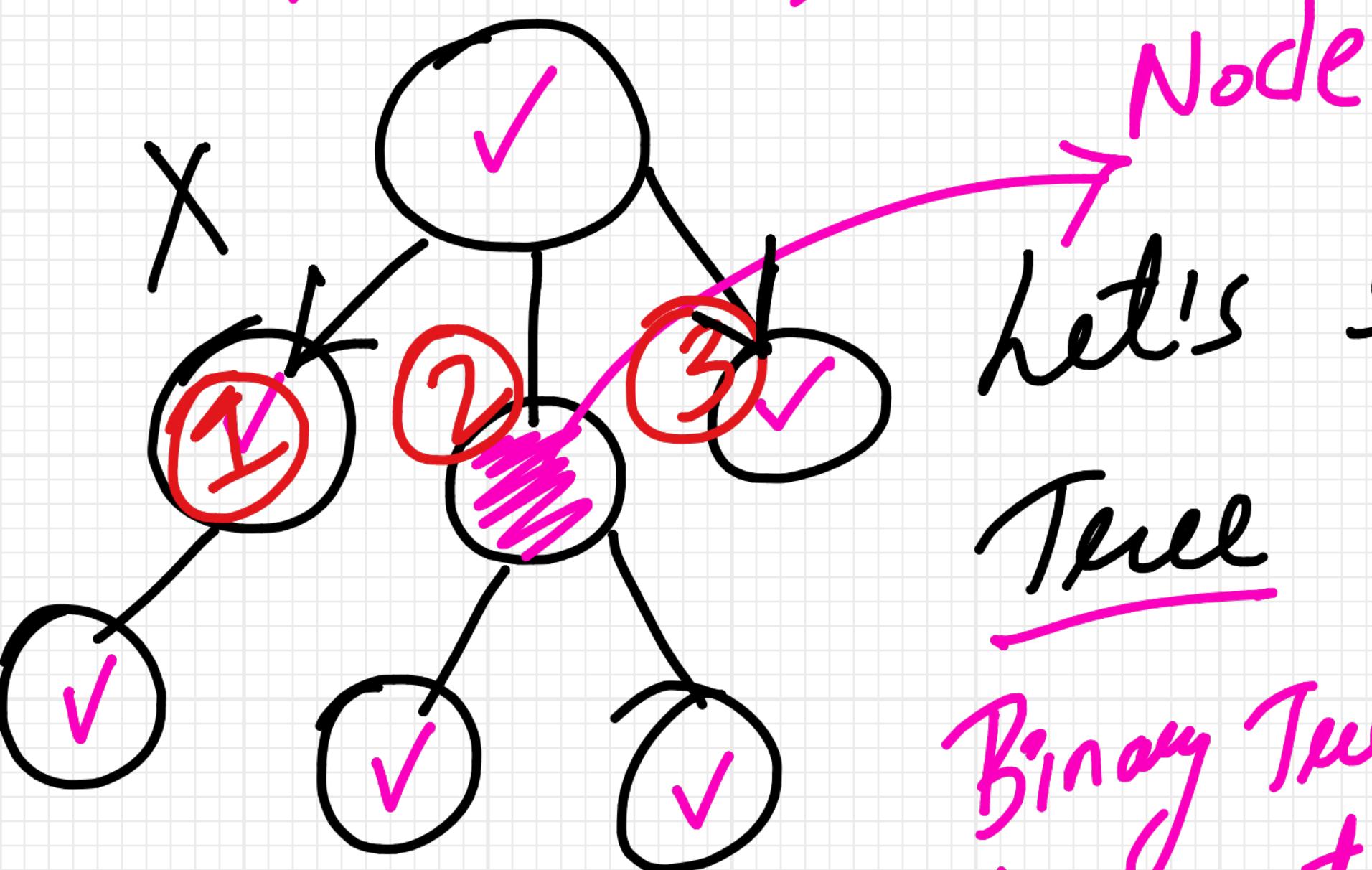
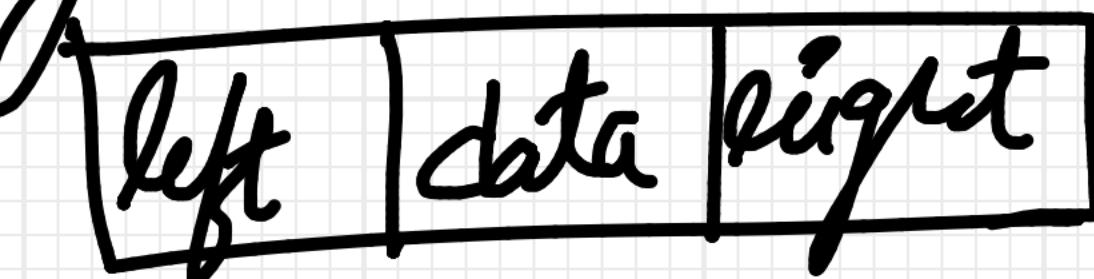


