

# Syntax Directed Translation (SDT) (works in Semantic analysis)

SDT = Grammar + Semantic Rule

Syntax Directed Definition  
(How to give rule of syntax)

Syntax Directed Translation Scheme  
(order of execution)

Synthesized  
Attribute

Inherited  
Attribute

↓  
left side non-terminal's  
value is calculated by  
its children

$A \rightarrow BCD$

↓ Value of children  
 $C_i = A_i$  is calculated  
via parent

$C_i = B_i$   
 $C_i = D_i$  } Value of children  
is calculated  
via siblings

eg:

SDT  $\rightarrow$  Grammar

same E  
just to distinguish  
b/w left & right  
side E

$E \rightarrow E' + T$

$E \rightarrow T$

$T \rightarrow T'' * F$

$T \rightarrow F$

$F \rightarrow \text{num}$

Semantic Rule

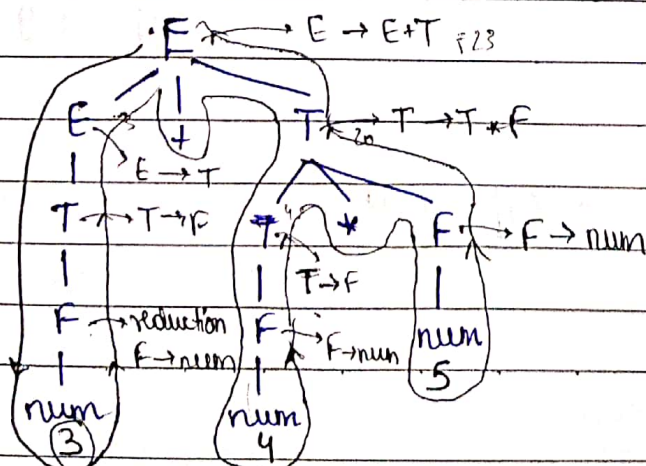
$\{ E.\text{value} = E'.\text{value} + T.\text{value} \}$

$\{ E.\text{value} = T.\text{value} \}$

$\{ T.\text{value} = T''.\text{value} * F.\text{value} \}$

$\{ T.\text{value} = F.\text{value} \}$

$\{ F.\text{value} = \text{num.lexvalue} \}$



eq  $\rightarrow 3 + 5 * 4 = 23$  (input)

Teacher's Signature \_\_\_\_\_

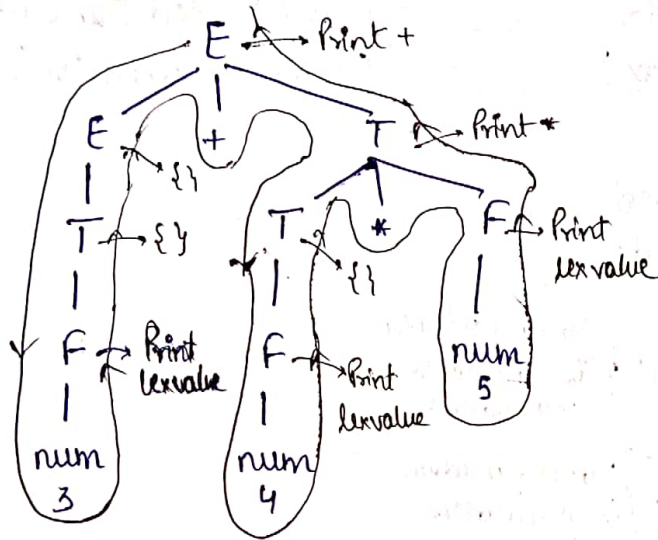
Design a SDT that converts infix to postfix.

eg →

$E \rightarrow E + T$	{ Print '+' }
$E \rightarrow T$	{ }
$T \rightarrow T * F$	{ Print '*' }
$T \rightarrow F$	{ }
$F \rightarrow \text{num}$	{ Print (lexvalue) }

