第五次9世解老

71~73 [71~]3 Date. N b.12) 「UH4iz3)な 品面 ftz)= 1+4iz3今年面降析. 放向十年: 原文= 3+124 = 1+じ 门南; 3n = 3ax + 2bxy + cy > 3n = bx + 2cxy + 3dy = $\frac{\partial \mathcal{H}}{\partial x^2} = bax + 2by. \qquad \frac{\partial \mathcal{H}}{\partial y^2} = 2cx + bdy$ 2 2 2 + 3 1 = 0 1 6 ax + 2by + 21x + bdy =0 18.日解: 证明: 没打到= 4+12 1月到 = 12+12 · (= + = y) | f(3) | = (= x + = y) (u2+ v2) $=\frac{3x}{9\sqrt{n^2}}+\frac{34x}{9\sqrt{n}}+\frac{3x}{9\sqrt{n}}+\frac{3x}{9\sqrt{n}}+\frac{3x}{9\sqrt{n}}$ $= 2\left(\frac{\partial u}{\partial x}\right)^2 + 2u \cdot \frac{\partial^2 u}{\partial x^2} + 2\left(\frac{\partial u}{\partial y}\right)^2 + 2u \cdot \frac{\partial u}{\partial y^2}$ + 2(\frac{\partial}{\partial} + 2\left(\frac{\partial}{\partial}) 南子 行列解析 ラルリ洞和、風布レスを移う コルナラウン 3x - 3y - 3y (分(米) 文明得: (米)= 2(分)+2(一分)+2(分)+2(分) = 4 (37) + (37) スッケ(3)= 3州+じ鉄、ラけ(3)=(3川)+(鉄)ナ 孫如(是+前)「自己」= 41月(2) 得防.

19.解,由于以为洞视别有口以一口。(分以十分以一口) 11) $\frac{\partial^2 N^2}{\partial X^2} = 2(\frac{\partial N}{\partial X})^2 + 2N\frac{\partial^2 N}{\partial X^2}, \frac{\partial^2 N^2}{\partial X^2} = 2(\frac{\partial N}{\partial N})^2 + 2N \cdot \frac{\partial^2 N}{\partial X^2}$ = 2[34)+(34)) #0 (以不同的基础) (2) $\frac{\partial f(w)}{\partial x} = \frac{\partial f(w)}{\partial u} = \frac{\partial^2 f(w)}{\partial u^2} = \frac{\partial^2 f(w)}$ ofun of on oy.) ofun of our oy? 安 f(m)的初期有 3 f(m) + 3 f(m) = 0 3: du (ox) + di (ou) + [ox) + ou] di =0 事: df [2012+2112]=0 · 对于100美工的方面 解该级分方移;于"50"。当 ri=r250. f(w)= (b+ 6xx). e"x = L1+ 62x.

do. 12.11) = 6x - 12y = -6x + 12y = -6x + 12y = 300 No. · X(Xiy) 液剂。可物为fiz)加具种。 $\therefore V(x,y) = \int_{(0,0)}^{(x,y)} \frac{\partial u}{\partial y} dx + \frac{\partial u}{\partial y} dy + C \qquad \int_{(0,0)}^{(x,y)} \frac{\partial u}{\partial x} dx + \frac{\partial u}{\partial y} dy + C$ = (x,y) (bx2+3xy-by2) dx + (3x2-12xy-3y2) dy + 6 $= \int_{0}^{x} 6x^{2} dx + \int_{0}^{y} (3x^{2} - 1)xy - 3y^{2}) dy + C$ $= 2x^{3} + 3x^{2}y - 6xy^{2} - y^{3}y + C$ = >x3+3x2y-6xy-y3+t i. fr3)= x+iv= (x>-bxy-3xy+2y3)+1.(2x3+3x3y-bxy-y3+6) fro) = i·C=0 = C=0 $\frac{13}{37} = \frac{2y \cdot (x+1)}{((x+1)^2 + y^2)^2} = \frac{2y \cdot (x+1)}{3x^2} = \frac{2y \cdot (x+1)}{((x+1)^2 + y^2)^4} - \frac{2y \cdot (x+1)}{((x+1)^2 + y^2)^4} - \frac{2y \cdot (x+1)}{((x+1)^2 + y^2)^4} = \frac{2y \cdot (x+1)}{(x+1)^2 + y^2} = \frac{2y \cdot (x+1)}{(x+1)^2 + y^2$ $\frac{\partial V}{\partial y} = \frac{-\left[(x+1)^{2}+y^{2}\right] + 2y^{2}}{((x+1)^{2}+y^{2})^{2}} \frac{2v}{\partial y^{2}} = \frac{2y \cdot \left[(x+1)^{2}+y^{2}\right] - \left[-(x+1)^{2}+y^{2}\right] \cdot 2\left[(x+1)^{2}+y^{2}\right] \cdot 2y}{((x+1)^{2}+y^{2})^{2}}$ · V(X,y) 间初,可如为fiz)産物、 $\therefore u(x,y) = \int_{(x,y)} \frac{\partial h}{\partial h} dx - \frac{\partial h}{\partial h} dx -$ $= \int_{0}^{X} \frac{-(X+1)^{2}}{(X+1)^{4}} dx - \left[\frac{1}{0} \frac{2y(X+1)}{(x+1)^{2}+4^{2}} \right]^{2} dy + C$