# How do you represent Node in Python



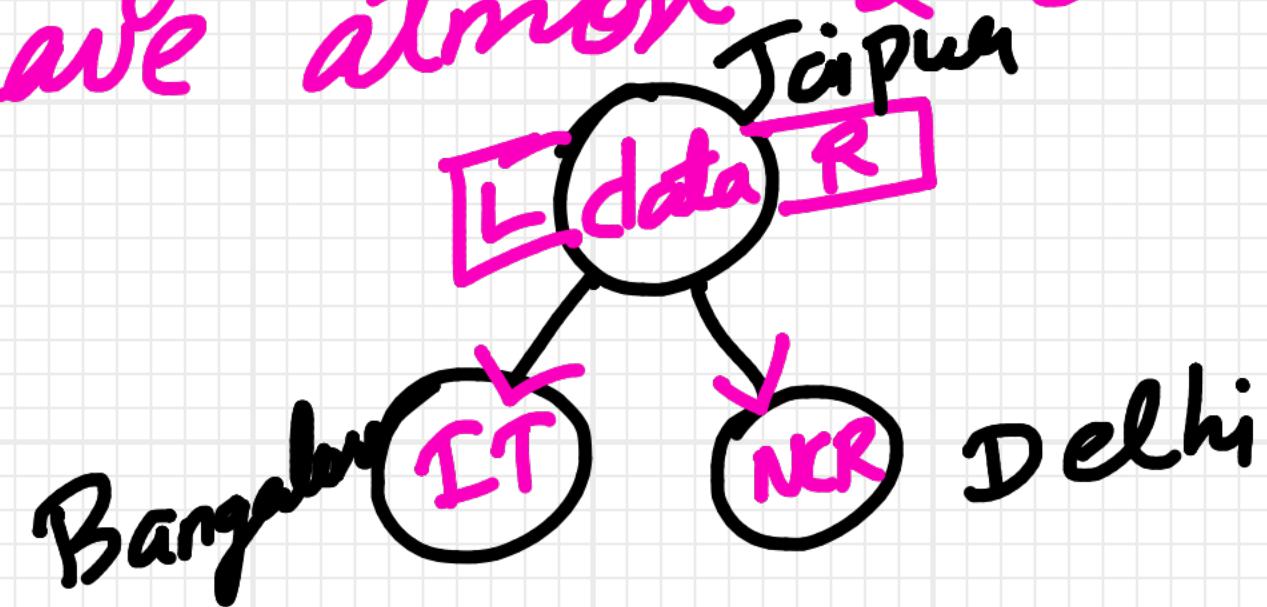
Node

let's say it is a Binary  
Tree

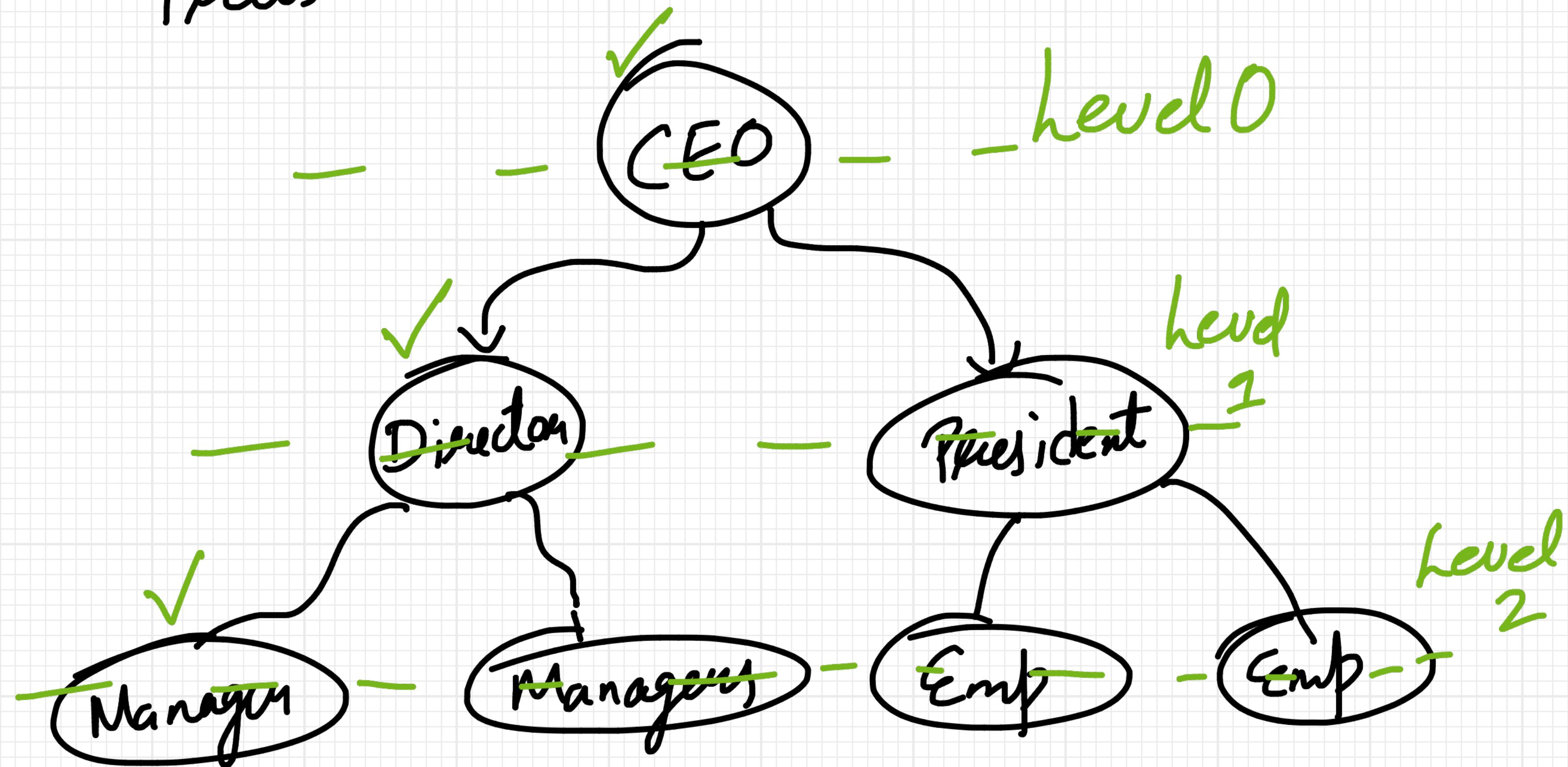


Binary Tree => Each node must have atmost 2 children

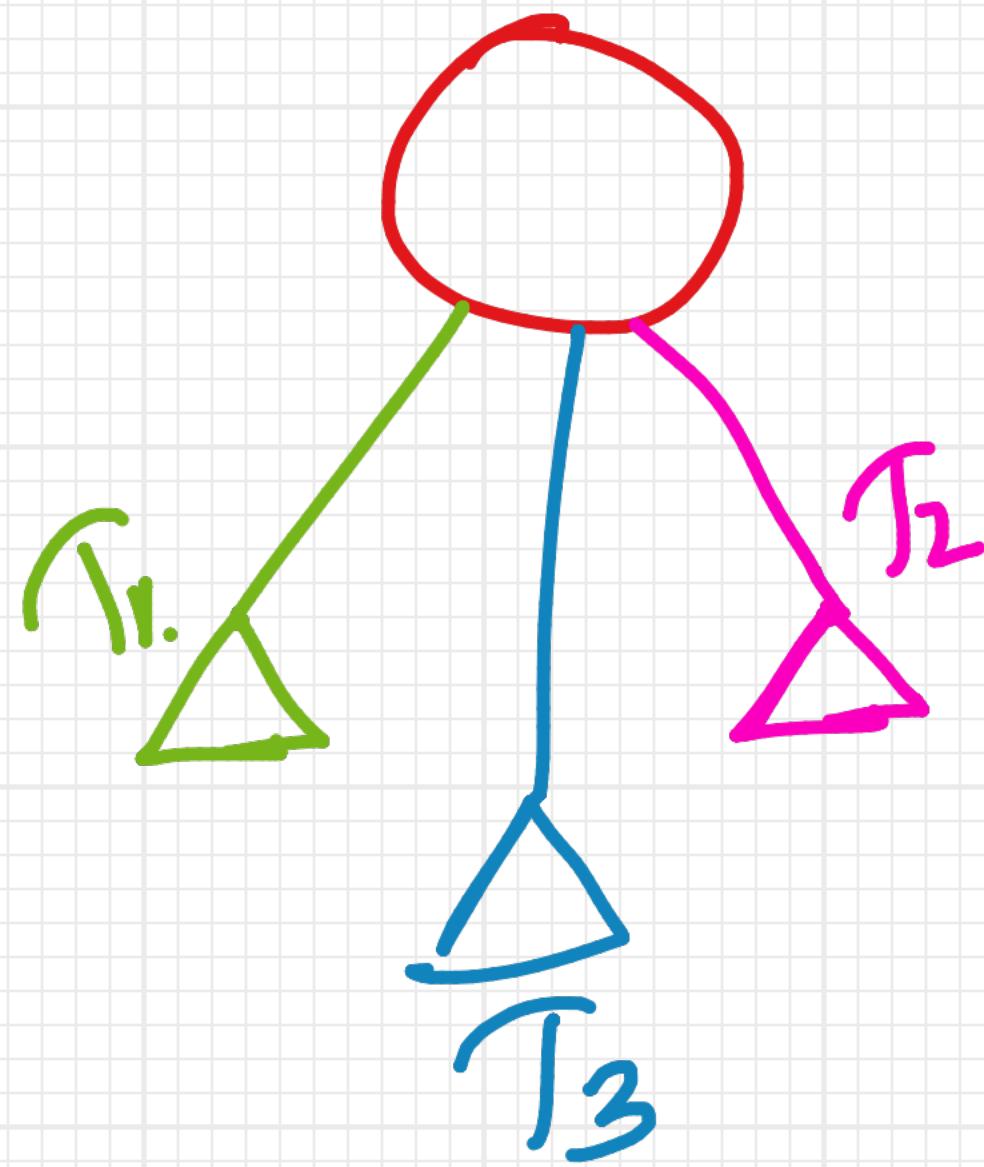
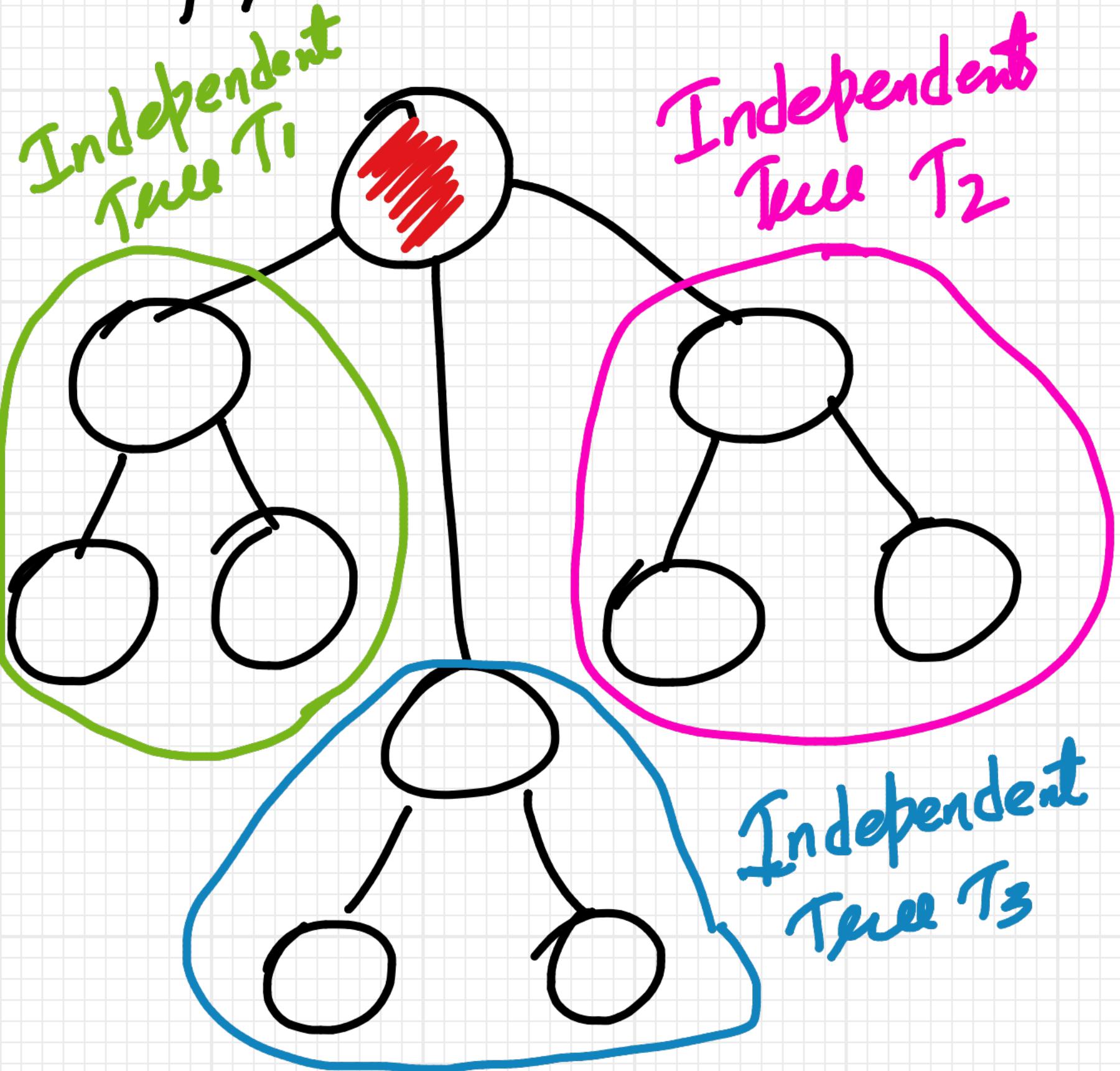
0, 2, 3 are children of root.



Trees are Hierarchical D.S



Trees are Recursive D.S



Q1. Who is Root?

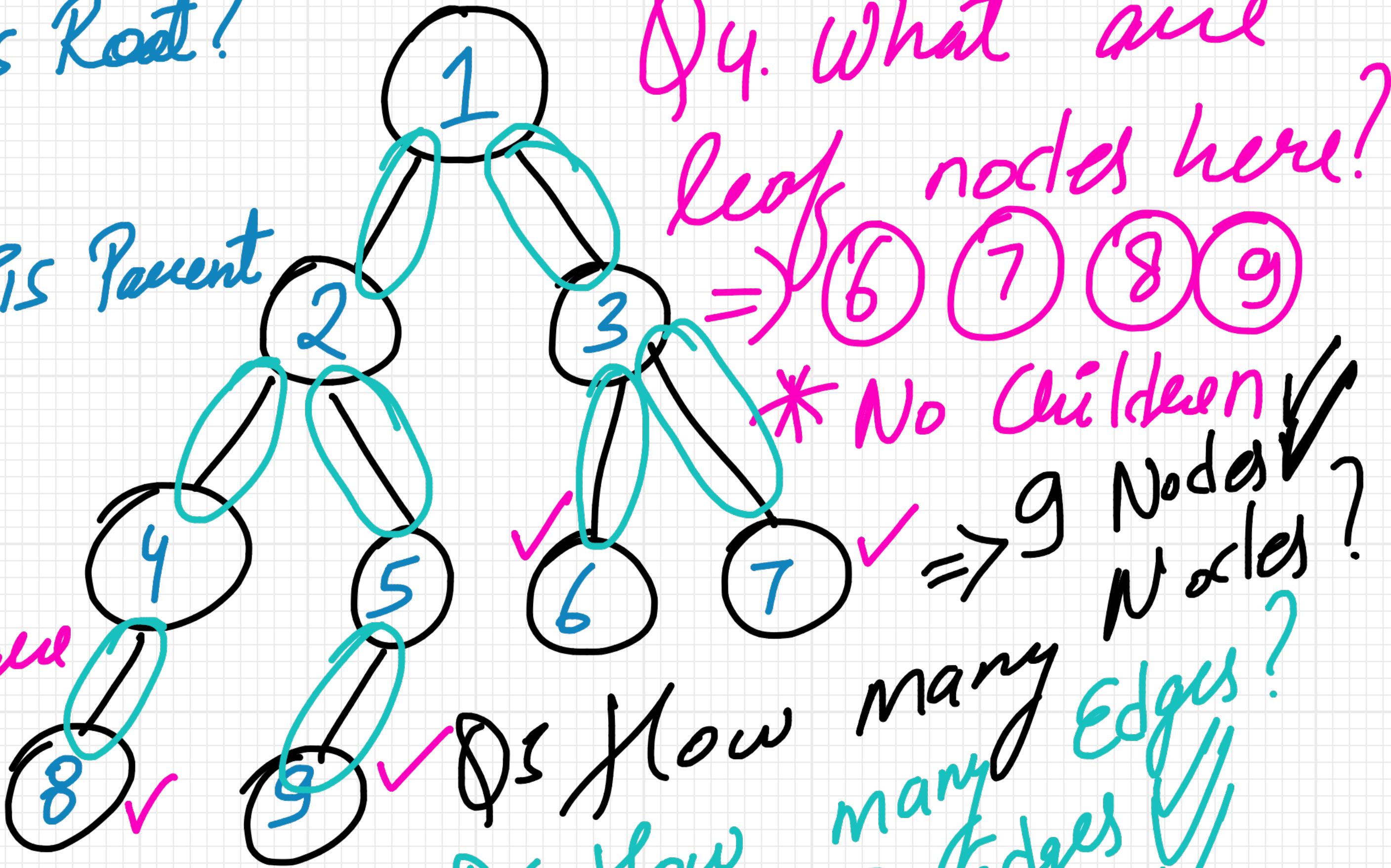
$\Rightarrow 1$

Q2. Who is Parent

$\Rightarrow 2$

Q3. Who are children  
of 2

$\Rightarrow 4, 5$



Q4. What are  
leaf nodes here?