Production                      Action

eg → Infix =  $3 + 4 * 5$   
Postfix =  $3 4 5 * +$



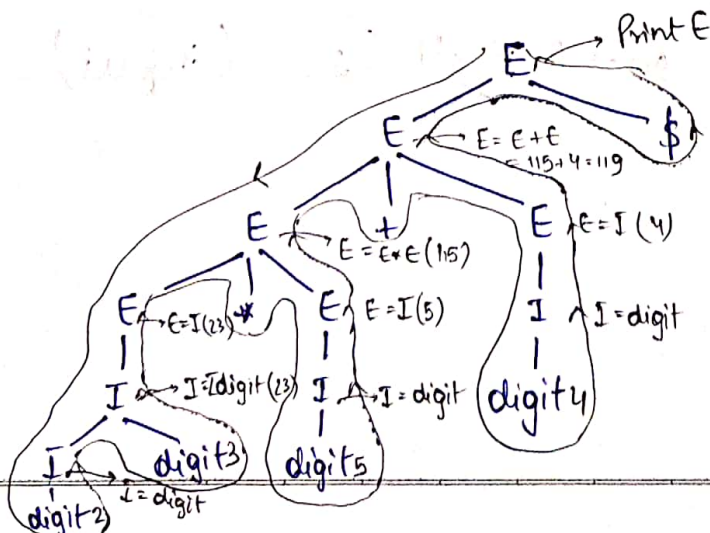
Output:  $3 4 5 * +$

Quey- Construct SDT for Desk Calculator

→ normal arithmetic calc.

$S \rightarrow E \$$	{ Print E.value }
$E \rightarrow E^1 + E^2$	{ E.value = E <sup>1</sup> .value + E <sup>2</sup> .value }
$E \rightarrow E^1 * E^2$	{ E.value = E <sup>1</sup> .value * E <sup>2</sup> .value }
$E \rightarrow I$	{ E.value = I.value }
$I \rightarrow I' \text{digit}$	{ I.value = 10 * I'.value + digit }
$I \rightarrow \text{digit}$	{ I.value = digit.lexvalue }

eg → I/p =  $23 * 5 + 4$   
O/p = 119



→ O/p = 119



Synthesized Attribute:

eg  $\rightarrow A \rightarrow BC$

$\{A.value = B.value, C.value\}$

Value of parent is calculated using all its children

Inherited Attribute:

eg  $\rightarrow A \rightarrow BCD$

$\{B.value = A.value\}$

$\{C.value = D.value\}$

$\{E.value = B.value\}$

Value of children is calculated using value of parent or using value of siblings

## Types of SDT

### S-attributed SDT

1) Uses only synthesized attributes

eg  $\rightarrow A \rightarrow BC$

$A.value = B.value, C.value$

2) Semantic action placed at the right end of production

eg:  $E \rightarrow E + T \quad \{E.value = E.value + T.value\}$

### L-attributed SDT

1) Uses both synthesized & inherited but each inherited is restricted to inherit from parent or ~~left~~ left sibling

eg  $\rightarrow A \rightarrow BCD \rightarrow A.value = B.value, C.value, D.value$

$B.value = A.value \checkmark$

$C.value = B.value \checkmark$

$C.value = D.value \times$

2) Semantic action placed anywhere in the line of production.

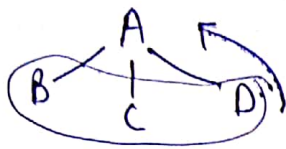
Teacher's Signature

eg  $\rightarrow A \rightarrow BCD \{-\}$

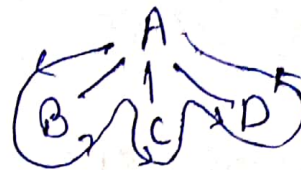
$A \rightarrow \{-\} BCD$

$A \rightarrow B\{-\}CD$

3) Attributes are calculated in a Bottom up Manner.



3) Evaluated by Depth first and left to right.



## Intermediate Code Generation → converts <sup>grammar</sup> to a 3 address code

3 types:

1) Postfix Notation

2) Syntax Tree

3) Three Address Code ← Quadruple Triple.

1) Postfix Notation

Infix

$a + b$

$(a + b) * c$

Prefix

$+ ab$

why?

