შეფასეპის სქემა სავისექსით წესა ას! IX კვასი (ფიზიკა)

1. I bohba: 3553nbasmon amahamasa aha-oham 15mhglajanl andaham (1/18). 354nb ajanha amahasasa $V=3\pi-\pi=2\pi$ alaa lahahama(1/18). 5nhaas ajasaghada ah daah 3035750 autodasa afada $l=2\pi R$ (1/180). Tolasadalaa ajasaghad aham $t_1=\frac{2\pi R}{V}=2060$ (1/180). Undasadalaa ajahasada aja ajan ajasaghad aham afada ahamasada ajahasada a

I byhon: gran lahdhan dadhaza lamhaldan 3 ahaag afbarghada $3 \text{ sandandan bhan bhan bab bed and bamha (2 dags). 3035, con apart of <math>1 - 1 = 2 \text{ to } 1 = 3 \text{ to } 1 =$

2. destable entrol and harges and amb month to the land of the stable entrol and hard and hard the second entrol and hard and hard and by the second entrol and the second entr

 $Q_{133} = \frac{20,0_2}{0,+0_2} (2 \frac{1}{3}).$

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$$Q_{137} = \frac{2.7.3}{10} = 4,23[6] (1 \frac{1}{3}\chi_{5}).$$

3.
$$V_x = \frac{X_2 - X_1}{t_2 - t_1} = \frac{0 - 100}{8 - 4} = -25 \text{ albd (14ggs)}, \quad X = X_0 + V_x \cdot t = X_0 - 25 t (14ggs)$$

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4.
$$Q_{1x} = \frac{5-0}{5} = 18|63^2$$
, $Q_{2x} = \frac{0-10}{5} = -28|63^2$ (1/35). $V_{1x} = t$, $V_{2x} = 10-2t$ (1/35). $V_{1x} = V_{2x} = 0$ $t = \frac{10}{3}63$ (1/35). $X_1 = X_0 + 0.5t^2$; $X_2 = X_0 + 10t - t^2$ (1/35). $t = |X_1 - X_2| = |1.5t^2 - 10t| = \frac{50}{3}8$ (1/35).

5.
$$V_{6}=0$$

$$S_{t}=\frac{at^{2}}{2}, S_{t-1}=\frac{a(t-1)^{2}}{2}(1 \frac{1}{3}\zeta^{3}),$$

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$$S_{t} = S_{t} - S_{t-1} = \frac{a(2t-1)}{2} (1 \frac{1}{3} y^{3}),$$

$$2t - 1 = \frac{2S_{t}}{a} = 11, t = 663 (1 \frac{1}{3} y^{3}).$$

$$S_{t} = \frac{at^{2}}{2} = 363 (1 \frac{1}{3} y^{3}).$$

$$|\Delta V| = a \cdot 1 \Rightarrow \alpha = 5 a | 6 a^2 (2 + 3 | 5)$$

 $S = \frac{V_0^2}{2\alpha} = 40 a (2 + 3 | 5).$

7.
$$V_{137} = \frac{2\lambda}{44} = \frac{\lambda}{2t} \left(2 \frac{1}{3} \frac{1}{3} \right), \quad \lambda = V_1 + \left(2 \frac{1}{3} \frac{1}{3} \right), \quad V_{137} = \frac{V_1}{2} = 36 \frac{1}{3} \frac{1}{3} \ln \left(1 \frac{1}{3} \frac{1}{3} \right).$$

8.
$$\vec{V}_{12} = \vec{V}_1 - \vec{V}_2$$
 (1 $jg\zeta^3$)

 $\vec{V}_{12} = \sqrt{\vec{V}_1^2 + \vec{V}_2^2 - 2\vec{V}_1\vec{V}_2\cos 60^\circ} = 10\sqrt{3} (1 jg\zeta^3)$
 $\vec{V}_{12} = \sqrt{\vec{V}_1^2 + \vec{V}_2^2 - 2\vec{V}_1\vec{V}_2\cos 60^\circ} = 10\sqrt{3} (1 jg\zeta^3)$
 $\vec{V}_{12} = \vec{V}_1 + \vec{V}_2 + \vec$