$\Rightarrow 6, 7, 8, 9$

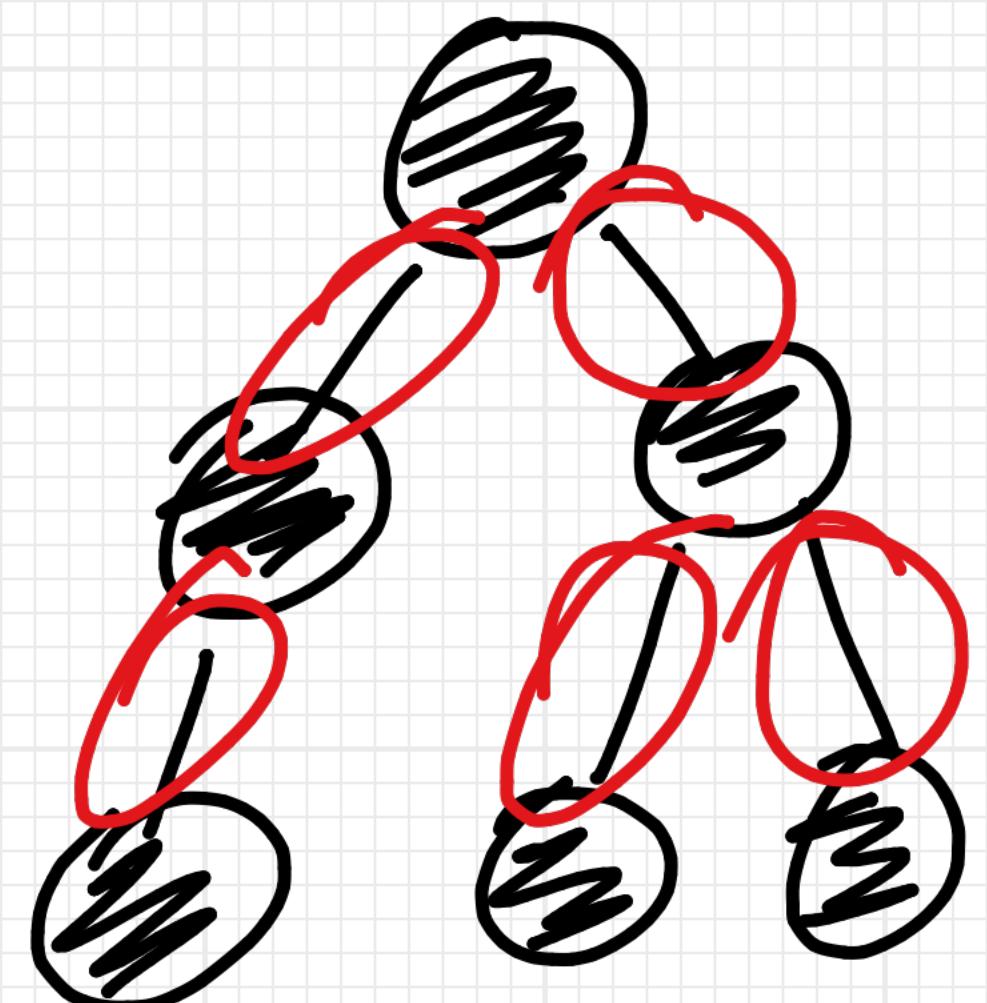
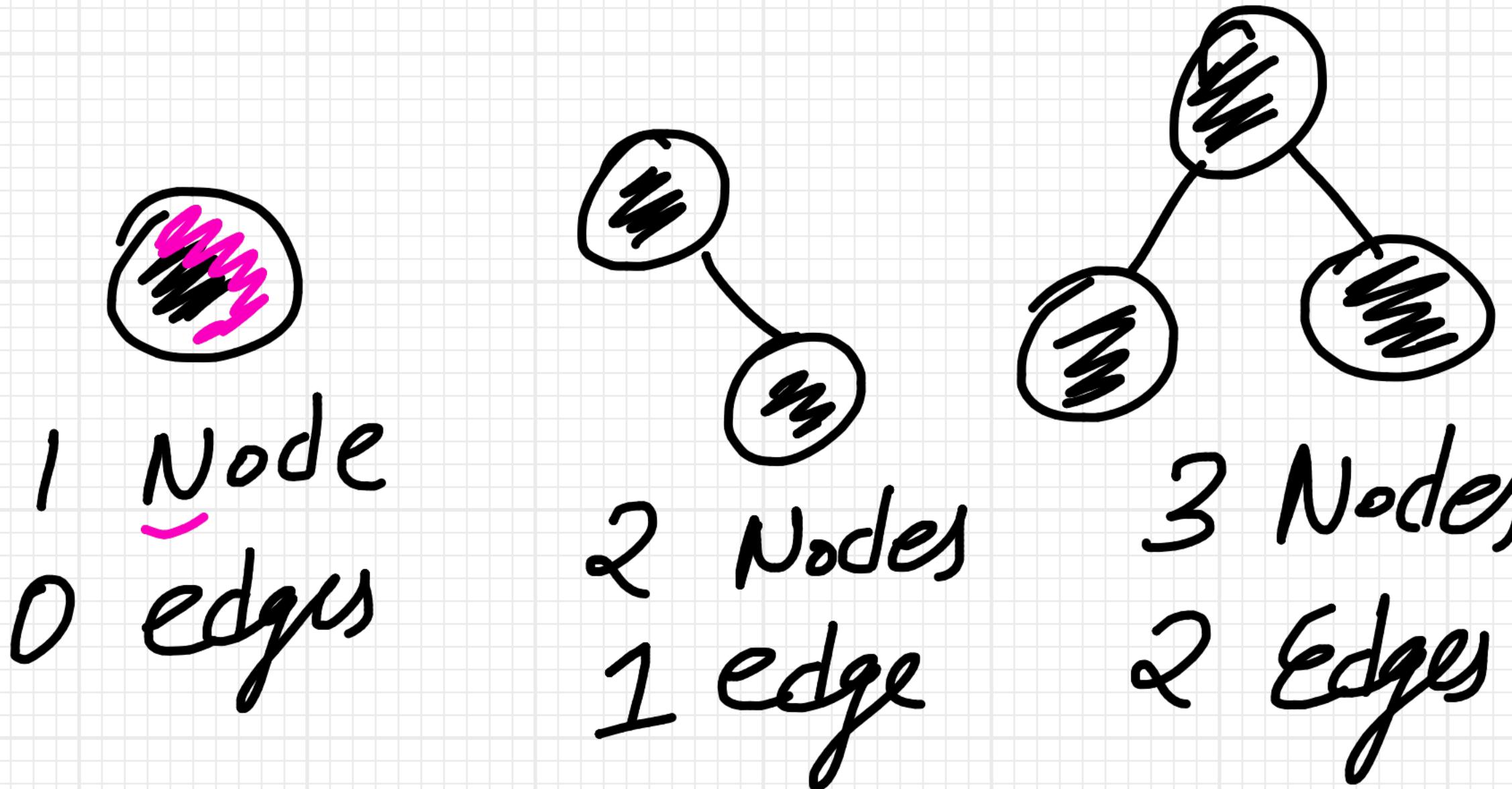
\* No Children  
Nodes? Nodes?  
No Children  
Nodes? Nodes?

Q5. How many  
edges?