Postfix

$ab +$

$ab + c *$

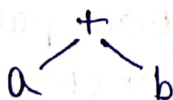
- better implementation
- implemented through stack
- no parentheses
- no associativity & operator precedence of the operators

② Syntax Tree

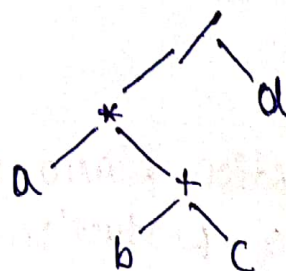
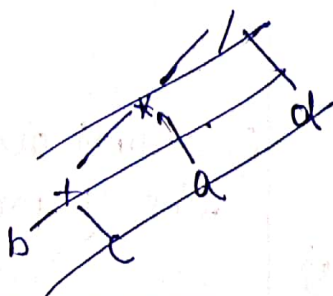
leaf node → operand

intermediate nodes → operator

eg →  $a + b$



eg →  $a * (b + c) / d$





from the syntax tree, we can calculate:

infix : left, root, right

prefix : root, left, right

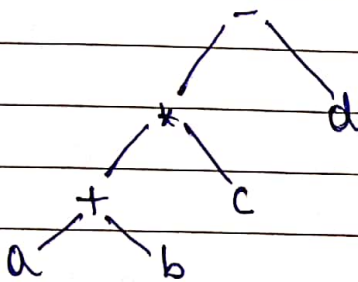
postfix : left, right, root

check infix :  $a * b + c / d$

Prefix :  $/*a + bcd$

Postfix :  $abc + *d /$

eg  $\rightarrow ((a+b)*c) - d$



Prefix :  $- * + a b c d$

Postfix :  $ab + c * d -$

### ③ ~~Intermediate Code~~ Three Address Code

The o/p of the semantic analysis is converted to a three address code

$\rightarrow$  It converts the input to a fixed particular format

$x := y \text{ op } z$

Variable

Operator

Or temp variable



atmost 3 variables

so 3 memory addresses

eg → Input:  $a = x + y * z$  → Convert to 3 address code

$$t_1 = y * z \quad (3)$$

$$t_2 = x + t_1 \quad (3)$$

$$a = t_2 \quad (2)$$

### Types of Three Address statement:

- 1) Logical & Binary operator →  $x = y \text{ op } z$
- 2) Unary operator →  $x = \text{op } y$
- 3) Copy statement →  $x = y$
- 4) Procedure call →  
param y  
param x
- 5) Index Assignment →  
 $x = y[i]$   
 $x[i] = y$
- 6) Conditional jump → if  $x$  relates  $y$  goto serial
- 7) Address & pointer →  
 $x = \&y$   
 $x = *y$

### Two types of implementation

#### 1) Quadruple

↳ uses four fields →  $\text{arg}_1, \text{arg}_2, \text{op}, \text{result}$

eg →  $a = b * -c + b * -c$

(0)  $t_1 = -c$

(1)  $t_2 = b * t_1$

(2)  $t_3 = -c$

(3)  $t_4 = b * t_3$

(4)  $t_5 = t_2 + t_4$

(5)  $a = t_5$



Quadruple:	op	arg <sub>1</sub>	arg <sub>2</sub>	result
(0)	unary-	c		t <sub>1</sub>
(1)	*	b	t <sub>1</sub>	t <sub>2</sub>
(2)	unary-	c		t <sub>3</sub>
(3)	*	b	t <sub>3</sub>	t <sub>4</sub>
(4)	+	t <sub>2</sub>	t <sub>4</sub>	t <sub>5</sub>
(5)	assign	t <sub>5</sub>		a

2) Triple:	op	arg <sub>1</sub>	arg <sub>2</sub>
(0)	unary-	c	
(1)	*	b	(0)
(2)	unary-	c	
(3)	*	b	(2)
(4)	+	(1)	(3)
(5)	assign	<del>---</del> a	(4)

Ques - Write the quadruple <sup>triple</sup> ~~triple~~ for following:  
 $(x+y) * (y+z) + (x+y+z)$

Three address code:

- (0)  $t_1 = x+y$
- (1)  $t_2 = y+z$
- (2)  $t_3 = t_1 * t_2$
- (3)  $t_4 = t_1 + z$
- (4)  $t_5 = t_3 + t_4$

Quadruple:		op	arg <sub>1</sub>	arg <sub>2</sub>	result.
(0)		+	x	y	t <sub>1</sub>
(1)		+	y	z	t <sub>2</sub>
(2)		*	t <sub>1</sub>	t <sub>2</sub>	t <sub>3</sub>
(3)		+	t <sub>1</sub>	z	t <sub>4</sub>
(4)		+	t <sub>3</sub>	t <sub>4</sub>	t <sub>5</sub>

Triple:		op	arg <sub>1</sub>	arg <sub>2</sub>
(0)		+	x	y
(1)		+	y	z
(2)		*	(0)	(1)
(3)		+	(0)	z
(4)		+	(2)	(3)

Ques- Give the three address code for the following program.