 $= \int_{0}^{ate} \frac{-1}{(X+1)^{2}} dX + \int_{0}^{a} \frac{y(X+1)}{(X+1)^{2}+y^{2}} dy + C$ = \frac{\text{X+1}}{\text{X}} \cdot \text{X+1} \frac{\text{X+1}}{\text{X}} \cdot \text{X+1} \frac{\text{X+1}}{\text{X}} \cdot \text{X} \text{C} $=\frac{1}{3+1}+\frac{3+1}{(3+1)^2+1/2}-\frac{1}{3+1}+C$ = x+1 (x+1)-+4> + U : (2) = u+iv= x+1 (x+1)+y>+ (+1:(-y)+y>) 的f(0)=2 前者が、1+6+6+i.p=2 ラ C=1 $AX=2. y=0. \overline{m}_{12}^{2}$; $f(2)=\frac{2+1}{(2+1)^{2}}+1=\frac{1}{2+1}+1=\frac{2+2}{2+1}$ Pgs 1. 1) R= lim ntan = lim nt = 1 | 对于时, 产品的 (产品的) 六本股份周围之,该效数点互往对收敛. 12) R= him | = him | = 1 131-1时.131-1. 二版版27不明版的的故障. 小发放. 小有股份图图上接级数多支发松. B) R= lim notes 13一时,①2二、购产力发 图 至一、划点出"股份 : 在收敛五, 地有发散五

2. 12 1 1-2+e2 = = = = = = Date. = 芸(1+方) 27 n= 1/m | ant = fim 1+ (n+1)! +1 = 1/m (n+1)!+(n+1) 1 R=1 (2) $Sh^{2}z = \frac{1-43.22}{2} = \frac{1}{2} - \frac{1}{2} \frac{1}{120} \frac{(-1)^{11}}{(2n)!} (22)^{2n}$ = - 1 (1+ 些 (土) (22)21) $=\frac{1}{2}\frac{\pm 0}{(2n)!}\frac{(-1)^{n+1}}{(22)^{2n}}$ r= um (Ant) = um 4"/(2/ht1))! = 0 : R= += +0. 4) = -1 = -1 = -1 = + 1-2 $=-\frac{1}{2}\frac{+10}{2}(\frac{2}{2})^{\frac{1}{2}}+\frac{+10}{2}$ = \frac{1}{2n+} \Z^n. R= lim 1 = 1 $(b) \frac{1}{(1-2)} = (\frac{1}{1-2})'$ $R = \lim_{n \to \infty} \frac{1}{\sqrt{n}} = 1$ $18) \int_{0}^{2} \frac{\sin^{2} x}{z^{2}} dz = \int_{0}^{2} \frac{\sin^{2} x}{\cos^{2} x} \frac{(x^{2} + y)^{2}}{\cos^{2} x} \frac{z^{2}}{\cos^{2} x} dz$ $= \int_{0}^{2} \frac{1}{N^{2}} \frac{1}{(2n+1)!} \frac{2n}{2n} dx = \frac{1}{N^{2}} \frac{1}{(2n+1)!} \frac{2n+1}{(2n+1)!} \frac{2n+1}{(2n+1)!}$