Q6. How  
 $\Rightarrow$  8 Edges

For Trees

$$\boxed{\text{Edges} = \text{Nodes} - 1}$$



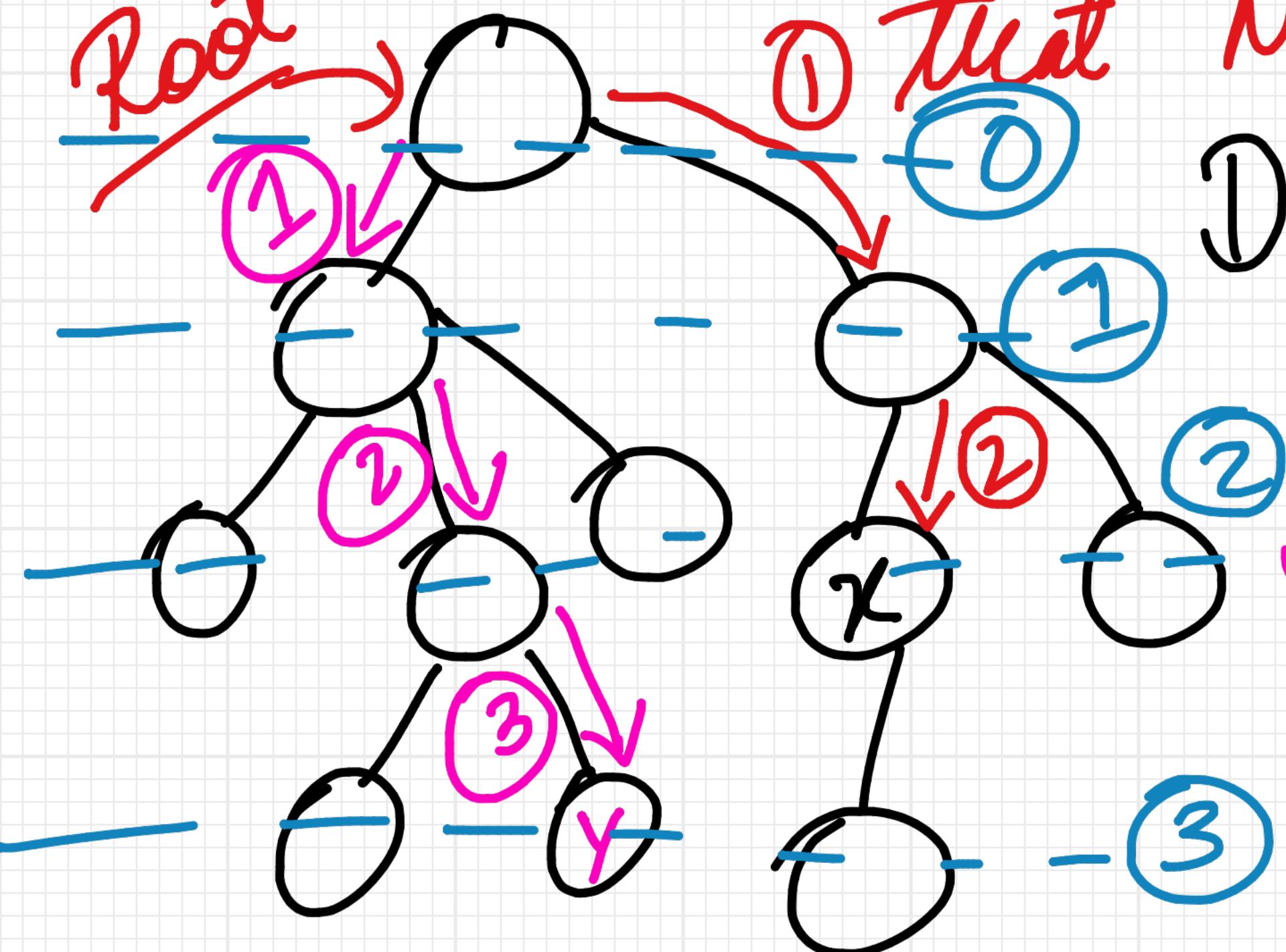
6 Nodes

5 edges

Depth of Node

Node  
=> No. of Edges from root to  
① th. Node

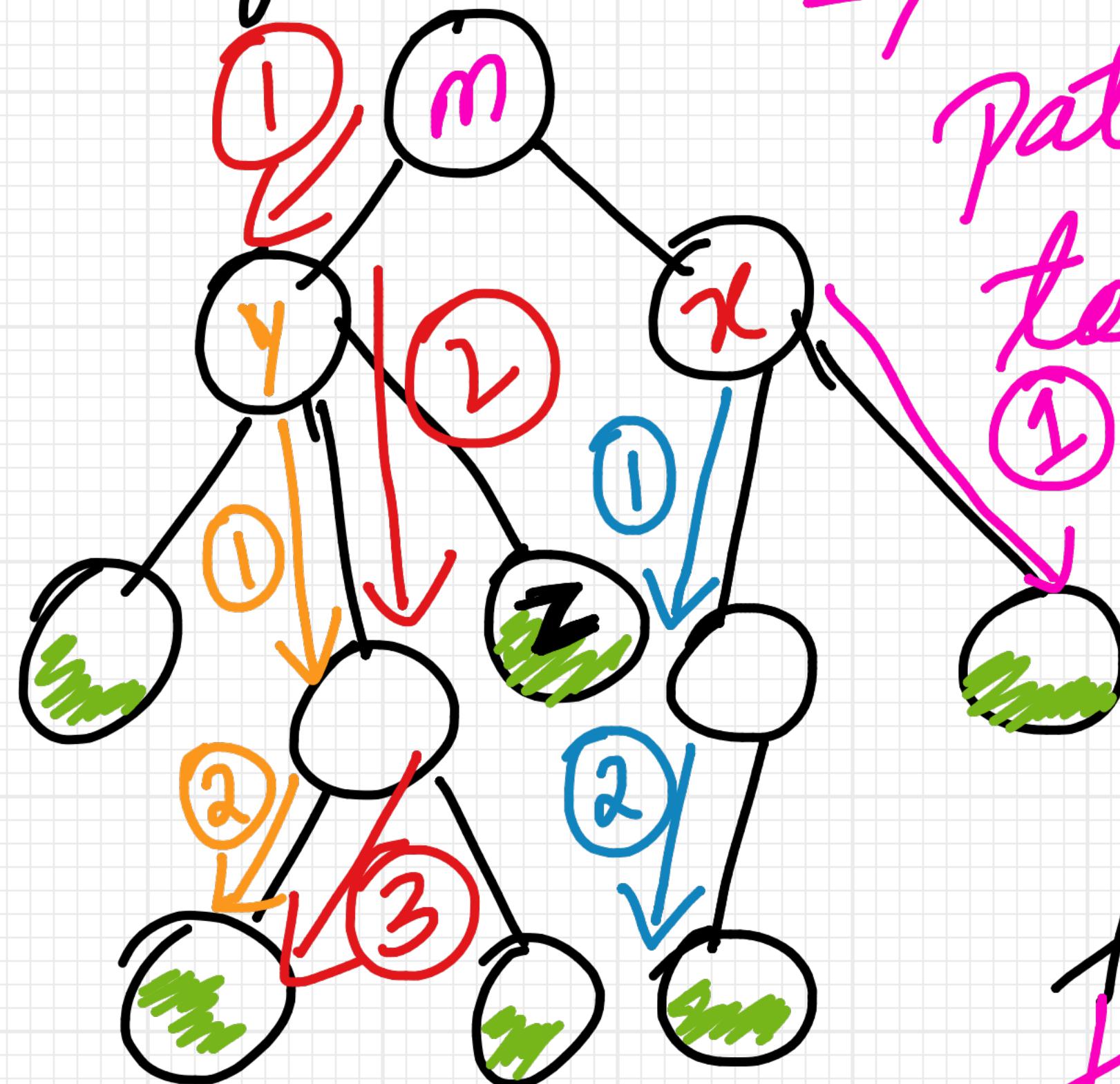
Root



Depth of  $x = 2$

③ Depth of  $y = 3$

# Height of Node



⇒ No. of edges in \*longest path from Root node to any leaf.

Height of $x = 2$	Height of Tree
Height of $y = 2$	= Height of Root
Height of $z = 0$	of Node
Height of $m = 3$	

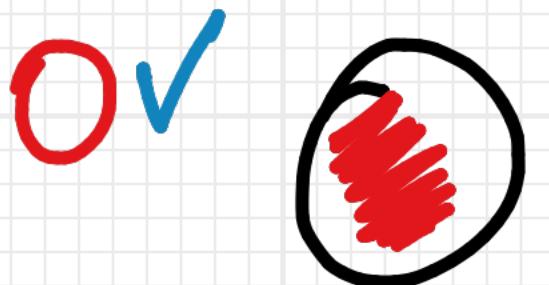
# # Binary Tree

min 0, max 2  
⇒ 0, 1, 2

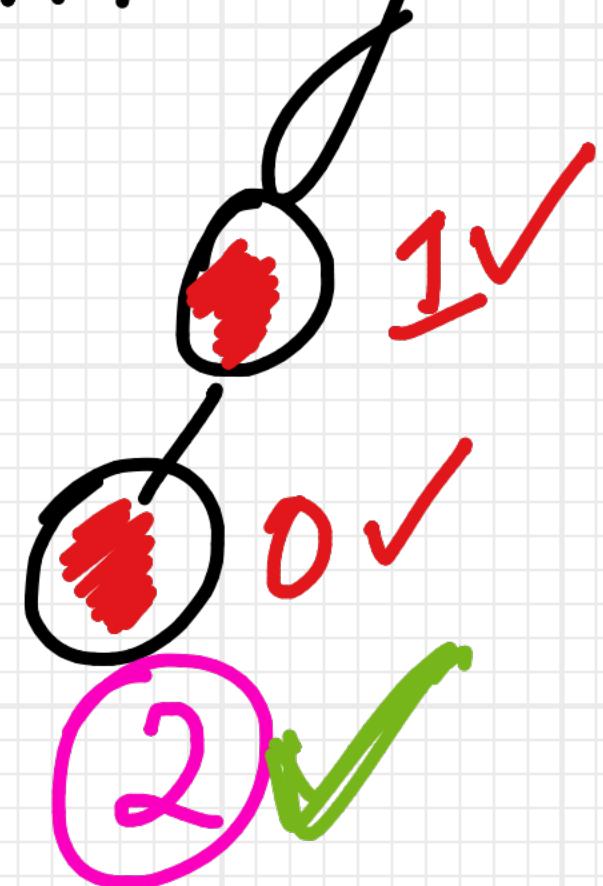
Each node must have max  
2 children

How many min?  $\Rightarrow 0$

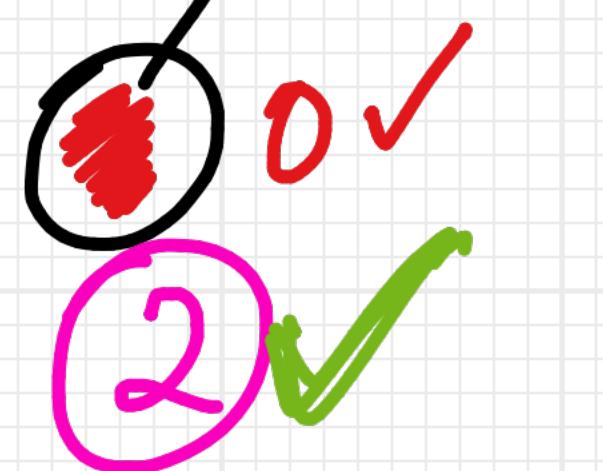
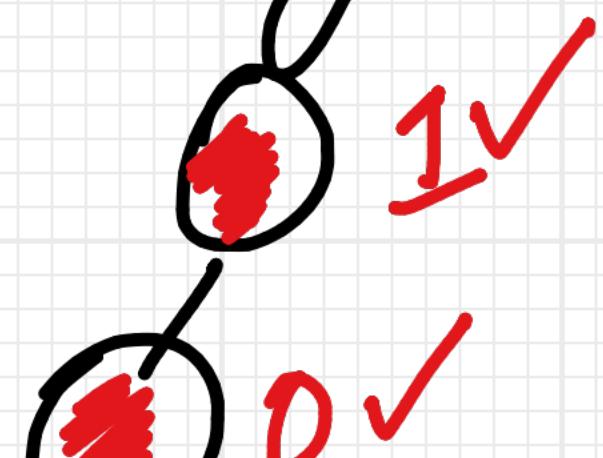
0 ✓



