

# Comparison path planning algorithms

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#### 1 Abstract

In path planning, discovering good trajectories often requires a high-dimensional model and the evaluation of many samples. Recently, Wang et al. proposed an algorithm called Latent Space Partitions for Path Planning (LAP3) claiming it outperforms existing path planning methods in 2D navigation tasks with respect to sample efficiency. In this paper, we compare the newly published LAP3 to other path-planning algorithms in several 2D environments.

extend descriptions with all information

problems, why, solutions, results

# 2 Introduction

In path planning, the goal is to find the most rewarding trajectory (represented as a sequence of actions at a given state) in a given search space.

Common problems of path planning algorithms include being trapped at local optima or the exploration-exploitation tradeoff. Different applications require different search algorithms. An algorithm that works well in one scenario may be inefficient in another. Additionally, the branching factor of a problem can greatly affect the computation time, making it necessary to use specialized search algorithms to handle large branching factors. Furthermore, completeness is an important consideration for search algorithms, as it ensures that the algorithm can always reach the goal. Finally, when searching for an optimal solution, it is necessary to find the solution with the lowest cost, which requires specialized algorithms.

To tackle these problems, Wang et al. proposed LAP3 [YZC<sup>+</sup>21], an algorithm which partitions the search space into high- and low-reward regions. These regions are represented in a monte-carlo tree and the path from the current node to the goal is computed.

The algorithm differs in the way it takes the samples and partitions the search space. While other path-planning algorithms such as La-MCTS [WFT20] partition the search space based on a few samples and then take additional samples afterwards, LAP3 takes samples first and then recursively partitions the search space based on a minimal number of samples per region.

This paper explores the topic of path planning, with a focus on three specific algorithms A\*, LaMCTS, and LaP3. Path planning is an important aspect of robotics and artificial



intelligence, as it enables robots and other autonomous systems to navigate through an environment and reach a desired destination. The A\* algorithm is a well-known and widely used method for pathfinding and graph traversal, which incorporates heuristic functions and predicted costs to find the most efficient path. LaMCTS and LaP3, on the other hand, are more recent algorithms that have been developed to address specific challenges in path planning, such as handling large or complex environments.

# 3 Evaluation Criteria

short description

## 3.1 Search Efficiency

Global path planning algorithms create paths based on pre-existing information, while local path planning algorithms generate paths by gathering information about the environment via a sensor. Regardless of the algorithm, it must possess the capability to react quickly to environmental information, have low computational requirements and short search time, and have high search efficiency. Different algorithms exhibit varying levels of search efficiency.

#### 3.1.1 sample-reward ratio

descripte criteria, Manuel

#### 3.1.2 function evals reward ratio

descripte criteria



# 4 Path Planning Algorithms

In this paper, we decided to use three different search algorithm A\*, Monte Carlo Tree Search (MCTS) and Latent Space Partitions for Path Planning (LaP3).

#### 4.1 A\*

#### image? Florian

The A\* algorithm, first introduced by Peter Hart and other researchers at the Stanford Research Institute in 1968, is a widely used method for pathfinding and graph traversal. [HNR68] It builds on Dijkstra's algorithm by incorporating heuristic functions and predicted costs, making it the most efficient direct search method for finding the shortest paths in a static road network and a popular heuristic for various other problems.[FBKT00]

The key component of the algorithm is the design of the valuation function, f(n) = g(n) + h(n), where g(n) is the actual cost from the initial node to node n, h(n) is the estimated cost from node n to the target node, and f(n) is the estimated cost from the initial node via node n to the target node.

The steps of the  $A^*$  algorithm are:

- **Step 1:** Add the starting node to the priority queue.
- **Step 2:** Select the node with the smallest F-value from the current priority queue and make it the current node.
- **Step 3:** Mark it as visited and process its adjacent nodes.
- **Step 4:** If the neighboring node has not been visited, add it to the queue, set the current node as its parent, and record its F, H, and G values. If the neighboring node has already been visited, check if the current node has a shorter path by comparing G values. If the current node has a smaller G value, update the parent node and G, H values of that node.
- **Step 5:** Repeat steps 2 to 4 until the target node is marked or the priority queue is empty.
- **Step 6:** When the path is found, trace back from the endpoint to the start node using the parent node.



The A\* algorithm can reach a time complexity of O(n).

#### 4.2 Monte-Carlo Tree-Search

#### unbedingt notwendig?

The leaves in the monte-carlo tree represent different states in a search space. The links to different children of a leaf represent different actions to get to a different state.

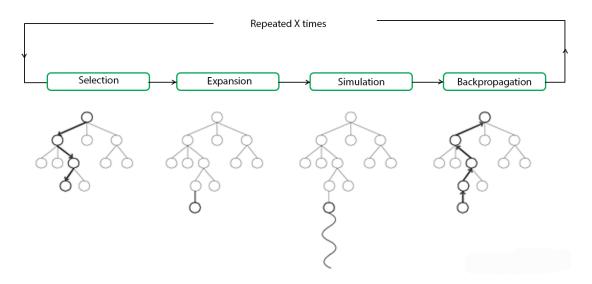


Figure 1: Steps of MCTS

The tree now learns by performing the following steps:

**Step1: Selection** When in a given state, an appropriate action is selected based on a policy.

**Step 2: Expansion** When the selected leaf does not have any children, different actions are performed which lead to additional nodes.