(i) int i x  
i = 1 ✓

while i < 10 do - (from condition)  
 if x > y then  
     i = x + y  
 else  
     i = x - y

- 1) i = 1
- 2) if i < 10 goto (4)
- 3) goto (10)
- 4) if x > y goto (6)
- 5) goto (8)
- 6) i = x + y
- 7) goto (2)
- 8) i = x - y
- 9) goto (2)
- 10) stop



(ii)  $C = 0$   
 do  
 {  
   if ( $a < b$ ) then  
      $x++$ ;  
   else  
      $x--$ ;  
    $C++$ ;  
 }  
 while ( $C < 5$ );

1)  $C = 0$   
 2) if  $a < b$  goto (4)  
 3) goto (7)  
 4)  $x = x + 1$   
 5)  $C = C + 1$   
~~6)  $x = x - 1$~~  6) goto (10)  
~~7)  $C = C + 1$~~  7)  $x = x - 1$   
 8)  $C = C + 1$   
 9) goto (10)  
 10) if ( $C < 5$ ) goto (2)  
 11) goto (12)  
 12) stop

## More about Translation

- 1) Array reference in Arithmetic
- 2) Procedure call
- 3) Case statement

### I Array reference in Arithmetic.

i) 1-D Array

int  $a[5] = \{15, 10, 11, 44, 34\}$

Base address B

$w = \text{diff of bytes (width)}$

Actual address memory	1100	1104	1108	1112	1116
Element	15	10	11	44	34
Index	0	1	2	3	4

↑  
Lower bound LB

$$\text{Address} = B + w(i - LB)$$

$A[i]$

Teacher's Signature \_\_\_\_\_

eg → int i  
int a[10]  
i = 1  
while (i < 10)  
{  
  a[i] = 0  
  i = i + 1  
}

- 1) i = 1
- 2) if i < 10 goto (4)
- 3) goto (8)
- 4)  $t_1 = 4 * i$
- 5)  $a[t_1] = 0$
- 6)  $i = i + 1$
- 7) goto (2)
- 8) stop

Address  
 $A[i] = B + w * (i - LB)$   
 ↓      ↓      ↓  
 system      4      0  
 generated  
 (need not to write) =  $4(i - 0)$   
                              =  $4 * i$

ii) 2-D Array

		Column index				A[m][n]	
		Lc					
		0	1	2	3		
Row index	Lr 0	8	6	3	2		
	1	4	5	9	1		
	2	6	3	2	4		

Row wise:

8 | 6 | 3 | 2 | 4 | 5 | 9 | 1 | 6 | 3 | 2 | 4

Column major:

8 | 4 | 6 | 6 | 5 | 3 | 3 | 9 | 2 | 2 | 1 | 4

$A[i][j] = \text{Base Address} + w * [n * (i - L_r) + (j - L_c)]$

$A[i][j] = \text{Base Address} + w * [(i - L_r) + m * (j - L_c)]$

eg → int i;  
int a[10][10];  
i = 0;  
while (i < 10)  
{  
  a[i][i] = 1;  
  i++;  
}

- 1) i = 0
- 2) if i < 10 goto (4)
- 3) goto (8)
- 4)  $t_1 = 44 * i$
- 5)  $a[t_1] = 1$
- 6)  $i = i + 1$
- 7) goto (2)
- 8) stop

Address  
 $A[i] = B + 4[10(i - 0) + (i - 0)]$   
 $= B + 4(10i + i)$   
 $= B + 44i$



2) Case statement

eg → switch (ch)

{

case 1: c = a + b;

break;

case 2: c = a - b;

break;

}

1) if ch = 1 goto (3)

2) if ch = 2 goto (5)

3) c = a + b

4) goto (7)

5) c = a - b

6) goto (7)

7) stop

for break

3) Procedure call $P(A_1, A_2, A_3 \dots A_n) \rightarrow$  some func given

3 address code

param A<sub>1</sub>  
param A<sub>2</sub>param A<sub>n</sub>  
call P, n

eg → void main()

{

int x, y;

swap(&amp;x, &amp;y);

}

void swap(int \*a, int \*b)

{

int i;

i = \*b;

\*b = \*a;

\*a = i;

}

1) call main

2) param &amp;x

3) param &amp;y

4) call swap, 2

5) i = \*b

6) \*b = \*a

7) \*a = i

8) stop

Teacher's Signature \_\_\_\_\_