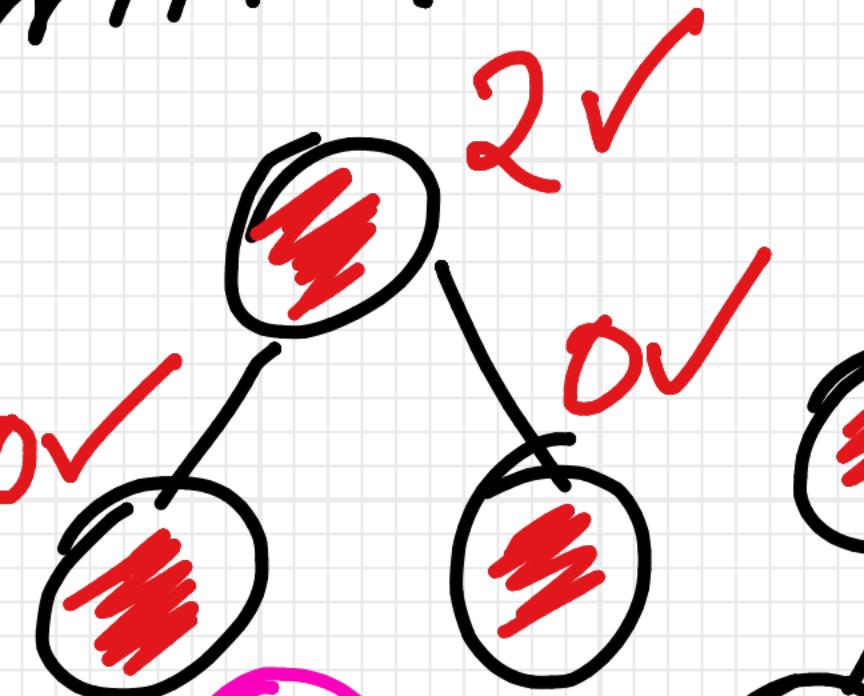
1 ✓



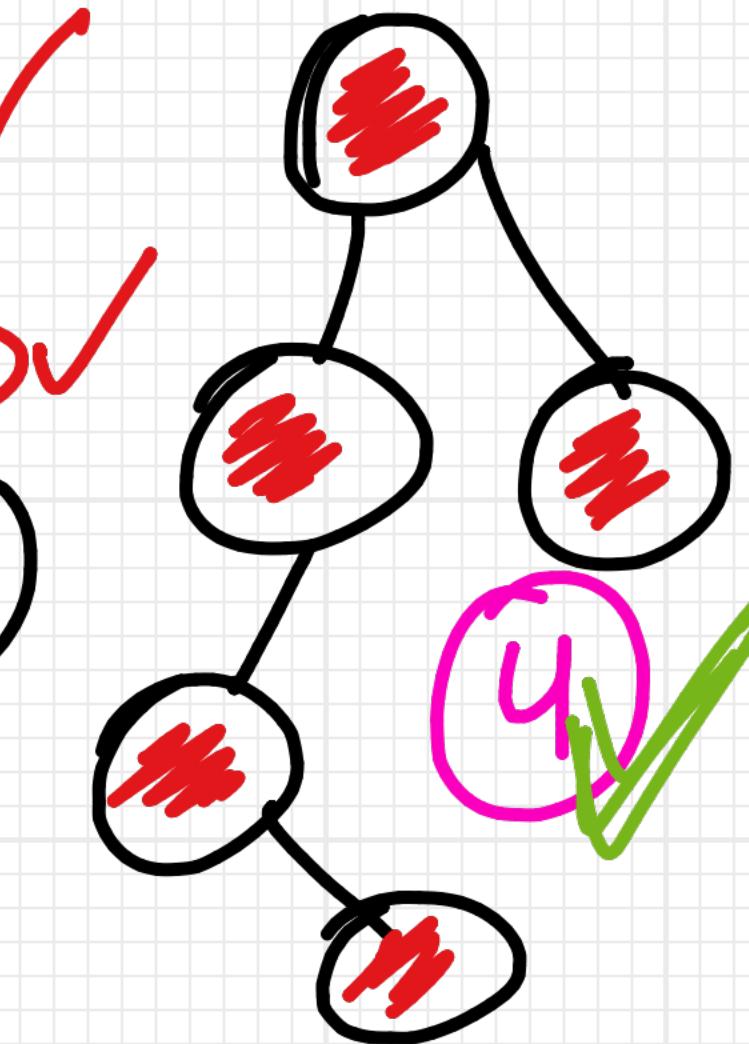
many min?  $\Rightarrow 0$



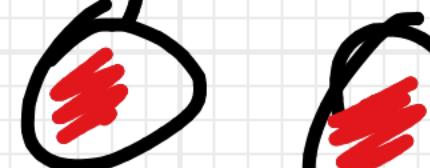
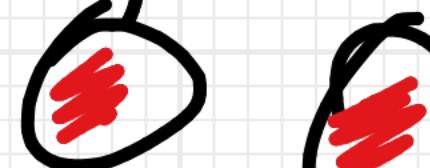
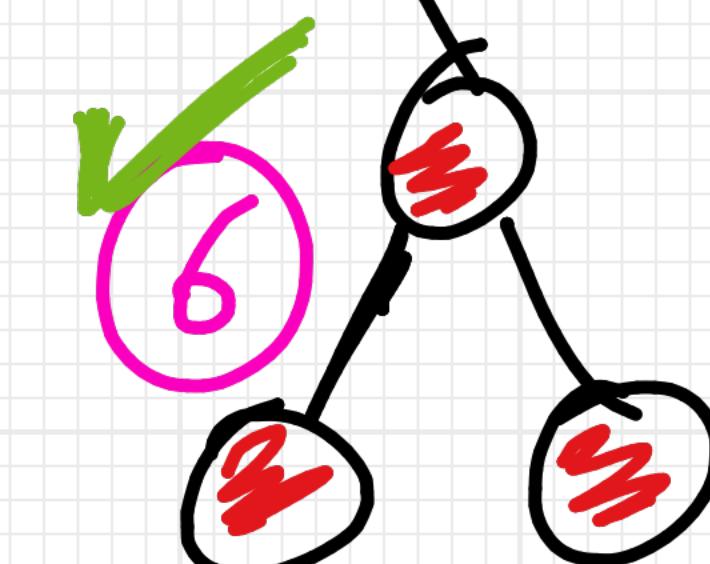
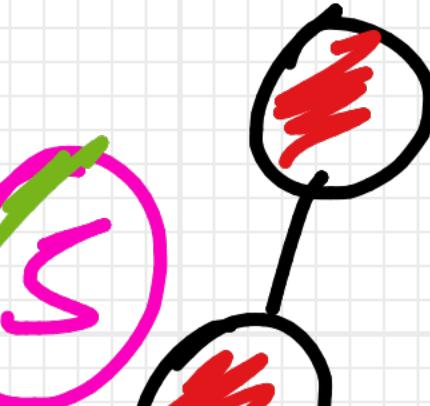
3 ✓

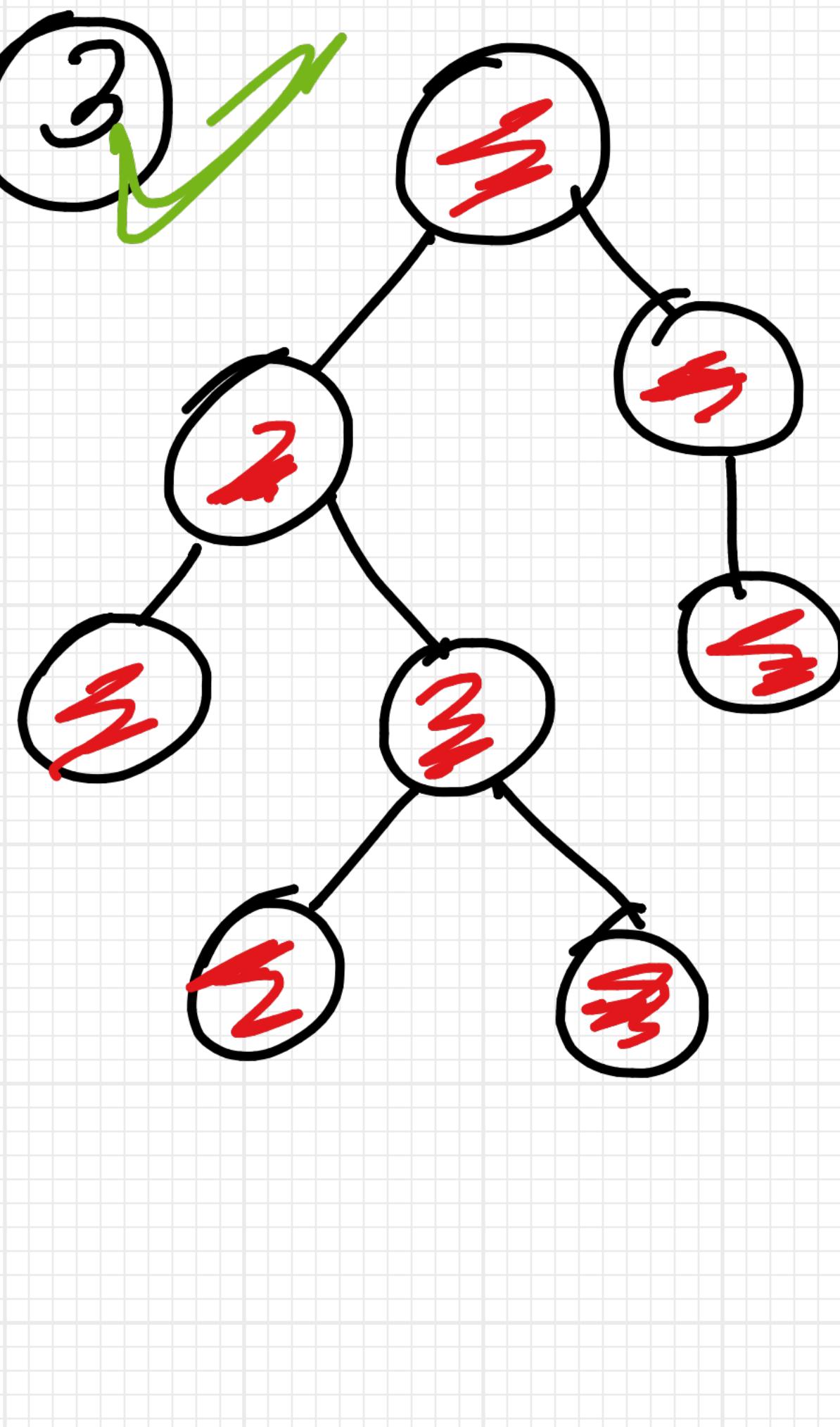
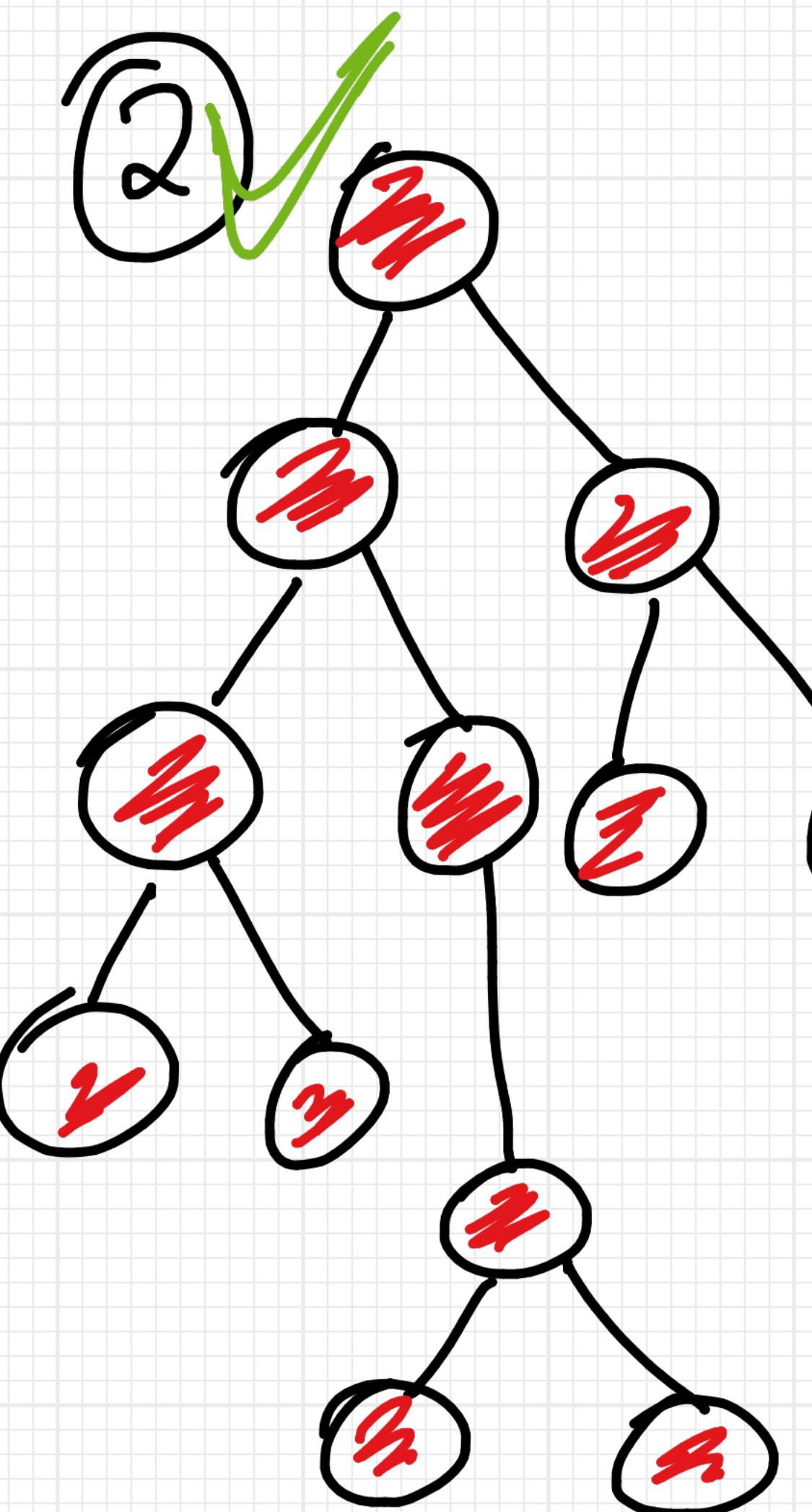
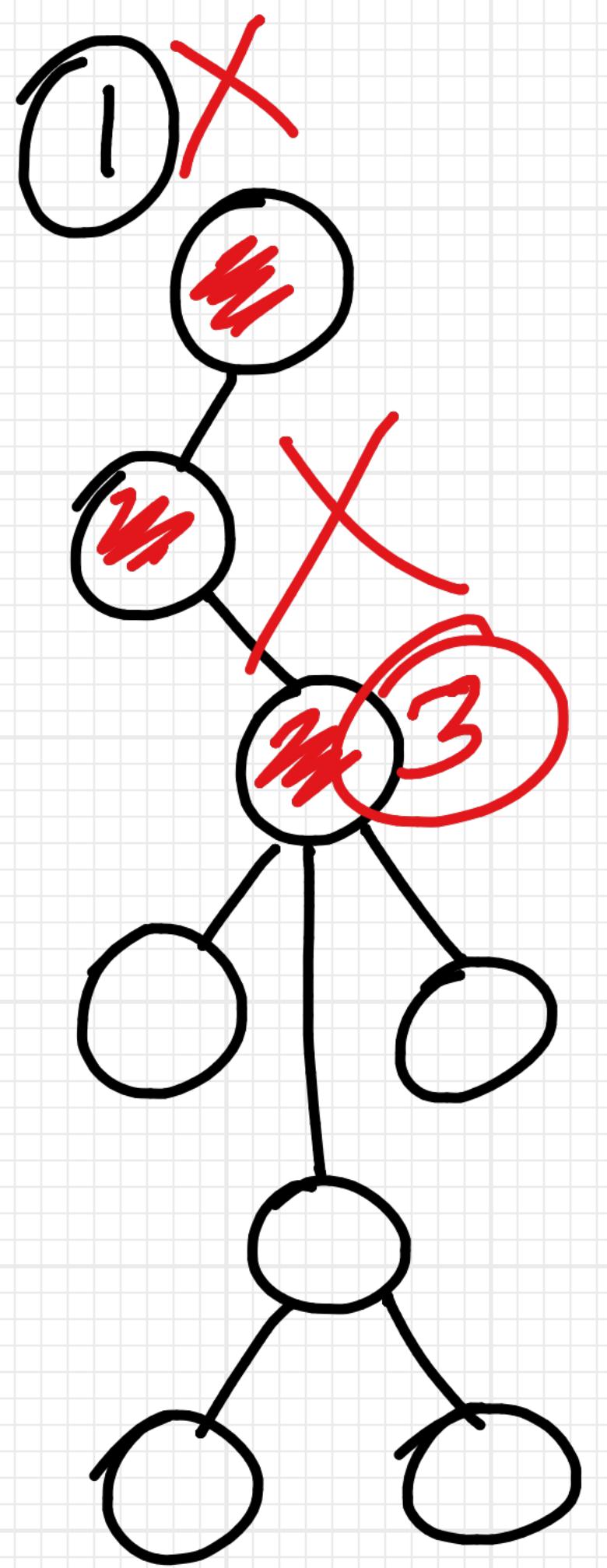