**Step 3: Simulation** The reward of the newly created leaves is calculated and the best nodes are added to the tree.

Step 4: Backpropagation All nodes above the selected one are updated based on the

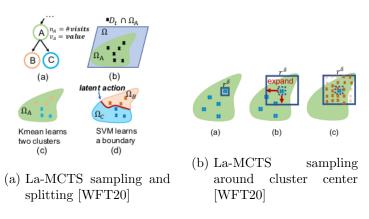


reward they lead to.

#### 4.3 LaMCTS

#### Schreieben Manuel!

In a Latent space Monte-Carlo Tree-search, the search space is represented using a monte carlo tree. This is done by taking samples and splitting the search space in a high-reward partition and a low-reward partition using k-keans(k=2) and an SVM learning the boundary. These partitions are represented by two child nodes in the monte-carlo tree. In a next step, samples are taken from around each cluster center and based on these samples, the now child-node is partitioned again in a high- and low-reward region. This results in a monte carlo tree with the left-most leaf being the highest-reward region, the leaf left to the highest one being the second-highest and so on.



verweis auf paper quelle, indem der MCTS beschrieben wird

#### 4.4 LaP3

The LaP3 algorithm works similar to La-MCTS. Contrary to La-MCTS, Samples are collected at the beginning and the search space is then split recursively into good and bad regions until a threshold of samples is undercut.

#### write LaP3 algorithm!!! Manuel

The LaP3 algorithm is an extension of the LaMCTS. [YZC<sup>+</sup>21] It is a new path planning method which improves the function value estimation within each sub-region. This



algorithm use a latent representation of the search space. LaP3 and Latent Space Monte Carlo Tree Search (LaMCTS) use the maximum, instead of the mean, as the node score to improve sample efficiency.



# 5 Methodology

A common problem of path planning is being trapped in local minima[...] thus suitable environments were selected for the algorighms

We ran all 3 algorithms on two different environments (mazes3, 4 rooms)

Was haben wir haben? Manuel

Warum haben wir es gemacht? Manuel

environment description Manuel, Maze s3 and four rooms images Florian



## 6 Evaluation

Write short introduction into the chapter, Florian

Astar mit anderem Verzweigungsfaktor

mehr Daten damit Astar mit MCTS und LAP3 besser verglichen werden

if lenyvec good größer 5 wie viele samples pro region immer beide ändern

When each algorithm is run, the maximum reward to be achieved is compared to the number of samples taken. As this result can vary, each algorithm is run 100 times and the mean of each run is shown in a graph.

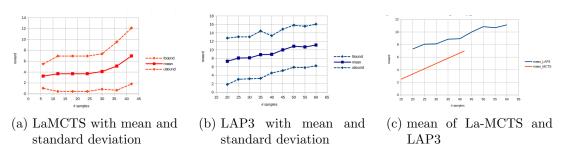


Figure 3: In maze s3 environment

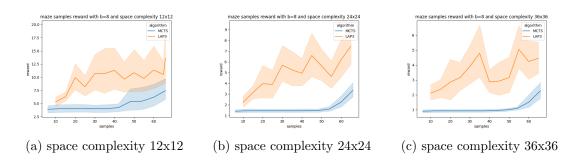


Figure 4: ratio of samples and reward in Maze s3 environment with different space complexity

Each algorithm was

When running each algorithm for 100 times, the



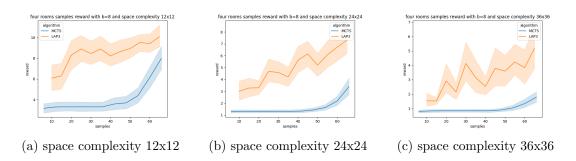


Figure 5: ratio of samples and reward in four rooms environment with different space complexity

# 7 Conclusions and Further Discussion

What could be explorer in the future



# **Acronyms**

LaP3 Latent Space Partitions for Path Planning

MCTS Monte Carlo Tree Search

LaMCTS Latent Space Monte Carlo Tree Search

#### References

- [FBKT00] Dieter Fox, Wolfram Burgard, Hannes Kruppa, and Sebastian Thrun. A probabilistic approach to collaborative multi-robot localization. *Autonomous Robots*, 8:325–344, 06 2000.
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- [YZC+21] Kevin Yang, Tianjun Zhang, Chris Cummins, Brandon Cui, Benoit Steiner, Linnan Wang, Joseph E Gonzalez, Dan Klein, and Yuandong Tian. Learning space partitions for path planning. In M. Ranzato, A. Beygelzimer, Y. Dauphin, P.S. Liang, and J. Wortman Vaughan, editors, Advances in Neural Information Processing Systems, volume 34, pages 378–391. Curran Associates, Inc., 2021.

## Alphabetisch sortieren