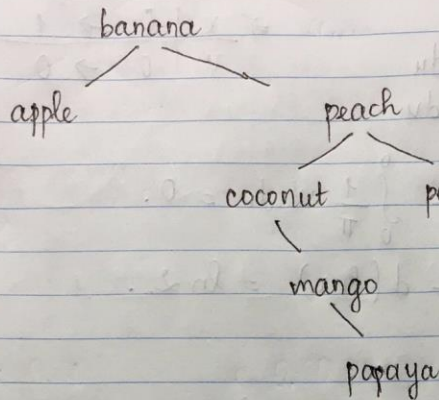


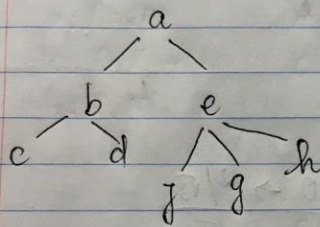
DMA - B05

Problem Set 12

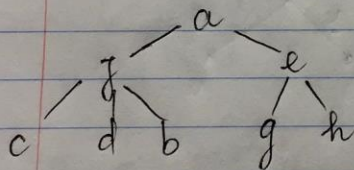
Problem 1:



Problem 2

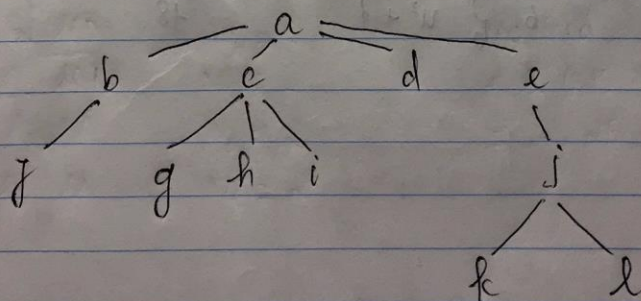


Post-order : c-d-b-f-g-h-e-a

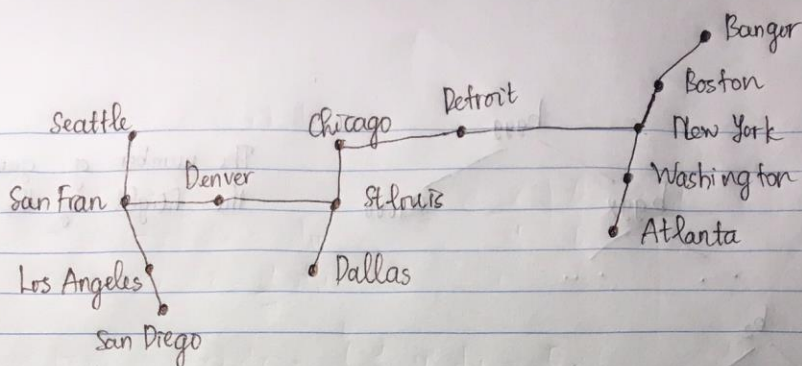


Post-order : c-d-b-f-g-h-e-a

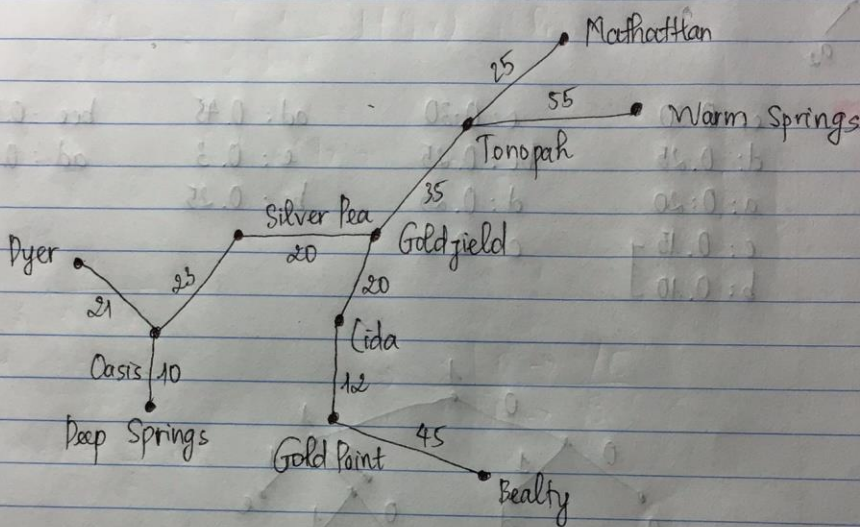
Problem 3



Problem 4



Problem 5



Problem 6

Let G be a tree.

By the definition of a tree, G is connected and has $n-1$ edges.

Theorem: A tree with n vertices has $n-1$ edges.

This was proven by using a proof by induction on the number of vertices n .

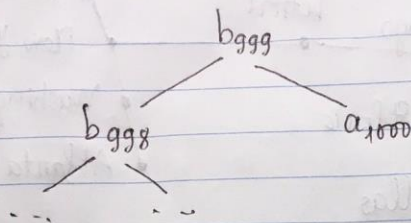
→ G is connected and has $n-1$ edges.

Problem 7

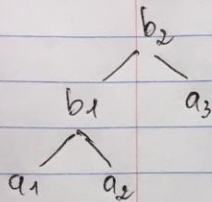
Suppose $a_1, a_2, a_3, \dots, a_{1000}$ are the people in the tournament.

Suppose a_1, a_2 and b_1 is winner.

Suppose b_1, a_3 and b_2 is winner.



The number of game is
the height of the tree: 999



Problem 8:

e: 0.30

e: 0.30

ad: 0.45

bce: 0.55

d: 0.25

bc: 0.25

e: 0.3

ad: 0.45

a: 0.20

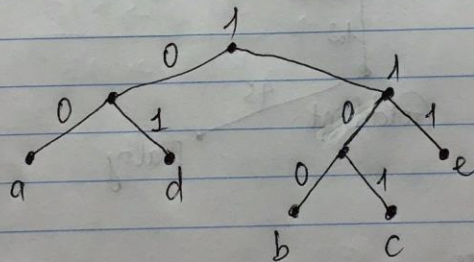
d: 0.25

bc: 0.25

c: 0.15

c: 0.2

b: 0.10



a: 00

$w_a = 2$

→ Average number of bits

b: 100

$w_b = 3$

required = $2 \cdot 0,2 + 3 \cdot 0,1$

c: 101

$w_c = 3$

+ $3 \cdot 0,15 + 2 \cdot 0,75 + 2 \cdot 0,3$

d: 01

$w_d = 2$

= 2,25

e: 11

$w_e = 2$