4 ✓

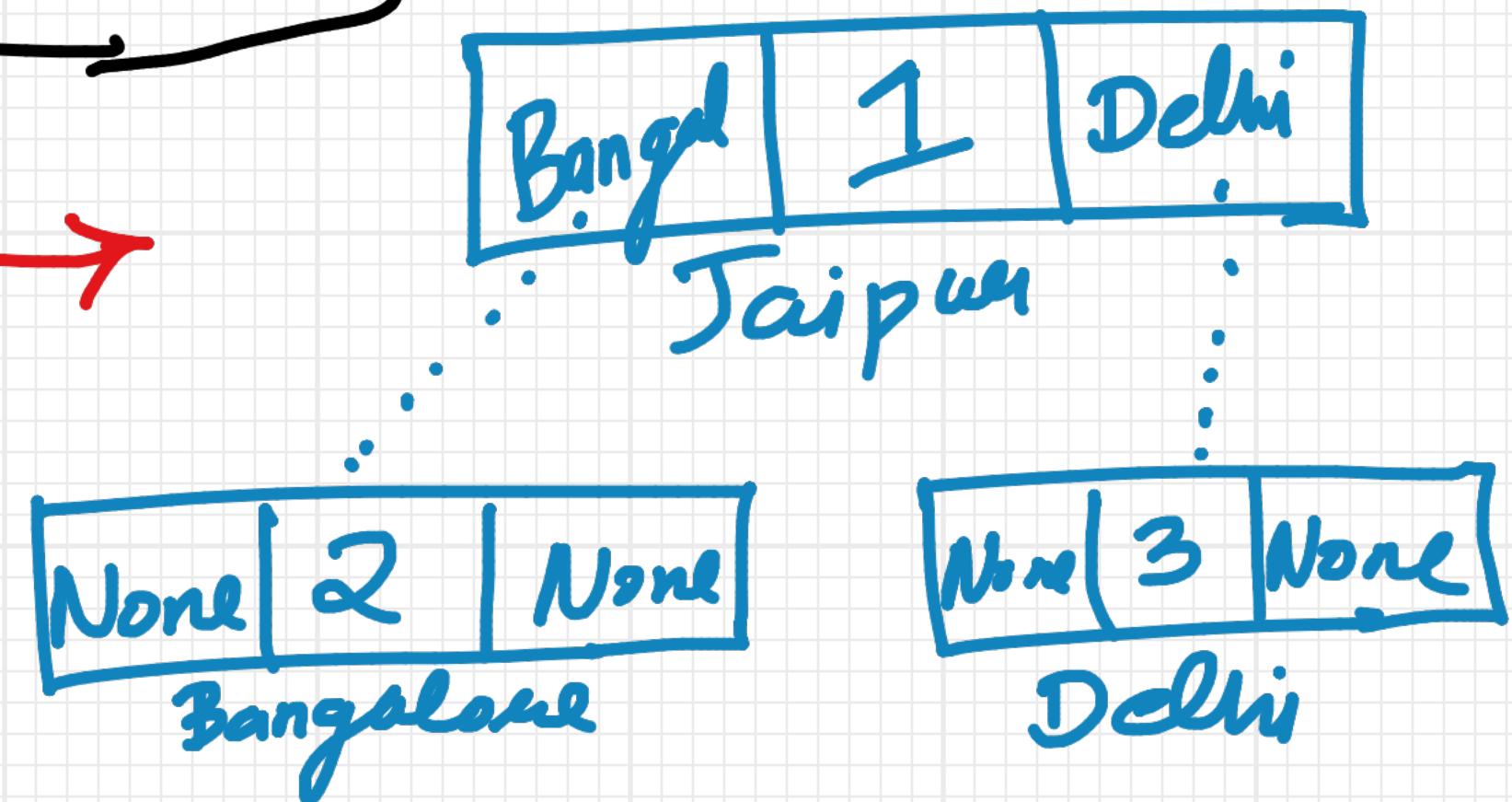
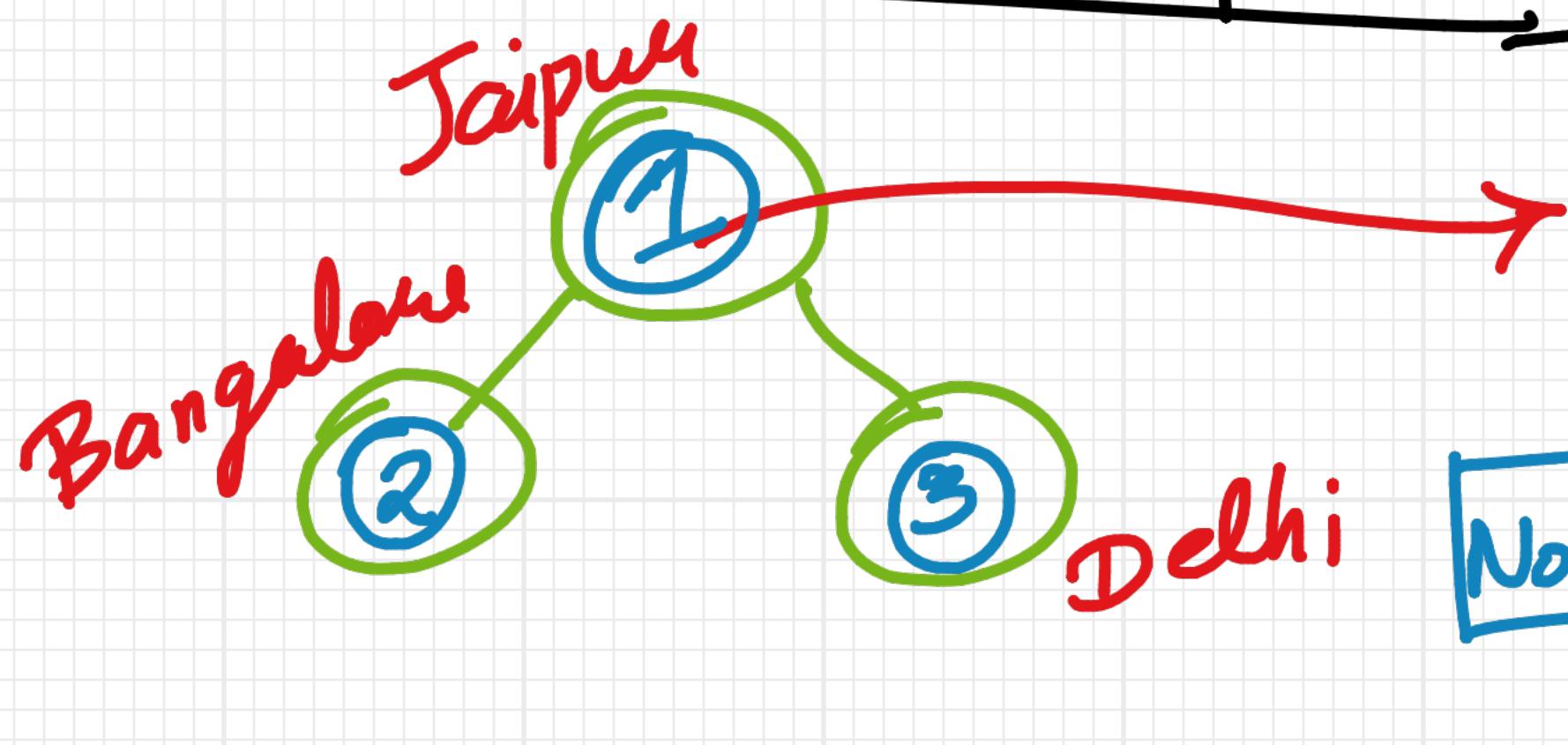


