19.0973
Step	32:	12.800	19.2564
Step	33:	13.200	19.4044
Step	34:	13.600	19.5420
Step	35:	14.000	19.6701
Step	36:	14.400	19.7893
Step	37:	14.800	19.9002
Step	38:	15.200	20.0034
Step	39:	15.600	20.0994
Step	40:	16.000	20.1887

```

import math

def vel(m, c, g, t0, tn, n):
    # print headings and initial conditions
    t1 = g * m / c
    t2 = 1 - math.exp(-c * t0 / m)
    v=t1*t2

    print(f"values of t approximations v(t)\n")
    print(f"Step    0: {'%8.3f'%t0} {'%19.4f'%v}")

    # compute step size h
    h = (tn-t0)/n

    # set t, v, to the initial values
    t = t0

    # compute v(t) over n time steps using Euler's method
    for x in range(n):
        t=t+h
        t1 = g * m / c
        t2 = 1 - math.exp(-c * t / m)
        v=t1*t2
        print(f"Step {'%3.0f'% (x+1)}: {'%8.3f'%t} {'%19.4f'%v}")

vel    ( 75.3 , 13.1 , 3.72 , 0 , 16 , 40 )

```

values of t approximations v(t)

Step 0:	0.000	0.0000
Step 1:	0.400	1.4374
Step 2:	0.800	2.7782
Step 3:	1.200	4.0288
Step 4:	1.600	5.1954
Step 5:	2.000	6.2836
Step 6:	2.400	7.2986
Step 7:	2.800	8.2454
Step 8:	3.200	9.1285
Step 9:	3.600	9.9523
Step 10:	4.000	10.7207
Step 11:	4.400	11.4374
Step 12:	4.800	12.1060

Step 13:	5.200	12.7296
Step 14:	5.600	13.3113
Step 15:	6.000	13.8539
Step 16:	6.400	14.3600
Step 17:	6.800	14.8321
Step 18:	7.200	15.2724
Step 19:	7.600	15.6832
Step 20:	8.000	16.0663
Step 21:	8.400	16.4237
Step 22:	8.800	16.7571
Step 23:	9.200	17.0681
Step 24:	9.600	17.3581
Step 25:	10.000	17.6287
Step 26:	10.400	17.8810
Step 27:	10.800	18.1164
Step 28:	11.200	18.3360
Step 29:	11.600	18.5408
Step 30:	12.000	18.7319
Step 31:	12.400	18.9101
Step 32:	12.800	19.0763
Step 33:	13.200	19.2314
Step 34:	13.600	19.3760
Step 35:	14.000	19.5109
Step 36:	14.400	19.6368
Step 37:	14.800	19.7541
Step 38:	15.200	19.8636
Step 39:	15.600	19.9658
Step 40:	16.000	20.0610

Approximately 21.3829; the estimation of velocity for time 96s is shown to be the same as for time 120s, and can be assumed that the approximation for the terminal velocity is 21.3829 m/s

▶ vel ( 75.3 , 13.1 , 3.72 , 0 , 120 , 5 )

↔ values of t approximations v(t)

Step	0:	0.000	0.0000
Step	1:	24.000	21.0542
Step	2:	48.000	21.3778
Step	3:	72.000	21.3828
Step	4:	96.000	21.3829
Step	5:	120.000	21.3829