5 ✓





# Node

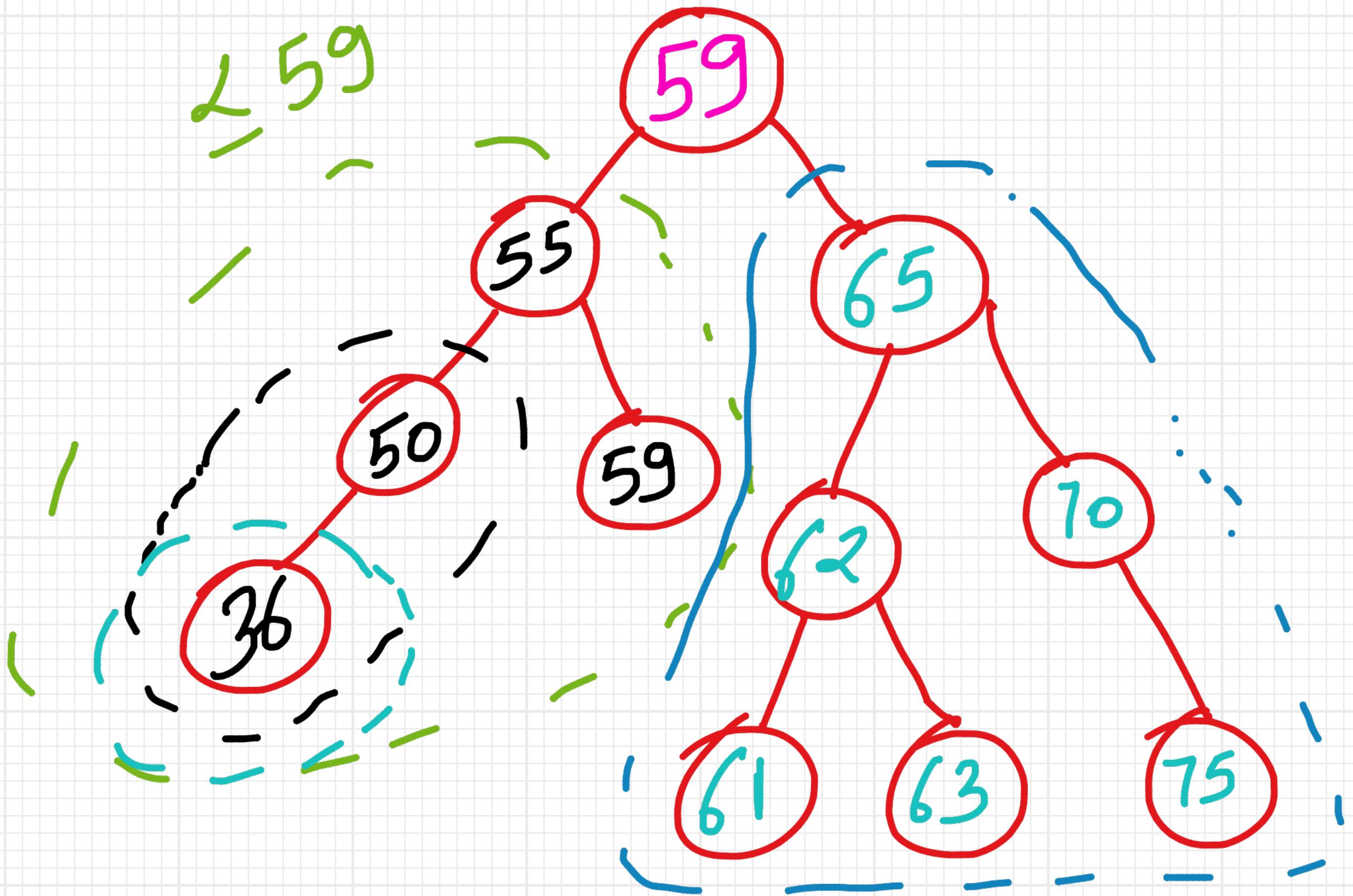


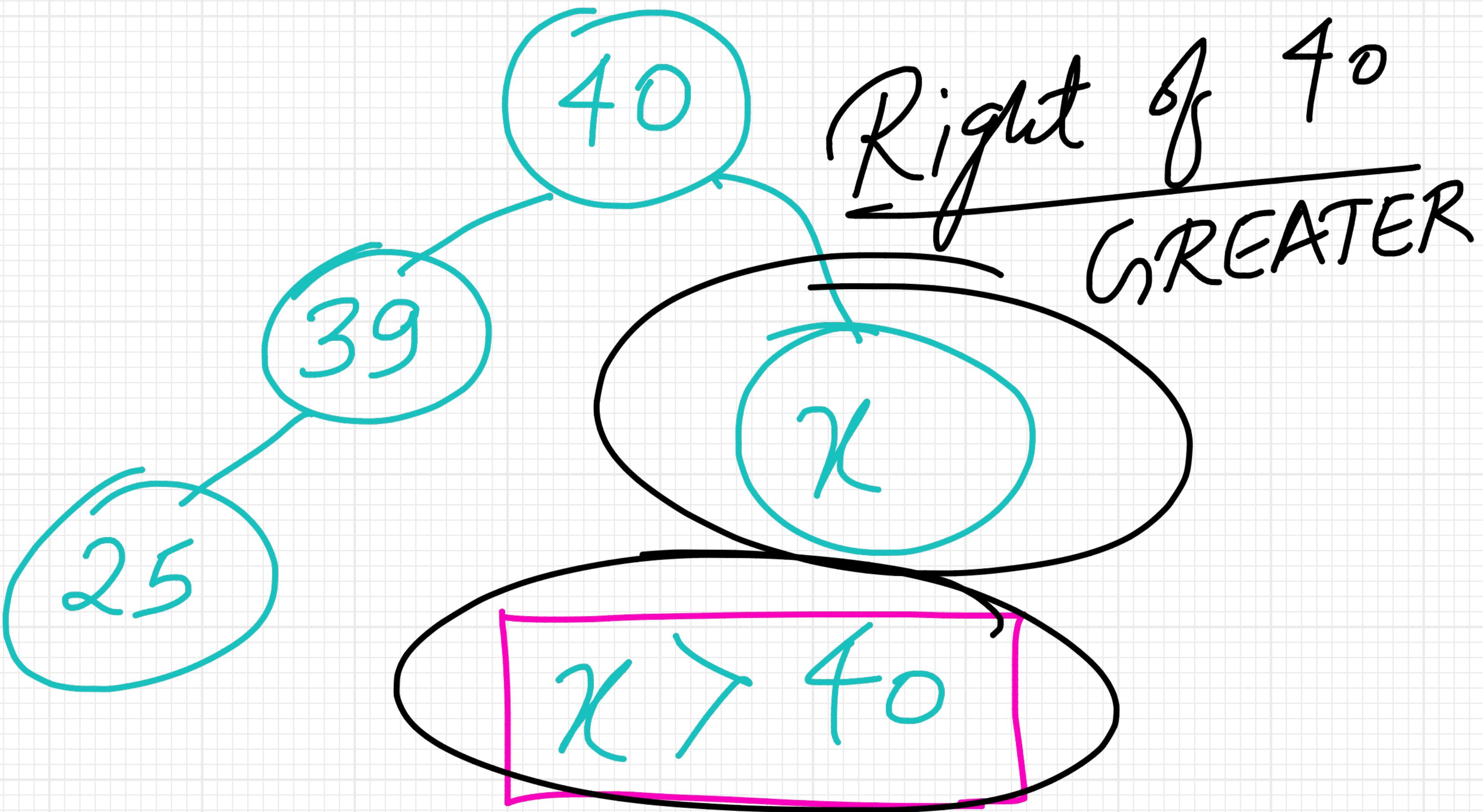
# # Binary Search Tree (B.S.T)

A binary search tree is a tree in which for each node, value/data of all the nodes in left subtree is lesser/equal. And value/data of each node in Right subtree is greater.

B.S.T is a tree which for each node :-

- ① Value of all the nodes in **LEFT** subtree is **LESSER/EQUAL**
- ② Value of all the nodes in **RIGHT** subtree is **GREATER**

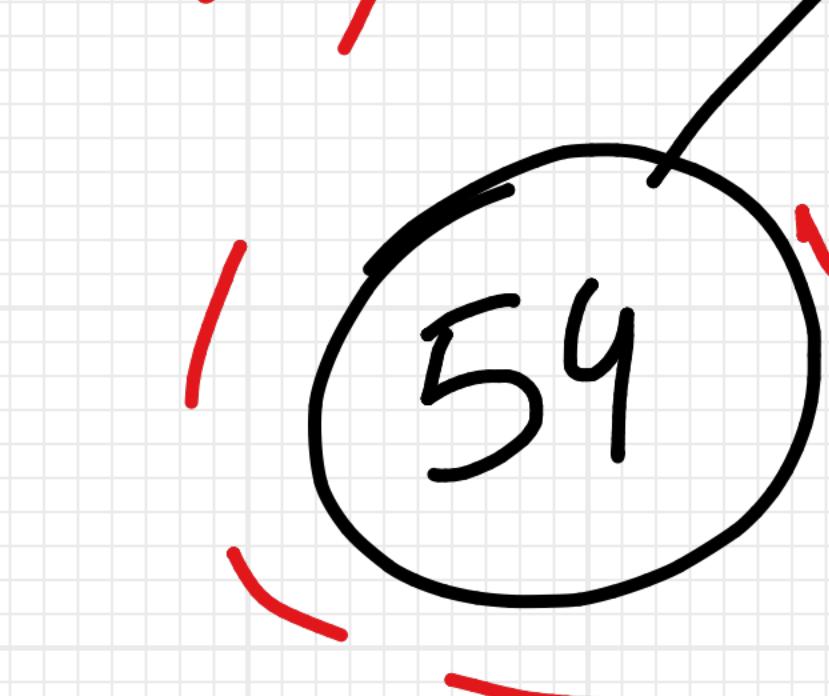




Q. Range of  $x$

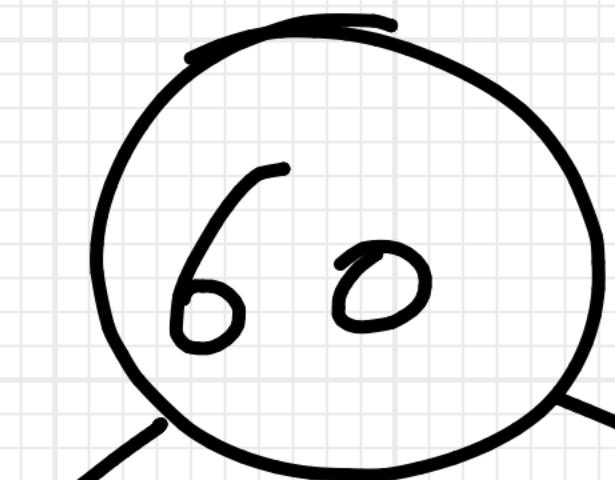
Qa. Range of  $y$

Left of  $60$



$$55 < x \leq 60$$

Right of  $60$



$$55 < x \leq 60$$

$$55 < x \leq 60$$

Right of  $55$

$$55 < x \leq 60$$

Right of  $55$

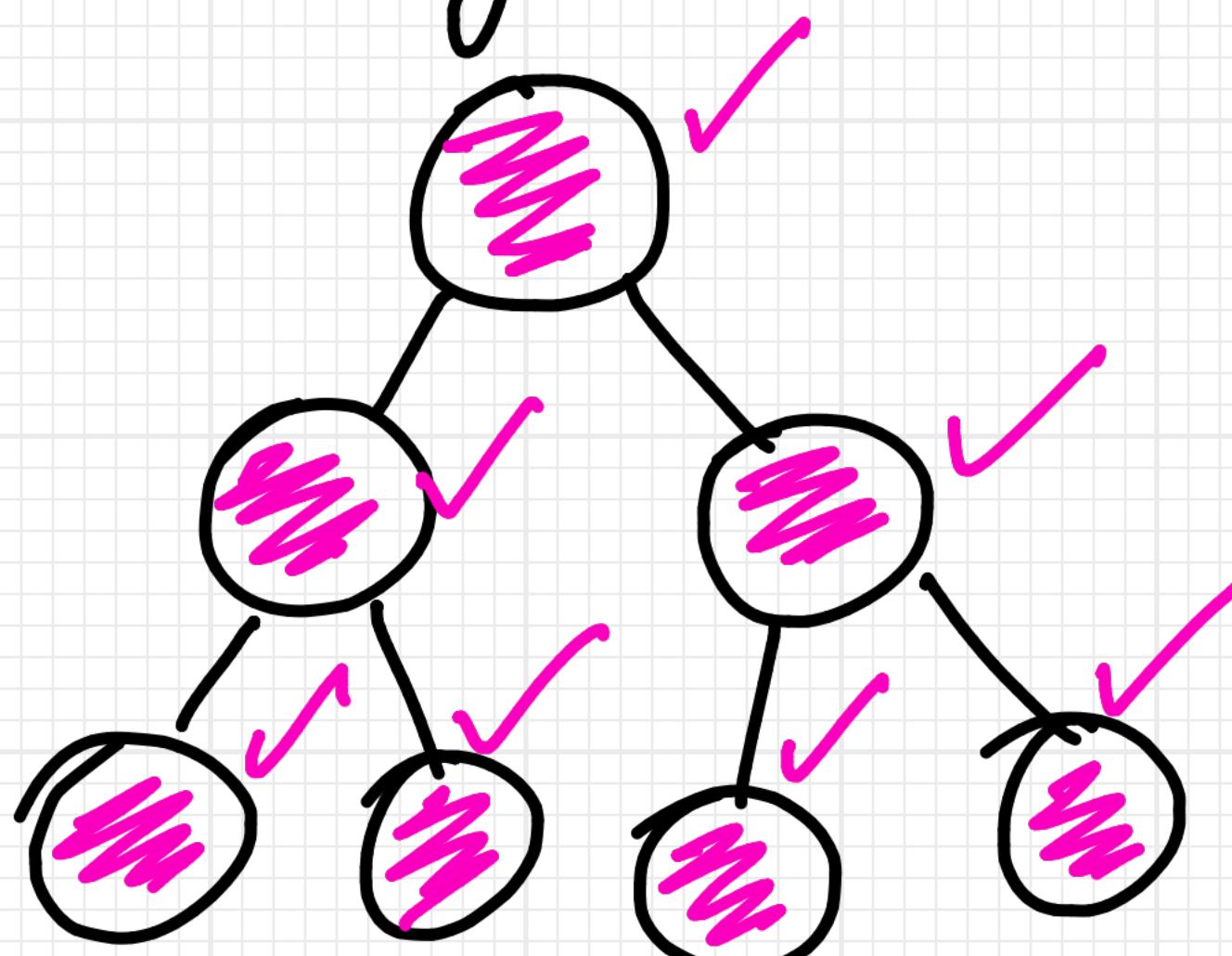
$$60 < y \leq 69$$

Right of  $69$

$$69 < y \leq 75$$

# X Traversal in B.S.T

Reading all nodes 1 by 1



BF  
Breadth  
First

Traversal

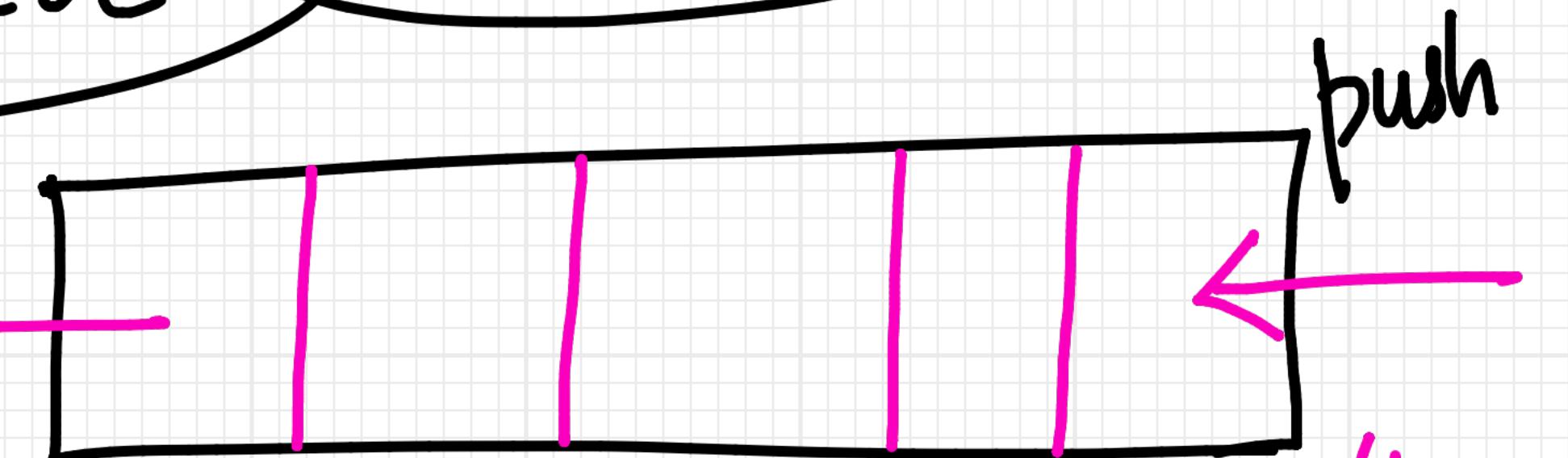
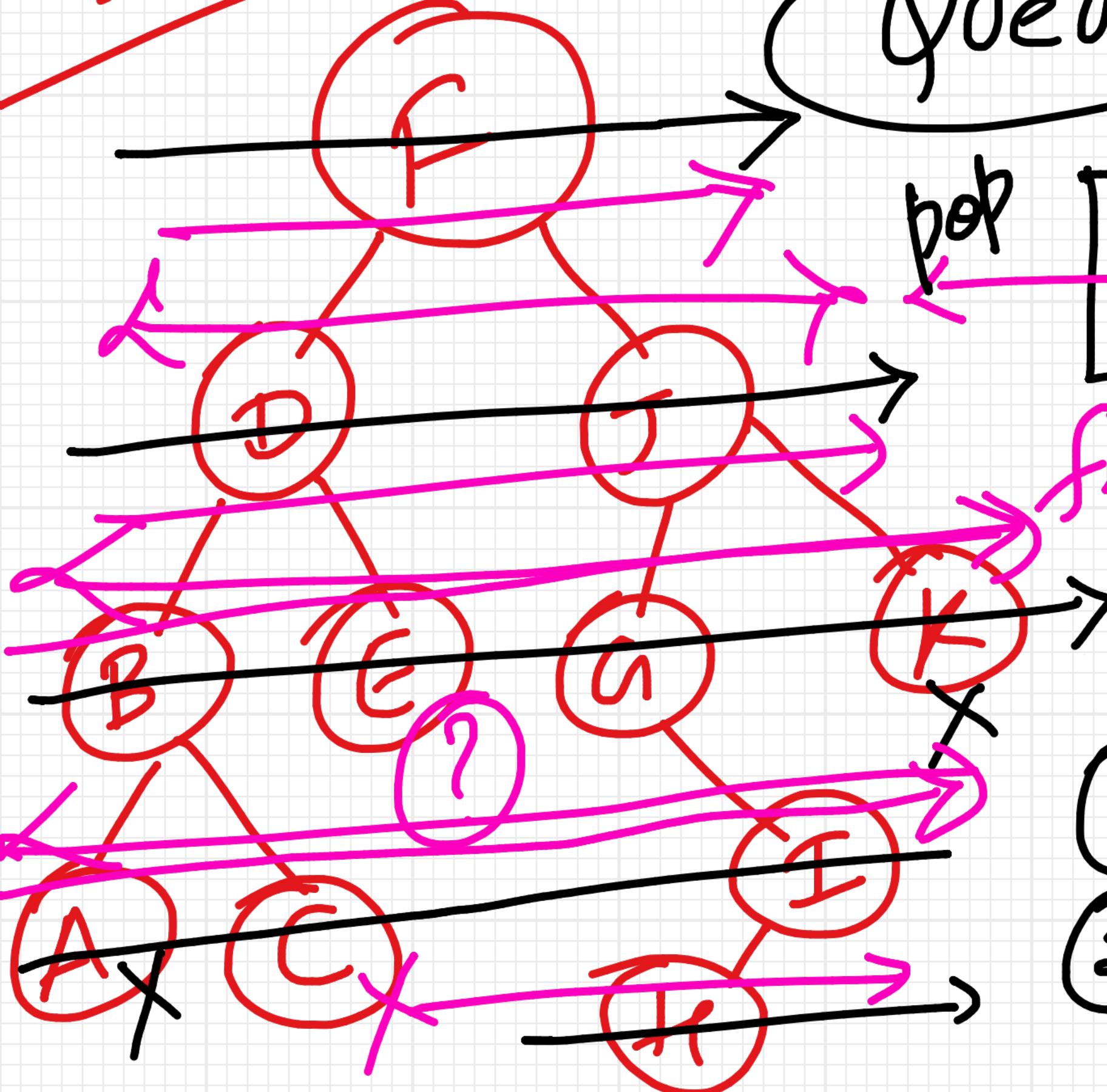
DF  
Depth  
First

BFS

F D J B E G K A C I H

# Queue Use Queue

U



*front* *Queue*

nl Queue

✓ Since we can say we travel completely.

① Pop

② Push it's chicken

$x = \text{insert\_in\_bst}(\text{None}, 50)$

$\text{insert\_in\_bst}(x, 33)$

50

$x.\text{data}$  ?  
= 50

$x.\text{left} = \text{insert\_in\_bst}(x.\text{left}, 33)$

None

The diagram illustrates a node of a binary search tree. The node is represented by a circle containing the value 50. An arrow labeled "data" points from the circle to the variable "x.data". Another arrow points from the circle to the variable "x.left". Below the circle, the assignment "x.left = insert\_in\_bst(x.left, 33)" is written in pink, with a checkmark above it. The word "None" is underlined below "x.left", indicating that the left child pointer initially points to nothing.